Direct-current (DC) motors have found broad applications in industry because of their torque-speed characteristics. The significant features of DC drives include adjustable speed over a wide range, constant mechanical power output, rapid speed change and responsiveness to feedback signals. The speed of a DC motor can be varied by control of the field flux, the armature resistance, or the applied armature voltage. The three most commonly used speed control methods are shunt-rheostat control, armature circuit resistance control, and armature terminal voltage control[5-1].

In this chapter, only the most versatile speed control, that is, speed control by modulating the armature terminal voltage is discussed. In this method alone, speed control can be realized with different control strategies, one of which is PID control. PID stands for Proportional, Integral and Derivative. Such a controller is used to automatically adjust a certain variable so that the output of the controlled process will be held at some setpoint. The difference between set-point and the actual measurement of that output is defined as error which is used to initiate the adjustment. This will be further covered in section 5.4 where performance studies are carried out.

5.2 Problem Formulation

Let us consider a separately excited DC motor[5-1] as shown in Figure 5.1. The generated speed voltage and the electromagnetic torque developed by the motor can be expressed as,

$$e_{u} = K\phi_{d}\omega_{m} = ki_{t}\omega_{m} \tag{5.1}$$

$$T_e = K\phi_d i_d = k i_f i_a \tag{5.2}$$

where,

K and k are constants,

 ϕ_d is the direct axis air gap flux that is linearly proportional to the field current i_f ,

 ω_m is the angular velocity corresponding to the speed of rotation, and i_a is the armature current.

The voltage equation for the field circuit is expressed as,

$$v_f = L_{ff} \frac{d}{dt} (i_f) + R_f i_f \tag{5.3}$$

where,

 v_f , i_f , R_f and L_{ff} are the terminal voltage, current, resistance and self-inductance of the field circuit, respectively.

The voltage equation for the armature circuit is given by,

$$v_t = e_a + R_a i_a + L_{aq} \frac{d}{dt} (i_a)$$

$$(5.4)$$

where,

 v_i , R_{a_i} and L_{aq} are the terminal voltage, resistance and self-inductance of the armature circuit, respectively.

The dynamic equation for the mechanical system of the motor is expressed as,

$$T_e = ki_f i_a = J \frac{d}{dt} (\omega_m) + B\omega_m + T_L$$
 (5.5)

or

$$T_{e} - T_{L} = J \frac{d}{dt} (\omega_{m}) + B\omega_{m}$$
 (5.6)

where,

J is the combined polar moment of enertia of the load and the rotor of the motor,

B is the equivalent viscous friction constant of the load and the motor, T_L is the mechanical load torque.

The Laplace transform of the voltage equation (5.4) for the armature circuit can be written as,

$$V_t - E_a = R_a (1 + v_a s) I_a ag{5.7}$$

where,

 $\tau_{\scriptscriptstyle a} = L_{\scriptscriptstyle \! aq} \, / \, R_{\scriptscriptstyle \! a}$, the electrical time constant of the armature circuit.

The Laplace transform of (5.1) is given by,

$$E_a = L\{kI_f \cdot \omega_m\} \tag{5.8}$$

where L denotes Laplace transform. It is noticed that this is a nonlinear equation. When I_f is constant, it is easy to carry out the transform.

The Laplace transform of (5.6), with a zero initial condition, is given by,

$$T_e - T_L = Js\Omega_m + B\Omega_m \tag{5.9}$$

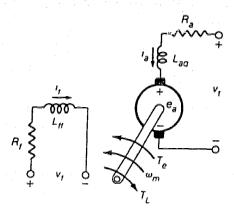


Fig. 5.1 Schematic Representation of A DC Motor[5-1]

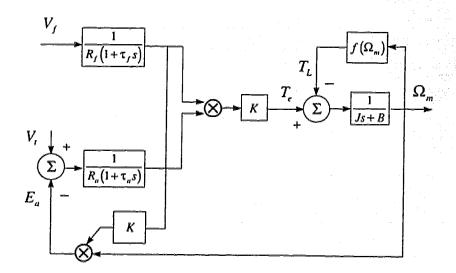


Fig. 5.2 Block Diagram of A DC Motor

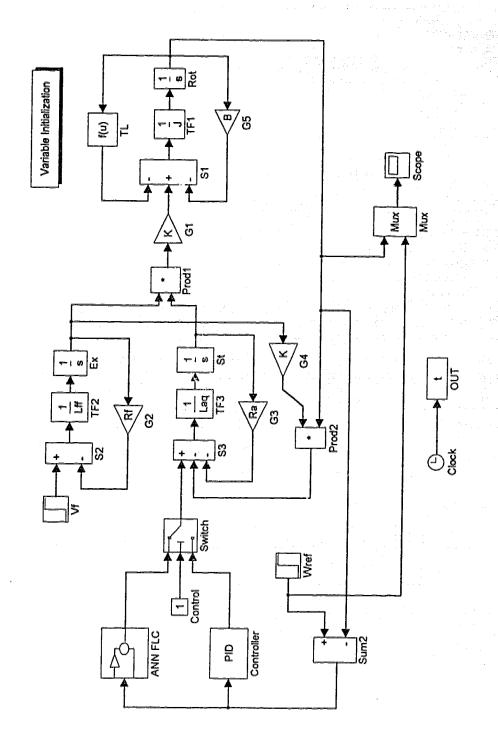


Fig. 5.3 Simulation Model of A DC Motor

Figure 5.2 shows the block diagram of the dynamics of a DC motor. Suppose that a 5-hp, 220V, separately excited DC motor has the following parameters: $R_a = 0.5\Omega$, $L_{aq} = 0.3H$, k = 2H, $R_f = 220\Omega$, $L_{ff} = 110H$. The combined constants of the motor armature and the load are $J = 3kg \cdot m^2$ and $B = 0.3kg \cdot m^2 / s$. The field current can be changed by changing the field voltage V_f . Using these data, a simulation model of the motor is constructed as shown in Figure 5.3. Let the step input voltage be 220V. Figure 5.4 shows the dynamic response. The steady state value of the motor speed is 107 rad/s.

5.3 Design of An ANN-FL Controller

5.3.1 Introduction

Based on the hybrid ANN-FL modeling technique presented in Chapter 4, an intelligent control system can be designed for speed control of the DC motor system. To accomplish such a design, the following information, to be discussed in this section, is needed.

(1) A knowledge base that consists of a rule base and a data base. The rule base defines a set of linguistic rules established on expert knowledge of the dynamic behavior of the fuzzy sets used in the rule base. Experience and engineering judgment is incorporated in designing the data base. This will be further covered in the following sections.

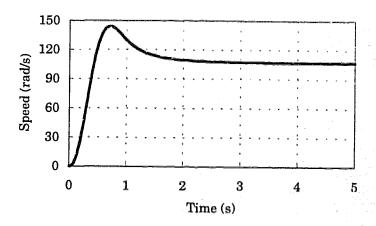


Fig. 5.4 Speed Response of the DC Motor with No Feedback Control

- (2) Decision-making logic that imitates human's decision-making processes using fuzzy concepts.
- (3) Fuzzification that transforms crisp variables into fuzzy sets.

 Defuzzification that does the opposite.
- (4) An ANN-FL model as defined in Chapter 4.
- (5) A training set of data that is collected either from real-world operation or computer simulation of the physical plant.
- (6) A training program that implements the above algorithm.

5.3.2 Structure of the ANN-FL Controller

(1) Linguistic Variables

The goal of DC motor control in this study is to constrain the speed of the motor to a specified level. Suppose that the speed and its rate of change are

accessible and measurable. These two state variables can serve as inputs to the ANN-FL controller to be designed. The output of the controller is a change to the terminal voltage applied to the terminal of the amarture winding of the DC motor. Suppose that the state variables can be described by the following fuzzy sets, with v=very and m=moderate:

Change_of _speed =

[v_negative, m_negative, negative, positive, m_positive, v_positive]

Rate_of_speed_change =

[v_slow, m_slow, slow, fast, m_fast, v_fast]

The output variable of the controller can be described by a fuzzy set as follows:

Change_of_voltage = [negative, positive]

In fuzzy set theory, it would not matter how beautifully the linguistic variables are named, the control algorithm recognizes only what is happening in the physical process. Therefore, all the above fuzzy sets can be represented by linguistic labels such as negative big(NB), negative medium(NM), negative small(NS), positive small(PS), positive medium(PM), and positive big(PB). That is, these fuzzy variables can be expressed in terms of the corresponding linguistic labels as follows:

$$\Delta\omega = [NB, NM, NS, PS, PM, PB]$$
 (5.10)

$$\Delta\omega / \Delta t = [NB, NM, NS, PS, PM, PB]$$
(5.11)

$$\Delta V = [N, P] \tag{5.12}$$

(2) Membership Functions

Suppose that the ranges of change of the fuzzy variables of the DC motor to be controlled are known from design or operational requirements. Then the universe of disclosure of the fuzzy sets can be determined. For example,

$$\Delta\omega = [-30, +30](rad) \tag{5.13}$$

$$\Delta\omega / \Delta t = [-75, +80] (rad / s)$$
(5.14)

$$\Delta V = \begin{bmatrix} -60, +60 \end{bmatrix} (volt) \tag{5.15}$$

Then, membership functions can be assigned to each of the above fuzzy sets, including both of those of the input and output variables. Figs. 5.5-5.7 show the membership functions for the state variable $\Delta\omega/\Delta t$, $\Delta\omega$, and the output variable ΔV , respectively. Membership functions for fuzzy sets $A_{i2},...,A_{i5}(i=1,2)$ are expressed by Gaussian function which takes the form of (5.16), and membership functions for fuzzy sets A_{i1},A_{i6},B_{i} (i=1,2) are expressed by a Bell function which takes the form of (5.17). Table 5.1 shows a rule base for the ANN-FL controller, where A_{ij},B_{i} (i=1,2;j=1,2,...,6) are membership functions.

$$f(x,\sigma,c) = e^{-\left\{\frac{x-c}{\sqrt{2}\sigma}\right\}^2}$$
 (5.16)

$$f(x,a,b,c) = \frac{1}{1 + \left\{\frac{x-c}{a}\right\}^{2b}}$$
 (5.17)

The parameters of these membership functions will be determined in a training process with data obtained from simulations of the DC motor with PID control.

(3) Structure of the ANN-FL Controller

A five-layer feedforward network, with two inputs and one output, is designed as shown in Figure 5.8. The universe of discourse of each input variable is initially divided into six segments. There are six membership functions for each of these variables. As has been mentioned earlier, each membership function is labeled with A_{ij} (i = 1,2; j = 1,2,...,6). The output variable has two membership functions, labeled as B_i (i = 1,2). Definitions of these linguistic labels are given by (5.10) and (5.12).

The generalized Bell-curve function is chosen as the membership function of the output variable. Initially, A_{11} and A_{21} were represented by a Z-shaped membership function and A_{16} and A_{26} by a S-curve membership function. After training and simulation comparison, they are replaced with the generalized Bell-curve membership function. The rest of the membership functions are represented by Gaussian-curve function.

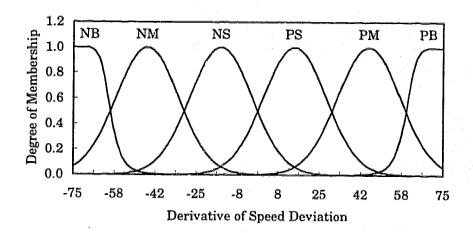


Fig. 5.5 Membership Functions for State Variable $\Delta\omega/\Delta t$

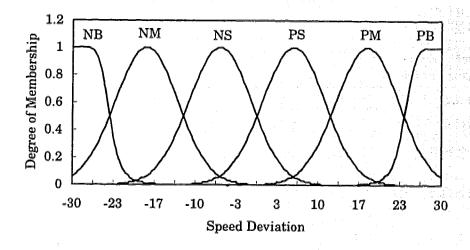


Fig. 5.6 Membership Functions for State Variable $\Delta\omega$

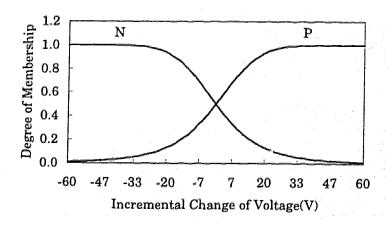


Fig. 5.7 Membership Functions for Output Variable ΔV

Table 5.1 Rule Base of the ANN-FL Controller

| $\Delta \omega$ $\Delta \omega$ $\Delta \omega / \Delta i$ | A ₁₁ | A ₁₂ | A _{I3} | A ₁₄ | A ₁₅ | A ₁₆ | |
|--|-----------------|-----------------|-----------------|-----------------|------------------|-----------------|--|
| A ₂₁ | В2 | B_2 | В2 | | | | |
| A ₂₂ | B ₂ | B ₂ | B_2 | | | | |
| A ₂₃ | B ₂ | B_2 | B_2 | | , | | |
| A ₂₄ | | | | B_{i} | B_{l} | B_{i} | |
| A ₂₅ | | : | | $B_{\rm l}$ | $B_{\mathbf{i}}$ | B_{l} | |
| A ₂₆ | | | | $B_{\rm i}$ | $B_{\rm l}$ | $B_{\rm l}$ | |

(4) Collection of Training Data

A number of simulation studies of the DC motor dynamic system, shown in Figure 5.3, are carried out, simulating different load disturbances. These disturbances cause the changes of the state variables in their corresponding ranges as specified in (5.13) and (5.14). The available voltage change of the power source is specified in (5.15). The results from the simulations are recorded in Table 5.2. The first row in Table 5.2 is the speed deviation relative to reference speed. The first column is the derivative of the speed deviation. The numbers in Table 5.2 are the incremental voltage change relative to the normal terminal voltage which is 220 volts. These data will be used for training the ANN-FL controller. For design purpose, a near-optimal PID controller is used in the simulation to obtain the desired performance of the system. The parameters of the PID controller will be given later in this chapter when performance studies are carried out.

(5) Supervised learning of the ANN-FLC system

Up to this point, the ANN-FLC has an initial set of values for the parameters of the membership functions, given the fuzzy partitions and fuzzy logic rules. The task of a supervised learning scheme is to optimally adjust these parameters so that the controller will perform optimally no matter what the operating point is. Backpropagation [5–2] is used for the learning. A training program has been written using MATLAB and its Fuzzy Logic

Toolbox functionality. Another advantage of using this toolbox is that a newly-designed fuzzy controller can be easily interfaced with the TSSP package, see Chapter 7 of this thesis. The objective of the learning process is to find an optimal set of parameter values for the node functions in the network of Fig. 5.8 so that the total error function,

$$E_{p} = \frac{1}{2} \sum_{i=1}^{N_{0}} \left(t_{pj} - y_{pj}^{L} \right) \tag{5.18}$$

is minimized. Detailed learning rules have been presented in Section 4.4 of this thesis. There are 34 parameters for the membership functions, and 18 weights to be adjusted. The training set of data is given in Table 5.2. There are a total of 127 pairs of training patterns.

As the input variables are fuzzy to the controller, the stopping criterion for training doesn't have to be high. That means, training can be stopped at 1000 epochs or if the total error is less than, say, 0.2. After 1000 epochs of training, the network of the ANN-FL controller converges to a set of parameters that determine the membership functions and weights. These membership functions are displayed as per Figures 5.9-5.11. Figure 5.12 displays the RMSE(root mean squared error) curve of the training process. An adaptive procedure is used for changing the step size during training. The true step sizes used in the training are displayed in Figure 5.13. The reason for using a varying step size in each iteration is to ensure that the error function will not increase.

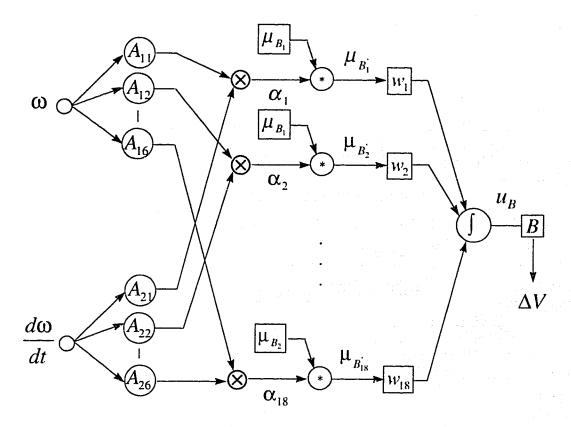


Fig. 5.8 An ANN-FL Controller for DC Motor Control

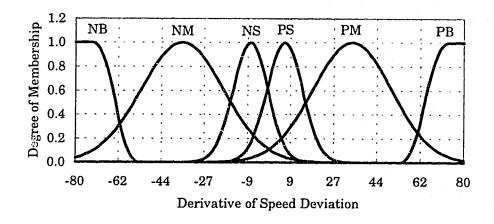


Fig. 5.9 Membership Functions for State Variable $\Delta\omega/\Delta t$

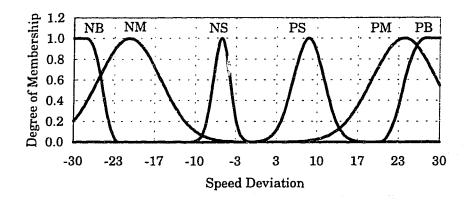


Fig. 5.10 Membership Functions for State Variable $\Delta\omega$

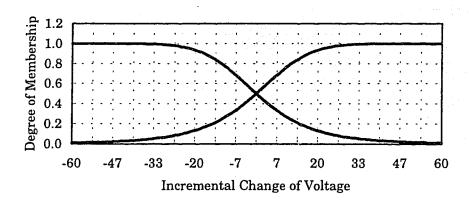


Fig. 5.11 Membership Functions for Output Variable ΔV

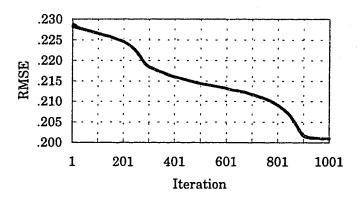


Fig. 5.12 RMSE Curve vs. Epochs

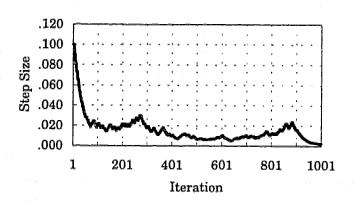


Fig. 5.13 Step Sizes vs. Epochs

Table 5.2 Training Data as Obtained from Simulation Studies

| ΔV | -28 | -24 | -19 | -14 | -9 | 4 | -1 | 0 | 1 | 4 | 9 | 14 | 19 | 24 | 28 |
|-------------------------|-----|-----|-----|-----|----|-----|----------|----------|-------|------|-----|-----|-----|-----|-----------|
| $\Delta\omega/\Delta t$ | | | | | | | <u>L</u> | <u> </u> | | | | | | | 1 |
| -75 | 60 | 55 | 50 | 46 | 42 | 38 | 34 | 30 | | | | Ī | | | i ' · · · |
| -62 | 55 | 50 | 46 | 41 | 37 | 33 | 29 | 25 | | | | | | | |
| -49 | 50 | 46 | 40 | 36 | 32 | 28 | 24 | 20 | | | | | | | |
| -36 | 46 | 41 | 36 | 30 | 27 | 23 | 19 | 15 | | | | | | | |
| -23 | 42 | 37 | 32 | 27 | 20 | 16 | 13 | 10 | | | | | | | |
| -10 | 38 | 33 | 28 | 23 | 16 | 10 | 7.5 | 5 | | | | 1 | | | |
| -1 | 34 | 29 | 24 | 19 | 13 | 7.5 | 2.5 | 1.25 | | | | | | | |
| 0 | 30 | 25 | 20 | 15 | 10 | 5 | 1.25 | 0 | -1.25 | -5 | -10 | -15 | -20 | -25 | -30 |
| 5 | | | | | | | | -1.25 | -2.5 | -7.5 | -13 | -19 | -24 | -29 | -34 |
| 13 | | | | | | | | -5 | -7.5 | -10 | -16 | -23 | -28 | -33 | -38 |
| 28 | | | | | | | | -10 | -13 | -16 | -20 | -27 | -32 | -37 | -42 |
| 41 | | | | | | | | -15 | -19 | -23 | -27 | -30 | -36 | -41 | -46 |
| 54 | | | | | | | | -20 | -24 | -28 | -32 | -36 | -40 | -46 | -50 |
| 67 | | | | | | | | -25 | -29 | -33 | -37 | -41 | -46 | -50 | -55 |
| 80 | | | | | | | | -30 | -34 | -38 | -42 | -46 | -50 | -55 | -60 |

5.4 PERFORMANCE EVALUATION

5.4.1 Introduction

As hardware and software technology has advanced a great deal in the last few years, digital control techniques have become more affordable and indispensable with the growing requirements for higher supervisory capability and better control performance in some control systems. For DC motors to achieve speed-tracking control, some adaptive control algorithms are required. Usually they are rather complicated and require a computer to do the job. Therefore, almost all applications of adaptive control to motor drives still remain in computer simulation studies for this reason[5-4]. The following study shows that a hybrid artificial neural network and fuzzy-logic(ANN-FL) controller needs only a simple and fast algorithm, once it is designed. This may open the door for developing fast and economical adaptive controllers for motor drives in the future.

In this section, a number of simulation studies will be presented of the DC motor dynamic system controlled by either a PID controller or the newly-designed ANN-FL controller. The gains of the PID controller are tuned to their optimal values at the normal operating point of the DC motor. In order to carry out a fair comparison, the two controllers will be kept unchanged during the entire simulation studies that follow. The investigation addresses three operating conditions, i.e., (1) operating at normal conditions with

different reference speeds; (2) operating at a speed of 110 radians per second or 525 revolution per minute, experiencing a load change or an excitation voltage change[5-4]; and (3) tracking a pre-specified trajectory[5-5].

5.4.2 Step Response with Different Reference Speeds

From earlier simulation studies, it is known that the DC motor under study operates at 107 radians per second at normal terminal voltage of 220 volts without any feedback control. When the DC motor is required to operate at another speed, it is necessary to have some sort of feedback control such as PID control. The PID controller used here has fixed design gains which are determined for a specific operating condition. Assume now that the DC motor operates at different set-points of speed, say from 70-130 radians per second. Extensive simulation studies were carried out and only a fraction of the obtained results are presented here. Figure 5.14(a) shows the situation where the reference speed, $\omega_{\mbox{\tiny ref}}$, is 90 radians per second as applied in the simulation model of Fig. 5.3. By controlling the SWITCH, two step responses corresponding to the PID and the ANN-FL controller were obtained. By increasing the step input to 130 rad/s and following the same procedure, another two step responses were obtained as shown in Fig. 5.14(b). It can be concluded that the PID controller outperforms the ANN-FL controller for step responses.

(a) Step Input = 90 (rad/s)

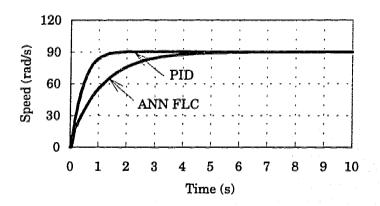


Fig. 5.14(a) Response of PID and ANN-FL Control to A

Step Input of 90 rad/s

(b) Step Input = 130 (rad/s)

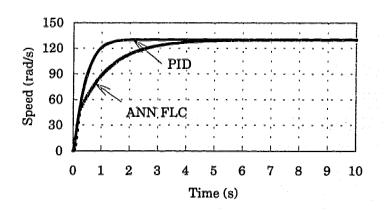


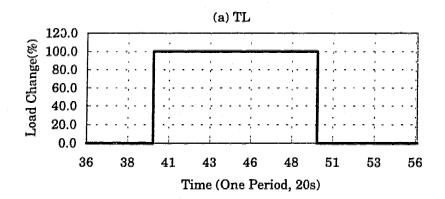
Fig. 5.14(b) Response of PID and ANN-FL Control to A

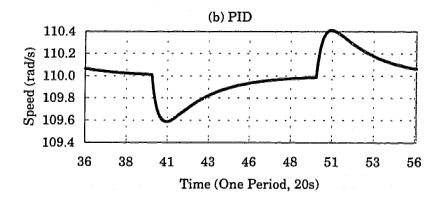
Step Input of 130 rad/s

5.4.3 Different Disturbances

Two situations are considered, i.e., load torque disturbance and field voltage change. Load torque variation is present in any motor drive system, when a motor experiences a load torque increase, the rotor speed decreases. When the load torque decreases, the motor speed goes in the other direction. However, speed response to load torque disturbance is responsive when a feedback control is present. Field voltage variations result in a field current change which causes the emf change. In the end, it causes speed change.

Suppose that the DC motor is operating at a normal speed of 110 radians per second. Two scenarios were studied in this section for demonstrating the performance difference of the two controllers when the system withstands a certain disturbance. Scenario #1 involves load torque disturbance. Let a periodical load disturbance, shown in Fig. 5.15(a), be applied to the summation box S1 of the simulation model of the DC motor, shown in Fig. 5.3. Figure 5.15(b) shows the speed response of the motor to the disturbance, with the PID controller as feedback control. In this case the maximum speed ripple is 0.55 percent. Figure 5.15(c) shows the situation with the ANN-FL controller. The maximum speed ripple is now only 0.1 percent. Figure 5.16 shows a detailed comparison of the speed responses shown in Figs. 5.15(b) and 5.15(c). Note that the time-axis is stretched out so that transient details of the two controllers can be readily seen.





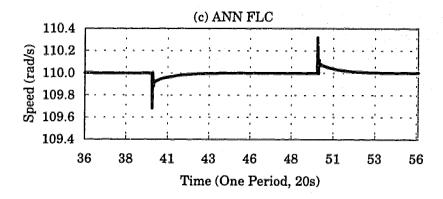


Fig. 5.15 Performance Comparison of ANN-FL vs. PID Control, with A

Periodical Load Disturbance Applied

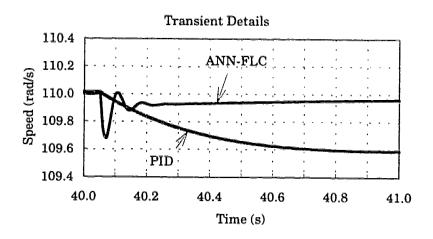


Fig. 5.16 Window Graphic Showing Transient Details in Figs. 5.15(b) & (c)

Scenario #2 involves field voltage change. A periodical voltage disturbance, shown in Fig. 5.17(a), is applied to the summation box S2 of Fig. 5.3. Figures 5.17(b) & (c) show the speed responses of the system with the ANN-FL controller as feedback control. The maximum speed fluctuations are 6, and 1 percent, respectively. Figure 5.18 shows the transient details of the two responses in this case.

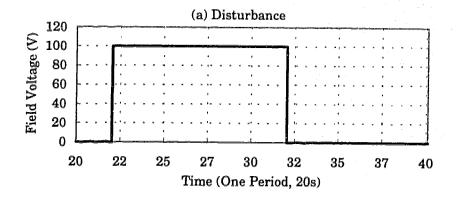
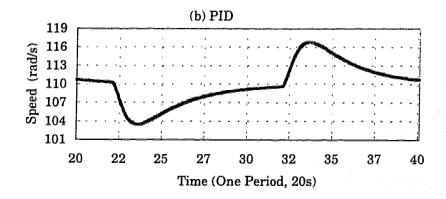
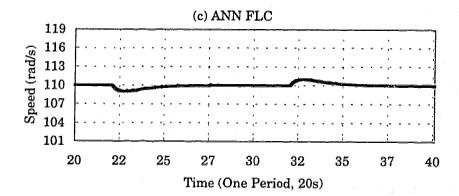


Fig. 5.17(a) A Periodical Field Voltage Disturbance





Figs. 5.17(b)(c) Performance Comparison of ANN-FL vs. PID Control Responding to the Disturbance of Fig. 5.17(a)

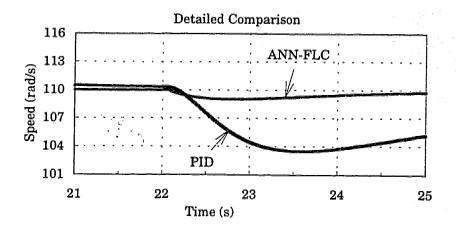


Fig. 5.18 Window Graphic Showing Transient Details in Figs. 5.17(b) & (c)

5.4.4 Trajectory Control

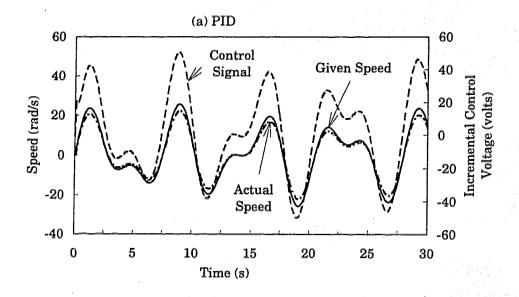
The objective of this simulation study is to demonstrate which of the two controllers can drive the DC motor to follow a pre-specified trajectory more closely. Suppose that the pre-specified speed trajectory is defined by

$$\omega_{ref} = 10\sin(2\pi f_1 t) + 16\sin(2\pi f_2 t) \tag{5.19}$$

where $f_1 = \frac{1}{4}Hz$, $f_2 = \frac{1}{4}Hz$ and t = 30 s.

The simulation was carried out as follows. First, the pre–specified trajectory was computed and sampled with a sampling time step of 0.01 second over a time interval of [0, 30]. Then, it was used as the reference speed, ω_{ref} , in the simulation, using the model of Fig. 5.3. Two simulations were performed using either the PID or the ANN–FL controller. Figure 5.19(a) illustrates the situation where the PID is used. It can be seen that there is a maximum of 15 percent discrepancy between the desired speed and the actual response. Note that the manipulated variable is the output of the controller which is the input to the DC system. This variable is restricted in the range (-60,+60) volts.

Figure 5.19(b) illustrates the case where the ANN-FL controller is used. It produces perfect speed-tracking control. The manipulated variable is also shown in the graphic. Several other different types of reference trajectories were simulated(results not shown). In each of these simulations, the newly-designed ANN-FL controller demonstrated much superior performance.



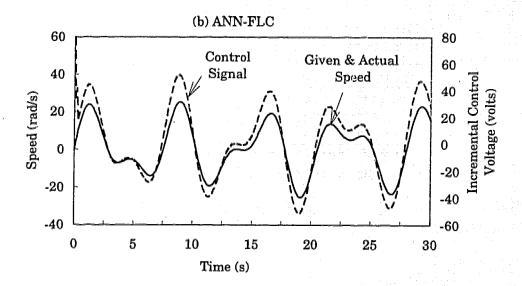


Fig. 5.19 Trajectory Tracking Control of the DC Motor by

(a)PID controller or (b)ANN-FL Controller

CHAPTER 6

MODELING OF COMPOSITE POWER SYSTEMS

The stability problem in a power system is principally one of keeping the interconnected synchronous generators in synchronism and damping rotor oscillations following a system disturbance. Therefore, accurate modeling of synchronous generators is of fundamental importance for off-line simulation studies related to the problem. A synchronous generator includes three parts; namely, a generating unit, an excitation system, and a speed-governing and turbine system. Synchronous generators are interconnected through an AC/DC transmission network to which various loads, such as induction motors, are connected as the end users of electrical energy. This chapter discusses the modeling aspect of these devices.

6.1 Introduction

The study of transient stability of a power system is concerned with the investigation of changing phenomena of electric quantities when the operating environment of the system is disturbed. To carry out such an investigation, power apparatuses must be modeled using mathematical expressions in computer simulations. They include synchronous machines, transformers, transmission lines, and loads. Synchronous machines play a

vital role in a power system. Synchronous generators convert mechanical energy into electric energy. Synchronous motors drive loads and convert electric energy to mechanical energy. Synchronous condensers generate reactive power into the system to improve voltage profiles. Transformers and transmission lines are equipment indispensable in transporting electric energy from the source to the point of consumption. Electric loads are variables that change over time. The principal task of the power system is to continuously match the electric energy supply to these changing loads, which gives rise to the problem of stability.

Large power systems consist of many local power systems connected through long transmission lines. In special situations, such connections may not be possible by using AC transmission. For example, two AC systems with different operating frequencies can not be connected with an AC link. In such situations high-voltage direct-current (HVDC) transmission has to be used.

6.2 Modeling of Power Components

6.2.1 Synchronous Machines

The actual structure of a synchronous machine is complicated. Magnetically it is equivalent to many windings coupled together. The synchronous machine under study is assumed to have three identical, symmetrically placed stator windings, one field winding and two amortisseur or damper

windings. All these windings are magnetically coupled, depending on the position of the rotor. Therefore the flux linking each winding is a function of the rotor position.

The mathematical description of the machine is very complicated as it consists of both stationary and rotational parts. Park transformation is usually used to simplified this description[6-1].

This transformation projects the original variables onto a rotational coordinate system called the d-q-0 system. When this transformation is performed, the flux equations of the numerous axes become linear functions of currents flowing in the stator and damper windings. A pictorial representation of the synchronous machine is given in Figure 6.1. Assume that positive stator currents i_d and i_q are generated currents, positive rotor currents i_f , i_D , and i_Q flow into the machine, where d,q,f,D and Q denote the direct—axis stator winding, quadrature—axis stator winding, and the field winding, the direct—axis and quadrature—axis damper windings. The voltage equations of the various windings are listed below, with transformer voltages ignored,

$$v_d = -\frac{d}{dt} (\phi_q) - r_a i_d \tag{6.1}$$

$$v_q = \frac{d}{dt}(\phi_d) - r_a i_q \tag{6.2}$$

$$\frac{d}{dt}(\phi_f) = v_f - r_f i_f \tag{6.3}$$

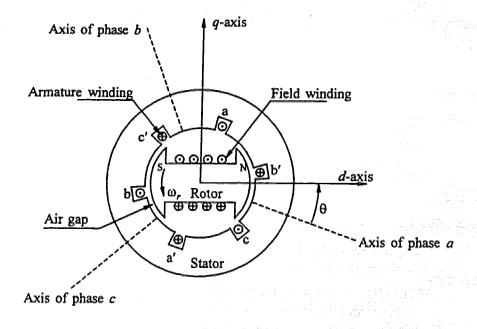


Fig. 6.1 Pictorial Representation of A Synchronous Machine

$$\frac{d}{dt}(\phi_D) = -r_D i_D \tag{6.4}$$

$$\frac{d}{dt}(\phi_{\varrho}) = -r_{\varrho}i_{\varrho} \tag{6.5}$$

where,

v =the voltage,

r =the resistance, and

 ϕ = the flux linkage of a winding.

The flux linkage is determined by the following equation, accordingly,

$$\phi_d = -x_d i_d + x_{ad} i_f + x_{ad} i_D \tag{6.6}$$

$$\phi_f = -x_{ad}i_d + x_f i_f + x_{fD}i_D \tag{6.7}$$

$$\phi_D = -x_{ad}i_d + x_{fD}i_f + x_Di_D \tag{6.8}$$

$$\Phi_q = -x_q i_q + x_{aq} i_Q \tag{6.9}$$

$$\phi_{\mathcal{Q}} = -x_{uq}i_q + x_{\mathcal{Q}}i_{\mathcal{Q}} \tag{6.10}$$

where,

 $x_d, x_q, x_{f\!D}, x_D$ and x_Q are complete reactance,

 x_{ad} and x_{aq} are mutual reactance, and

$$x_{dD} = x_{ad} .$$

Solving (6.6) ~ (6.8) for ϕ_d expressed in terms of ϕ_f , ϕ_D and i_d , we have

$$\phi_{d} = \frac{x_{ad}}{x_{D}x_{f} - x_{ad}^{2}} \left\{ (x_{D} - x_{ad})\phi_{f} + (x_{f} - x_{ad})\phi_{D} \right\}
- \left\{ x_{d} - \frac{x_{ad}^{2}(x_{D} + x_{f} - 2x_{ad})}{x_{D}x_{f} - x_{ad}^{2}} \right\} i_{d}$$
(6.11)

Defining the q-axis subtransient voltage as,

$$E_{q}^{"} = \frac{x_{ad}}{x_{D}x_{f} - x_{ad}^{2}} \left\{ (x_{D} - x_{ad}) \phi_{f} + (x_{f} - x_{ad}) \phi_{D} \right\}$$
 (6.12)

and subtransient reactance as,

$$x_{d}^{"} = \left\{ x_{d} - \frac{x_{ad}^{2} \left(x_{D} + x_{f} - 2x_{ad} \right)}{x_{D} x_{f} - x_{ad}^{2}} \right\}$$
 (6.13)

Then the voltage equation of (6.2) can be rewritten as,

$$v_{q} = E_{q}^{"} - x_{d}^{"} i_{d} - r_{d} i_{q} \tag{6.14}$$

Similarly, defining the d-axis subtransient voltage and reactance as,

$$E_d^{"} = -\frac{x_{aq}}{x_Q} \phi_Q \tag{6.15}$$

$$x_{q}^{"} = x_{q} - \frac{x_{aq}^{2}}{x_{Q}} \tag{6.16}$$

Then the voltage equation of (6.1) on d – axis can be rewritten as

$$v_d = E_d^{"} + x_q^{"} i_q - r_q i_d \tag{6.17}$$

A block diagram for this model is shown in Figure 6.2.

(a) Two-Axes Model with Subtransient

In this model, the damping effect of the rotor is represented by two short-circuited damper windings. The following derived differential equations are utilized to describe the subtransient behavior of a synchronous machine (see Appendix A for detailed derivation):

$$\frac{d}{dt}(E_{q}) = \frac{1}{\tau_{da}} \left\{ k E_{fd} - E_{q} - (x_{d} - x_{d}) i_{d} \right\}$$
 (6.18)

$$\frac{d}{dt}(E_{sum}) = \frac{1}{\tau_{sum}} \left\{ -E_{sum} - (x_d - x_d) i_d \right\}$$
 (6.19)

$$\frac{d}{dt}(E_d^{"}) = \frac{1}{\tau_{qq}^{"}} \left\{ -E_d^{"} + (x_q - x_q^{"})i_q \right\}$$
 (6.20)

where $E_{sum} = E_q^{"} - E_q^{'}$.

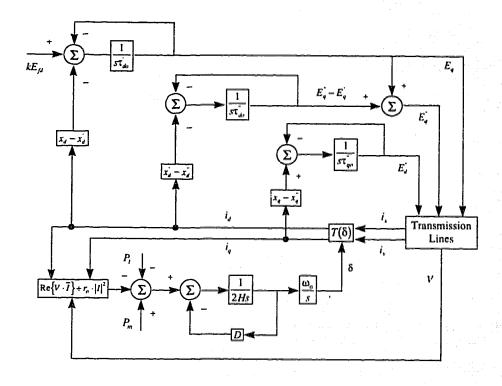


Fig. 6.2 Block Diagram of the Synchronous Generator Model

The differential equation describing machine motion is given by

$$\frac{d^2\delta}{dt^2} = (P_m - P_e - P_l - D\Delta\omega)/2H$$
 (6.21)

$$\frac{d\delta}{dt} = \omega_0 \left(\Delta \omega \right) \tag{6.22}$$

where

H = the machine inertia constant in seconds,

 P_m = the mechanical power input to the generator,

 P_{ϵ} = the electrical power output from the generator to the system,

 P_t = the power loss in the stator windings, and

 ω_0 = the synchronous speed of the machine in radians per second.

Generator saturation can be taken into account by modifying the reactance x_{ad} and x_{aq} according to machine saturation at 1.0 per unit and 1.2 per unit terminal voltage that usually are known from the manufacturer. There are several algorithms to realize this modification [6–2,6–3]. An iterative procedure was employed in the studies reported in this thesis. At the same time, the corresponding time constants must also be modified. A detailed derivation of these expressions is given in Appendix. The equations are included here to maintain completeness of the mathematical model of the synchronous machine modeled by the two-axis representation with subtransient. The saturated time constants are modified as follows:

$$\tau_{do} = \tau_{do}^{(0)} \left\{ k + (1 - k) \frac{x_d - x_l}{x_d^{(0)} - x_l} \right\}$$
 (6.23)

$$\tau_{do} = \tau_{do}^{(0)} \left\{ k + (1 - k) \frac{x_d^{(0)} - x_l}{x_d^{(0)} - x_l} \right\}$$
 (6.24)

$$\tau_{qo} = \tau_{qo}^{"(0)} \left\{ k + (1 - k) \frac{x_q^{"} - x_l}{x_q^{(0)} - x_l} \right\}$$
 (6.25)

where the superscript (0) indicates unsaturated values, and k is the saturation factor. Other symbols are listed at the beginning of this thesis.

The interface between the generator model and the terminal of the transmission network is accomplished by the following two equations.

$$v_{q} = E_{q}^{"} - x_{d}^{"}i_{d} - r_{d}i_{q} \tag{6.26}$$

$$v_d = E_d'' + x_u'' i_q - r_a i_d \tag{6.27}$$

(b) Two-Axis Model with Transient

This model is similar to the one presented previously. The subtransient effects are totally ignored, however, the transient effects are taken into account. There are two rotor windings, one is the field winding in the d-axis and the other is the equivalent damper winding in the q-axis formed by the solid rotor. The basic equations of this model are given by:

$$v_{a} = E_{a} - x_{d} i_{d} - r_{a} i_{a} \tag{6.28}$$

$$v_d = E_d' + x_q' i_q - r_a i_d \tag{6.29}$$

$$\frac{d}{dt} \left(E_{q}^{'} \right) = \frac{1}{\tau_{do}^{'}} \left\{ k E_{fd} - E_{q}^{'} - \left(x_{d} - x_{d}^{'} \right) i_{d} \right\} \tag{6.30}$$

$$\frac{d}{dt}(E_{d}^{'}) = \frac{1}{\tau_{qq}^{'}} \left\{ -E_{d}^{'} + (x_{q} - x_{q}^{'})i_{q} \right\}$$
 (6.31)

where τ_{do} is modified according to (6.24); and

$$\tau_{qo} = \tau_{qo}^{(0)} \left\{ k + (1 - k) \frac{x_q - x_l}{x_q^{(0)} - x_l} \right\}.$$
 (6.33)

(c) One-Axis Model with Transient

In this model, the amortisseur effects are totally neglected. There is only one rotor winding present in the model, i.e., the field winding. Its differential equation is given by (6.34). Saturation is treated in the same manner as explained previously. The difference between this model and the two-axis transient model is that as no damper windings are modeled, the differential equation for E_d is, therefore, eliminated.

$$\frac{d}{dt} \left(E_{q}^{'} \right) = \frac{1}{\tau_{d0}^{'}} \left\{ k E_{fd} - E_{q}^{'} - \left(x_{d} - x_{d}^{'} \right) i_{d} \right\} \tag{6.34}$$

(d) Infinite-Bus Model

To accommodate a large power system in computer simulation studies, it is often necessary that part of the system be modeled as an infinite-bus which generates or absorbs large amount of power and at the same time maintains constant terminal voltage. Details on how this is done will be given in Chapter 7.

6.2.2 Excitation Systems

Since the 1960s, excitation systems have been represented in extra detail in transient stability programs, thanks to the availability of economic computing power. A 1968 IEEE report reviewed the computer representation of excitation systems available at the time[6–4]. In 1981, IEEE published standard excitation models used in the power industry[6–5]. In 1992, IEEE Standard 421.5, "IEEE Recommended Practice for Excitation System Models for Power System Stability Studies" was adopted[6–6]. These models are also used in TSSP software[6–7]. In recent years, there have been many new excitation systems applied. Most of the new systems have digital-based controls, that is, they use microprocessor technology to implement the control algorithms. These digital-based controls offer flexibility and control options that are difficult to implement in analog control systems.

Standard analog excitation systems are listed in [6–5, 6–6] and user-defined models can be incorporated in the TSSP software[6–7]. Some variations of these standard models are presented in[6–8]. In this section, we present two analog and one digital excitation system. Figure 6.3 shows the block diagram of an analog excitation system, referred as DC Type 1 excitation system[6–5], where $V_{err} = V_{ref} - V_r$; V_s is the output signal from a power system stabiliser.

Figure 6.4 shows the general structure of a digital excitation system. It consists of the digital part and the interface A/D and D/A converters as included in the dashed-line box. The output of the generator is sensed and scaled down to appropriate levels and converted into digital words by the A/D converter. It is then compared with the reference input that is held in the RAM of the microprocessor. The result is acted upon by a controller that can realize classical control algorithms such as PID control and newer schemes such as fuzzy logic and adaptive control. Apart from the common features available in both analog and digital excitation systems, the latter can be designed to implement extremely sophisticated control algorithms such as transient gain reduction, power system stabilizer(PSS) control, Var/power factor control, under/over excitation limit control, stator current limit control and many other features[6–8]. Digital systems are relatively immune to parameter changes. They provide increased accuracy and precision.

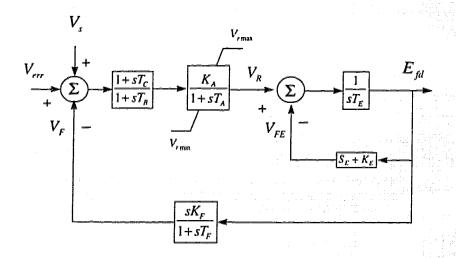


Fig. 6.3 Block Diagram of DC Type 1 Excitation System[6-5]

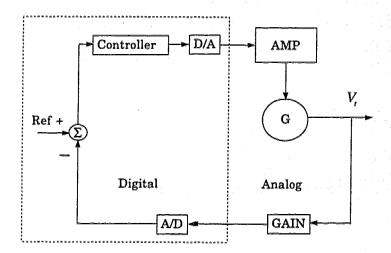


Fig. 6.4 Block Diagram of A Digital Excitation System

Shown in Figure 6.5 is an alternator-rectifier excitation system. It represents the Basler DECS voltage regulator as applied to a brushless exciter[6-6]. The AVR in this model consists of PID control. The values for the proportional, integral, and derivative gains are chosen for best performance from each particular generator excitation system. Other excitation models will be further covered in Chapter 7 where TSSP in SIMULINK is presented.

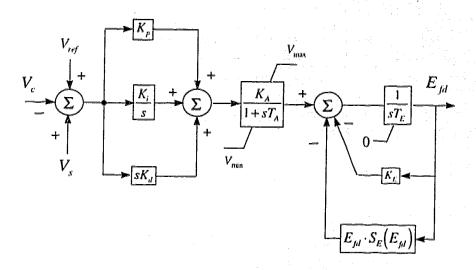


Fig. 6.5 Alternator-Rectifier Excitation System[6-6]

6.2.3 PRIME MOVERS

Electrical energy is converted from mechanical energy by synchronous generators. The prime mover governing system provides a means of controlling the input of mechanical energy to the generator so that the generated power and its frequency can be controlled. This prime mover includes speed-governing and turbine system for both steam and hydro generators. In this section, we discuss both hydro and steam turbines and governing systems. For detailed description of these systems, the reader is referred to [6–10].

There are two types of speed governing systems for hydroturbines, i.e., mechanical-hydraulic control and electric-hydraulic control. As the dynamic performance of the electric governor is necessarily adjusted to be the same as that of the mechanical governor for interconnected system operation, only one single model is needed[6–11]. Figure 6.6 shows the detailed model of a hydroturbine and speed governing system. Figure 6.7 shows its equivalent representation. Their simulation models will be discussed in Chapter 7.

Figure 6.8 shows a block diagram that may be used to represent either a mechanical-hydraulic system or an electric-hydraulic system for a steam turbine by selecting the parameters appropriately. In the model it is seen that P_0 is an initial load reference. Figure 6.9 shows the Tandem-Compound Double Reheat steam turbine system[6-11].

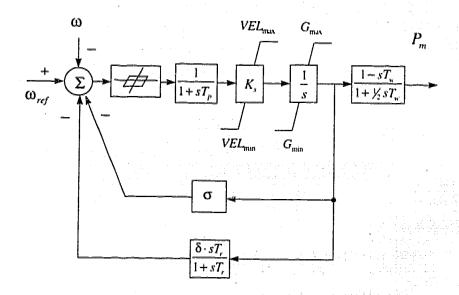


Fig. 6.6 Detailed Representation of Hydrogovernor Turbine System[6-11]

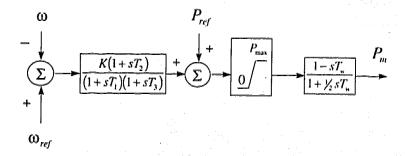


Fig. 6.7 Equivalent Representation of Hydrogovernor Turbine System[6-11]

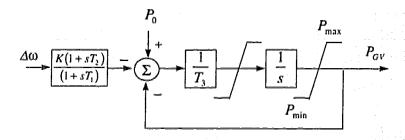


Fig. 6.8 Speed Governing System for Steam Turbines[6-11]

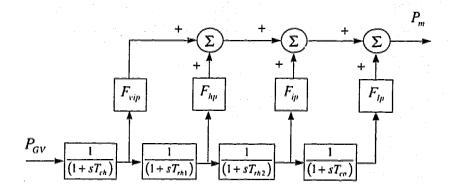


Fig. 6.9 Block Diagram of A Steam Turbine[6-11]

6.2.4 Conventional PSS

In order to suppress the low frequency electromechanical oscillations in a power system, supplementary excitation controllers known as power system stabilizers(PSSs) are often installed to provide positive damping [6–12]. The block diagram of the IEEE standard PSS model[6–5] is shown in Figure 6.10. The transfer function of the filter in the diagram can be expressed by

$$\frac{1 + A_5 s + A_6 s^2}{\left(1 + A_1 s + A_2 s^2\right) \left(1 + A_3 s + A_4 s^2\right)} \tag{6.35}$$

The input signal to a PSS can be arbitrary. Generally, any one or a combination of the following can be utilized as input signal. (a) deviation of machine shaft speed; (b) deviation of terminal frequency; (c) net accelerating power; (d) deviation of terminal voltage.

The input signals must be in per unit. A PSS with a different input signal will have a different transfer function. Two specific PSS models are used in the studies reported in this thesis. Their input signals are generator electrical power and net accelerating power, respectively. The former is identified as IEEEST and the latter as IEEESN. Their block diagrams are shown in Figure 6.11 and Figure 6.12, respectively.

Note that only a single time constant A_1 is present in the filter transfer function in Figs. 6.11 and 6.12. This is because of the inherently low level of torsional interaction when net accelerating power is used as stabilizer input.

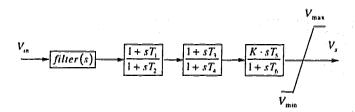


Fig. 6.10 IEEE Standard PSS Model[6-12]

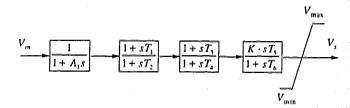


Fig. 6.11 IEEEST PSS Using Net Accelerating Power As Input[6-5]

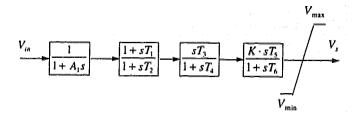


Fig. 6.12 IEEE PSS Using Generated Electric Power As Input[6-5]

6.2.5 POWER SYSTEM LOADS

Appropriate representation of power system loads in transient stability studies is important as loads have a great influence on system stability. On the other hand, the modeling of loads is a complicated issue as there are so many loads in a system and at each bus the load composition is different and most of the time is unknown. Moreover, this composition changes over time. Therefore, simplification and certain assumptions have to be used in representing each load. In [6–13], IEEE has presented the state of the art of representation of power system loads for dynamic performance analysis in practice today. In this section, we present the most frequently used load models in transient stability studies. Detailed modeling of large induction motors is also given [6–14].

(1) Constant Impedance Model

In this model, the power varies directly with the square of the voltage magnitude, i.e.,

$$P + jQ = (\frac{1}{2}) \cdot V^2 \tag{6.36}$$

(2) Constant Current Model

In this model, the power varies directly with the voltage magnitude, i.e.,

$$P + jQ = V \cdot \bar{I} \tag{6.37}$$

(3) Constant Power Model

In this model, the power does not vary with the changes in voltage magnitude. It may also be called constant MVA load model.

(4) Polynomial Load Model

This model expresses the relationship between power and voltage magnitude as:

$$P = P_0 \left\{ a_1 \left(\frac{v_{v_0}}{v_0} \right)^2 + a_2 \left(\frac{v_{v_0}}{v_0} \right) + a_3 \right\}$$
 (6.38)

$$Q = Q_0 \left\{ a_4 \left(\frac{v}{v_0} \right)^2 + a_5 \left(\frac{v}{v_0} \right) + a_6 \right\}$$
 (6.39)

where

 V_0 = the rated voltage,

 P_0 = the active power consumed at rated voltage;

 Q_0 = the reactive power consumed at rated voltage.

However, these values are normally taken as the values at the initial system operating condition for the study. The coefficients in the model satisfy the following equations [6–13]:

$$a_1 + a_2 + a_3 = 1 ag{6.40}$$

$$a_4 + a_5 + a_6 = 1 (6.41)$$

6.2.6 Induction Motors

Representation of induction motors for transient stability studies can be derived following similar procedures as used in deriving synchronous machine models. The final model can be expressed in the d-q-0 reference frame. As the rotor of an induction motor has a symmetrical structure, its equivalent circuit on d-axis, and q-axis will be the same. The dynamics of the rotor circuits are determined by the slip that changes with the loading. In this section, we present detailed modeling of induction motors. The material that follows logically belongs to the section of power system loads. The present arrangement emphasizes its importance and uniqueness as compared with other loads.

For a three-phase induction motor, the number of poles of the field produced by the induced rotor currents is the same as that of the field produced by the stator winding. Therefore the rotor can be modeled by an equivalent three-phase winding. The rotor may be constructed in one of two ways, i.e., one with wound rotor where conventional three-phase windings are brought out through three slip rings on the shaft and connected to external circuits; the other with squirrel-cage rotor which consists of a number of bars short-circuited by end rings at both ends.

Choose the d-q-0 reference frame with its axes rotating at the synchronous speed. The q-axis is 90° ahead of the d-axis in the direction of rotation. Let the d-axis coincide with the phase a-axis at time $t \ge 0$. As

indicated in Figure 6.13, its displacement from phase a-axis at any time t is $\omega_s t$, where ω_s is the angular velocity of the stator field in electrical radians per second.

Let subscript s denote quantities of the stator and r of the rotor. The mathematical equations of an induction motor in per unit in the d-q-0 reference frame, can be summarized as follows[6–10]:

Stator voltage:

$$v_{ds} = R_s i_{ds} - \omega_s \phi_{ds} \tag{6.42}$$

$$v_{qs} = R_s i_{qs} + \omega_s \phi_{ds} \tag{6.43}$$

Rotor voltages:

$$v_{dr} = R_r i_{dr} - \frac{d}{dt} (\theta_r) \phi_{qs} + \frac{d}{dt} (\phi_{dr})$$
(6.44)

$$v_{qr} = R_r i_{qr} + \frac{d}{dt} (\theta_r) \phi_{ds} + \frac{d}{dt} (\phi_{qr})$$
(6.45)

Flux linkages:

$$\phi_{ds} = L_{ss}i_{ds} + L_mi_{dr} \tag{6.46}$$

$$\phi_{qs} = L_{ss}i_{qs} + L_{m}i_{qr} \tag{6.47}$$

$$\phi_{dr} = L_m i_{ds} + L_{rr} i_{dr} \tag{6.48}$$

$$\phi_{qr} = L_{m}i_{qs} + L_{rr}i_{qr} \tag{6.49}$$

where

$$L_{ss} = L_s + L_m ,$$

$$L_{rr} = L_r + L_m ,$$

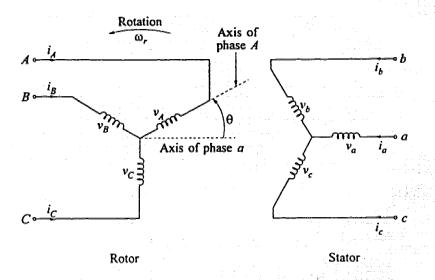


Fig. 6.13 Induction Motor

 L_{s} , L_{r} = stator and rotor leakage inductances, respectively,

 L_m = mutual inductance, and

 ϕ = the flux linkage.

All the quantities are in per unit. Eliminating the rotor currents, we have from (6.48),

$$i_{dr} = \frac{\Phi_{dr} - L_{m}i_{ds}}{L_{rr}} \tag{6.50}$$

Substituting (6.50) into (6.46), we have

$$\phi_{ds} = L_{ss}i_{ds} + \frac{L_{m}(\phi_{dr} - L_{m}i_{ds})}{L_{rr}}$$

$$= \frac{L_{m}}{L_{rr}}\phi_{dr} + \left(L_{ss} - \frac{L_{m}^{2}}{L_{rr}}\right)i_{ds}$$
(6.52)

Substituting (6.52) into (6.43), we have

$$v_{qs} = R_s i_{qs} + \omega_s \frac{L_m}{L_{rr}} \phi_{dr} + \omega_s \left(L_{ss} - \frac{L_m}{L_{rr}} \right) i_{ds}$$

$$= R_s i_{qs} + x_s^{'} i_{ds} + E_q^{'}$$

$$(6.53)$$

where

$$E_q' = \omega_s \frac{L_m}{L_{rr}} \phi_{dr},$$

$$x_s = \omega_s \left(L_{ss} - \frac{L_m^2}{L_{rr}} \right)$$
, transient reactance of the induction machine.

Similarly, for the d-axis,

$$v_{ds} = R_s i_{ds} - x_s^i i_{qs} + E_d^i \tag{6.54}$$

where

$$E_{td}^{\cdot} = -\omega_s \frac{L_m}{L_{rr}} \phi_{qr}.$$

From (6.48) and (6.49), we derive the differential equations for $E_d^{'}$ and $E_q^{'}$.

$$\frac{dE_q}{dt} = \omega_s \frac{L_m}{L_r} \frac{d}{dt} (\phi_{dr})$$

$$= \omega_s \frac{L_m}{L_{rc}} \left[-R_r i_{dr} + \frac{d}{dt} (\theta_r) \phi_{qr} \right]$$

$$= -\omega_s \frac{L_m}{L_{rr}} \left[\frac{\phi_{dr} - L_m i_{ds}}{L_{rr}} \right] + \omega_s \frac{L_m}{L_{rr}} \frac{d}{dt} (\theta_r) \phi_{qr}$$

$$= -\frac{1}{\tau_n} \left[E_q - \omega_s \frac{L_m^2}{L_{rr}} i_{ds} \right] + \omega_s \frac{L_m}{L_{rr}} \frac{d}{dt} (\theta_r) \phi_{qr}$$

$$= -\frac{1}{\tau_n} \left[E_q - (x_s - x_s) i_{ds} \right] - E_d \frac{d}{dt} (\theta_r)$$
(6.55)

where

$$(x_s - x_s) = \omega_s \frac{L^2}{L_m}.$$

Similarly,

$$\frac{dE_d}{dt} = -\omega_s \frac{L_m}{L_r} \frac{d}{dt} (\phi_{qr})$$

$$= -\frac{1}{\tau_u} \left[E_d + (x_s - x_s) i_{qs} \right] + E_q \frac{d}{dt} (\theta_r) \tag{6.56}$$

where

$$\tau_o = \frac{L_{rr}}{R_r},$$
 $x_s = \omega_s L_{ss}, \text{ and}$

$$\frac{d}{dt}(\theta_r) = \frac{\omega_s - \omega_r}{\omega}.$$

 ω , is the angular velocity of the rotor in radian per second. θ , is the angle by which the d-axis leads phase A-axis of the rotor. If the rotor slip is s, the d-axis is advancing with respect to a point on the rotor at the rate

$$\frac{d}{dt}(\theta_r) = s \cdot \omega_s \tag{6.57}$$

The rotor acceleration equation, with time expressed in seconds is

$$\frac{d^2}{dt^2}(\theta_r) = \frac{1}{2H}(T_r - T_m) \tag{6.58}$$

where the electromagnetic torque is given by

$$T_{c} = E_{d}^{'} i_{ds} + E_{q}^{'} i_{qs} \tag{6.59}$$

and, the load torque can be expressed as,

$$T_m = T_0(\omega_r)^m \tag{6.60}$$

or

$$T_m = T_0 \left(a\omega_r^2 + b\omega_r + c \right) \tag{6.61}$$

depending on the type of loads where $\omega_r = \frac{d}{dt}(\theta_r)$. Figure 6.14 shows the block diagram of the induction motor that is used in TSSP.

Load modeling itself is a very difficult task as meaningful data are simply unavailable and collecting and processing load data is expensive. Moreover, exact simulation of loads requires that at each time step, a load flow study be carried out in order to obtain the accurate bus voltage. This will increase the computation effort beyond an acceptable level. However, an alternative is to calculate a new operating point by a fast decoupled load flow program[6–7] only at the instant when an event or a disturbance happens. At other times, the bus voltage is held constant in load representations as computed in the latest load flow study.

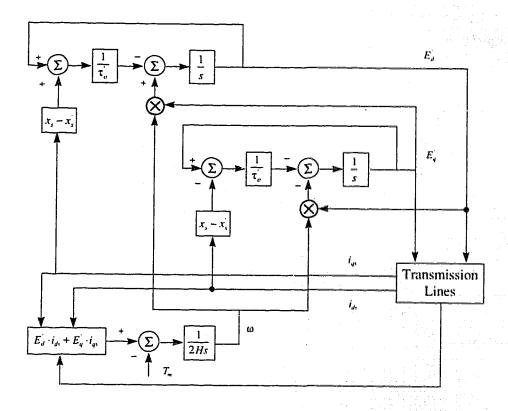


Fig. 6.14 Block Diagram of An Induction Motor

6.2.7 DC Transmission

An alternating current transmission system is represented by a positive-sequence circuit in transient stability simulations. In order to achieve high performance in power systems, direct current transmission system is used. It provides maximum flexibility in power control and enhances transient stability.

Figure 6.15 shows a schematic diagram of a direct current(DC) link between two AC transmission systems. The transformers provide an ungrounded three-phase voltage source of appropriate level to the valve bridge of the rectifier/inverter. The DC line is similar to an AC line, except it has different numbers of conductors and spacing between conductors. Figure 6.16 is the corresponding equivalent circuit. The direct current flowing from the rectifier to the inverter is given by

$$I_d = \frac{V_{dor}\cos(\alpha) - V_{doi}\cos(\gamma)}{R_{cr} + R_L - R_{ci}}$$
(6.62)

where

 α = the ignition delay angle,

 γ = the excitation advance angle.

The power at the rectifier/inverter terminals is given by, respectively,

$$P_{dr} = V_{dr} + I_d \tag{6.63}$$

and

$$P_{di} = V_{di}I_d = P_{dr} - R_L I_d^2 (6.64)$$

Figure 6.17 shows a schematic diagram of a converter. Let B be the number of bridges in series, T the transformer ratio. Then the ideal no-load voltage on the DC side is given by

$$V_{do} = \frac{3\sqrt{2}}{\pi}BTV_t \tag{6.65}$$

where V_t is the terminal voltage at the AC side.

DC Link

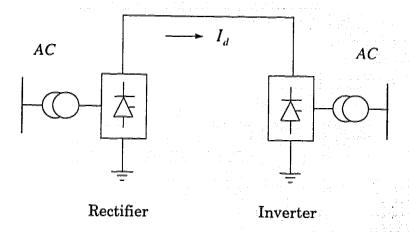


Fig. 6.15 Schematic Diagram of A DC Line

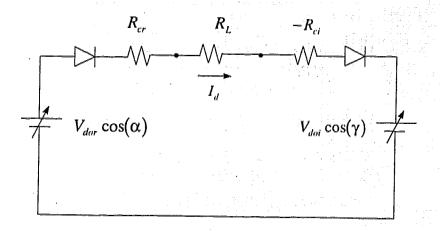


Fig. 6.16 Equivalent Circuit of A HVDC Link

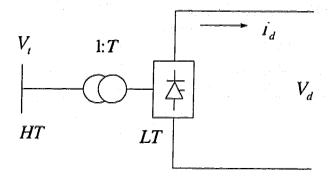


Fig. 6.17 Converter Representation

When there is load, there will be voltage drop across each bridge. Now the voltage on the DC side is expressed as one of the following two

$$V_d = V_{do} \cos(\alpha) - I_d B \left(\frac{3}{\pi} x_c\right)$$
 (6.66)

$$V_d = V_{do} \cos(\gamma) - I_d B \left(\frac{3}{\pi} x_c\right) \tag{6.67}$$

where

$$R_c = \frac{3}{\pi} w L_c$$
 , the equivalent commutating resistance.

The power factor can be expressed as

$$\varsigma = \cos^{-1} \left(\frac{V_d}{V_{do}} \right) \tag{6.68}$$

$$P = V_d I_d \tag{6.69}$$

$$Q = P \tan(\varsigma) \tag{6.70}$$

where P, Q are active and reactive power, respectively.

For a more detailed representation of DC transmission system and its control for transient stability study, the reader is referred to [6-10]. This subject is further treated in Chapter 7 where TSSP in SIMULINK is presented.

6.3 System Disturbances

The modeling of system disturbances is an important aspect in simulating the dynamic behavior of a power system with acceptable accuracy. Both symmetrical and asymmetrical disturbances should be modeled. A symmetrical disturbance can be easily modeled as the system will remain symmetrical under such a disturbance. Under asymmetrical disturbances, the solution of the stability problem for the disturbed three-phase network can be carried out by a three-phase stability program, where the symmetrical component method is employed to resolve the system into three symmetrical three-phase systems. Therefore, the total computations will increase up to three times. On the other hand, it has been found [6-15] that the average braking torque produced by the reaction of the two magnetic fields (one produced by the negative sequence current and the other by the rotor winding current) is approximately zero, and that zero sequence currents yield a zero component torque as the three-phase zero sequence currents are electrically in phase and have 120 degree displacement in space. Therefore,

only the positive sequence quantities are needed to be taken into account during a transient process. However, the negative and zero sequence networks have to be incorporated into the positive sequence network at the fault point.

Each disturbance can be described and modeled as a sequence of events. They may include pre-fault, fault, post-fault and line restoration, i.e., autoreclosure if any, etc. The admittance matrix of the network is modified each time there is a change in the configuration of the network during the disturbance. As most faults in a practical power system are asymmetrical in nature, it is important to know what behavior a system would exhibit under such disturbances and what measures should be taken to maintain system stability while maximizing the availability of power supply to customers. Detailed modeling aspects will be further covered in Chapter 7 when presenting TSSP in SIMULINK environment.

CHAPTER 7

A TRANSIENT STABILITY SIMULATION PACKAGE (TSSP) UNDER SIMULINK

This chapter describes the Transient Stability Simulation Package (TSSP) under SIMULINK environment. It introduces the package under DOS operating system. It then points out the areas in TSSP where improvement can be made in order to better the performance of the package. For example, handling generator saliency is difficult in stability simulation studies. This difficulty will be overcome in the new software to be developed. Building blocks of various power apparatuses are developed and a rich library including such blocks and MATLAB functions is formed. Basic instructions on how to construct a simulation model for a power system are given, including an illustrative example.

7.1 TSSP UNDER DOS

Time domain simulation of power systems has been used for stability studies for decades[7–1]~[7–4]. Various large scale simulation packages such as the EPRI-ETMST (Extended Transient/Mid Term Stability Program) and the PTI-PSS/E (Power System Simulation/E Program) are in wide use. A number of educational softwares are also reported in the literature [7–5]~[7–8].

Every simulation package has its own advantages and shortcomings. Most packages do not have all the features and flexibility that one needs for either education or research purposes. The possibility of changing the capability of the package is often limited if not impossible. There has been an urgent need to have a package that has the capability of fulfilling most requirements in both teaching and research. To answer this need, a transient stability simulation package(TSSP) implemented on an IBM PC has been developed[7–9]. This package has been utilised to perform stability studies of the WSCC system [7–10] and the New England Test system[7–11]. As a research tool, the package has also been used to conduct a stability investigation of a longitudinal power system having 69 buses and 12–machines [7–12]. The following is a list of tasks that can be performed using the TSSP:

- Machine modelling of varying complexity;
- Transient simulation of induction motors;
- Modelling of symmetrical and asymmetrical disturbances;
- · Various load modelling;
- Modelling of AVR, AGC and PSS;
- Interfacing of user-defined modules;
- Load flow studies; and
- Short circuit calculations.

The transient behaviour of a power system component or a controller is modelled by a set of first order differential equations. Based on the implicit integration method [7–13], this set of differential equations can be simulated by building a block diagram with integrators and DC gains. Each block diagram forms an independent module to be called upon by the co-ordinator in the TSSP. This package has modules for four different synchronous machine models, one induction motor model, all the current IEEE recommended excitation system models, the standard power system stabiliser model[7–14], and speed governing and turbine system models[7–15]. Different load models can also be included [7–16].

A maximum of three input data files are needed to perform a transient stability simulation. Each data file consists of a number of data blocks. In each block, data items are entered as a record in free format with a comma between items. A dash line (/) signifies the end of a record. Preceding each block, there are comments and definitions specifying what data are to be entered and how. Any length of comments can be added into the files as long as an exclamation mark (!) precedes each comment line.

Data file pqlf.inp contains all the information required to perform a load flow study. It also provides the freedom to use different system base MVA, per unit or nominal unit system. Data file ntwk.inp contains fault information, sequence network parameters and branch incidence of the zero sequence network. Data file mach.inp contains parameters for machine,

excitation system (AVR), speed governor and turbine system (AGC) and power system stabiliser (PSS) in four blocks. Each controller is identified in the corresponding block by its machine number. If a controller is absent from a machine, a record 888/ is entered to signify this fact.

Three sample data files are provided in TSSP. The user can create his/her own data files by copying and modifying them with a DOS editor or any word processor according to the system under study. Any error in the data files will be automatically detected and located when the programs are started. The format of the data files is designed to provide maximum flexibility and minimize frustration in data input. This design was inspired after experiencing the "sophisticated" and "non user-friendly" data input in EMTP [7–17].

The overall structure of the package is shown in Figure 7.1. To initialise the TSSP, the fast decoupled load flow (FDLF) is run first. Then the short circuit calculation (STCC) program is executed. The results of the two runs are passed onto the TSSP co-ordinator internally. Finally the transient simulation program (TSSP) is run. The end result of a simulation is stored in the file *simu.out*. A data sorting and plotting program (WPLOT) can be employed to plot a maximum of five curves on one screen and up to fifteen variables can be sorted out at a time.

7.2 NECESSITY OF IMPROVEMENT

TSSP is a numerical realisation of solving a large mathematical system composed of both differential and algebraic equations. Let x denote the system state variable, and y the auxiliary variable. Then the mathematical system describing the dynamic behaviour of a power system can be expressed as

$$\frac{d}{dt}(x) = f(x, y) \tag{7.1}$$

$$0 = g(x, y) \tag{7.2}$$

where

x = the state variables, and

y =the auxiliary variable.

A numerical solution to the system can be obtained by different algorithms, assuming that an initial condition is known. This initial condition is obtained by a load flow program. The solution procedure in TSSP consists of the following steps;

- 1. With the initial values $x^{(0)}$, $y^{(0)}$ known, and with a given disturbance in the system, a new value of the auxiliary variable $y^{(1)}$ is calculated from (7.2), keeping the state variable at $x^{(0)}$.
- 2. The derivative of the state variable is calculated from (7.1).
- 3. The new value of the state variable $x^{(1)}$ is calculated using a numerical method such as the implicit integration.

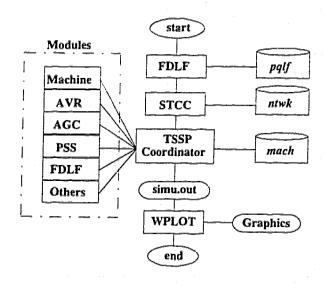


Fig. 7.1 Overall Structure of the TSSP

This calculation process is continued until the simulation time is reached. At each time step, the calculated values of $x^{(i)}$ and $y^{(i)}$ are stored so that they can be plotted at the end of simulation.

Because of the fact that there exists saliency in synchronous machines, the solution of (7.2) is accomplished by an iterative procedure in TSSP[7-2]. Depending on the structure of the saliency, this iterative procedure may lead to divergence and no solution can be obtained at certain times and with certain network configurations. For real time studies, this iterative process may impose unacceptable computation effort. Another disadvantage of this package is that to add any new features to the program, such as displaying a variable which is not listed in the plotting utility, modelling a new disturbance, or interfacing a user-defined model, part of the package has to

be recompiled. This compilation process has to be continued until the desirable results are produced.

7.3 TSSP UNDER SIMULINK

7.3.1 Introduction

SIMULINK is an interactive block-diagram environment for modeling, analyzing, and simulating dynamics of physical and mathematical systems. It provides point-and-click interface for all model building. Block-diagram and differential equation models, continuous-time, discrete-time, hybrid models, linear and nonlinear models, trained neural networks and fuzzy logic models, can all be simulated in this environment.

Though SIMULINK is powerful in simulating the above systems, it can not be directly applied to power system simulations. The reason is that power systems run a three-phase complex number system and their control systems are modeled by real number transfer functions. In order to comply with the rules of SIMULINK, a power system has to be decoupled from complex representation to real number representations which are asymmetrical when salient synchronous machines are present in the system. In the section that follows, the basics of SIMULINK are discussed. Then detailed building blocks for the modules in TSSP will be constructed using SIMULINK library and MATLAB functions, forming the TSSP Library.

7.3.2 Basics of SIMULINK

To simulate a dynamic system, we need to create its model in a block diagram window using mouse driven commands. As SIMULINK uses the metaphor of a block diagram to represent dynamic systems, creating a model is much like drawing a signal flow graph. The individual blocks need not be drawn, but are represented by input/out blocks from the SIMULINK standard library. Once the model is defined, its dynamic performance can be simulated by built—in analysis tools. The progress of the simulation can be viewed while the simulation is running, and the final results can be made available in the MATLAB workplace when the simulation is complete. Specifically, the following steps can be followed to create and analyse the model for a given dynamic system.

- At MATLAB prompt, type simulink and press return. This will display the standard library of block diagram.
- 2. Pull down the MATLAB file menu and open up a new model file which is a blank block diagram window.
- 3. Copy individual blocks from the standard library to your block diagram window; and repeat this step until the model is complete.
- 4. Save that model you just defined as a m-file which you can modify or run later on.

7.3.3 Building Blocks

(1) Synchronous Generators

In Chapter 6 various synchronous generator models are presented. In this section, their simulation models will be built. This is done by showing one detailed example, i.e., building of the two-axes model with subtransient. The other three models will be listed in Appendix B. Figure 7.2 shows the simulation model of a synchronous generator. A functional block for both an excitation system and a speed governing and turbine system is included. These functional blocks have to be replaced by the simulation models of their corresponding physical equipment.

The input to the model is a vector output from a MATLAB function that solves the network equations of the power system under study. It can be expressed as follows, for generator number 1:

$$in_{1} = [i_{d}, i_{q}, V_{x}, V_{y}, i_{x}, i_{y}]^{T}$$
 (7.3)

The output of the model is a vector that can be expressed as follows:

$$out_1 = [E_q, E_q^*, E_d^*, \delta]^{\tau}$$
 (7.4)

The output of the excitation system is $E_{_{M}}$. And the output of the speed governing and turbine system is $P_{_{\!\! m}}$. The rest of the model is to simulate the differential equations (6.18) - (6.22). Note that the memory blocks(M01-M03) in the model function as a breakdown of a complete loop for simulation purpose. Values of parameters are passed to their corresponding variables in

the various blocks from the workplace where these variables are initialized before simulation is started.

(2) Excitation Systems

As an example to show how to build a simulation model for an excitation system, we choose the DC Type 1 excitation system. Figure 6.3 shows its block diagram. Figure 7.3 shows a simulation model of the system. The input to the model has two variables, i.e., the terminal voltage and the output signal from a power system stabiliser. The output of an excitation system is always the excitation field voltage, E_{μ} . There are two MATLAB functions; i.e., VT block converts a voltage in complex components to its magnitude and SE calculates the saturation factor of the excitation curve at an operating point. Other types of excitation systems are given in the TSSP library.

(3) Prime Movers

The hydro turbine and governor system, shown in Figure 6.5, can be accurately simulated in TSSP, since nonlinear elements of a dynamic system can be easily modelled in SIMULINK. Figure 7.4 shows the simulation model in which there are two subsystems. Each of these subsystems simulates a transfer function with initial variable values. The input to the model is the machine speed in per unit and the output is the mechanical power in per unit exerted to the shaft of generating system.

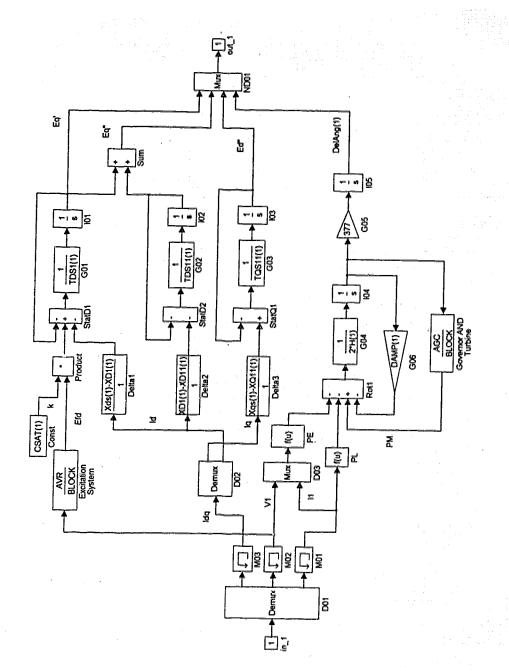


Fig. 7.2 Simulation Model of A Synchronous Generator

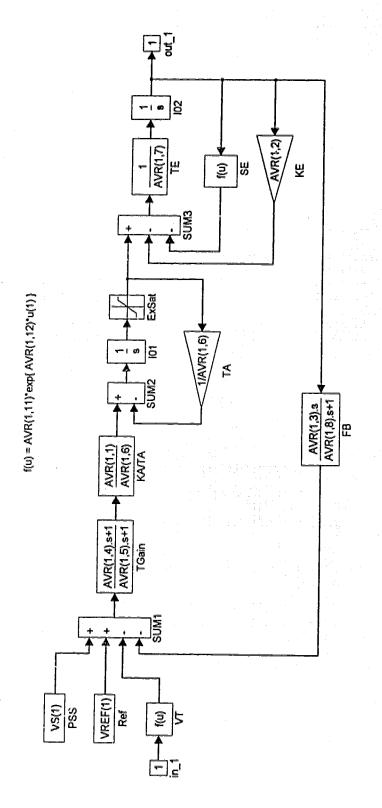


Fig. 7.3 Simulation Model of the DC Type 1 Excitation System

The steam turbine system, shown in Figures 6.7 and 6.8, is simulated by the model shown in Figures 7.5 and 7.6. The input to the governor model is the incremental change of the shaft speed of the generator. The output is the valve positioning that controls the inlet of steam and is equivalent to the total power input to the turbine which converts the heat energy to mechanical energy and outputs it as P_m . Other steam turbines are also included in the TSSP library.

(4) Conventional Power System Stabilisers

Three IEEE conventional power system stabilisers(PSSs) are presented in Chapter 6. Their simulation models in SIMULINK are constructed here. They are also included in the TSSP library. The input to a PSS can be a combination of different signals, as has been pointed out in Chapter 6. Figures 7.7, 7.8 and 7.9 give the details of these simulation models.

(5) Induction Motors

The block diagram of an induction motor is shown in Figure 6.13. As an induction motor is treated like a generator in TSSP, its simulation model in SIMULINK is similar to that of a generator too, as shown in Figure 7.10. The input to the model is a vector output from the network solution MATLAB function, as expressed in (7.3). The output of the model is a vector given by

$$out_1 = \left[E_q, E_d, \delta\right]^{\tau} \tag{7.5}$$

The load of the induction motor is passed to the model from the workplace by the variable TM(1) which is calculated by either (6.60) or (6.61). There are two MATLAB functions; PE calculates the electric power the motor consumes and PL calculates the power loss in the stator windings. The rest of the model simulates the differential equations (6.5) – (6.59) of the system.

(6) DC Transmission Lines

A three-phase alternating current(AC) transmission line system is represented by the positive-sequence network of one of the three phases in transient stability studies(see next section for more detail). DC transmission lines can be simulated by three categories of models; (a) simple model, (b) response model, and (c) detailed model. Depending on its application, each DC transmission line is designed to meet specific requirements in the overall performance of the system, therefore, no standard model is developed to represent DC links in stability studies[7–18].

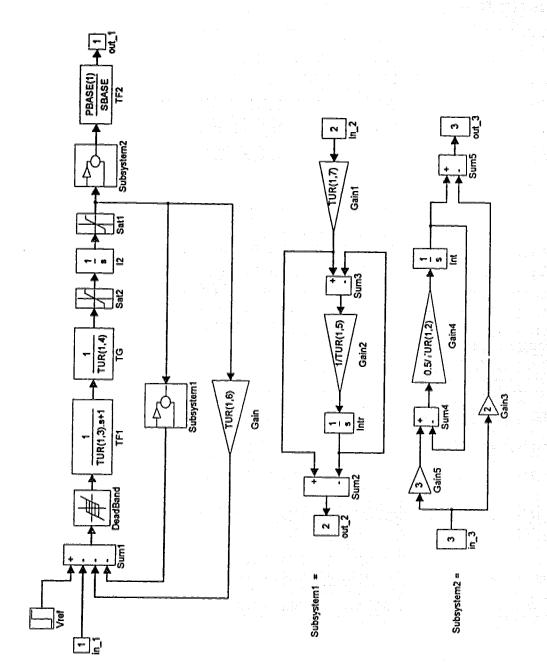


Fig. 7.4 Simulation Model of the Hydrogovernor Turbine System

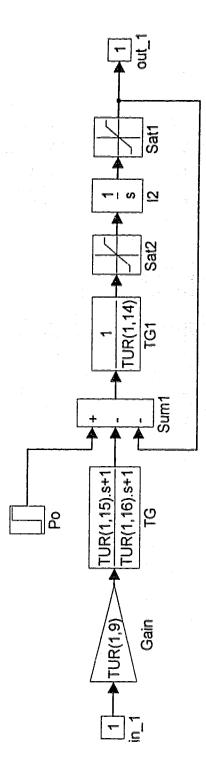


Fig. 7.5 Speed Governing System for Steam Turbines

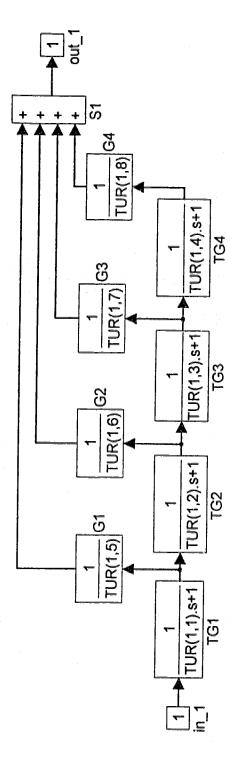


Fig. 7.6 Tandem-Compound Double-Reheat Steam Turbine

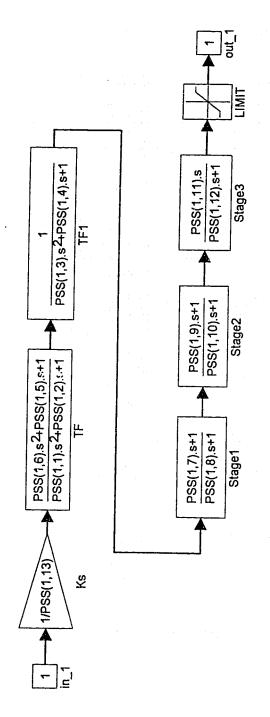


Fig. 7.7 Simulation Model of IEEE Standard PSS

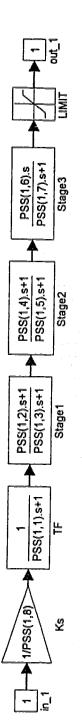


Fig. 7.8 Simulation Model of IEEEST PSS

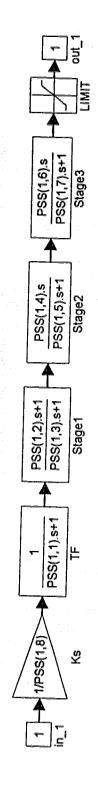


Fig. 7.9 Simulation Model of IEEESN PSS

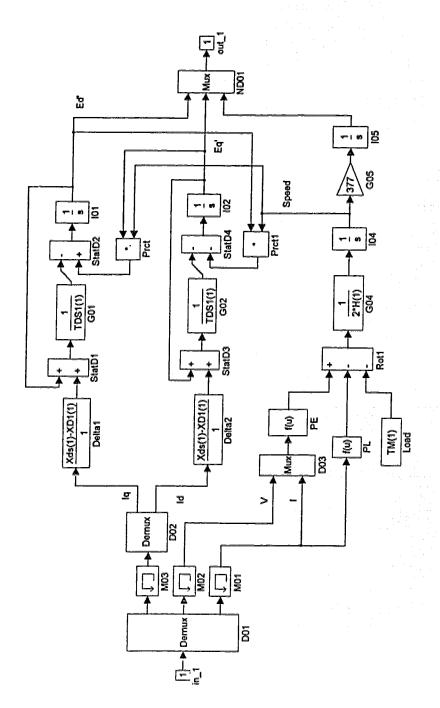


Fig. 7.10 Simulation Model of An Induction Motor Model

(7) Network Function

In a power system, generators, loads and other power apparatuses are connected though transmission lines to form a composite dynamic system. As generators and their control systems are modelled by real number transfer functions while the network is represented by complex numbers, we need to decouple the complex number system. This is done in TSSP through a MATLAB function in which an AC system is modelled by

$$\begin{pmatrix}
I_{xy1} \\
I_{xy2} \\
\cdot \\
I_{xyn}
\end{pmatrix} = \begin{pmatrix}
Y_{11} & Y_{12} & \cdot & Y_{1n} \\
Y_{21} & Y_{22} & \cdot & Y_{2n} \\
\cdot & \cdot & \cdot & \cdot \\
Y_{n1} & Y_{n2} & \cdot & Y_{nn}
\end{pmatrix} \begin{pmatrix}
V_{xy1} \\
V_{xy2} \\
\cdot \\
V_{xyn}
\end{pmatrix}$$
(7.6)

where $I_{xyi} = [I_{xi} I_{yi}]^{\tau}$, the injected current,

 $V_{xyi} = [V_{xi} \ V_{yi}]^{\tau}$, the voltage at bus i, and

 $Y_{ij} = \begin{pmatrix} G_{ij} & -B_{ij} \\ B_{ij} & G_{ij} \end{pmatrix}$, its elements being the real and imaginary parts of the

element $(G_{ij} + jB_{ij})$ at position (i, j) of the admittance matrix of the network.

The interfacing point between the network and generators, loads and other power apparatuses is the bus terminal where injected current and bus voltage hold true for both parties. With no approximation and no iteration, this interfacing is accomplished in the MATLAB function, using exact algebraic equations as derived in Chapter 6. For any generator or load model,

if its interfacing condition with the network is expressed in terms of voltage and current in d-q-0 quantities, they can be transformed into quantities in x-y coordinates. For example, a current transformation is accomplished by

$$\begin{pmatrix} I_x \\ I_y \end{pmatrix} = \begin{pmatrix} \cos(\delta) & \sin(\delta) \\ \sin(\delta) & -\cos(\delta) \end{pmatrix} \begin{pmatrix} I_q \\ I_d \end{pmatrix}$$
 (7.7)

where δ is the angle between the reference x-axis in x-y coordinates and the q-axis of the device to be modelled. This transform applies to voltage too. Detailed information on the network function is given in Appendix B. This topic is further covered in the coming section where model construction for a power system is described.

7.3.4 Model Construction

In this section, we demonstrate how to construct a simulation model for a simple one-machine infinite bus power system. The procedure can be extended to the case of multimachine systems which will be covered in Chapter 8. Figure 7.11 shows a single-line diagram of the system. Assume that the generator can be simulated by the two-axes with transient model(GEN_3). The excitation system is simulated by ST_4. The speed governing and turbine system is simulated by GOV_221. The load is an induction motor modelled by IndMotor block from the TSSP library. The infinite bus is simulated by GEN_0 block. Figure 7.12 illustrates the final simulation model of the power system. Note that the MATLAB function is a

m-file referred as find_vif.m, meaning to find voltage(v) and current(i). This file is listed in Appendix B. The input vector to a MATLAB function can have only a single argument with a number of elements. This allows access to the numerous variables output from various devices each of which may have an arbitrary number of outputs. The output of the function is also a vector with the number of components equal to a multiple of the number of the devices modeled. This is necessary because the elements of the output vector have to be accessed by each device appropriately. A simulation function referred to as Demux can divide its input only into equal parts.

7.4 TSSP'S POTENTIAL WITH SIMULINK

We have seen some merits of TSSP under SIMULINK environment, and other potential applications is of interest. With the new DSP Blockset and a real-time C code generator[7–19], we can develop real-time software for target hardware and test the generated C code in actual applications. This C code generator is useful for batch file simulation studies too, as the size of a power system increases, model simulation in SIMULINK may be slow. The generated portable C code can be used in different situations. Another advantage is that we can use advanced control techniques such as ANNs and FL to design intelligent control systems. With TSSP in SIMULINK, we can prototype, simulate and implement a control on a single personal computer.

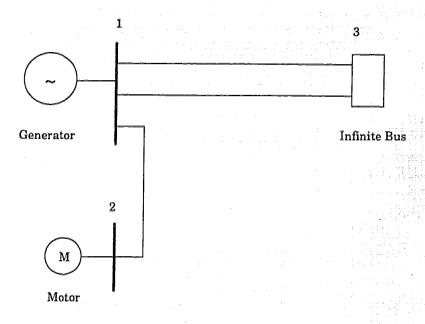


Fig. 7.11 Single-Line Diagram of the One-Machine System

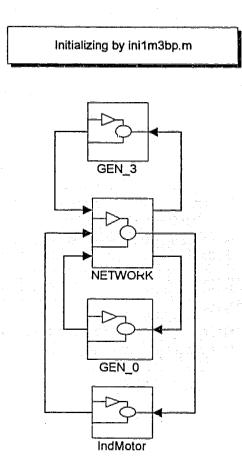


Fig. 7.12 Simulation Model of the One-Machine System

CHAPTER 8

STABILITY ENHANCEMENT OF A MULTIMACHINE POWER SYSTEM USING AN ANN-FL PSS

In a stable power system, all the synchronous generators operate in synchronism. When perturbed, they must either return to their original state if no net change of power occurs or reach a new state asymptotically without losing synchronism. It is difficult to theoretically prove whether a multimachine power system is stable. The objective of this chapter is to show how power system stability can be further enhanced by using an ANN-FL power system stabilizer(PSS). Two power system stabilizers based on the ANN-FL modelling technique, one using speed deviation as input and the other using accelerating power, are designed and applied to a two-machine infinite—bus system to evaluate their performance.

8.1 Introduction

To meet a steady demand growth of interconnected power systems, the size of generating units has been increased, and high-speed excitation systems have been introduced. By doing so negative damping to the interconnected system is resulted, causing low-frequency oscillations. Weak line transmissions are

another contributing factor to these oscillations. Nevertheless, electromechanical oscillations of low frequency become inherent characteristics of power systems. The presence of such oscillations has been reported worldwide[8-1]-[8-5]. Low frequency oscillations are also called system modes. Principally, there are two categories of modes: inter-area modes associated with one group of generators or plants at one end of a tie-line oscillating against another group at the other end and local modes associated with weakly connected power systems or remote generating units weakly connected to a large power system. Different system modes can occur simultaneously. This coupling among modes makes it difficult to define 'cause and effect' relationships in analysing the dynamic behaviour of a multimachine system, especially for inter-tie line oscillations [8-6]~[8-9]. Eigenvalue analysis is a fundamental technique to study the nature of system modes of a power system [8-10,8-11]. A positive real part of a swing mode indicates a negatively damped mode which needs controlling to ensure stable system operation. This technique is also used in this thesis in designing the conventional PSSs for the generators.

The common remedy for inadequate damping is to utilize additional excitation control by means of power system stabilizers [8-7,8-12]. After more than two decades of research and practical applications, PSSs are now in wide use in power systems. In most PSS applications, only local feedback control is used. Multivariable and optimal stabilizers can also be

theoretically designed but may not be implemented because of the difficulties in accessing most of the feedback variables. Coordination in PSS design has been taken into account by either eigenanalysis [8–13], or frequency domain methods [8–14] or a hybrid of the two [8–15]. No matter what algorithm is employed in tuning the settings of a PSS, the more information dependent on operating conditions is used, the less robust the PSS will be to system changes.

In [8-5], a simple PSS design procedure is proposed and used in a practical power system of longitudinal structure. Usually, system modes must be known in PSS design. It is also generally true that the damping (real part) of a system mode is more sensitive to operating conditions than the frequency (imaginary part) of that mode. Reduction of these sensitivities of a mode increases the robustness of the PSS designed based on this mode. Instead of using a specific frequency for a particular PSS design, an average frequency is derived for each coherent group of generators that oscillate together. The coherent generation groups can be identified by available methods [8-16,8-17]. Another parameter needed in tuning a PSS is a lead/lag time constant spread [8-7,8-8]. Nonlinear simulation is utilized to determine the optimum gain of each PSS. Input signals to all the PSSs in each coherent generation group may be communicated with each other among the strongly coupled generators. The total coupling factors [8-18] computed from eigenanalysis can be employed to take into account these

interactions among generators. The design procedure developed in this paper was successfully used in another research project leading to the publication of [8–19]. This procedure will be used in this thesis to design benchmark PSSs for training ANN-FL power system stabilizers.

Though, there have been many examples of successful applications of conventional PSSs, difficulties include the tuning of a PSS for a wide range of operating conditions, as well improving the performance under different contingencies. PSSs that utilize shaft speed as input signal may result in torsional oscillations. PSSs using power signals may cause voltage fluctuations. In recent years, alternative control strategies have been investigated, especially intelligent control. Chapter 1 has reviewed a few intelligent control schemes based on artificial neural networks(ANNs) and fuzzy logic control(FLC). In this category of applications, publications [8-20]~[8-25] are closely related to the subject of this chapter. The theme of those papers is to develop an event driven controller representing a nonlinear mapping from the input to the output variables. Fuzzy logic control is a structured representation technique, it does not allow learning nor adaptation. On the other hand, artificial neural networks are unstructured numerical estimators that can learn, generalize and process massive sensory information. An intelligent controller designed on the basis of the hybrid theory of ANN and FL presented in Chapter 4 combines the merits of both modelling techniques.

8.2 STABILITY ANALYSIS

8.2.1 A Multimachine Power System

A single-line diagram of the multimachine power system used in the simulation studies is shown in Figure 8.1. The system consists of two hydro generators, one load, and one infinite bus. Generator #1 is a test machine, modeled by a fifth-order model with subtransient (GEN_4)(see Appendix D) simulating a single generator in the system. Generator #2 is an equivalent machine modeling a local power system. It is simulated by a fifth-order model with transient (GEN_3). The infinite bus (GEN_0) is the connecting point with a remote power system. Each machine is equipped with a simple static (SCR) excitation system (ST_4) and a standard hydro speed-governing and turbine system (GOV_221). Figure 8.1 shows the parameters of the network. Parameter values for the various power devices are listed in Tables C.1-C.3.

Two load flow studies were carried out using the decoupled fast load flow program(Chapter 7). Tables 8.1–8.2 list the obtained results, including voltage magnitude and angle, injected real and reactive power, power flow in each transmission line and power losses. The operating point of Case A will be used for conducting eigenanalysis and later on for designing conventional power system stabilizers(CPSSs). The operating point of Case B is designed for performance evaluation.

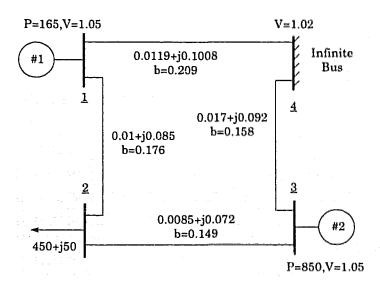


Fig. 8.1 Single-Line Diagram of the Two Machine Infinite Bus System

8.2.2 Stability Studies

(1) Steady-State Stability

In an interconnected power system, there are hundreds of oscillatory modes. Usually two distinct types of system oscillations, as has been outlined in the previous section, are recognized in an analysis of system stability and control problem. They are referred to as local plant modes and inter–area modes. The fundamental objective of excitation control is to provide maximum damping to both types of modes, and at the same time to enhance transient stability.

Part of this objective is accomplished by using supplementary excitation control through a conventional power system stabilizer(CPSS). For the purpose of designing a CPSS, an eigenanalysis was conducted for the study system. Two oscillatory modes were calculated. The local mode of the test

machine is 1.6928 Hz and the inter-area mode is 0.7813 Hz. Based on the design procedure presented in [8-4], two CPSSs were designed and tuned, one for the test machine, and the other for the equivalent machine. They will be used in the performance studies later in this chapter. A study of the system's frequency response was also performed. The response was obtained by simulating the study system in TSSP in SIMULINK environment. The disturbance to the system is a three-phase to ground fault for 6-cycles applied to the terminal bus of generator #1. The speed change of the generator was measured, and sampled at a sampling rate of 66.67 Hz.

A 512-point fast Fourier transform(FFT) was applied to the sampled data sequence, and the power spectral density, a measurement of the energy at various frequencies, was calculated. Figure 8.2 shows the semilogarithmic plot of the power spectral density. It can be seen that the two oscillatory modes are approximately 0.8 Hz and 1.70 Hz. This is in agreement with what has been calculated from eigenanalysis.

(2) Transient Stability

In the studies reported in this section, a three-phase to ground fault for 6-cycles was applied on the line between buses #1 and #2 near the terminal bus of generator #1. The simulation model is given by Fig. 8.3, using TSSP under SIMULINK. In view of the large number of variables and study cases

involved, only the excitation voltage and rotor angle responses are shown in Figs. 8.4 and 8.5. The results of the transient simulations show that:

- For the case of CPSS with TGR, the inter-area mode oscillation is much pronounced (curve #4 of Fig. 8.5). The output of the exciter hits its upper limit only at the first swing(curve#4 of Fig. 8.4(b)). The overall performance of the excitation plus CPSS system can be improved by increasing the CPSS gain[8-24];
- For the case of CPSS without TGR, the excitation plus CPSS system improves damping and transient stability on both oscillatory modes(curve #3 of Fig. 8.5). The exciter reaches its ceiling voltages during the first two swings to provide maximum control action(curve #3 of Fig. 8.4(b));
- For the case of no CPSS, with TGR, the rotor angle oscillation is more damped and transient response is improved(curve #2 of Figs. 8.5 and 8.4(a)), as compared with the case of no TGR. This is true for local mode only. Its effect on the inter-area mode is imposed on to the local mode oscillation.
- For the case of no PSS and no TGR, the system is highly oscillatory. This
 scenario will be used to test whether a PSS can stabilize the system.

Table 8.1 Load Flow Results: Node Power(MW+jMVar)

| Case | Bus # | V (pu) | θ (deg) | Generation | Load |
|------|-------|--------|----------|--------------|---------|
| | 1 | 1.050 | 6.4265 | 165+j69 | |
| A | 2 | 0.992 | 4.7698 | | 450+j50 |
| | 3 | 1.050 | 21.2538 | 850+j111 | |
| | 4 | 1.020 | 0.0 | -519.9+j91.2 | |
| | 1 | 0.977 | -8.9523 | 125+j50 | |
| В | 2 | 0.910 | -23.9549 | | 750+j50 |
| | 3 | 1.050 | -2.9906 | 450+j261.1 | |
| | 4 | 1.050 | 0.0 | 211.3-j23.75 | |

Table 8.2 Load Flow Results: Branch Power(MW+jMVar)

| Case | Line $i-j$ | S_{ij} | S_{ji} | Losses |
|------|------------|----------------|-------------------|---------------|
| | 1–2 | 43.29+j57.10 | -42.72-j70.58 | 0.58-j13.48 |
| A | 2–3 | -407.28+j20.58 | 421.67+j85.75 | 14.39+j106.34 |
| | 3-4 | 428+j25.56 | -399.86+j111.6 | 28.47+j137.15 |
| | 1-4 | 121.7+j12 | -120-j20.38 | 1.66-j8.34 |
| | 1–2 | 180+j71 | -271-j11.4 | 8.89+j59.9 |
| В | 2–3 | -478-j38.6 | 502+j224 | 23.6+j185.7 |
| | 3–4 | -52+j36.78 | 53-j 4 9.7 | 0.74-j12.9 |
| | 1–4 | -155-j21.24 | 158+25.9 | 3.02+4.71 |

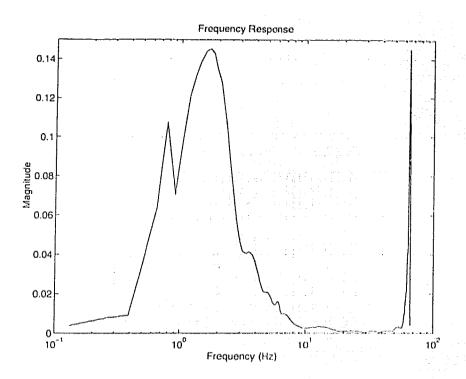


Fig. 8.2 Frequency Response Showing the Two Oscillatory Modes

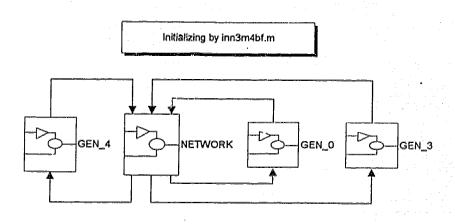


Fig. 8.3 Simulation Model of the Study System

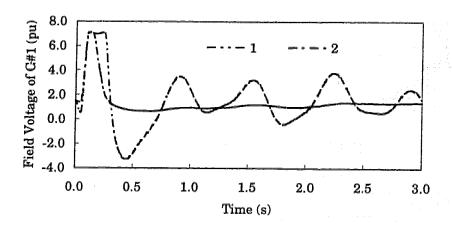


Fig. 8.4(a) Field Voltage Responses of the Test Machine, Following A 3-Phase
To Ground Fault of 6-Cycles at the Terminal Bus of G#1
Curve #1 —No Transient Gain on AVR, No CPSS
Curve #2 —With Transient Gain on AVR, No CPSS

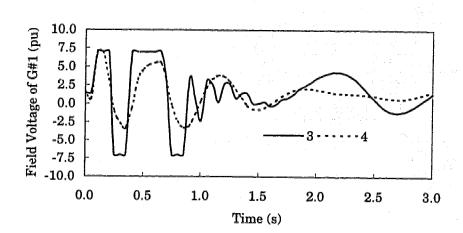


Fig. 8.4(b) Field Voltage Responses of the Test Machine, Following A 3-Phase
To Ground Fault of 6-Cycles at the Terminal Bus of G#1
Curve #3 —No Transient Gain on AVR, with CPSS
Curve #4 —With Transient Gain on AVR and CPSS

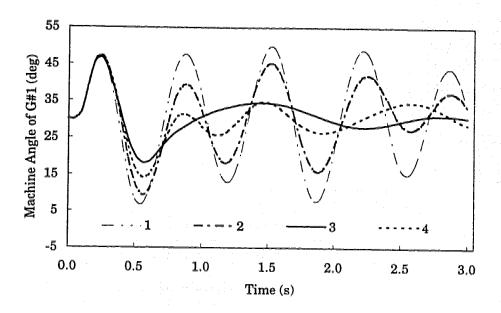


Fig. 8.5 Generator Angle Responses of the Test Machine, Following A 3-Phase To Ground Fault of 6-Cycles at the Terminal Bus of G#1 (Curve No. and description agree with those of Figs. 8.4(a) & (b))

8.3 Design of Two ANN-FL PSSs

8.3.1 General Comments

The most difficult problem that a designer tries to solve is to make the best compromise in choosing PSS parameter values so that the controller will yield best performance when it faces environmental changes. Such a goal may never be truly realized in practice as the design is purely based on linear control theory where such a designed controller operates at its optimum only at the environment for which it is designed.

An hybrid of artificial neural network and fuzzy logic power system stabilizer(ANN-FL PSS) is a trained fuzzy logic controller. It combines the merits of both neural networks and fuzzy logic to form an intelligent control system. In this section, two ANN-FL power system stabilizers are designed, one using speed deviation of the generator as the input signal, the other using accelerating power.

The design procedure employed is similar to that used in Chapter 5, though, there are specific concerns in each design. The two controllers to be designed will have the same structure as that used in Chapter 5. The training program is similar to that of Chapter 5, with only minor modifications. The emphasis of this chapter will be focused on the performance of the two ANN-FL PSSs, when they are applied to a multimachine power system. Six aspects of information are needed to design an hybrid ANN-FL control scheme. They are outlined in the next section.

8.3.2 ANN-FL PSS Using Speed Deviation

(1) Linguistic Variables

As the objective of a power system stabilizer applied to a synchronous generator control is to damp rotor oscillations, it is natural to monitor the speed and to use it as a feedback control veriable. Since speed deviation is a result of the unbalanced torque applied to the rotor shaft, the key to bringing the speed deviation to zero is to reduce the unbalanced torque to zero. This

residual torque equals the summation of the positive mechanical input torque from the prime mover and the negative electrical torque output from the generator. For the first few seconds after a system disturbance, due to technical reasons, the mechanical torque can not be changed dramatically to bring the residual torque to zero. It is the electrical torque that must be changed. The electrical torque is directly proportional to the excitation voltage and inversely proportional to the speed of the machine. Therefore, the excitation voltage could be chosen as the output variable of the controller to be designed. Only there is another problem; the excitation voltage is also controlled by a voltage regulator. The function of this control loop is to manage the reactive power flow in the system so that a desired voltage profile can be maintained during steady-state operations of the system.

To maintain the functionalities of the excitation system for both steadystate and transient operations, the control signal from the stabilizing
controller can be introduced to the low signal front end of the excitation
system as supplementary control. During steady-state operation, this
supplementary signal must be zero. During transient operations, it must be
able to control the excitation voltage to act according to the change of the
speed. Another input variable to the controller can be the rate of speed
change, as has been used in Chapter 5. Therefore, the two fuzzy inputs and
one fuzzy output variables can be expressed as:

$$\Delta\omega = [NB, NM, NS, PS, PM, PB] \tag{8.1}$$

$$\Delta\omega / \Delta t = [NB, NM, NS, PS, PM, PB]$$
(8.2)

$$\Delta V = [N, P] \tag{8.3}$$

where the various linguistic labels are defined as negative big(NB), negative medium(NM), negative small(NS), positive small(PS), positive medium(PM), positive big(PB), negative(N), and positive(P).

(2) Membership Functions

By expert's knowledge, the ranges of change of these fuzzy variables defined above is known. Therefore, the universe of discourse of the fuzzy sets can be determined as follows:

$$\Delta\omega = \left[-0.1, +0.1\right](pu) \tag{8.4}$$

$$\Delta\omega / \Delta t = [-10, +10] (pu/s) \tag{8.5}$$

$$\Delta V_s = [-0.4, +0.4](pu) \tag{8.6}$$

Six membership functions are assigned to each of the two input fuzzy variables, and two membership functions assigned to the output variable. The structure of the membership functions of the state variables $\Delta\omega/\Delta t$, $\Delta\omega$, and ΔV_s are the same as shown in Figs. 5.5 – 5.7, only the universes of discourse are different. Membership functions for fuzzy sets $A_{i2},...,A_{i5}$ (i=1,2) are expressed by triangular functions which take the form of (8.7), shown in Fig. 8.6, and membership functions for fuzzy sets A_{i1},A_{i6},B_i (i=1,2) are

expressed by trapezoidal functions which take the form of (8.8), shown in Fig. 8.7. Table 5.1 lists eighteen rules used as the rule base in designing the ANN-FL power system stabilizers.

$$f(x,a,b,c) = \begin{cases} \frac{x-a}{c-a}, & a \le x \le c, \\ \frac{b-x}{b-c}, & c \le x \le b, \\ 0, & otherwise. \end{cases}$$
(8.7)

$$f(x,a,b,c,d) = \begin{cases} \frac{x-a}{b-a}, & a \le x \le b, \\ 1, & b \le x \le c, \\ \frac{d-x}{d-c}, & c \le x \le d, \\ 0, & otherwise. \end{cases}$$
(8.8)

(3) Data Collection and Training

A number of simulation studies were carried out on the two-machine power system, using both the speed power system stabilizer(PSS) and the accelerating power PSS similar to those of [8–19]. The disturbances used in the studies were (a) a three-phase to ground fault at the terminal bus of generator #1 for 6 cycles; (b) a step reference voltage change of +4% to the automatic voltage regulator(AVR). The load level was changed to 100%, 75%, and 50%, respectively, when the three-phase fault was applied to the system. Each simulation lasted three seconds. The obtained time-domain responses were sampled with a sampling frequency of 100 Hz. The sampled results

were saved in text files as listed in Table 8.3 for compiling training and checking data sets.

(4) Display of the Trained ANN-FL PSS

A structure of five-layer feedforward network similar to that of Fig. 5.8 is used as the ANN-FL PSS controller. The universe of discourse of each input variable is initially divided into six segments. Each segment is assigned a membership function with initial parameters. This five-layer feedforward network was then trained using the collected data set and checked. Figures 8.8-8.10 show the trained membership functions of the controller.

8.3.3 ANN-FL PSS Using Accelerating Power

Though conventional PSSs using speed deviation have been successfully applied in practical systems, they can cause instability of torsional oscillatory modes[8–24]. One way to overcome this limitation is to use a torsional filter. It is a disadvantage to have to use such a filter which introduces a phase–lag at low frequencies and has a destabilizing effect on the exciter mode. These restrictions may or may not exist in applications of the newly–designed ANN–FL PSSs. Further investigation and practical implementation experience is needed to clarify this point.

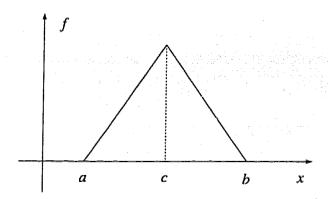


Fig. 8.6 Triangular Membership Function

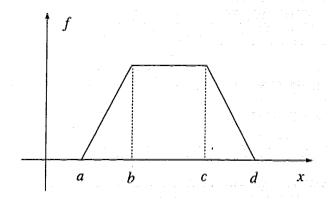


Fig. 8.7 Trapezoidal Membership Function

Table 8.3 Sources of Data Collection

| Loading | Conventional PSS | | |
|-----------|------------------|------------|--|
| Level(%) | Speed | Acc. Power | |
| 100 | scpss1 | apcpss1 | |
| 75 | scpss7 | apcpss7 | |
| 50. | scpss5 | apcpss5 | |
| Step(+4%) | · sstep1 | apstep1 | |

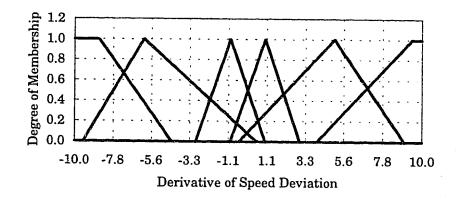


Fig. 8.8 Membership Functions for State Variable $\Delta\omega$ / Δt

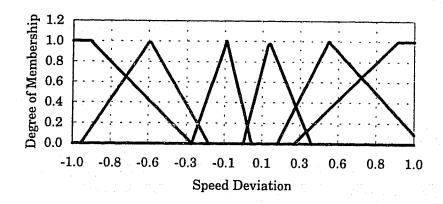


Fig. 8.9 Membership Functions for State Variable $\Delta\omega$

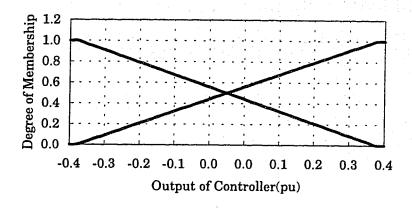


Fig. 8.10 Membership Functions for Output Variable ΔV

To overcome the limitations of the CPSS based on speed deviation, the Delta-P-omega stabilizers have been developed[8-25]. The principle of this stabilizer is illustrated by (8.9) where an equivalent signal to speed deviation has been derived from the accelerating power. This is given by,

$$\Delta\omega_{eq} = \frac{1}{2H} \int (\Delta P_m - \Delta P_e) dt \tag{8.9}$$

where

2H = inertia constant of the machine,

 ΔP_m = change in mechanical power,

 ΔP_e = change in electrical power, and

 $\Delta\omega_{eq}$ = equivalent speed deviation.

Since torsional components are inherently attenuated in the integral of ΔP_c signal, $\Delta \omega_{eq}$ will be free of torsional modes if the ΔP_m component is negligible as in many applications. Otherwise there is a technique to measure the integral of ΔP_m without introducing torsional modes[8–24].

On the basis of similar considerations for designing an accelerating power CPSS, an ANN-FL PSS using accelerating power as the input signal was designed in this research. The design procedure, controller structure and training program are basically the same as those used in designing the speed ANN-FL PSS. Therefore, only its simulation studies will be presented in the following section.

8.4 Performance Evaluation of the ANN-FL PSS

8.4.1 General Comments

In this section, a comprehensive investigation of the performance of the two newly-designed ANN-FL PSSs, when applied to the two-machine infinite-bus power system, is reported. Simulation studies were carried out for two different operating conditions, demonstrating the robustness of the PSSs. Specifically, the following categories of disturbances were used in the study:

(1) a 4% step reference voltage change, simulating the effect of voltage variation in the system; (2) a 0.25pu step increase of the input power to generator #1, simulating the transients of load variation; and (3) severe three-phase to ground faults at different locations with different switching sequences, simulating transient performance of the various PSSs. Load flow Case A in Tables 8.1 & 8.2 was used unless otherwise stated in the presentation that follows.

8.4.2 Step Reference Voltage Change

To illustrate the dynamic behavior of the power system when it experiences a slight shift of the operating condition from one point to another, a step reference voltage of 4% increase was applied at the terminal bus of G#1. This disturbance causes both transient and steady-state changes in the rotor angle, generated reactive power and terminal voltage of the machine. For the

purpose of simulation studies, the transient gain reduction(TGR) of the excitation system of G#1 was disabled in order to make the oscillations more pronounced, so that the advantages of each control scheme can be more readily seen. Due to space limitation, only partial results obtained from the simulations are shown in Figs. 8.11(a) ~ 8.11(d). The following observations include also the results not shown in figures.

- When a generator is required to be operating from one reference voltage to another, say from 1.05 pu to 1.09 pu in this example, it is necessary to generate more reactive power into the system to maintain that desired voltage profile. Figures 8.11(b) & 8.11(c) show that the terminal voltage of G#1 is stabilized at 1.09 pu and the reactive power is raised from 0.7 pu to 1.4 pu in two seconds after the disturbance.
- It is shown in the simulations that the real power of G#1 returned to its original operating point in two seconds after the disturbance(not illustrated). But the power angle is reduced from 30° to 25°, as shown in Fig. 8.11(a).
- The control contribution of the CPSS and the ANN-FL PSS to the stabilization of the oscillations is basically the same; the latter offers a marginal advantage over the CPSS. This is seen from the output of the excitation system shown in Fig. 8.11(d) and from other responses.

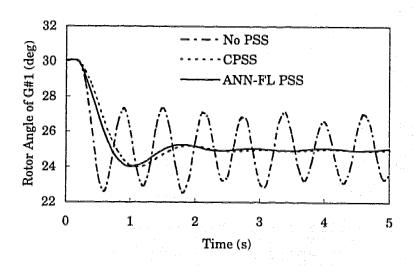


Fig. 8.11(a) Machine Angle Response to A 4% Step Voltage Change

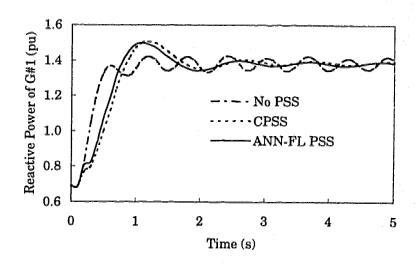


Fig. 8.11(b) Reactive Power Response to A 4% Step Voltage Change

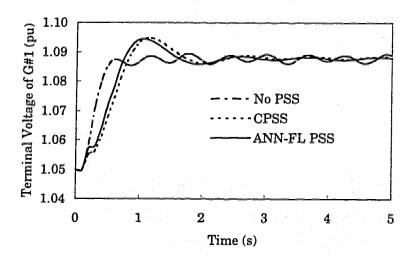


Fig. 8.11(c) Terminal Voltage Response to A 4% Step Voltage Change

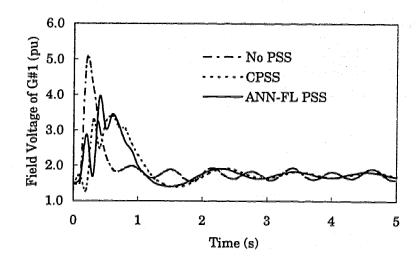


Fig. 8.11(d) Field Voltage Response to A 4% Step Voltage Change

8.4.3 Step Load Change

Load variation is present in every power system. It is intended that the supplementary excitation control can provide a means to accelerate the stabilization process after a sudden load change. To illustrate the performance of the CPSS and the newly-designed ANN-FL PSS under a load disturbance, a step increase of 0.25 pu of the input power was applied to generator #1. In terms of dynamic behavior of the generator, applying this disturbance is equivalent to losing a local load. It causes the machine angle and electric power to shift from the original operating points to new ones. Figures 8.12(a) ~ 8.12(d) show part of the results obtained from three simulations. The following observations are in order:

- Since the input mechanical power is increased by 0.25 pu, the output of the electric power from generator #1 is also increased by the same amount as shown in Fig. 8.12(b), from 1.65pu to 1.90pu. This is equivalent to saying, if the mechanical power is kept unchanged, a sudden loss of 0.25 pu of the local load means that this amount of electric power has to be exported to the system.
- The control action of the ANN-FL PSS is instantaneous as shown in Fig. 8.12(d). Its performance is marginally advantageous over that of the CPSS, as seen in Figs. 8.12(a) & 8.12(c), showing the rotor angle and the terminal voltage response, respectively.

• The local mode oscillation of the electric power was damped out in less than one second (Fig. 8.12(b)). The rotor angle settled down to its new operating point in about two seconds (Fig. 8.12(a)). The terminal voltage experienced a maximum of 1.5% excursion during the first cycle after the disturbance and returned to its original operating point in two seconds. Figure 8.12(c) also shows the inter-area oscillation which can not be seen in Figs. 8.12(a) & 8.12(b) because of the y-axis scale. The amplitude of the oscillation is also very small.

8.4.4 Fault Conditions

Power system stabilizers(PSSs) were originally designed to enhance small-signal stability of power systems. At the same time, they should perform satisfactorily under severe transient conditions. Transient stability is defined as the ability of a power system to maintain synchronism when subjected to a large disturbance such as a three-phase to ground fault, loss of generation, or loss of a large load. Under such a fault condition, large excursions of generator rotor angles, power flows and bus voltages can occur.

In the previous two sections, a step voltage change and loss of a fairly large load(0.25pu) were simulated. It has been shown that the newly-designed ANN-FL PSS demonstrated superior performance in the simulation studies. The objective of this section is to illustrate how the ANN-FL PSS performs under severe fault conditions.

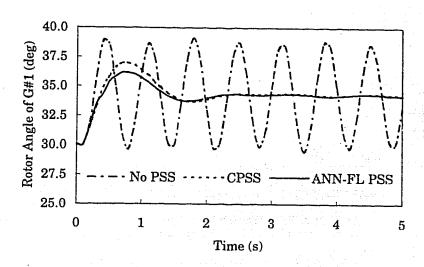


Fig. 8.12(a) Machine Angle Response to A 0.25pu Step Load Change

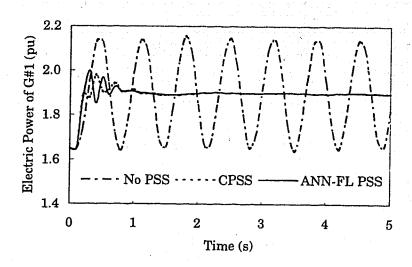


Fig. 8.12(b) Electric Power Response to A 0.25pu Step Load Change

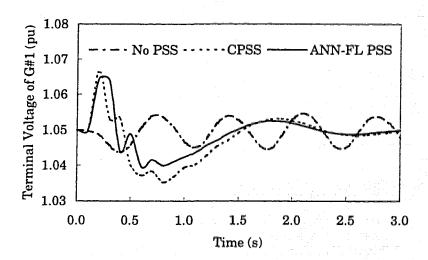


Fig. 8.12(c) Terminal Voltage Response to A 0.25pu Step Load Change

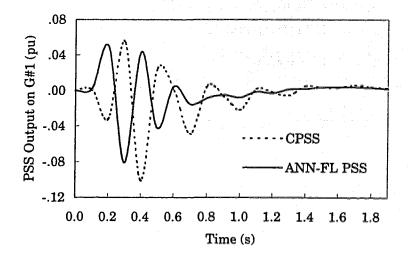


Fig. 8.12(d) Controller Response to A 0.25pu Step Load Change

(1) Three-Phase Fault on Line 1-2

With the same system configuration as used in the previous sections, six simulations were conducted of the system when a 6-cycle three-phase to ground fault on the line 1-2 near the terminal bus of generator #1 was applied. The line was restored right after the fault was cleared.

- Figures 8.13(a) & 8.13(b) show the situation where a PSS was activated on generator #1. It can be seen that the ANN-FL PSS provided more damping to the local mode than the CPSS did. The inter-area mode sustains(Fig. 8.13(a)).
- Figures 8.14(a) & 8.14(b) show the situation where each of the two generators was equipped with either the ANN-FL PSS or the CPSS. For the convenience of comparison, the response with only the ANN-FL PSS applied is also included(the fourth curve in each of the two figures). It can be seen that with the ANN-FL PSS on each machine or with the ANN-FL PSS on G#1 and the CPSS on G#2, both the local and the inter-area modes can be damped out in about two seconds.
- For this severe disturbance, one single PSS can not completely suppress the inter-area oscillation as shown in Fig. 8.13(a) and the #4 curve in Figs. 8.14(a) & 8.14(b).

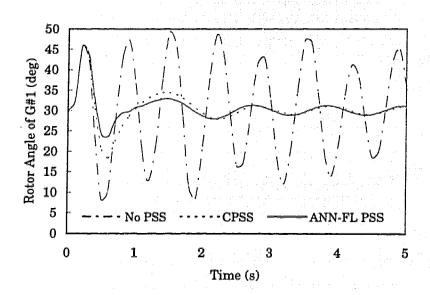


Fig. 8.13(a) Rotor Angle Response to A Three-Phase to Ground Fault at the Terminal Bus of G#1 for 6-Cycles, with One Controller

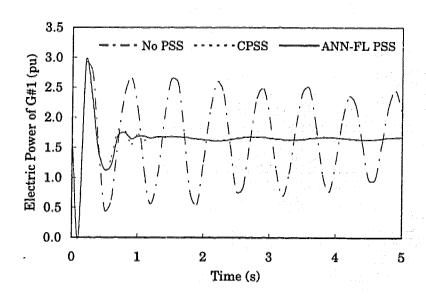


Fig. 8.13(b) Electric Power Response to A Three-Phase to Ground Fault at the Terminal Bus of G#1 for 6-Cycles, with One Controller

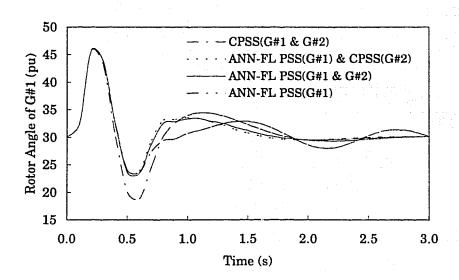


Fig. 8.14(a) Rotor Angle Response to A Three-Phase to Ground Fault at the Terminal Bus of G#1 for 6-Cycles, with Two Controllers

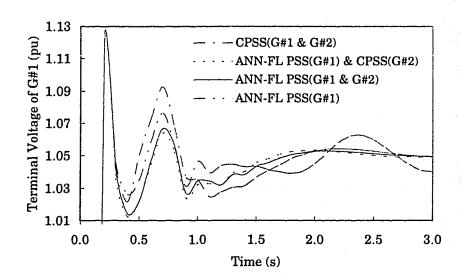


Fig. 8.14(b) Terminal Voltage Response to A Three-Phase to Ground Fault at the Terminal Bus of G#1 for 6-Cycles, with T o Controllers

(2) Three-Phase Fault on Line 1-4

The study system was then operated at a condition described by load flow Case B(Tables 8.1 & 8.2). A second three-phase to ground fault was simulated on the line 1-4 near bus #1 for 6-cycles. The line was restored 0.4s after the fault was cleared. Figure 8.15 shows the rotor angle response of G#1 following the disturbance. Three simulations were executed.

• When there is no PSS installed, the generators, and therefore the system, is oscillatorily unstable. When the CPSS is present on G#1, the "overshoot" of the first swing of G#1 is increased substantially as compared with the case of no PSS. With the ANN-FL PSS present on G#1, both the local and the inter-area modes are appreciably damped.

(3) Three-Phase Fault on Line 2-3

With the system operating at load flow Case B(Tables 8.1 & 8.2), a third transient condition was simulated with a 6-cycle three-phase to ground on the line 2-3 near bus #2. The line was restored 0.5s after the fault was cleared. Figure 8.16 shows responses of the rotor angle of G#1 following the disturbance.

As the power transfer on this line was very large(see Case B in Table 8.1
 & 8.2), the magnitude of oscillation is quite large. The CPSS provided

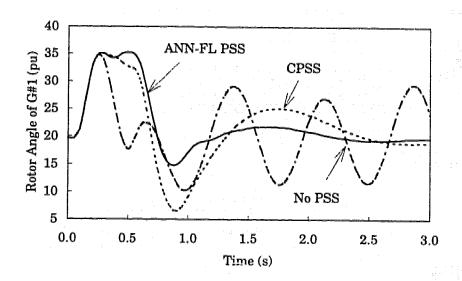


Fig. 8.15 Rotor Angle Response to A Three-Phase to Ground Fault on the Line 1-4 for 6-Cycles

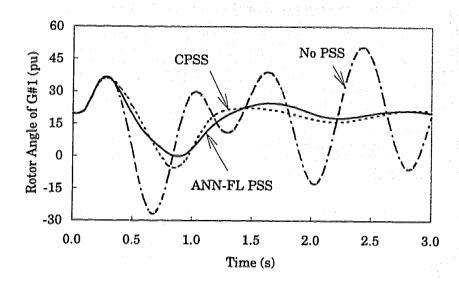


Fig. 8.16 Rotor Angle Response to A Three-Phase to Ground Fault on the Line 2-3 for 6-Cycles

substantial damping to the local mode. The ANN-FL PSS did an even better job(compare the three curves and note the y-axis scale too).

 The oscillation of the inter-area mode is manifest, due to the fact that the faulted line is directly connected to the equivalent machine.

8.4.5 ANN-FL PSS Using Accelerating Power

A transient simulation for the ANN-FL PSS using accelerating power as input signal was carried out. The fault applied was the 6-cycle three-phase to ground fault on line 1-2 at the terminal bus of G#1 as simulated previously. Figure 8.17 shows the rotor angle response of G#1 to the fault and the output of the PSS.

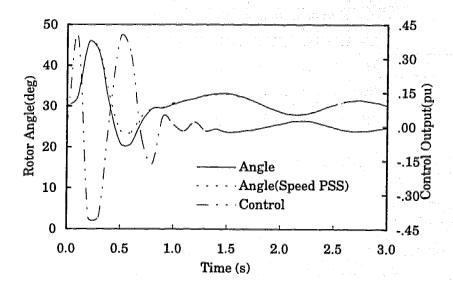


Fig. 8.17 Rotor Angle Response to the Three-Phase to Ground Fault on Line 1-2, with the ANN-FL PSS Using Accelerating Power As Input Signal

 It can be seen that the performance difference of the two ANN-FL PSSs is indistinguishable after the first swing in which the speed ANN-FL PSS produces less "overshoot".

8.5 SUMMARY

At the beginning of this chapter, an introduction to the enhancement of power system stability has been presented. At present, small—and large—signal stability problems are handled with the use of power system stabilizers (PSSs) which are cost—effective. A brief description of the study system employed in this thesis is given, including its load flow studies, frequency response, and transient simulations. Followed is the design of two ANN-FL PSSs, one using speed deviation as input and the other using accelerating power. The design procedure and the structure of the ANN-FL PSSs are the same as used in Chapter 5. In the last section, performance evaluation is presented of the newly-designed ANN-FL PSSs under different system disturbances.

CONCLUSIONS

9.1 THE INITIATIVE

The stability problem of a power system can be summarized as being whether or not the synchronous generators in the system can be successfully controlled, i.e., maintained in synchronism following major upsets to the system. Classical and modern control techniques using mathematical system theory, which deals with the analysis and synthesis of dynamical systems, have served remarkably well. However these techniques are inadequate when one is confronted with the control of complex systems characterized by poor models, high dimensionality of the decision space, multiple performance criteria, time-varying parameter values, nonlinearities, disturbances, and failing component parts. As the system to be controlled becomes more complex, so does the complexity associated with the computation of the control law and the task of implementing the control in a timely fashion.

The research reported in this thesis was motivated by the fact that stability problems exist in any given power system and its control is a challenging task to engineers due to its increased complexity. Fixed parameter control systems that are designed using linear control theory may

not perform satisfactorily when the system experiences severe transients, since power systems are highly nonlinear.

This thesis has addressed a single issue in the category of power system stability control, that is, stability enhancement through supplementary excitation control accomplished with power system stabilizers(PSSs). The research on, and practice of, this technology has progressed from fixed parameter conventional PSSs, adaptive PSSs to intelligent control systems. The latter is at its early stage of application. An intelligent control system is one that can sense the environmental changes, process the sensor data, generate and execute a timely control action that guides the system from an initial state to a terminal state satisfying the various constraints and objectives imposed. Since intelligent control, defined as a combination of control theory, operations research and artificial intelligence, offers fast and robust control, it is emerging as one of the most popular new technologies in the industrial and manufacturing worlds. This has put an urgency to utility companies where new technology evolution is slow due to the fact that implementation of unproved new technology is a risk to both the customer and the utility. On the other hand, utilities want to improve their facilities and technology to better serve the customer.

9.2 REALIZATION

This thesis has presented a non-conventional control strategy consisting of an hybrid neural fuzzy-logic modeling technique, to meet the diverse demands of supplementary excitation control to enhance power system stability. Two ANN-FL PSSs have been designed for a two-machine infinite-bus power system and extensive simulation studies were performed using the Transient Stability Simulation Package(TSSP) implemented under SIMULINK. The following points summarize the observations from the work.

- 1. Steady-state stability studies have shown that the two-machine infinite-bus power system exhibits two oscillation modes. The local mode of the test machine is 1.7Hz. The inter-area mode is 0.8Hz. A study of the frequency response of the system was carried out to confirm the obtained results.
- 2. Transient simulation studies have shown that the multimachine power system is insufficiently damped and highly oscillatory without supplementary excitation control. This condition is designed for the purpose of testing any PSS to see whether it can stabilize the system.
- 3. When the test machine experiences a 4% step increase of its reference terminal voltage, the operating point of the machine has to change. The transient of this change has been simulated with different control schemes. It is shown that the system is oscillatory without PSS, and

- stable with either the CPSS or the speed ANN-FL PSS. The latter provides marginally better performance.
- 4. When the test machine experiences a 0.25% step increase of its input mechanical power, both the CPSS and the speed ANN-FL PSS can stabilize the system. The latter provides instant control action(as it has no dynamic itself) and moderately more damping to the local mode.
- 5. When the system experiences severe disturbances such as three-phase to ground faults under different operating conditions, the ANN-FL PSSs exhibit much improved performance over the CPSS.
- 6. In Chapter 5, an ANN-FL controller is designed for speed-tracking control of a DC motor. It has been shown that the ANN-FL controller outperforms an optimally-tuned PID controller under various transients.

9.3 SIGNIFICANCE OF THE WORK

The results presented in this thesis have contributed to the innovation of design techniques for supplementary excitation control of synchronous generators. The hybrid neural fuzzy-logic modeling methodology combines the power of artificial neural networks(ANNs) and fuzzy-logic(FL) to form a control system that can learn, generalize and adapt. At the same time it can store knowledge of the system behavior as a structured database for later use. The significance of this research work can be summarized as follows:

- 1. This thesis has presented an innovative modeling technique referred to as ANN-FL modeling for designing supplementary excitation control systems to enhance the stability of multimachine power systems. Two ANN-FL PSSs, one using speed deviation as input, the other using accelerating power, are designed. Simulation studies have shown that this ANN-FL algorithm is fast in responding to state variable changes and immune to changes in the operating conditions.
- An ANN-FL controller is designed for speed-tracking control of a DC motor. Its performance is compared with that of a PID controller. It is shown that the ANN-FL controller provides perfect speed-tracking control.
- 3. Simulation studies have shown that an ANN-FL controller designed for one machine can be utilized on another. This means that fast and economic intelligent controllers for both motor drives and generator control can be developed without customized design.
- 4. Handling of generator saliencies has been a challenge and an iterative procedure has been utilized in transient stability studies[9-1]. An innovative simulation algorithm overcoming this difficulty has been developed in this research.
- 5. A highly productive simulation environment has been developed as part of this research, based on the Transient Stability Simulation Package(TSSP) under the platform of SIMULINK. A device library has been created for

power system apparatuses and network equations. In this environment, advanced control systems can be easily designed, prototyped and simulated.

9.4 FUTURE WORK

Simulation studies have shown promising performance of the newly-designed ANN-FL controller for DC motor control and ANN-FL power system stabilizers for synchronous generator control. There are a few areas where further research work can be carried out.

- Investigate whether there exist torsional oscillatory modes with an ANN– FL PSS using speed deviation as input. If such oscillatory modes exist, accelerating power may be utilized as input signal, since the integral of accelerating power is free of torsional modes[9-2].
- 2. Investigate whether coordinated operation[9-3] of ANN-FL PSSs in a multimachine power system is beneficial to the damping of local and inter-area modes where synchronous generators can be divided into coherent generating groups[9-4].
- 3. Implement in laboratory the ANN-FL controller for DC motor control and the ANN-FL PSSs for synchronous generator control.
- 4. Investigate the applicability of the proposed ANN-FL algorithm in (a) steam temperature control on the boiler side in a generation station and (b) governor and combined governor and AVR control.

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APPENDIX A SATURATED REACTANCE AND TIME CONSTANTS

A.1 Saturated Reactance

It is assumed that leakage flux does not contribute in any way to the saturation of the machine, and that the leakage flux itself does not saturate either. Thus the reactances on the two axes can be given by

$$X_d = X_\sigma + X_{ad} \tag{A.1}$$

$$x_{a} = x_{\sigma} + x_{aa} \tag{A.2}$$

The saturated values of the reactances in the above equations are calculated as follows:

$$x_d^{(0)} = x_\sigma + x_{ud}^{(0)} \tag{A.3}$$

$$x_q^{(0)} = x_\sigma + x_{aq}^{(0)} \tag{A.4}$$

$$x_{ad} = kx_{ad}^{(0)} \tag{A.5}$$

$$x_{aq} = kx_{aq}^{(0)} \tag{A.6}$$

$$x_d = x_\sigma + kx_{ad}^{(0)} = kx_d^{(0)} + (1 - k)x_\sigma \tag{A.7}$$

$$x_q = x_\sigma + k x_{aq}^{(0)} = k x_q^{(0)} + (1 - k) x_\sigma$$
 (A.8)

$$x_{ad} = x_d - x_{\sigma} = k(x_d^{(0)} - x_{\sigma})$$
 (A.9)

where the subscript σ denotes flux leakage.

A.2 Time Constants

The single line diagrams of the excitation winding and the two damping windings on the rotor are used to derive the time constants. Figure A.1 represents the open circuit of the excitation winding, from which the transient time constant is given by

$$\tau_{do} = \tau_f = \frac{\left(x_{fo} + x_{ad}\right)}{r_f} \tag{A.10}$$

Then the saturated time constant can be found from

$$\frac{\dot{\tau}_{do}}{\dot{\tau}_{do}^{(0)}} = \frac{\frac{\left(x_{f\sigma} + x_{ud}\right)}{r_{f}}}{\frac{\left(x_{f\sigma} + x_{dd}^{(0)}\right)}{r_{f}}}$$

$$= \frac{x_{f\sigma} + k\left(x_{d}^{(0)} - x_{\sigma}\right)}{x_{f\sigma} + \left(x_{d}^{(0)} - x_{\sigma}\right)}$$

$$= k + \left(1 - k\right) \frac{\left(x_{d} - x_{\sigma}\right)}{\left(x_{d}^{(0)} - x_{\sigma}\right)}$$
(A.11)

where (A.3) and (A.12)-(A.13) are used:

$$x_{ff} = x_{f\sigma} + x_{ud} \tag{A.12}$$

$$\dot{x_d} = x_d - \frac{x_{ad}^2}{x_{ff}} \tag{A.13}$$

It is assumed that $x_{f\sigma}$, the leakage flux of the excitation winding, does not saturate either.

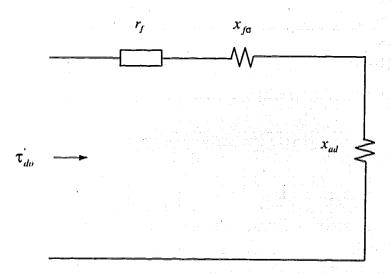


Figure A.1: Diagram for calculation of τ_{do}

Figure A.2 represents the open circuit of the damper winding on d-axis, from which its subtransient time constant is calculated by

$$\tau_{do}^{"} = \frac{\left(x_{D\sigma} + x_{ad} \ln x_{f\sigma}\right)}{r_{D}} \tag{A.14}$$

Then its saturated value can be calculated by

$$\frac{\tau_{do}^{"}}{\tau_{do}^{"(0)}} = \frac{x_{D\sigma} + \left(x_{ad} || x_{f\sigma}\right)}{x_{D\sigma} + \left(x_{ad}^{(0)} || x_{f\sigma}\right)}$$

$$= k + (1 - k) \frac{\left(x_{d}^{"} - x_{\sigma}\right)}{\left(x_{d}^{(0)} - x_{\sigma}\right)}$$
(A.15)

where ' \parallel ' denotes parallel connection of reactances. The following (A.16) is used in derivation of (A.15):

$$x''_{d} = x_{\sigma} + \frac{x_{D\sigma} x_{f\sigma} x_{ad}^{(0)}}{x_{D\sigma} (x_{ad}^{(0)} + x_{\sigma\sigma}) + x_{ad} x_{f\sigma}}$$

$$= x_{\sigma} + x_{D\sigma} ||x_{f\sigma}|| x_{ad}^{(0)}$$
(A.16)

which is the equivalent reactance of Figure A.2 when the damper winding is short circuited and r_D is set to be zero.

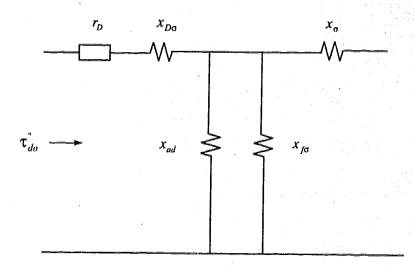


Figure A.2: Diagram for calculation of $\tau_{dn}^{"}$

Figure A.3 represents the open circuit of the damper winding on q-axis, from which its subtransient time constant is calculated by

$$\tau_{qo}^{"} = \frac{\left(x_{Q\sigma} + x_{aq}\right)}{r_O} \tag{A.17}$$

$$\frac{\tau_{qn}^{"}}{\tau_{qn}^{"(0)}} = k + (1 - k) \frac{\left(x_q^{"} - x_\sigma\right)}{\left(x_q^{(0)} - x_\sigma\right)} \tag{A.18}$$

The following (A.19) is used in derivation of (A.18):

$$x_{q} = x_{\sigma} + x_{Q\sigma} || x_{qq}^{(0)}$$
 (A.19)

which is the equivalent reactance of Figure A.3 when the damper winding is short circuited and r_Q is set to be zero.

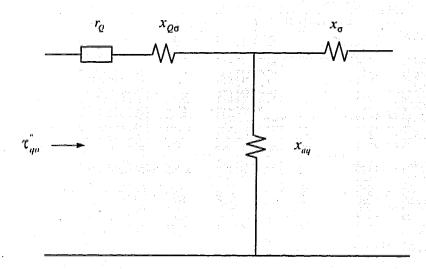


Figure A.3: Diagram for calculation of $\tau_{qo}^{"}$

```
% Filename: find_vif.m, network and generator interface
 % Line fault can be introduced if desired.
 % Inputs: state variables of devices
 % Outputs: terminal voltages and currents
 % Stephan Z. Ao
 % CopyRight Feb 16, 1996
 function vi_out = find_vif(u)
 cmm
 global Y Yf Yp Yr BUSTYPE
 global Ts Tp Tr Ifault
 global Xds Xqs Ts Tp Tr Y0
 NBUS = max(size(Y));
 A = zeros(2*NBUS, 2*NBUS);
                                              %coefficient matrices
B = zeros(2*NBUS,1);
Zi = zeros(2,2);
                                              %impetance of generator i
Del = [];
                                              %generator angle
Y0 =zeros(2*NBUS,2*NBUS);
nu = max(size(u));
TIME = u(nu);
                                              %last element of u is time
if (TIME<Ts)
                                              %prefault Y
  Y0 = Y:
elseif (TIME>=Ts & TIME<Tp )
                                              %faulted Y
  Y0 = Yf;
elseif (TIME>=Tp & TIME<Tr )
                                              %post-faulted Y
  Y0 = Yp;
elseif (TIME>=Tr)
                                              %restored Y
  Y0 = Yr;
end
                                              %end if
for I=1:NBUS
                                              %decompose Y into real
for J=1:NBUS
                                              %and imaginary part
 A(2*I-1,2*J-1) = real(Y(i,i,J));
 A(2*I-1,2*J) = -imag(\forall ((i,j));
 A(2*I, 2*J-1) = imag(Y(-J));
 A(2*I, 2*J) = real(Y0(I,J));
end
end
uix = 1;
                                             %point to the first element
I=1;
                                             %of input u[]
for J=1:NBUS
id = BUSTYPE(J,2);
 if (id<0)
                                             %handle load buses here
 end
 if (id \ge 0)
                                             %handle generator buses
```

```
if(id==4)
                                              %GEN_4
  Xdbar = XD11(I);
  Xqbar = XQ11(I);
  Epbar = [u(uix+1);
                                              %Eq"
                                              %Ed"
           u(uix+2)];
  ang = u(uix+3);
                                              %angle
  Del = [Del;ang];
  SX(I,2) = u(uix+3);
  SX(I,3) = u(uix);
  SX(I,4) = u(uix+2);
  SX(I,13) = u(uix+1);
  uix = uix + 4;
elseif (id==3)
                                             %GEN_3
  Xdbar = XD1(I);
  Xqbar = XQ1(I);
  Epbar = [u(uix);
                                             %Eq'
                                             %Ed'
          u(uix+1)];
  ang = u(uix+2);
                                             %angle
 Del = [Del;ang];
 SX(I,2) = u(uix+2);
 SX(I,3) = u(uix);
 SX(I,4) = u(uix+1);
 uix = uix + 3;
elseif(id==2)
                                             %GEN_2
 Xdbar = XD1(I);
 Xqbar = Xqs(I);
 Epbar = [u(uix); 0];
                                             %Eq', Ed'=0
 ang = u(uix+1);
                                             %angle
 Del = [Del; ang];
 SX(I,2) = u(uix+1);
 SX(I,3) = u(uix);
 SX(I,4) = 0.0;
 uix = uix + 2;
 elseif (id==1)
                                             %GEN_1
 Xdbar = Xds(I);
 Xqbar = Xqs(I);
 Epbar = [u(uix); 0];
                                             %Eq=cont, Ed=0
 ang = u(uix+1);
                                             %angle
 Del = [Del;ang];
 SX(I,2) = u(uix+1);
 SX(I,3) = u(uix);
 SX(I,4) = 0.0;
uix = uix + 2;
elseif (id==0)
                                            %Infinite Bus
 Xdbar = XD(I);
Xqbar = XQ(I);
 Epbar = [u(uix); 0];
                                            %Vinf
 ang = u(uix+1);
                                            %angle
Del = [Del;ang];
```

SX(I,2) = u(uix+1);

```
SX(I,3) = u(uix);
   SX(I,4) = 0.0;
  uix = uix + 2;
 end
                                              %end internal if statement
Zi = (-R(I), -Xdbar;
     Xqbar, -R(I);
T = [\cos(ang) \sin(ang);
                                              %transformation
    sin(ang) -cos(ang)];
YIP = T*inv(Zi)*T;
                                              %impetance matrix
                                              %of generator i
                                              %modify A matrix
A(2*J-1,2*J-1) = A(2*J-1,2*J-1)-YIP(1,1):
 A(2*J-1,2*J) = A(2*J-1,2*J)-YIP(1,2);
 A(2*J, 2*J-1) = A(2*J, 2*J-1)-YIP(2,1);
 A(2*J,2*J) = A(2*J,2*J)-YIP(2,2);
vn = [u(nu-2);u(nu-1)];
                                             %voltage at slack bus
Zi = YIP*T*Epbar;
                                             %Yi'*Ti*E'--Zi as temp use
                                             % T as temp use
T = [A(2*J-1,2*NBUS-1), A(2*J-1,2*NBUS);
    A(2*J, 2*NBUS-1), A(2*J, 2*NBUS)];
TEM = T*vn;
                                             %element of last column
                                             %of Y multiplied by vn
B(2*J-1,1) = -Zi(1,1) - TEM(1,1);
B(2*J,1) = -Zi(2,1) - TEM(2,1);
I = I+1;
end
                                             %end external if statement
end
                                             %end for I loop
                                             %solve Ax = B equation
                                             %for voltage:Vxy--real&imag
                                             %Vcp--complex x+j*y vectors
if (TIME >= Ts \& TIME < Tp)
                                             %fault handling
  Iff = Ifault;
  AP = zeros(2*NBUS-4,2*NBUS-4);
      I1 = 1;
  for I=1:2*NBUS-2
  if ((I<2*Iff-1) | (I>2*Iff))
      J1 = 1;
    for J=1:2*NBUS-2
        if ((J<2*Iff-1) | (J>2*Iff))
        AP(I1,J1) = A(I,J);
       J1 = J1 + 1;
        end
   end
                                             %for J
  BP(I1,1) = B(I,1);
  I1 = I1 + 1;
  end
  end
 VxyP = inv(AP(1:2*NBUS-4,1:2*NBUS-4))*BP(1:2*NBUS-4,1);
 for I=1:2*NBUS-2
```

```
if (I<2*Iff-1 | I>2*Iff)
      Vxy(I,1) = VxyP(I1,1);
      I1 = I1 + 1;
    else
      \mathbf{Vxy}(\mathbf{I},\mathbf{1}) = 0.0;
    end;
    end
                                                %for I
  end
                                                %for fault period
  if (TIME<Ts | TIME>=Tp)
   Vxy = inv(A(1:2*NBUS-2,1:2*NBUS-2))*B(1:2*NBUS-2,1);
  end
Vcp = [];
   for I=1:NBUS-1
   Vcp = [Vcp; Vxy(2*I-1)+i*Vxy(2*I)];
   end
  Vcp = [Vcp;u(nu-2)];
 Vxy = [Vxy;u(nu-2);0];
 Ixy = Y*Vcp;
                                               %calculate injected current
                                               %transform Ixy into
 vi_out = [];
                                               %machine refence:Iqd=(2*NGEN-1,1)
I=1;
 for J=1:NBUS
  if(BUSTYPE(J,2)>=0)
  T = [cos(Del(I)) sin(Del(I));
     sin(Del(I)) - cos(Del(I))];
  Iqd = T*[real(Ixy(J));
        imag(Ixy(J))];
 vi_out = [vi_out;
                                               % output Iqd,Vxy &
     Iqd(1,1);Iqd(2,1);
                                               %Ixy for each generator
     Vxy(2*J-1,1); Vxy(2*J,1);
     real(Ixy(J));imag(Ixy(J))];
  I=I+1;
  end
 end
%update saturated parameters
saturat
%END OF PROGRAM
```

Table C.1 Parameters of the Two Generators

| | Test Machine | Equivalent Machine |
|--------------------|--------------|--------------------|
| S_b | 175.0 | 900.0 |
| Н | 3.91 | 6.175 |
| R_{u} | 0.0032 | 0.0025 |
| x_{l} | 0.22 | 0.20 |
| x_d | 0.74 | 1.80 |
| x_d | 0.51 | 0.30 |
| x_d | 0.40 | - |
| x_q | 0.63 | 1.70 |
| x', | | 0.55 |
| x , | 0.41 | |
| τ_{d0} | 4.73 | 8.00 |
| τ_{do} | 0.03 | |
| $	au_{q0}^{\cdot}$ | | 0.40 |
| τ, | 0.05 | - |
| D | 2.00 | 4.00 |
| A_G | 0.00003 | 0.00011 |
| B_G | 6.00 | 7.2 |

Table C.2 Parameters of the Excitation Systems

| | Test Machine | Equivalent Machine |
|----------------------|--------------|--------------------|
| T_a | 1.00 | 1.00 |
| T_b | 1.00-10.00 | 1.00-10.00 |
| К, | 115.0 | 60.0 |
| T, | 0.05 | 0.05 |
| $E_{fd 	ext{min}}$ | -7.00 | -7.00 |
| $E_{fd\mathrm{max}}$ | 7.00 | 7.00 |

Table C.3 Parameters of the Speed-Governing and Turbine Systems

| | Test Machine | Equivalent Machine |
|---------------------------------|--------------|--------------------|
| T, | 0.10 | 0.10 |
| T, | 10.3 | 10.3 |
| T_w | 2.20 | 1.90 |
| σ | 0.05 | 0.05 |
| δ | 0.32 | 0.40 |
| $(dG/dt)_{\min}$ | -0.10 | -0.10 |
| $(dG/dt)_{max}$ | 0.10 | 0.10 |
| $G_{\scriptscriptstyle m min}$ | 0.00 | 0.00 |
| $G_{ m max}$ | 1.10 | 1.10 |

