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THE XY MODEL FOR PHASE TRANSITIONS -  
SOME STATIC AND DYNAMIC RESULTS

BY



RUTH VITERBO DITZIAN

A THESIS

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## ABSTRACT

Exact high temperature series expansions have been obtained for various thermodynamic quantities for the spin one half XY model of ferromagnetism or of a quantum lattice fluid.

The static quantities calculated include the initial parallel susceptibility and the fourth order fluctuation both for the face centered cubic and for the triangular lattice. Analysis of the series for these two quantities by standard ratio and Padé approximant methods yields estimates for the critical temperature variable,  $K_c = J/kT_c$ , and the critical indices  $\gamma$  and  $\gamma_2$  respectively. For the face centered cubic lattice  $K_c = 0.221 \pm 0.001$ ,  $\gamma = 1.32 \pm 0.04$  and  $\gamma_2 = 4.64 \pm 0.10$ . For the triangular lattice  $K_c = 0.67 \pm 0.01$ ,  $\gamma = 1.50 \pm 0.02$  and  $\gamma_2 = 5.4 \pm 0.5$ . These results coupled with scaling theory yield all critical indices for the spin one half XY model. On the triangular lattice the results obtain if we assume a phase transition but do not constitute conclusive evidence of the existence of such a transition. The results for the face centered cubic lattice compare very well with experimental results for the  $\lambda$  transition in liquid helium.

The dynamical calculations have been done for two quantities, the autocorrelation and the frequency



dependent parallel susceptibility, both on the face centered cubic lattice. The autocorrelation can be expanded in a power series in time. We have calculated the first, second, third, fourth, sixth and seventh coefficients as power series in  $T^{-1}$ . We find that the first, second and third coefficients diverge at  $K_c$  with exponents  $\gamma_1^A = 0.10 \pm 0.01$ ,  $\gamma_2^A = 0.24 \pm 0.05$  and  $\gamma_3^A = 0.35 \pm 0.05$  respectively.

The frequency dependent susceptibility can be expanded in a power series in the reciprocal of the frequency,  $\omega^{-1}$ . Coefficients of odd powers vanish; coefficients of even powers have been obtained as power series in the reciprocal temperature variable,  $K$ . We find that the second moment diverges at  $K_c$  with exponent  $\gamma_1 = 0.10 \pm 0.01$  and the fourth moment vanishes with exponent  $\gamma_3 = -0.86 \pm 0.05$ . Assuming that a relation  $\chi(\omega, T) = [(T_c - T)/T_c]^{-\gamma} f(\omega/[(T - T_c)/T_c]^{\Delta_s})$  holds near  $T_c$  for all  $\omega$  we find that  $\Delta_s = 0.58 \pm 0.10$ . It is important to observe that  $\Delta_s < \gamma$ .

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## CHAPTER I

### INTRODUCTION

This thesis describes a study of the thermodynamical properties above the critical temperature for the spin  $\frac{1}{2}$  XY model. The method of exact high temperature series expansion is used. The XY model is quantum mechanical and yet calculations with it are relatively easy. The spontaneous magnetization, which is the order parameter, lies in the xy plane. Therefore the order parameter in the XY model does not commute with the Hamiltonian and can exhibit dynamical behaviour. This is not the case in the Ising and Heisenberg models, where the order parameter is constant in time and changes in the Hamiltonian have to be introduced to allow dynamical behaviour of the magnetization. Accordingly this thesis is divided into two parts. The first deals with static critical phenomena and the second treats dynamical critical phenomena.

In Section 2.2 the XY model is introduced. We shall briefly summarize here the reasons for the interest in this model. In 1956 Matsuda and Matsubara proposed the anisotropic Heisenberg model as a possible model for an interacting Bose fluid. The XY model represents a Bose fluid with hard core repulsive interaction only.

The classical anisotropic Heisenberg model has been studied by Jasnow and Wortis (1968) for various values of the anisotropy parameter. They concluded that the critical behaviour for the classical model depends only on the dimensionality of the lattice and the symmetry of the ground state. That is, the critical indices are constant over ranges of the anisotropy parameter and change discontinuously when the symmetry of the ground state changes. The XY behaviour persisted as long as the ground state was invariant under rotation in the plane. This is true when the XY part of the interaction is stronger than the Z or Ising part.

Jasnow and Wortis studied only the spin infinity, or classical, case but the conjectured behaviour is supported for the quantum mechanical case by the work of Barouch and McCoy (1969). Barouch and McCoy found, for the anisotropic XY model in one dimension, that the nature of the decay of the spin correlations changed when changes in the anisotropy parameter and in the applied field affected the symmetry of the ground state. It seems therefore reasonable to expect that the critical indices of the spin  $\frac{1}{2}$  anisotropic Heisenberg model will be equal to the indices of the XY model as long as the

XY interaction is dominant. The indices we obtain are expected then to fit the  $\lambda$  transition of liquid helium, and some insulating magnetic crystals for which  $J_{\perp} \gg J_{\parallel}$ , that is the transverse interaction is much stronger than the parallel.

The quantities usually expanded in high temperature series are free energy, the susceptibility and the even derivatives of the free energy with respect to the field at zero field. Betts, Elliott and Lee (1970) calculated the free energy and fluctuation series for a variety of lattices. Because the magnetization and the Hamiltonian do not commute, the fluctuation,  $\frac{1}{N} \langle M_x^2 \rangle$ , is not equal to the susceptibility. Falk and Bruch (1969) proved however that the critical index of the fluctuation is equal to  $\gamma$ , the index of the susceptibility. The proof involved only rigorous thermodynamical inequalities. The equality is only asymptotically true close to the critical temperature. It is therefore of interest to calculate the susceptibility to see numerically how the coefficients approach those of the fluctuation series.

From the fluctuation series on the triangular lattice no conclusions could be drawn as to the existence of a

transition and it was hoped that the static susceptibility would behave better.

The other static quantity calculated was the fourth order parallel fluctuation

$$Y_2 = \frac{1}{N} \left\{ \frac{3}{2} \langle M_x^2 \rangle^2 - \frac{1}{2} \langle M_x^4 \rangle \right\} .$$

By similar arguments to those used for the fluctuation by Falk and Bruch (1969),  $Y_2$  diverges as the fourth derivative of the free energy with respect to the field in the  $x$  direction, thereby giving us an estimate for the gap parameter. Now two critical exponents and scaling yield estimates for all critical indices.

Before leaving the static quantities we should mention that the limit at zero frequency of the dynamical susceptibility is the quasistatic (called also adiabatic after Kubo) susceptibility while ours is the isothermal. They are equal when the system is ergodic. This question arose in the dynamical calculations for the Ising model of Allan and Betts (1968) and Essam and Garelick (1968). We shall discuss ergodicity in Chapter V but mention here the conclusion that in the XY 3-dimensional case we believe the two are equal.

Dynamic critical phenomena are at a much earlier stage of theoretical investigation than static critical phenomena.

Scaling laws have less success with static correlations than they had with the thermodynamical quantities. For the dynamical correlations the assumptions used for the static correlations are kept and generalized, therefore scaling is on a weaker basis.

There is no exactly soluble model with physical critical behaviour that can be used to check dynamical theories the way the 2d Ising model is used in static theory. The only soluble model is the one dimensional XY model. Niemeijer (1967), Barouch, McCoy and Dresden (1969) and Suzuki (1969) have calculated the time dependent correlations and magnetization of the one dimensional XY model. This model has the disadvantage of being non ergodic. The limit  $t \rightarrow \infty$  yields a magnetization which is not the equilibrium magnetization in the z direction. The magnetization in the x direction can be expected to be ergodic and of interest but cannot be calculated exactly with present methods.

The kinetic Ising model in 2 dimensions was investigated by Suzuki (1969) using high temperature series expansions. Suzuki found that the critical index of slowing down is different from the index of the static

susceptibility. Dynamical molecular field theory (Van Hove (1959), Suzuki and Kubo (1968)) predicts equality for the two indices.

Recently McFadden and Tahir Kheli (1970) calculated the zeroth, second and fourth moments of the spectral function as functions of the momentum transfer. Only the leading term in  $T^{-1}$  was obtained.

We have calculated the frequency dependent susceptibility  $\chi(\underline{0}, \omega)$ . We have obtained a double series in powers of  $T^{-1}$  and  $\omega^{-1}$ . Analysis of the series is hampered by the fact that coefficients of powers of  $T^{-1}$  are infinite series in powers of  $\omega^{-1}$  and vice versa. We find that the second moment of the susceptibility diverges at  $T > T_c$ . For the kinetic Ising model and the isotropic Heisenberg model all moments are finite, as was rigorously proved by Suzuki (1969) and Mermin and Wagner (1966) respectively. Though the proofs could not be generalized to the XY model the divergence was not expected. Assuming scaling we estimate the critical index of slowing down, and we find that in this case it is speeding up. We calculated the auto-correlation and with a scaling assumption estimate its relaxation time.



## CHAPTER II

## STATIC CRITICAL PHENOMENA AND THE XY MODEL

2.1 Critical phenomena and critical exponents

Phase transitions have been studied by physicists since the day man discovered that water boiled and froze.

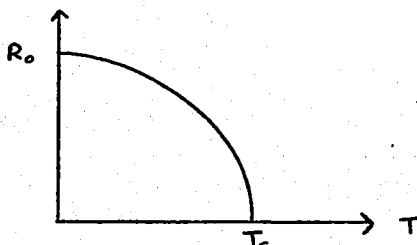
A great variety of such phenomena, while of completely different origin, have a very similar quantitative behaviour and can be studied using the same mathematical models.

Some examples of critical phenomena are those which occur in monomolecular fluids near the critical point, in liquid helium near the  $\lambda$  temperature, in binary alloys near the order-disorder transition and in ferromagnets in the vicinity of the Curie temperature.

In all these systems by varying a thermodynamical parameter we reach a point where there is no phase transition, only one homogeneous phase exists and changes such as in density or magnetization are continuous.

For all those phenomena a long range order parameter  $R$  can be defined. At  $T=0$  there is absolute order in the system. All spins are lined up parallel to each other in a ferromagnet, all  $\text{He}^4$  atoms are in the ground superfluid state etc., so  $R=R_0$ ; at infinite temperature  $R=0$  as complete disorder must occur. In the systems with which we are concerned however the long range order disappears suddenly at and above some temperature defined as the critical point,

whereas for systems which do not exhibit phase transitions  $R$  decays to zero smoothly and only at  $T=\infty$ ; for the transitions with which we deal the behaviour of  $R$  is



For example, the order parameter for a ferromagnet is the magnetization, and for superfluid it is the density of the superfluid fraction.

In the vicinity of this critical point there are large fluctuations of all thermodynamic quantities which can become macroscopic and the relevant derivatives of the thermodynamic potential, such as specific heat and susceptibility, diverge. Such macroscopic fluctuations cannot probe deeply into the microscopic details of the forces involved and this is the reason of the quantitative similarity among such diverse phenomena.

The determination of the asymptotic laws which describe the approach to the critical point has been the main problem in the study of critical phenomena. It may be that only the dimensionality and symmetry of the system are needed to predict the asymptotic laws of the appropriate variable. This is a unifying pleasing hypothesis (Jasnow, Wortis 1968; Kadanoff 1970).

(a) Magnetic systems

Ferromagnets are defined as those crystals which have a spontaneous magnetization below the Curie temperature  $T_c$ , that is which possess a magnetic moment even in the absence of an applied magnetic field  $H$ .

$$M_0(T) = \lim_{H \rightarrow 0^+} M(H, T) \quad (2.1.1)$$

Above  $T_c$  is the paramagnetic region and the magnetization varies continuously with  $H$  through the line  $H=0$ .

The magnetic exponent  $\beta$  is defined by

$$M_0(T) \sim (T - T_c)^\beta \quad (2.1.2)$$

as  $T$  approaches  $T_c$ . This behaviour is well verified by the experimental data of Heller and Benedek (1965) and Senturia and Benedek (1966) on  $\text{EuS}$  and  $\text{CrBr}_3$ .

The isothermal zero field susceptibility

$$\chi_T = \left( \frac{\partial M}{\partial H} \right)_{H=0} \quad (2.1.3)$$

diverges as the temperature approaches  $T_c$

$$\chi_T \sim \begin{cases} (T - T_c)^{-\gamma} & T > T_c \\ (T - T_c)^{-\gamma'} & T < T_c \end{cases} \quad (2.1.4)$$

This relation defines the critical exponents  $\gamma$  and  $\gamma'$  and again experiments bear out this assumed behaviour for a

variety of materials: Ni, Fe, Gd, YtFeO<sub>3</sub> (see Miedema et al (1963)). The critical index  $\delta$  is defined on the critical magnetic isotherm

$$H \sim |m|^\delta \quad T = T_c \quad . \quad (2.1.5)$$

The specific heat critical exponents  $\alpha$  and  $\alpha'$  are defined by

$$C_{H=0} \sim \begin{cases} (T-T_c)^{-\alpha'} & T < T_c \\ (T-T_c)^{-\alpha} & T > T_c \end{cases} \quad (2.1.6)$$

$\alpha=0$  is by definition a logarithmic singularity, for example EuO (Teaney 1966).

One more series of exponents  $\Delta'_n$  can be defined (for  $T < T_c$ ) by the relation:

$$\left( \frac{\partial^n F}{\partial H^n} \right)_T \sim (T_c - T)^{-\Delta'_n} \left( \frac{\partial^{n-1} F}{\partial H^{n-1}} \right)_T \quad (2.1.7)$$

where  $F$  is the free energy, and similarly  $\Delta_n$  is defined for  $T > T_c$ .

For  $n=1$ , (2.1.7) does not define new exponents as they are related to  $\alpha$ ,  $\beta$ ,  $\gamma'$  by

$$\Delta'_1 = 2 - \alpha' - \beta$$

$$\Delta'_2 = \beta + \gamma'$$

Above  $T_c$  odd derivatives vanish for  $H=0$  because  $M(-H, T) = -M(H, T)$ .  $\Delta_n$  and  $\Delta'_n$  cannot be measured experimentally for  $n > 2$ .

The exponents  $\nu, \nu'$  and  $\eta$  refer to the behaviour of the pair correlation function  $\Gamma(r)$  and correlation length  $\xi$  observed in neutron scattering, first explained by Van Hove (1945)

$$\xi \sim \begin{cases} (T-T_c)^{-\nu'} & T < T_c \\ (T-T_c)^{-\nu} & T > T_c \end{cases} \quad (2.1.8)$$

$$\Gamma_c(r) \approx \frac{1}{r^{d-2+\eta}} \quad \begin{matrix} T = T_c \\ H = 0 \end{matrix} \quad (2.1.9)$$

where  $d$  is the dimensionality of the system.

The spin correlation function is defined by

$$\Gamma_{\alpha\beta}(\underline{r}, H, T) = \frac{\langle S_o^\alpha S_r^\beta \rangle - \langle S_o^\alpha \rangle \langle S_o^\beta \rangle}{\frac{1}{3} S(S+1)} \quad \alpha, \beta = x, y, z \quad (2.1.10)$$

and  $\Gamma$  is the correlation function in the preferred direction at the critical point. The quasi elastic scattering intensity for a momentum transfer  $\underline{q}$  is:

$$\frac{I(\underline{q})}{I^0(\underline{q})} = 1 + \sum e^{i\underline{q} \cdot \underline{r}} \Gamma(\underline{r}) \quad (2.1.11)$$

The coherent scattering at zero field below  $T_c$  is

$$I_{\text{coh}}(0, T) \sim M_o^2(T) \sim (T-T_c)^{2\beta} \quad (2.1.12)$$

which gives another experimental way of measuring  $\beta$ .

The zero angle scattering is proportional to the susceptibility,

$$I(0) \sim \chi_T \sim (T-T_c)^{-\gamma} \quad H = 0 \quad (2.1.13)$$

$$T > T_c$$

Experiments were performed by Passel et al (1965), Balley et al (1967) on iron to measure  $\gamma$ .

From (2.1.9) and (2.1.11) we see

$$I_{\text{critical}}(\underline{k}) \sim \frac{1}{k^{2-\eta}} \quad \text{as } k \rightarrow 0 \quad (2.1.14)$$

Jacrot et al (1962), Passel et al (1965) measured  $\eta$  this way.

The spin correlation function decays as

$$\Gamma(\underline{r}, T) \sim \frac{e^{-\kappa r}}{r} \quad (2.1.15)$$

The correlation length is defined by

$$\xi = \kappa^{-1} \quad (2.1.16)$$

$\kappa_1(T)$  measures the slope of  $I^{-1}(\underline{k}, T)$  against  $k^2$  as  $k \rightarrow 0$

$$\kappa_1^{-2} \propto \frac{\int r^2 \Gamma(\underline{r}) d\underline{r}}{1 + v^{-1} \int \Gamma(\underline{r}) d\underline{r}} \quad (2.1.17)$$

Near  $T_c$  we expect  $\kappa_1 \sim \kappa$  if near the critical point only one divergent temperature dependent correlation length exists. The quantity  $v$  that is measured is the one pertaining to  $\kappa_1$ .

This was a short summary of the definitions of critical indices for uniaxial ferromagnets; our interest is really in ferromagnets with a plane of easy magnetization but applying a small field in a direction lying in the plane enables us to treat that direction as the preferred axis of magnetization and all definitions still apply.

(b) Superfluid helium

At first sight the superfluid transition seems rather different from the transition in a uniaxial ferromagnet because of the existence of the  $\lambda$  line (see Figure 2.2). The confusion arises due to regarding the pressure on the superfluid as the analogue of the magnetic field and the density as the analogue of the magnetization. The correct analogy is between the superfluid order parameter (the square root of the superfluid density) and the magnetic order parameter (the axial magnetization). The generalized force conjugate to the superfluid order parameter and analogous to the axial magnetic field is unfortunately not physically realizable. The analogues of the density and pressure are more correctly in the uniaxial magnet, the perpendicular magnetization and the perpendicular magnetic field. We shall expect therefore

$$n_0(t) \sim (T - T_\lambda)^{2\beta} \quad (2.1.18)$$

$n_0$  is defined by

$$n_0 = |\Psi|^2 = \lim_{(\underline{r} - \underline{r}') \rightarrow \infty} \langle \Psi^\dagger(\underline{r}) \Psi(\underline{r}') \rangle \quad (2.1.19)$$

$\Psi(\underline{r})$  being the wave function in second quantization formulation. Most simple theories of superfluidity assert

$$\rho_s \sim n_0$$

$\rho_s$  being the density of the superfluid. Measurements by Clow and Reppy (1966) and Tyson and Douglass (1966) show  $\rho_s(T) \sim (T_\lambda - T)^\zeta$   $T < T_\lambda$  with  $\zeta \approx 0.666 \pm 0.1$ , that is  $\beta \sim \frac{1}{3}$ . The specific heat at constant pressure shows a logarithmic singularity (Figure 2.3). Experimental results by Fairbank and Kellers (1966), and more accurate results by Ahlers (1969), give  $\alpha = 0.000 \pm 0.003$  according to one interpretation of the data and  $\alpha = -0.005 \pm 0.005$  according to another.

$$C_p \sim -A \ln \left(1 - \frac{T}{T_\lambda}\right) + B \quad T > T_\lambda \quad . \quad (2.1.20)$$

Henkel, Smith and Reppy (1969) obtained  $v_h = 0.67 \pm 0.04$  by measuring the superfluid healing length of thin films which by the assumption of one relevant coherence length near  $T_\lambda$  is the same as  $v$ .

Once the Hamiltonian is given the problem is only to evaluate the partition function

$$Z(T, N, V) = \text{Tr} e^{-\beta \mathcal{H}_N} \quad (2.1.21)$$



and then

$$-\frac{F(T,V)}{kT} = \lim_{V \rightarrow \infty} \frac{1}{N} \ln Z \quad (2.1.22)$$

and all thermodynamical quantities follow by the usual relations. The problem of going to the thermodynamic limit in order to have any critical behaviour is at least partially solved by the rigorous proofs of Ruelle (1963) and others who showed that thermodynamical properties are the same whether obtained by canonical or grand canonical ensemble and do not depend on the shape of the sequence of volumes one uses. Still the order in which limits are taken can make a difference and caution is required.

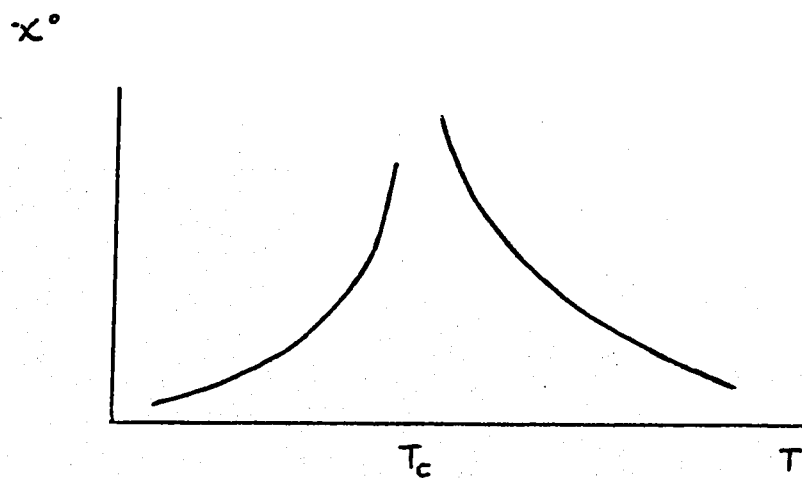


Figure 2.1

Susceptibility in a Ferromagnet

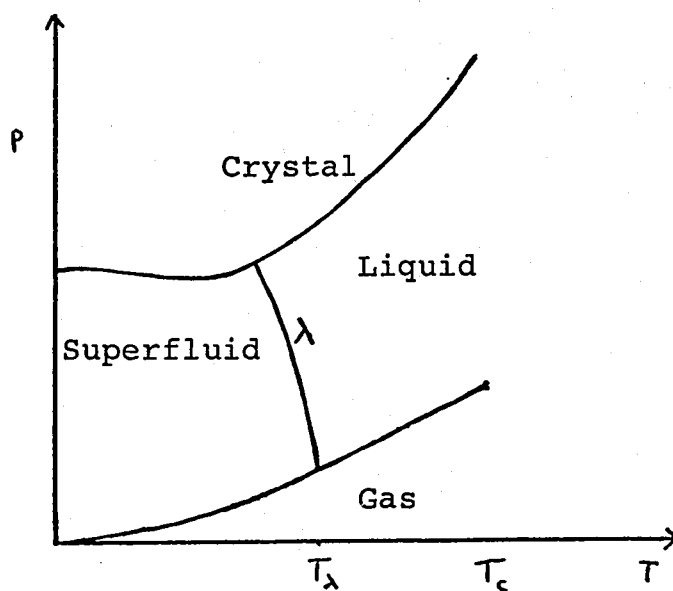


Figure 2.2

Schematic Phase diagram of  $^4\text{He}$

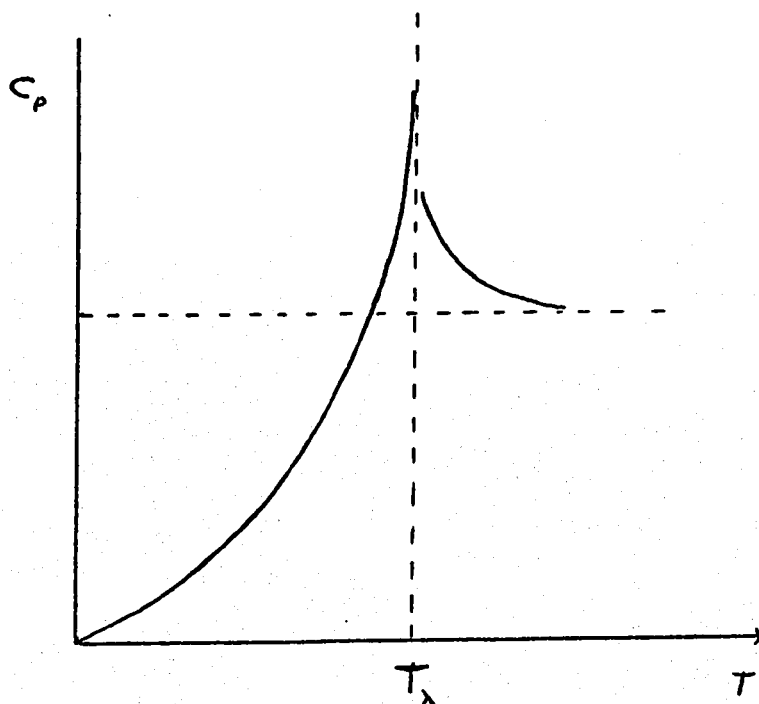


Figure 2.3

Specific heat of liquid helium

## 2.2 The XY model and its relation to magnetic systems and quantum fluids

The first attempt to build a model for ferromagnetism was the Weiss molecular field theory (1907). The model assumes that each particle in the system interacts equally with all other particles in the system. In spite of this rather unrealistic assumption the results were in some agreement with experiment at least in predicting a critical point, a diverging susceptibility (with  $\delta=1$ ) and a discontinuous specific heat.

The first realistic model to be treated was the Ising model with first neighbour interactions. The spins are fixed on a lattice and the Hamiltonian describing the interaction is

$$\mathcal{H} = -J \sum_{\langle ij \rangle} \sigma_i^z \sigma_j^z - mH^z \sum_i \sigma_i^z \quad (2.2.1)$$

where  $\langle ij \rangle$  denotes sum over pairs of nearest neighbours  $\sigma_i^z$  is the Pauli spin matrix and  $m$  is the magnetic moment of the atoms.

It was solved for the spin  $\frac{1}{2}$  case for a one dimensional chain by Ising (1920), and by Onsager (1944) for a square lattice. Series expansions gave good estimates for the critical indices in 3 dimensional lattices. Magnetic systems were found to agree with the predictions of this model, namely the cobalt tutton salts. The  $\beta$  brass

binary alloy seems to be a good example for this model (Als-Nielsen 1969).

The Heisenberg model is based on the exchange theory of ferromagnetism. The Heisenberg Hamiltonian is

$$\mathcal{H} = -2J \sum_{\langle ij \rangle} \vec{S}_i \cdot \vec{S}_j - m H^Z \sum_i S_i^z \quad (2.2.2)$$

Materials like EuO and EuS satisfy both assumptions of the model, localization of spins and isotropy of interaction, and series expansion methods gave estimates for the critical indices (Rushbrooke, Wood (1958), Domb, Wood (1964), Baker, Gilbert, Eve and Rushbrooke (1967)).

The natural extension of the Heisenberg model is a model in which the assumption of isotropy is dropped. Mathematically this causes great complications, usually the most general model treated is

$$\mathcal{H} = -2 \sum_{\langle ij \rangle} \{J_{\perp} (S_i^x S_j^x + S_i^y S_j^y) + J_{\parallel} S_i^z S_j^z\} - m \vec{H} \cdot \sum_i \vec{S}_i \quad (2.2.3)$$

which is called the anisotropic Heisenberg model even though the anisotropy is not complete. The Ising model is the extreme case of  $J_{\perp} = 0$ . The XY model is the other extreme  $J_{\parallel} = 0$ . The XY hamiltonian is

$$\mathcal{H}_{xy} = -2 \sum_{\langle ij \rangle} J (S_i^x S_j^x + S_i^y S_j^y) \quad (2.2.4)$$

first introduced by Lieb, Schultz and Mattis (1961). The work done on the anisotropic Heisenberg model was to calculate  $\chi^{zz}$  which for the limiting case of the XY interaction is not expected to diverge, whereas this thesis deals with a field applied in a direction in the plane of interaction.

A strong inducement to study this model was the work of Jasnow and Wortis on the classical anisotropic Heisenberg hamiltonian. The classical limit is obtained by taking the limit  $\vec{S} \rightarrow \infty$  but  $\frac{S}{|\vec{S}|} \rightarrow 1$ . This gives an interaction of commuting spins which behave like classical vectors. Jasnow and Wortis studied this Hamiltonian for various anisotropies on different lattices by series expansions. Their results suggest, as mentioned in 2.1, that only the symmetry of the ground state and the dimensionality of the lattice affect the critical exponents. In particular as long as the interaction has the symmetry of the XY hamiltonian, that is as long as  $|J_{\perp}| > |J_{\parallel}|$ , the critical behaviour of the system is that of pure XY interaction. The indices change only when there is a change in the symmetry, and then they change discontinuously. The same result is indicated by Barouch and McCoy (1970) for the one dimensional anisotropic XY model (see 2.3). While the pure XY model is mathematically convenient, it has no possible hope of describing a physical system. However

an anisotropic Heisenberg model with the XY symmetry in which  $J_{\perp} \gg J_{\parallel}$  is quite possible.

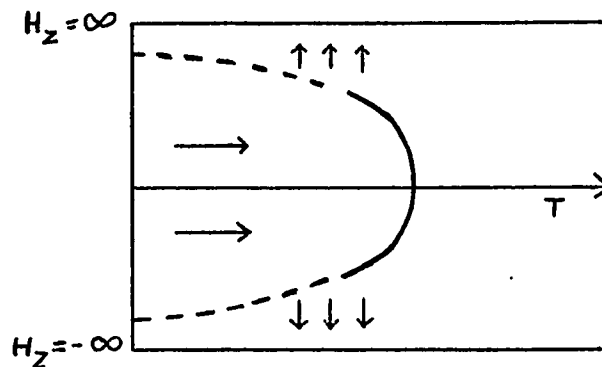
It was suggested by Huiskamp (1967) that materials with strongly anisotropic crystalline fields like  $Gd_2(SO_4)_2 \cdot 8H_2O$  would be likely to have an XY like behaviour. It was shown by Betts, Elliott and Lee (1970) that an insulating crystal composed of high half odd spins with a strong axial crystalline field behaves much like a spin  $\frac{1}{2}$  XY system. The interaction being

$$\mathcal{H} = + D \sum_i (S_i^Z)^2 - J \sum_{\langle ij \rangle} \vec{S}_i \cdot \vec{S}_j \quad D \gg J > 0 \quad (2.2.5)$$

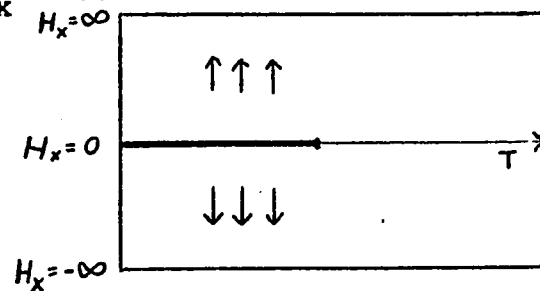
the strong crystalline field will cause the  $S^Z = \pm \frac{1}{2}$  levels to be highly populated in the critical region. Looking now only at the populated subspace  $S^Z = \pm \frac{1}{2}$  the ratio of the  $S_i^X S_j^X + S_i^Y S_j^Y$  part of the interaction compared to the  $S_i^Z S_j^Z$  part will be about  $S^2$  to 1.

In such a material we have a dominant transverse coupling, the spontaneous magnetization vector  $\vec{M}$  in zero field will lie in the xy plane. Introduction of a field in the z direction will tend to rotate the magnetization towards the z axis for large enough fields and we end with a paramagnetic phase in the xy plane. The expected

phase diagram (Fisher 1968) is



where the broken line indicates the transition may not be second order any more, and we have a  $\lambda$ -like transition line. Introducing a field in the  $x$  direction will cause the magnetization to be in the  $x$  direction even in the limit of  $H_x \rightarrow 0$ .



Our calculation is a series expansion for  $T > T_c$   $H_x \rightarrow 0$ . We approach  $T_c$  from above on the  $H_x = 0$  line. Using the equalities predicted by scaling, we can obtain the behaviour on other lines, for example the approach to  $H_x = 0$  on a  $T = T_c$  line.

Matsuda and Matsubara (1956) introduced the anisotropic Heisenberg model as a possible model for a quantum lattice fluid. In the following pages we bring Matsuda and Matsubara's derivation. The model for a classical fluid as



proposed by Yang and Lee(1952) assumes that each atom occupies a cell  $i$  with a probability  $t_i$  which is either 1 or 0. Multiple occupancy is thus excluded and the grand partition function for the system obtained is:

$$\Xi \propto \sum_{t=0,1} \exp\left[\beta\mu \sum_i t_i - \sum_{ij} \beta\phi(\underline{r}_i - \underline{r}_j) t_i t_j\right] \quad (2.2.6)$$

$\mu$  being the chemical potential and  $\phi(\underline{r}_i - \underline{r}_j)$  the potential between atoms in cells  $i$  and  $j$ . Taking

$$\phi(\underline{r}_i - \underline{r}_j) = \begin{cases} 4J & \text{for } i \text{ and } j \text{ nearest neighbours} \\ 0 & \text{otherwise} \end{cases} \quad (2.2.7)$$

the model reduces to the classical Ising model.

For a quantum fluid we work in the framework of second quantization and define creation and annihilation operators  $a_i^\dagger$  and  $a_i$  respectively on each lattice site  $i$ . Since we are dealing with a Bose gas

$$(a_i^\dagger, a_j^\dagger) = (a_i, a_j) = (a_i, a_j^\dagger) = 0 \quad (2.2.8)$$

for  $i \neq j$ . In order to exclude multiple occupation for  $i=j$

$$\{a_i, a_i^\dagger\} = a_i a_i^\dagger + a_i^\dagger a_i = 1 \quad (2.2.9)$$

$$\{a_i^\dagger, a_j^\dagger\} = \{a_i, a_i\} = 0 \quad (2.2.10)$$

and this ensures that the number operators

$$N_i = a_i^\dagger a_i$$

will have eigenvalues 1, 0 only. These commutation relations are satisfied by

$$\begin{aligned} a_i^\dagger &= \sigma_i^x + i \sigma_i^y \\ a_i &= \sigma_i^x - i \sigma_i^y . \end{aligned} \tag{2.2.11}$$

The following potential energy  $\phi$  is considered:

$$\left\{ \begin{array}{l} v = \infty \quad \text{for two atoms on same lattice point} \\ \quad \quad \quad \text{(forbidden by (2.2.10))} \\ v = -v_0 \quad \text{for nearest neighbours} \\ v = 0 \quad \quad \text{otherwise .} \end{array} \right.$$

Therefore

$$\phi = -v_0 \sum_{ij} a_i^\dagger a_i a_j^\dagger a_j . \tag{2.2.12}$$

As to kinetic energy it is assumed that atoms can move only to vacant nearest neighbour sites. Such a transition is generated by  $a_i^\dagger a_j$  for  $ij$  nearest neighbours. We look at the form the kinetic energy takes in the continuum

$$\text{K.E.} = \frac{\hbar^2}{2m} \int \frac{\partial \psi^\dagger}{\partial x} \frac{\partial \psi}{\partial x} dx . \tag{2.2.13}$$

For free particles

$$\psi(\underline{r}) = \frac{1}{\sqrt{V}} \sum_{\underline{K}} a_{\underline{K}} e^{-i\underline{K}\underline{r}} \quad (2.2.14)$$

therefore

$$K.E = \frac{\hbar^2 |\underline{K}|^2}{2m} \sum_{\underline{K}} a_{\underline{K}}^\dagger a_{\underline{K}} \quad (2.2.15)$$

if we define for the lattice fluid the operators

$$a_{\underline{K}} = \frac{1}{\sqrt{N}} \sum_j e^{i\underline{K}\underline{r}_j} a_j \quad (2.2.16)$$

$$a_{\underline{K}}^\dagger = \frac{1}{\sqrt{N}} \sum_j e^{-i\underline{K}\underline{r}_j} a_j^\dagger$$

One possible kinetic energy operator with the correct continuum limit would be

$$K.E = \frac{N \hbar^2 d}{2ma^2 q} \sum_{\langle ij \rangle} (a_i^\dagger - a_j^\dagger) (a_i - a_j) \quad (2.2.17)$$

where we replaced  $\frac{\partial}{\partial \underline{x}}$  by differences,  $d$  is the dimensionality,  $q$  the number of nearest neighbours

$$K.E = \frac{\hbar^2}{2ma^2 q} \sum_{\langle ij \rangle} \left( \sum_{\underline{K}} (e^{i\underline{K}\underline{r}_i} - e^{i\underline{K}\underline{r}_j}) a_{\underline{K}}^\dagger \right) \times$$

$$\times \left( \sum_{\underline{K}'} (e^{-i\underline{K}'\underline{r}_i} - e^{-i\underline{K}'\underline{r}_j}) a_{\underline{K}'} \right)$$

$$= \frac{\hbar^2 d}{2ma^2 q} \sum_{\underline{K}\underline{K}'} a_{\underline{K}}^\dagger a_{\underline{K}'} \sum_{\langle ij \rangle} (e^{i\underline{K}\underline{r}_i} - e^{i\underline{K}\underline{r}_j}) \times$$

$$\times (e^{-i\underline{K}'\underline{r}_i} - e^{-i\underline{K}'\underline{r}_j}) \quad (2.2.18)$$

In the limit  $|K| \ll \frac{1}{a}$  for  $ij$  nearest neighbours

$$e^{i\mathbf{K}\cdot\mathbf{r}_i} - e^{i\mathbf{K}\cdot\mathbf{r}_j} \sim i\mathbf{K}\cdot\mathbf{a} e^{i\mathbf{K}\cdot\mathbf{r}_i}, \quad (2.2.19)$$

therefore

$$\begin{aligned} K.E &\sim \frac{\hbar^2}{2ma^2} \sum_{\mathbf{K}\mathbf{K}'} a_{\mathbf{K}}^\dagger a_{\mathbf{K}'} \sum_{\langle ij \rangle} (\mathbf{K}\cdot\mathbf{a}) e^{i\mathbf{K}\cdot\mathbf{r}_i} e^{-i\mathbf{K}'\cdot\mathbf{r}_i} (\mathbf{K}'\cdot\mathbf{a}) \\ &\sim \frac{\hbar^2}{2ma^2} \sum_{\mathbf{K}} a_{\mathbf{K}}^\dagger a_{\mathbf{K}} \sum_{\langle ij \rangle} (\mathbf{K}\cdot\mathbf{a})^2. \end{aligned}$$

For a continuum limit the nearest neighbours are isotropically distributed, so  $\sum_{\langle ij \rangle} (\mathbf{K}\cdot\mathbf{a})^2 \propto (K)^2 a^2 \frac{q}{d}$

$$K.E \sim \frac{\hbar^2}{2m} |K|^2 \sum_{\mathbf{K}} a_{\mathbf{K}}^\dagger a_{\mathbf{K}}. \quad (2.2.20)$$

The quantum lattice gas Hamiltonian given by this heuristic arguments is

$$\mathcal{H} = \left( \frac{d\hbar^2}{2ma^2q} \right) \sum_{\langle ij \rangle} (a_i^\dagger - a_j^\dagger)(a_i - a_j) - v_0 \sum_{\langle ij \rangle} a_i^\dagger a_i a_j^\dagger a_j. \quad (2.2.21)$$

For spin  $\frac{1}{2}$

$$a_i^\dagger a_i = (\sigma_i^x + i\sigma_i^y)(\sigma_i^x - i\sigma_i^y) = 1/2(1 - \sigma_i^z),$$

therefore

$$\mathcal{H} = - \left( \frac{\hbar^2 d}{q 2ma^2} \right) \sum_{\langle ij \rangle} (\sigma_i^x \sigma_j^x + \sigma_i^y \sigma_j^y) - v_0 \sum_{\langle ij \rangle} \sigma_i^z \sigma_j^z, \quad (2.2.22)$$

which is our anisotropic Heisenberg model. In absence of interactions this reduces to pure XY.

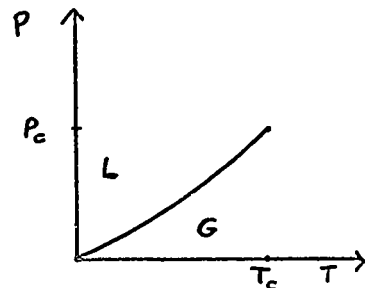
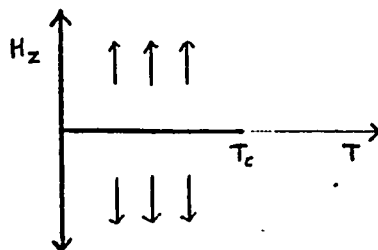
By the assumption that a strong XY interaction compared to the Ising like part yields a behaviour like the pure XY model, we can hope that a pure XY model will describe a quantum fluid with weak interaction be it repulsive or attractive.

This condition that  $|J_{\perp}| > |J_{\parallel}|$  is here

$$\frac{d}{v_0 q} \frac{\hbar^2}{2ma^2} \gg 1, \quad (2.2.23)$$

where  $a$  is the lattice spacing,  $d$  is the dimensionality,  $q$  is the number of nearest neighbours and  $-v_0$  the potential energy between two neighbouring atoms.

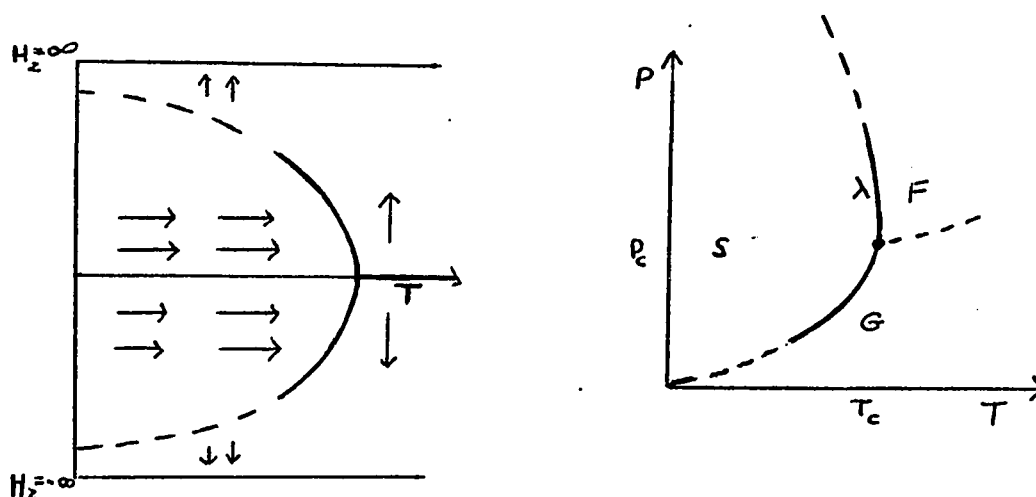
The phase diagram for the superfluid that corresponds to this hamiltonian (2.2.22) can be formed in the same way as the classical gas diagram was formed in analogy to the uniaxial Ising magnet



Our hamiltonian has a positive, ferromagnetic,  $J$  as it came from the kinetic energy and is

$$J = \frac{\hbar^2}{2ma^2} .$$

The phase diagrams are



The pressure in the fluid still corresponds to a field in the  $z$  direction as it is the quantity conjugate to the density, which is  $\sum_i a_i^\dagger a_i \sim \sum \sigma^z$ . Applying a field in the  $z$  direction would not destroy the order until the field become large enough to rotate the magnetization to the  $z$  axis. The magnetic fields in the  $x$  or  $y$  direction correspond to off diagonal fields,  $v_i$  introduced by Bogolyubov (1960), Hohenberg and Martin (1965) which have no physical realization.

$$\mathcal{H}' = - \frac{1}{\sqrt{v_0}} \sum_i (v_i^* a_i + v_i a_i^\dagger) , \quad (2.2.24)$$

then

$$\frac{\partial}{\partial v^*} \frac{kT}{Nv_0} \log z = \frac{1}{\sqrt{v_0}} \langle a_0 \rangle = \langle \psi \rangle . \quad (2.2.25)$$

The superfluid order parameter can be defined by

$$|\psi(T, \mu)| = \lim_{v, v^* \rightarrow 0} |\psi(T, \mu, v^*, v)| . \quad (2.2.26)$$

This is analogous to  $\lim_{H_x \rightarrow 0} \langle M^x \rangle$  .

### 2.3 Rigorous one dimensional results

Lieb, Schultz and Mattis (1961) were able to diagonalize the Hamiltonian of the anisotropic XY model in one dimension

$$\mathcal{H} = \sum_{j=1}^N (1+\gamma) S_j^x S_{j+1}^x + (1-\gamma) S_j^y S_{j+1}^y \quad (2.3.1)$$

by using the transformation to fermion operators given by:

$$a_j^\dagger = \exp \left\{ i\pi \sum_{K=1}^{j-1} c_K^\dagger c_K \right\} c_j^\dagger, \quad a_1^\dagger = c_1^\dagger \quad (2.3.2)$$

$$a_j = \exp \left\{ -i\pi \sum_{K=1}^{j-1} c_K^\dagger c_K \right\} c_j, \quad a_1 = c_1. \quad (2.3.3)$$

They calculated the correlation functions  $\langle S_0^z S_1^z \rangle$ ,  $\langle S_0^x S_1^x \rangle$  and proved that for the isotropic case,  $\gamma=0$ , the long range order vanishes even at  $T=0$

$$\lim_{n \rightarrow \infty} \langle S_0^x S_{2n}^x \rangle \rightarrow 0,$$

while it does not for  $\gamma \neq 0$ .

Katsura (1962) independently solved the same model. He obtained also the perpendicular susceptibility  $\chi^{zz}$  in finite fields and the ground state. Suzuki (1966) obtained the staggered initial susceptibility for the isotropic XY model



$$\chi_0 = \frac{Nm^2}{kT} \cdot \frac{1}{\pi} \int_0^\pi \frac{d\omega}{\cosh^2(K \cos \omega)} \quad (2.3.4)$$

$$\chi_0^s = \frac{Nm^2}{kT} \cdot \frac{1}{\pi} \int_0^\pi \frac{\tanh(K \cos \omega)}{K \cos \omega} d\omega \quad (2.3.5)$$

where

$$K = \frac{J}{kT} \quad (2.3.6)$$

The ground state functions were obtained by Katsura

$$\psi_0 = \left( \prod_{K > N/4}^{N/2} A_{2K-1}^\dagger A_{-2K+1}^\dagger \right) |0\rangle \quad \text{for } \frac{N}{2} \text{ even} \quad (2.3.7)$$

$$\psi_0 = \left( \prod_{K > N/4}^{N/2} A_{2K}^\dagger A_{-2K}^\dagger \right) A_N^\dagger |0\rangle \quad \text{for } \frac{N}{2} \text{ odd} \quad (2.3.8)$$

where

$$A_K = \frac{1}{\sqrt{N}} \sum_{\ell=1}^N a_\ell \exp \left[ -i\pi \left( \frac{K\ell}{N} - \frac{1}{n} \right) \right] \quad (2.3.9)$$

$$A_K^\dagger = \frac{1}{\sqrt{N}} \sum_{\ell=1}^N a_\ell^\dagger \exp \left[ i\pi \left( \frac{K\ell}{N} - \frac{1}{n} \right) \right] \quad (2.3.10)$$

The ground state energy is

$$\frac{E_0}{N|J|} = -\frac{2}{\pi} \quad (2.3.11)$$

These results show that in one dimension there is no long range order. The model behaves like an antiferromagnet with respect to a perpendicular field and the ground state is rather like that of the antiferromagnetic isotropic Heisenberg model.

A detailed study of the correlation functions in the anisotropic XY model was done by Barouch and McCoy (1969, 1970). The hamiltonian treated is:

$$\mathcal{H} = -J \sum [(1+\gamma) S_i^x S_{i+1}^x + (1-\gamma) S_i^y S_{i+1}^y] - \hbar \mu \sum S_i^z. \quad (2.3.12)$$

They studied the asymptotic behaviour of the correlations in finite fields  $H_z$ :  $\langle S_0^x S_R^x \rangle$ ,  $\langle S_0^y S_R^y \rangle$ , and  $\langle S_0^z S_R^z \rangle$  as  $R \rightarrow \infty$  for high and low temperatures. All correlations decay exponentially with the exponent depending on the field.

For  $T=0$  the behaviour is different for the symmetric cases  $\gamma=0$ , or  $\hbar \mu = J$ , or  $(\hbar \mu/J)^2 + \gamma^2 = 1$ . When none of those conditions obtain, all correlations approach their limit exponentially rapidly; when one condition holds they approach the limiting values as some power of  $R$ . The effect of those symmetries can be seen at finite  $T$  too as the rate of the vanishing depends on the symmetry.

The parallel susceptibility has not been calculated as the solution of the XY chain with a field in the  $z$  direction used all simplifying features to the maximum; the nearest neighbour character of the interaction, the one dimensionality and the simple quadratic form of the Hamiltonian. For the parallel susceptibility addition of the appropriate Zeeman term gives the following Hamiltonian:

$$\mathcal{H} = -J \sum S_i^x S_{i+1}^x + S_i^y S_{i+1}^y - m H \sum S_i^x \quad (2.3.13)$$

Taking  $x \rightarrow z$ ,  $z \rightarrow y$ ,  $y \rightarrow x$ , we obtain

$$\mathcal{H} = -J \sum (a_i^\dagger a_{i+1} + a_i a_{i+1}^\dagger) - J' \sum a_i^\dagger a_i a_{i+1}^\dagger a_{i+1} + J'' \sum a_i^\dagger a_i \quad (2.3.14)$$

and the simple quadratic nature of  $\mathcal{H}$  is destroyed.

High temperature series expansions have been done by Bonner and Fisher (1964). They calculated the energy, specific heat, susceptibility and pair correlations for the hamiltonian

$$\mathcal{H} = -2J \sum [S_i^z S_{i+1}^z + \gamma (S_i^x S_{i+1}^x + S_i^y S_{i+1}^y)] - m \vec{H} \cdot \vec{S}_i \quad (2.3.15)$$

for  $\gamma=0$  to 1, therefore not reaching the region of XY symmetry.

## 2.4 Rigorous thermodynamic inequalities and scaling laws

Thermodynamic arguments were used by Rushbrooke (1963, 1965) and Griffiths (1965) to prove rigorous inequalities for the critical exponents. Most of those proofs make use of convexity relations (Ruelle 1963, Fisher 1964 and Griffiths 1964) of the free energy

$$F(\alpha T_1 + \beta T_2, v) \geq \alpha F(T_1, v) + \beta F(T_2, v)$$

$$F(T, \alpha v_1 + \beta v_2) \leq \alpha F(T, v_1) + \beta F(T, v_2). \quad (2.4.1)$$

The Helmholtz free energy  $A(T, v)$  is concave in the temperature and convex in the volume. The same holds with magnetization instead of volume for a hamiltonian of the form

$$\mathcal{H} = \mathcal{H}_0 - H M \quad (2.4.2)$$

or provided the magnetization commutes with the hamiltonian (our case is included in (2.4.2)), we will write the rest in magnetic language.

It follows from the convexity properties that

$$C_M = T \left( \frac{\partial S}{\partial T} \right)_M = -T \left( \frac{\partial^2 A}{\partial T^2} \right)_M \geq 0 \quad (2.4.3)$$

$$\frac{1}{\chi_T} = \left( \frac{\partial H}{\partial M} \right)_T = \left( \frac{\partial^2 A}{\partial M^2} \right)_T \geq 0 \quad (2.4.4)$$

$$C_H = T \left( \frac{\partial S}{\partial T} \right)_H = -T \left( \frac{\partial^2 G}{\partial T^2} \right)_H$$

$$\frac{C_H}{T} = \left( \frac{\partial S}{\partial T} \right)_H = \left( \frac{\partial S}{\partial T} \right)_M + \left( \frac{\partial S}{\partial M} \right)_T \left( \frac{\partial M}{\partial T} \right)_H$$

$$\text{but } \left( \frac{\partial S}{\partial M} \right)_T = - \frac{\partial^2 A}{\partial M \partial T} = - \left( \frac{\partial H}{\partial T} \right)_M = \left( \frac{\partial H}{\partial M} \right)_T \left( \frac{\partial M}{\partial T} \right)_H ,$$

therefore

$$\frac{C_H}{T} = \frac{C_M}{T} + \frac{1}{\chi_T} \left( \frac{\partial M}{\partial T} \right)_H^2 . \quad (2.4.5)$$

since  $C_M \geq 0$

$$C_H \geq T \left( \frac{\partial M}{\partial T} \right)_H^2 / \chi_T \quad T \rightarrow T_c , \quad H = 0 . \quad (2.4.6)$$

Substituting the expected behaviour near the critical point from below at zero field

$$C_H \sim (T_c - T)^{-\alpha'}$$

$$\chi_T \sim (T_c - T)^{-\gamma'}$$

$$\left( \frac{\partial M}{\partial T} \right)_H \sim (T_c - T)^{\beta-1} ,$$

we obtain

$$f(T) (T_c - T)^{-\alpha'} \geq (T_c - T)^{2(\beta-1)+\gamma'} g(T) ,$$

where  $f$  and  $g$  are non-singular at  $T_c$ . Since this should hold for all  $T$  close to  $T_c$ , it follows that

$$\alpha' + 2\beta + \gamma' \geq 2 \quad . \quad (2.4.7)$$

This is usually called the Rushbrooke inequality.

The implicit assumption in the above derivation was the existence of  $\gamma'$ , that is

$$\lim_{H \rightarrow 0} \chi_T(H, T) = \infty \quad \text{for } T \rightarrow T_C^- .$$

The same assumption and use of convexity of  $A(T, M)$  yield (Griffiths 1965)

$$\alpha' + \beta(1 + \delta) > 2 \quad . \quad (2.4.8)$$

Many other inequalities were obtained such as

$$\gamma' \geq \beta(\delta - 1) \quad (2.4.9)$$

$$\gamma(\delta + 1) \geq (2 - \alpha)(\delta - 1) \quad . \quad (2.4.10)$$

The assumptions made to obtain them are plausible for most systems, such as  $\alpha' \leq \alpha$  or

$$\left(\frac{\partial M^2}{\partial H^2}\right)_T \leq 0 \quad \text{for } H \geq 0 \quad .$$

Buckingham and Gunton (1969) and Fisher (1969) have proved the following inequalities

$$(2 - \eta)v \geq \gamma \quad (2.4.11)$$

$$d \frac{\delta - 1}{\delta + 1} \geq 2 - \eta \quad (2.4.12)$$

and

$$\frac{dy'}{2\beta+\gamma'} \geq 2 - \eta \quad (2.4.13)$$

where  $d$  is the dimensionality of the system.

The additional assumptions that went into those two inequalities 12, 13 are that for all temperatures and  $H \geq 0$

$$\begin{aligned} \Gamma_1 &\geq 0 \\ \Gamma_2(r) - \Gamma_1^2 &\geq 0 \\ \Gamma_4(r_1, r_2, r_3) - \Gamma_2(r_1) \Gamma_2(r_3 - r_2) &\geq 0 \end{aligned} \quad (2.4.14)$$

where  $\Gamma_2$  is the 2 spin correlation function and therefore  $\Gamma_1$  is proportional to the spontaneous magnetization,

$$\Gamma_1(T, H), \Gamma_2(T, H) \text{ and } \Gamma_4(T, H) \quad (2.4.15)$$

are monotonic non-decreasing functions of  $H$ ,

$$\Gamma_1(T, H), \Gamma_2(T, H) \text{ and } \Gamma_4(T, H) \quad (2.4.16)$$

are monotonic non-increasing functions of  $T$  for any field  $H \geq 0$ . These assumptions have been proved for the Ising model (Griffiths (1967, 1970)).

The Josephson inequalities (1967) are

$$dv' > 2 - \alpha' \quad (2.4.17)$$

$$dv > 2 - \alpha .$$

His assumptions are very general such as constant volume or constant pressure constraints.

One way of stating the basic assumption of static scaling theory (Griffiths (1968)) is to require that the singular part of the Helmholtz potential  $\hat{A}$  be a homogeneous function of  $\epsilon$  and  $|M|^{1/\beta}$

$$\hat{A}(\lambda\epsilon|\lambda^\beta M) = \lambda^p \hat{A}(\epsilon, M) . \quad (2.4.18)$$

$p$  is an arbitrary scaling parameter and  $\epsilon = (T - T_c)/T_c$ . This means that, over the  $M, \epsilon$  plane, the singular part of  $A$  in an area around the origin will be the same as for a larger scaled area when itself properly scaled. This was first proposed by Widom (1965) and given physical meaning by Kadanoff (1966) who derived this homogeneity for the Ising model by dividing the system into cells of  $L$  lattice sites per side, with  $L$  large but smaller than  $\frac{\xi}{2}$  ( $\xi$ : the coherence length,  $a$  is the lattice spacing), obtaining the free energy and claiming that it should not depend on  $L$ .

Taking first derivative of (2.4.18) with respect to  $M$  and substituting

$$\hat{H} = - \left( \frac{\partial \hat{A}}{\partial M} \right)_T$$



we have

$$\lambda^\beta \hat{H}(\lambda\varepsilon, \lambda^\beta M) = \lambda^p \hat{H}(\varepsilon, M) \quad (2.4.19)$$

Taking a second derivative with respect to  $M$  and using

$$\frac{1}{\hat{\chi}_T} = \left( \frac{\partial H}{\partial M} \right)_T, \text{ we obtain}$$

$$\lambda^\beta \hat{\chi}_T^{-1}(\lambda\varepsilon, \lambda^\beta M) = \lambda^p \hat{\chi}_T^{-1}(\varepsilon, M) \quad (2.4.20)$$

On the critical isotherm  $H \sim M^\delta$ , setting that in (2.1.20) equating powers of  $\lambda$

$$\beta + \beta\delta = p \quad .$$

Setting  $M=0$  and  $T \rightarrow T_c$  in (2.1.18) yields

$$2\beta + \gamma' = p \quad (2.4.21)$$

For  $M=0$ ,  $T \rightarrow T_c^+$  we obtain  $2\beta + \gamma = p$ . Eliminating  $p$  gives the Widom relation

$$\gamma' = \beta(\delta - 1) \quad (2.4.22)$$

and

$$\gamma = \gamma' \quad (2.4.23)$$

Taking more derivatives yields more such relations.

All the rigorous inequalities we quoted in the first part of this section become equalities under the scaling hypothesis (there are others we did not mention that do not). Since  $A$  is a function of two variables we can see

that only two independent critical exponents are allowed by the scaling hypothesis.

Taking the derivatives of the free energy and using the same homogeneity argument one has a relation for the gap exponents defined in (2.1.7)

$$F^{(3)}(\epsilon) = \lambda^{2p-3\beta} F^{(3)}(\lambda\epsilon)$$

but

$$F^{(3)}(\epsilon) = (-\epsilon)^{-\Delta'_3} F^2(\epsilon) \sim (-\epsilon)^{-\Delta'_3 - \gamma'}$$

so

$$\Delta'_3 = 2p - 3\beta - \gamma' = \beta + \gamma'$$

but

$$\Delta'_2 = 2 - \alpha' - \beta = \beta + \gamma'$$

and

$$\Delta'_2 = \beta + \gamma'$$

Similarly it can be shown that all gap parameters for  $T < T_c$  and all even ones for  $T > T_c$  are equal.

These results of scaling hold exactly in the 2-dimensional Ising model, and are approximately true for 3-dimensional Ising and Heisenberg models. Some discrepancies can be explained by allowing larger errors in the numerical calculations.

The Kadanoff construction applied to correlation functions yields a scaling behaviour for them which already for the 3-dimensional Ising model is outside the range predicted by numerical calculations.

Since these arguments are extendable to dynamical scaling we will deal with the correlation scaling in the dynamical section of this thesis, and mention here only that the equalities obtained for the static indices are (2.4.11) and (2.4.17) with the equality holding, that is:

$$\begin{aligned}
 dv' &= 2 - \alpha' & dv &= 2 - \alpha \\
 (2-\eta)v' &= \gamma' & (2-\eta)v &= \gamma & (2.4.24) \\
 d \frac{\delta-1}{\delta+1} &= \frac{d\gamma'}{2\beta+\gamma'} = 2 - \eta .
 \end{aligned}$$

When we assume scaling all those equalities will be assumed.

## CHAPTER III

## HIGH TEMPERATURE SERIES EXPANSIONS

3.1 General method of graphical expansions

The free energy can be expressed as a formal series in powers of  $T^{-1}$ . The method has been expounded by Domb (1960,1965) and by Fisher (1965) in their review articles. We have  $Z = \text{Tr} \exp((-H/kT)$  and

$$-\frac{F}{kT} = \lim_{N \rightarrow \infty} \frac{1}{N} (\log Z), \text{ therefore}$$

$$-\frac{F}{kT} = \lim_{N \rightarrow \infty} \frac{1}{N} \log \sum_{n=0}^{\infty} \frac{K^n}{n!} \text{Tr} P^n \quad (3.1.1)$$

where  $K = J/kT$  and  $P$  is defined by  $H = -JP$ . As shown by Rushbrooke and Wood (1958) the logarithm has the effect of taking only the terms linear in  $N$ . The free energy being an extensive variable, this was to be expected.

$$\log Z = 2 \log N + \log \left( 1 + \sum_{n=1}^{\infty} \mu_n \frac{K^n}{n!} \right) \quad (3.1.2)$$

where  $\mu_n = \frac{\text{Tr} P^n}{\text{Tr} I}$ . For the spin  $\frac{1}{2}$  case  $\text{Tr} I = 2^N$ ,  $I$  being the direct product of  $N$  spinor unit matrices.

The coefficients  $\mu_n$  are polynomials in  $N$  and we assume that the logarithm is also expandable in a power series in  $K$

$$\log \left( 1 + \sum_{n=1}^{\infty} \mu_n \frac{K^n}{n!} \right) = \sum_{n=1}^{\infty} \lambda_n \frac{K^n}{n!} \quad (3.1.3)$$

which is a definition of the coefficients  $\lambda_n$ . The result can be checked using

$$\lambda_n = \sum_{m=1}^n \frac{(-1)^{m+1}}{m} \mu_n^{(m)}$$

but has been proved generally. Hence

$$-\frac{F}{kT} = \sum_{n=0}^{\infty} \frac{K^n}{n!} \text{Tr}^* P^n \quad (3.1.4)$$

where  $\text{Tr}^* A = \frac{(\text{part linear in } N \text{ of } \text{Tr } A)}{\text{Tr } I}$ .

Our hamiltonian, like all hamiltonians used in critical phenomena, is a sum of pairwise interactions; therefore each term in  $\text{Tr}^* P^n$  can be represented diagrammatically as a linear graph of  $n$  lines and  $v \leq 2n$  vertices.

$$\text{Tr}^* P^n = \sum_i w(g_i^n) (g_i^n, L) \quad (3.1.5)$$

$g_i^n$  are all possible linear graphs of  $n$  lines ( $i$  is a dummy index ordering them).  $(g_i^n, L)$  is the lattice constant of the graph  $g_i^n$  determined by the number of ways the graph  $g_i^n$  can be embedded in a lattice  $L$ .  $w(g_i^n)$  is a weight assigned to the graph, independently of the lattice, depending on the interaction and the graph.

### 3.2 The graphical expansion method used for the XY model

The properties of the operators  $a_i$  and  $a_i^\dagger$  simplify the calculations. The method used by Betts, Elliott and Lee (1970) is as follows: The general term wanted for the free energy is  $\text{Tr}^* P^n$ . Each such term will be represented by graphs with  $n$  arrows as each power of  $P$  contributes a factor  $a_i^\dagger a_j$  which can be seen as an arrow from  $i$  to  $j$ . Therefore a priori all linear graphs of  $n$  arrows, and  $v$  vertices  $v \leq 2n$ , can be expected to appear in  $\text{Tr}^* P^n$ .

A non zero contribution can only be obtained when:

- (a) an equal number of arrows enter and leave each site;
- (b) arrow heads and tails alternate at each site.

This follows because

$$a_i a_i = a_i^\dagger a_i^\dagger = 0 \quad (3.2.1)$$

and

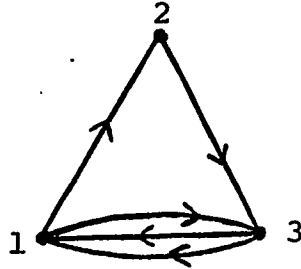
$$\text{Tr} a_i = \text{Tr} a_i^\dagger = 0 \quad (3.2.2)$$

Were there an odd number of operators at a site we could reduce them, two at a time using  $\{a_i, a_i^\dagger\} = 1$ , to a single traceless operator.

The partition function is the sum of all ordered directed graphs satisfying (a). Several of those will correspond to one directed shadow graph. Several shadow graphs will correspond to one bare graph in which bonds replace the directed arrows.

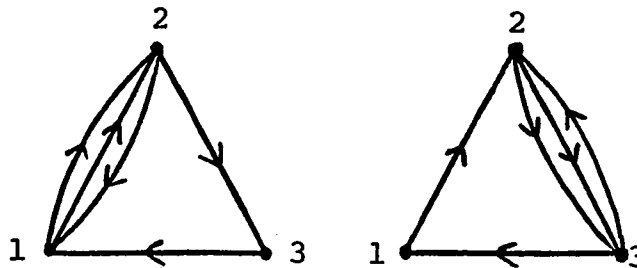
Example

The term  $\text{Tr}^* a_1^\dagger a_2^\dagger a_2^\dagger a_3^\dagger a_3^\dagger a_1^\dagger a_1^\dagger a_3^\dagger a_3^\dagger a_1^\dagger$  corresponds to the shadow graph

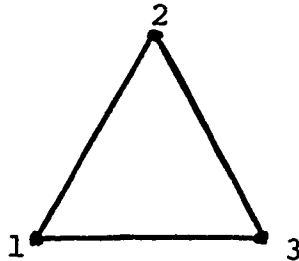


Out of  $5! = 120$  possible orderings of the 5 arrows only 20 will give a non zero contribution and they all correspond to the same shadow graph.

This shadow graph is equivalent to 5 other shadow graphs, the following two



and those obtained from these three by reversing all arrows. All six are represented by the same bare graph



The trace of each such graph is  $2^{N-s}$ , where  $s$  is the number of vertices of the bare graph, since for spin  $\frac{1}{2}$  the trace of the unit matrix is 2 while  $\text{Tr} a_i^\dagger a_i =$

$\text{Tr } a_i a_i^\dagger = 1$ . This is a great simplification compared to the Heisenberg model where traces of different spin operators have to be calculated.

The horizontal weight of each shadow graph  $g'$  is defined by

$$h(g') = \varepsilon(g') S(g)/S(g') \quad (3.2.3)$$

where  $S(g)$  is the symmetry number of the bare graph  $g$ ,  $S(g')$  is the symmetry number of the shadow directed graph  $g'$  and  $\varepsilon(g')$  equals one if  $g'$  is equivalent to the graph obtained from it by reversing all arrows. Going back to the above example, the symmetry number of the triangle is 6, and the symmetry number of our graph is 1.  $\varepsilon(g') = 1$  as in this case interchange of two labels is the same as reversal of arrows. Equivalence of shadow graphs is defined as follows: two graphs are equivalent if their arrows and vertices are in one to one correspondence. Such a correspondence is an embedding. The number of embeddings of one graph in itself is its symmetry number.

The vertical weight  $v(g')$  is defined as the number of allowed ordered directed graphs corresponding to the shadow graph  $g'$ . In our example that number was 20. Allowed here meant giving a non zero contribution, therefore satisfying criterion (b).



All these weights are calculated by computer; for that purpose graphs are represented, as usual, by matrices or vectors. For the directed shadow graph the matrix element  $M(i,j)$  is the number of arrows from  $i$  to  $j$ . The bare graph matrix has a unit element in a location  $i,j$  if the vertices  $i$  and  $j$  are connected, and zero otherwise. For our example

$$M(g') = \begin{pmatrix} 0 & 1 & 1 \\ 0 & 0 & 1 \\ 2 & 0 & 0 \end{pmatrix}, \quad M(g) = \begin{pmatrix} 0 & 1 & 1 \\ 1 & 0 & 1 \\ 1 & 1 & 0 \end{pmatrix}.$$

In order to exclude equivalent graphs, to find among a group of lattice constants the one pertaining to the bare graph and to calculate the horizontal weight the incidence matrices defined above were used.

For the vertical weight another kind of matrix representation was used. The matrix is rectangular. Rows denote order of arrows, and the columns specify vertices. The arrow in the  $k$ 'th position being  $i$ - $j$  the matrix elements in the  $k$ 'th row will be  $N(k,i)=1$ ,  $N(k,j)=-1$ . The vertical weight of the graph corresponds therefore to the number of permutations of rows of the matrix  $N$  that alternate 1 and -1 in each column. Full use of efficient methods of counting permutations was made in the computer program written by Dr. C.J. Elliott for the free energy calculation. This calculation being rather

time consuming for higher order graphs, several theorems were proved (Betts, Elliott and Lee (1970)) which reduced noticeably the computer time required and were based on full use of the fact that there are no restrictions at vertices of order 2. We will mention those used and their generalizations for our calculations in the next section.

To summarize, the final contribution to the term  $\text{Tr}^* P^n$  is

$$\sum_{g'_{n,i}} (g_{n,i}, L) v(g'_{n,i}) h(g'_{n,i}) 2^{-S} \quad (3.2.4)$$

where the sum is over all inequivalent directed shadow graphs of  $n$  arrows,  $g'_{n,i}$ . Note that the lattice constant is that of the bare graph  $g_{n,i}$  the horizontal weight giving the occurrence of the directed graph  $g'_{n,i}$  for each bare graph, the vertical weight being the number of allowed orders of the arrows and  $2^{-S}$  being the actual trace.

### 3.3 The series expansion method for the initial parallel susceptibility

A. The XY model is invariant under rotation in the xy plane, therefore we can choose any direction in that plane to calculate the initial parallel susceptibility. We add a Zeeman term and the resulting hamiltonian is:

$$\mathcal{H} = -J \sum_{\langle ij \rangle} (a_i^+ a_j + a_i a_j^+) - H_x M_x \quad (3.3.1)$$

The initial parallel susceptibility is defined by

$$\chi_{||}^0 \equiv \chi_0^{xx} = \frac{1}{N\beta} \left. \frac{\partial^2}{\partial H_x^2} \log Z \right|_{H_x=0} \quad (3.3.2)$$

For models where  $[M, H] = 0$  this reduces to  $\frac{1}{N} \langle M_x^2 \rangle$ , which is the square of the fluctuation in the long range order. The relation between the two is discussed in Subsection 3.3B. Using the notation of the last section,  $\mathcal{H} = -J P$ , we have:

$$\chi_{||}^0 = \frac{1}{N\beta} \left. \frac{\partial^2}{\partial H_x^2} \log \text{Tr} e^{\beta(JP + H_x M_x)} \right|_{H_x=0} \quad (3.3.3)$$

As before we use the relation

$$\frac{1}{N} \log \text{Tr} e^{\beta A} = \sum \frac{\beta^n}{n!} \text{Tr}^* A^n \quad (3.3.4)$$

and obtain:

$$\chi_{\parallel}^{\circ} = \frac{1}{\beta} \frac{\partial^2}{\partial H_x^2} \sum \frac{\beta^n}{n!} \text{Tr}^*(JP + H_x M_x)^n \Big|_{H_x=0} \quad (3.3.5)$$

We take the second derivative and set  $H_x=0$ . This means keeping only the term proportional to  $H_x^2$ . The coefficient of  $H_x^2$  in  $\text{Tr}^*(JP + H_x M_x)^n$  can be written in the following form:

$$\frac{1}{2} \text{Tr}^* \sum_{k=0}^{n-2} n(JP)^k M_x (JP)^{n-2-k} M_x \quad (3.3.6)$$

We obtain (3.3.6) as follows: The term with two factors B in  $\text{Tr} (A + B)^n$  is

$$\text{Tr} \sum_{\ell=0}^{n-s-2} \sum_{s=0}^{n-2} A^{\ell} B A^{n-2-\ell-s} B A^s$$

We use the cyclic property of the trace to bring the factor  $A^s$  to the front. The last expression reduces to

$$\text{Tr} \sum_{j=0}^{n-2} (j+1) A^j B A^{n-2-j} B \quad (3.3.7)$$

as  $j = \ell + s$  can be obtained in  $j+1$  ways by adding two integers  $\ell$  and  $s$ . Again we invoke the cyclic property of the trace and note that  $\text{Tr} A^j B A^{n-2-j} B = \text{Tr} A^{j'} B A^{n-2-j'} B$  for  $j' = n-2-j$ . We add those two terms and divide by two,

$$\begin{aligned} & \frac{1}{2}[(j+1) + (n-2-j+1)] \text{Tr } A^j B A^{n-2-j} B \\ &= \frac{1}{2} n \text{Tr } A^j B A^{n-2-j} B \end{aligned} \quad (3.3.8)$$

For even  $n$  the sum (3.3.7) has an odd number of terms. Still the expression (3.3.8) holds because the middle term occurs for  $j = \frac{n-2}{2}$  and is  $\frac{n}{2} \text{Tr } A^j B A^{n-2-j} B$ .

Now that we have justified the use of (3.3.6) we can substitute it in (3.3.5) and obtain

$$\chi_{\parallel}^0 = \frac{1}{J} \sum_n \frac{K^{n-1}}{(n-1)!} \sum_{k=0}^{n-2} \text{Tr}^* P^k M_x P^{n-2-k} M_x \quad (3.3.9)$$

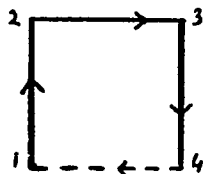
We have  $M_x = \frac{m}{2} \sum (a_i^\dagger + a_i)$ , hence

$$\chi_{\parallel}^0 = \frac{1}{J} \sum_n \frac{K^n}{n!} \sum_{k=0}^{n-1} \sum_{i,j} \text{Tr}^* (P^k a_i^\dagger P^{n-1-k} a_j + P^k a_i P^{n-1-k} a_j^\dagger) \quad (3.3.10)$$

Each term in  $\text{Tr}^* (P^k a_i^\dagger P^{n-1-k} a_j)$  can be represented by a graph with  $n-1$  solid arrows and a dotted arrow. The dotted arrow represents the term  $a_i^\dagger a_j$  which is not restricted to nearest neighbours. For  $i=j$  we have a graph of  $n-1$  solid arrows and a dotted "bubble" which can be on a vertex of the graph or off the graph.

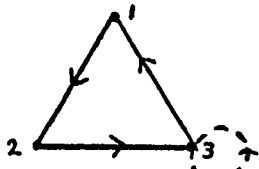
The calculation is done separately for the three cases:

(a)  $i \neq j$  Each  $ij$  term occurs twice therefore the extra factor 2 in (3.3.12).



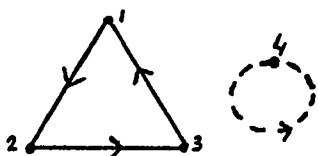
$$a_1^\dagger a_2 a_2^\dagger a_3 a_3^\dagger a_4 a_4^\dagger a_1$$

(b)  $i=j$  and  $i$  is on the graph



$$a_1^\dagger a_2 a_3^\dagger a_2^\dagger a_3 a_3^\dagger a_1 a_3$$

(c)  $i=j$  and  $i$  is not on the graph



$$a_1^\dagger a_2 a_2^\dagger a_3 a_3^\dagger a_1 a_4^\dagger a_4$$

Case (c) is the simplest. Since  $i$  is not on the graph

$g_{n-1}$ ,  $a_i^\dagger$  and  $a_i$  commute with the factors  $P$  and

$$\text{Tr}^* (P^k a_i^\dagger P^{n-1-k} a_i + P^k a_i P^{n-1-k} a_i^\dagger) = \text{Tr}^* P^{n-1}.$$

But here  $\text{Tr}^* P^{n-1}$  does not give the same contribution as  $g_{n-1}$  gave in the partition function. The lattice constant is now the separated lattice constant  $(g_{n-1}; L)$ , which is  $-s(g_{n-1}; L)$ .  $s$  is the number of vertices of  $g_{n-1}$ .

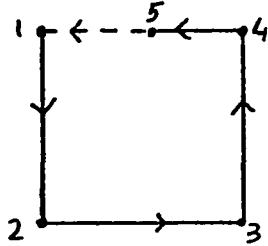
The other factors, horizontal and vertical weights and trace are the same as in the partition function.

The resulting series is:

$$\chi_{\parallel}^{o(c)} = -\frac{K}{J} \sum \frac{K^{n-1}}{(n-1)!} \sum_{g_{n-1}} \frac{h(g_{n-1})(g_{n-1}; L)^s V(g_{n-1})}{2^s} \quad (3.3.11)$$

The weights are given in Table A.9 in the Appendix.

For case (a)  $i \neq j$ , the dotted arrow is placed with the head at the last level and we sum over all allowed levels for its tail. Since vertices of order 2 add no restrictions we introduce, for the vertical weight calculation only, a spurious vertex in the dotted arrow.



$$a_1^\dagger a_2 a_2^\dagger a_3 a_3^\dagger a_4 a_4^\dagger a_5 a_3 a_4 a_5^\dagger a_1$$

We allow the new arrow formed by the former tail and the spurious vertex to permute freely with the other solid arrows. The arrow formed by the spurious vertex and the tail is kept fixed at the last level.

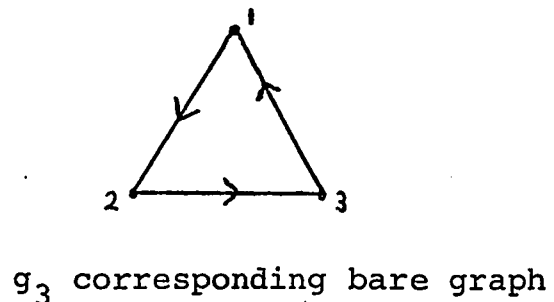
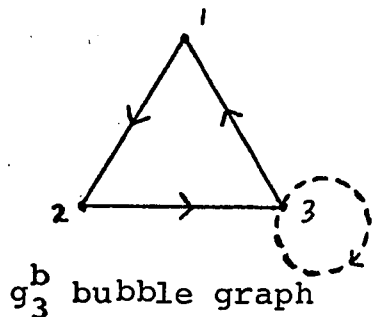
The lattice constant is calculated after deleting the dotted arrow since it is not restricted to nearest neighbours. The horizontal weight is as defined in (3.2.3). In order to keep the dotted arrow different from the others we put a minus sign in front of the matrix element  $M(i,j)$ .  $N(i,j)$  and  $N(j,i)$  become zero if no other arrow connects  $i$  and  $j$ .

The graphs were obtained by Betts, Elliott and Lee (1970) for the fluctuation series. We calculated the new vertical weights only

$$\chi_{\parallel}^{o(a)} = \frac{2}{J} \sum_n \frac{K^n}{n!} \sum_{g_{n-1}''} \frac{h(g_{n-1}'') v(g_{n-1}'') (g_{n-1}'', L)}{2^S} \quad (3.3.12)$$

where  $g_{n-1}^b$  is the graph with  $n-1$  solid arrows and a dotted arrow.  $g_{n-1}$  is the bare graph with the dotted arrow removed. The weights are given in Table A.5.

In case (b) we have  $i=j$ ,  $i \in g$ . The same procedure as for case (a) is followed for the vertical weight calculation. Lattice constants are those of the bare graph without the bubble. The graphs were generated by taking the partition function graph adding a "bubble" at each vertex and eliminating equivalent graphs. We kept the spurious vertex,  $s+1$ , in the generation process and the horizontal weight calculation. In order to keep the bubble different we introduced a minus sign in  $M(i,s+1)$ ,  $M(s+1,i)$  and set  $N(i,s+1)=N(s+1,i)=0$ , that is the bubble is deleted in the bare graph. The result is reflected in the following example



Let  $g_{n-1}^b$  be a partition function graph  $g_{n-1}$  with a bubble on, then:

$$\chi_{||}^o(b) = \frac{1}{J} \sum \frac{K^n}{n!} \sum_{g_{n-1}^b} \frac{h(g_{n-1}^b) v(g_{n-1}^b) (g_{n-1}^b, L)}{2^s} \quad (3.3.13)$$

The weights can be calculated from Table A.7.



The calculation of fluctuation type vertical weights (one arrow fixed) is facilitated by the lemmas and theorems of Betts, Elliott and Lee (1970).

Lemma 1

Let  $g$  be a graph with  $\ell$  arrows and  $g^*$  is the graph obtained from  $g$  by turning one arrow into a dotted arrow. Let there be  $\ell_1$  arrows from vertex  $a$  to vertex  $b$  one of which is the dotted arrow. Then

$$v_{g^*} = \frac{v_g \cdot \ell_1}{\ell} .$$

Proof

If  $\ell_1 = 1$  fixing one arrow at a level reduces the number of possible vertical orderings by  $\frac{1}{\ell}$ . The reason is in the cyclical property of the trace, all cyclic permutations of an allowed permutation are allowed.

If  $\ell_1 > 1$  there are  $\ell_1$  arrows which were indistinguishable in  $g$  and by fixing one we made them distinguishable.

Lemma 2

Let  $g$  be a graph with  $\ell$  arrows and  $s$  vertices and let one arrow be of order 2 in both vertices. Then, one vertex of order 2 can be eliminated. The resulting graph of  $\ell-1$  arrows and  $s-1$  vertices has a vertical weight  $v_1$ .

$$v = v_1 \cdot \ell .$$

The procedure can be repeated and all arrows of order 2 in both vertices eliminated. The proof is obvious.

### Theorem I

Let  $g$  be a disconnected shadow graph of  $\ell$  arrows consisting of two subgraphs  $g_1$  and  $g_2$  having no vertices in common. If  $g_1$  and  $g_2$ , consisting of  $\ell_1$  and  $\ell_2$  arrows respectively, have vertical weights  $v_1$  and  $v_2$ , then the vertical weight,  $v$ , of  $g$  is given by

$$v = (\ell! / \ell_1! \ell_2!) v_1 v_2 \quad (3.3.14)$$

### Proof

As there is no interference between the arrangements in the two subgraphs the vertical weight of the graph  $g$  is given by the product of two factors. The first is the number of ways of assigning  $\ell$  vertical levels such that  $\ell_1$  are occupied by the arrows of  $g_1$  and the remaining  $\ell_2 = \ell - \ell_1$  are occupied by the arrows of  $g_2$ . The other factor is then the product of the vertical weights of the component subgraphs.

### Theorem II

Let a connected shadow graph  $g$  of  $\ell$  arrows be composed of two subgraphs  $g_1$  and  $g_2$  of  $\ell_1$  and  $\ell_2$  arrows respectively such that  $g_1$  and  $g_2$  have  $m$  common vertices of order 2 in  $g$  (hence of order 1 in each of  $g_1$  and  $g_2$ )

and no other common vertices. Then the vertical weight,  $v$ , of  $g$  is given by the same expression as in theorem I.

Proof

As there is no restriction on head and tail vertical sequence at vertices of order 2, the vertical weight of  $g$  must be the same as that of a separated graph  $g'$  consisting of subgraphs  $g_1$  and  $g_2$ . But the vertical weight of  $g'$  is given by (3.3.14) and so the theorem is established.

Theorem III

Consider a shadow graph  $g$  of order  $\ell$  composed of two subgraphs  $g_1$  and  $g_2$  of  $\ell_1 - 1$  and  $\ell_2 - 1$  arrows respectively and a third subgraph  $g_3$  consisting of a single arrow. The subgraphs  $g_1$  and  $g_2$  have in common  $m$  vertices of order 2 in  $g$  and no other common vertices. The subgraph  $g_3$  (the single arrow) connects vertices of arbitrary (even) order orders  $r_1$  and  $r_2$  in  $g_1$  and  $g_2$  respectively. Then the vertical weight of  $g$  is given by (3.3.14) again. However, now  $v_1$  and  $v_2$  are the vertical weights of the graphs  $g_1'$  and  $g_2'$  where  $g_1'$  is a subgraph of  $g$  consisting of  $g_1$  and  $g_3$ , and  $g_2'$  is a subgraph consisting of  $g_2$  and  $g_3$ . It is important also to note that  $\ell_1 + \ell_2 = \ell + 1$ .

Proof

Observe first that the vertical weight of  $g$  is the same as that of the graph  $g'$  obtained from  $g$  by separating

all the second order vertices. Next observe that in counting the number of allowed arrow configurations for any shadow graph of order  $l$  we may assume that one arrow is at a fixed level and compute the number,  $n$ , of allowed configurations of the remaining arrows. Then the vertical weight,  $v=ln$ .

In  $g'$  let the arrow forming  $g_3$  be fixed. The remaining  $l - 1$  arrows belong either to  $g_1$  or  $g_2$ . The  $l_1 - 1$  arrows may be arranged among the  $l_1 - 1$  levels assigned to  $g_1$  in  $n_1$  ways independently of the arrangement in  $n_2$  ways of the  $l_2 - 1$  arrows of  $g_2$  among the  $l_2 - 1$  levels assigned to  $g_2$ . The  $l - 1$  levels may be assigned in  $(l - 1)! / (l_1 - 1)! (l_2 - 1)!$  ways giving

$$n = n_1 n_2 (l-1)! / (l_1-1)! (l_2-1)! \quad (3.3.15)$$

Noting that  $n_1 = v_1/l_1$  and  $n_2 = v_2/l_2$  the result (3.3.14) follows.

B. We discuss here the relation of the fluctuation to the initial susceptibility.

As seen in Sec. 5.4

$$\chi_T = \int_0^\beta \langle M e^{\lambda \mathcal{H}} M e^{-\lambda \mathcal{H}} \rangle d\lambda \quad (3.3.16)$$

but

$$e^{\lambda \mathcal{H}} M e^{-\lambda \mathcal{H}} = M + \lambda [\mathcal{H}, M] + \frac{\lambda^2}{2!} [\mathcal{H}, [\mathcal{H}, M]] + \dots \quad (3.3.17)$$

therefore

$$\chi_T = \beta Y + \frac{\beta^2}{2!} \langle M [\mathcal{H}, M] \rangle + \dots \quad (3.3.18)$$

Each successive term in (3.3.18), when expanded in a high temperature series, starts its contribution at a higher power of  $\beta$  and its contribution is less divergent. The reason is that in a term  $\langle M [\mathcal{H}, [\mathcal{H}, [\dots [\mathcal{H}, M]]] \dots] \rangle$  each commutator has the effect of removing two spins.

Falk and Bruch (1969) proved that for a general thermodynamical system

$$\frac{1 - e^{-\frac{1}{2}\beta\bar{\omega}}}{\frac{1}{2}\beta\bar{\omega}} \leq \frac{\chi_T}{\beta Y} \leq 1 \quad (3.3.19)$$

where

$$\bar{\omega} = \frac{\langle [M, [\mathcal{H}, M]] \rangle}{2Y} \quad (3.3.20)$$

The equality of the indices for  $Y$  and  $\chi_T$  follows from the assumption that the numerator in  $\bar{\omega}$  is finite as  $T \rightarrow T_c$ . Though  $\langle [M, [\mathcal{H}, M]] \rangle$  has been shown to be finite for the isotropic Heisenberg model by Mermin and Wagner (1966), their proof cannot be generalized to the parallel susceptibility of the XY model.

Our results indicate that  $\langle [M, [\mathcal{H}, M]] \rangle$ , which is the first moment of the frequency dependent susceptibility

is not finite. As  $T \rightarrow T_c$  the first moment diverges with exponent  $\alpha_2 \approx 0.09$ . Nevertheless  $\omega \xrightarrow{T \rightarrow T_c} 0$  because the fluctuation,  $Y$ , diverges much more strongly.

The proof of Falk and Bruch follows from the following expressions for the susceptibility

$$\chi_T = 2 \int_0^{\beta/2} d\lambda \langle e^{\lambda \mathcal{H}} M e^{-\lambda \mathcal{H}} M \rangle \quad (3.3.21)$$

and

$$\chi_T = \int_{-\infty}^{\infty} d\omega S_0(\omega) \frac{(1 - e^{-\beta\omega/2})}{\frac{1}{2} \omega} \quad (3.3.22)$$

where

$$S_0(\omega) = \frac{1}{2\pi N} \int_{-\infty}^{\infty} dt e^{-i\omega t} \langle M, M(t) \rangle$$

and

$$\int_{-\infty}^{\infty} d\omega S_0(\omega) = Y .$$

The integrand in (3.3.21) has a maximum at  $\lambda=0$ , from which it follows that

$$\chi_T \leq Y .$$

The second inequality follows using the convexity of

$$\frac{1 - e^{-x}}{x} .$$

### 3.4 Fourth order fluctuation

The gap parameter was defined in (2.1.7). To calculate the gap parameter one has to calculate the critical index,  $\gamma_2$ , of

$$F_2 = \frac{1}{Nm^4 \beta^4} \left. \frac{\partial^4}{\partial H_x^4} \log Z \right|_{H_x=0}, \quad (3.4.1)$$

The gap parameter  $\Delta$  is then

$$\Delta = \frac{1}{2} (\gamma_2 - \gamma) \quad (3.4.2)$$

We note that upon differentiation (3.4.1) becomes

$$Nm^4 \beta^4 F_2 = \frac{\left. \frac{\partial^4}{\partial H_x^4} \text{Tr} e^{\beta(JP + M_x H_x)} \right|_{H_x=0}}{\text{Tr} e^{KP}} - 3 \left[ \frac{\left. \frac{\partial^2}{\partial H_x^2} \text{Tr} e^{\beta(JP + M_x H_x)} \right|_{H_x=0}}{\text{Tr} e^{KP}} \right]^2 \quad (3.4.3)$$

To obtain (3.4.3) we made use of the fact that above  $T_c$  and at  $H=0$  odd derivatives of  $Z$  vanish.

When the magnetization and Hamiltonian commute, (3.4.3) reduces to

$$\beta^4 \{ \langle M_x^4 \rangle - 2 \langle M_x^2 \rangle^2 \} \quad (3.4.4)$$

The second term in (3.4.3) is proportional to  $(\chi_{||}^0)^2$ . In Section 3.3B we saw that  $\chi_{||}^0$  behaves like  $\langle M_x^2 \rangle$  as  $T \rightarrow T_c$ . The first term in (3.4.3) is

$$\frac{\beta^4 m^4}{2} \sum_n \frac{K^{n-4}}{(n-4)!} \text{Tr} \sum_{ijkl} p^j_{M_x} p^k_{M_x} p^l_{M_x} p^i_{M_x} . \quad (3.4.5)$$

The difference between (3.4.5) and  $\langle M_x^4 \rangle$  is in terms of commutators of  $M$  and  $\mathcal{H}$ . By physical reasoning this difference is expected not to diverge, or diverge less than the same quantity with the commutator brackets removed.

As mentioned in Section 3.3B commutators have the effect of removing two spins from each trace, thereby reducing the divergence.

A more rigorous treatment means going to the fourth order in the field in the expression for the density matrix

$$\left(\frac{-1}{i\hbar}\right)^4 \int_{-\infty}^t \int_{-\infty}^{t_1} \int_{-\infty}^{t_2} \int_{-\infty}^{t_3} e^{\frac{it_3\mathcal{H}}{\hbar}} [M_x(t_1), [M_x(t_2), [M_x(t_3), [M_x(t_4), \rho]]]] \times e^{\frac{-it_3\mathcal{H}}{\hbar}} dt_1 dt_2 dt_3 dt_4 , \quad (3.4.6)$$

which is rather complicated.

We treat therefore

$$Y_2 \approx \frac{16}{m^4} \frac{1}{N} \left\{ \frac{3}{2} \langle M_x^2 \rangle^2 - \frac{1}{2} \langle M_x^4 \rangle \right\} . \quad (3.4.7)$$



The definition (3.4.7) has the advantage of yielding a positive series starting with unity.

The term  $\langle M_x^4 \rangle$  is a sum over four indices

$$\langle M_x^4 \rangle = \frac{m^4}{16} \sum_{i,j,k,\ell} \langle \sigma_i^x \sigma_j^x \sigma_k^x \sigma_\ell^x \rangle .$$

We consider all possible cases for the summand and list them below:

$$(i) \quad \langle \sigma_a^{x4} \rangle$$

$$(ii) \quad \langle \sigma_a^{x2} \sigma_b^{x2} \rangle , \quad a \neq b$$

$$(iii) \quad \langle \sigma_a^{x3} \sigma_b^x \rangle , \quad a \neq b$$

$$(iv) \quad \langle \sigma_a^{x2} \sigma_b^x \sigma_c^x \rangle , \quad a \neq b \neq c$$

$$(v) \quad \langle \sigma_a^x \sigma_b^x \sigma_c^x \sigma_d^x \rangle , \quad a \neq b \neq c \neq d$$

Summing (i) - (v) separately, we obtain

$$\begin{aligned} \langle M_x^4 \rangle = & \frac{m^4}{16} \{ N + 3N(N-1) + 8N \sum_{j \neq 0} \langle \sigma_0^x \sigma_j^x \rangle \\ & + 12N(N-2) \sum_{j \neq 0} \langle \sigma_0^x \sigma_j^x \rangle + \sum_{i \neq j \neq k \neq \ell} \langle \sigma_i^x \sigma_j^x \sigma_k^x \sigma_\ell^x \rangle \} \quad (3.4.8) \end{aligned}$$

$$\begin{aligned}
\langle M_x^2 \rangle &= \frac{m^2 N}{4} (1 + 2 \sum_{j \neq 0} \langle \sigma_0^x \sigma_j^x \rangle) \\
3 \langle M_x^2 \rangle^2 &= \frac{m^4 N^2}{16} (3 + 12 \sum_{j \neq 0} \langle \sigma_0^x \sigma_j^x \rangle + \\
&\quad + 12 \sum_{\substack{j \neq 0 \\ k \neq 0}} \langle \sigma_0^x \sigma_j^x \rangle \langle \sigma_0^x \sigma_k^x \rangle)
\end{aligned} \tag{3.4.9}$$

We see that the parts of the second and fourth terms in (3.4.7) which were proportional to  $N^2$  are cancelled by the first two in (3.4.9). The third term of (3.4.9) subtracted from  $\sum_{i \neq j \neq k \neq l} \langle \sigma_i^x \sigma_j^x \sigma_k^x \sigma_l^x \rangle$  leaves the part which is linear in  $N$ .

When  $[M, \mathcal{H}] = 0$  there is no need to check on linearity in  $N$ , as  $F_2$  is a derivative of the free energy which we know to be linear in  $N$ .

We can define a generalized exponential  $e_g^{A+B}$  in which factors  $B$  will always be taken to the front

$$e_g^{A+B} = e^A \cdot e^B .$$

Using this definition of order we see that

$$Y_2 = \frac{16}{Nm^4 \beta^4} \frac{\partial^4}{\partial H_x^4} \log_g \text{Tr} e_g^{-\beta(\mathcal{H} - M_x H_x)} \Big|_{H_x=0}$$

Kubo (1962) discussed these generalized exponentials and the calculation of generalized cumulants and moments with them. The relation between cumulants and moments

remains unchanged as long as we apply the generalized order consistently. Therefore

$$\log_g \text{Tr} e_g^{-\beta (\mathcal{H} - M_x H_x)}$$

is equal to the cumulant expansion series which is linear in  $N$ .

We see from (3.4.8) and (3.4.9) that

$$Y_2 = \frac{16m^4}{N} \left\{ 1 + 8 \sum_{j \neq 0} \langle \sigma_0^x \sigma_j^x \rangle - Q \right\} \quad (3.4.11)$$

where

$$Q = -\frac{1}{2} \sum_{j \neq j \neq k \neq l} \frac{K^n}{n!} \text{Tr}^* P^n \sigma_i^x \sigma_j^x \sigma_k^x \sigma_l^x .$$

The second term in (3.4.11) is four times the fluctuation series apart from the initial unity. We calculate the third term. We generate the graphs by opening two bonds in the partition function graphs, under the restriction that the four vertices be distinct.

We note that each graph  $P^n a_a^\dagger a_b a_c^\dagger a_d$  appears 24 times in the sum as each index  $i, j, k, l$  can take any value  $a, b, c, \text{ or } d$ . On the other hand we are counting each term twice in the graphical expansion because the dotted arrow associated with  $a_a^\dagger a_b a_c^\dagger a_d$  can be either

$a \rightarrow b, c \rightarrow d$  or  $a \rightarrow d, c \rightarrow b$ , for example



Therefore

$$Q = -6 \sum_n \frac{K^n}{n!} \sum_{g'_{n+2}} \frac{h(g'_{n+2}) V(g'_{n+2})(g_n, L)}{2^s} . \quad (3.4.12)$$

The vertical weight is calculated with the dotted arrows fixed at the last two levels (since the four vertices are distinct their order is immaterial).

For elimination of equivalent graphs and calculation of horizontal weights the matrix elements  $M(a,b)$ ,  $M(c,d)$  are preceded by a minus sign.  $N(a,b)$ ,  $N(b,a)$ ,  $N(c,d)$  and  $N(d,c)$  are zero if the vertices  $a-b$  and  $c-d$  respectively are not connected by other arrows.

## CHAPTER IV

THE SERIES FOR THE STATIC QUANTITIES AND  
THEIR ANALYSIS4.1 Series analysis

The functions we deal with are assumed to have near  $T_c$  an asymptotic behaviour of the form:

$$f(x) \sim A(x_c - x)^{-(g+1)} . \quad (4.1.1)$$

We have a finite number of terms in a series expansion of  $f(x)$  in powers of  $x$ . Two basic methods have been developed to obtain estimates of  $x_c$  and  $g$  from this truncated expansion

$$f(x) = \sum_{n=0}^N a_n x^n + R_N . \quad (4.1.2)$$

(a) The ratio method

This method was first used by Domb and Sykes (1957). Had (4.1.1) been an exact equality, using the binomial expansion we would see that the ratios  $r_n$  defined by

$$r_n = a_n / a_{n-1} \quad (4.1.3)$$

would be equal to

$$r_n = \frac{1}{x_c} \left( 1 + \frac{g}{n} \right) . \quad (4.1.4)$$

If the series (4.1.2) converges, its radius of convergence in the complex  $x$  plane is the distance from the origin to the first singularity. The limit of  $|r_n^{-1}|$ , if it exists, is the radius of convergence. For series with all positive terms the first singularity must lie on the positive real axis and can be expected to be the physical singularity we are seeking; therefore we expect the ratios to approach  $x_c^{-1}$  as  $n \rightarrow \infty$ . Since we expect (4.1.1) to hold near  $x_c$  the relation (4.1.4) will obtain in the limit  $n \rightarrow \infty$ . A plot of  $r_n$  against  $1/n$  will therefore approach a straight line with intercept  $1/x_c$  at  $\frac{1}{n}=0$  and a limiting slope of  $g$ .

Various modifications and refinements of the ratio method have been introduced. Neville tables have been used by Baker, Eve, Gilbert and Rushbrooke (1968) which are successive linear extrapolations. The quantities  $l_n$ ,  $q_n$  etc. are constructed  $l_n = n r_n - (n-1) r_{n-1}$ ,  $q_n = \frac{1}{2} [n l_n - (n-2) l_{n-1}]$ ,  $c_n = \frac{1}{3} [n q_n - (n-3) q_{n-1}]$ , etc., and as long as they are monotonic they provide improved estimates of  $x_c^{-1}$ . Once the critical point is evaluated, better estimates for the exponent can be obtained by the relation (Domb and Sykes (1957))

$$n [x_c (a_n/a_{n-1}) - 1] \rightarrow g \quad \text{as } n \rightarrow \infty .$$

If this sequence is monotonic a Neville table can be

constructed for it too. Given an estimate  $g'$  of  $g$  one can obtain a better estimate for  $x_c$  from the sequence

$$r_n(n/(n + g')). \quad (4.1.5)$$

Alternate ratios are often used to smooth out oscillations for loose packed lattices. Fisher (1962) suggested the sequences

$$r'_n = \frac{1}{2} \{ (n+\epsilon) r_n - (n+\epsilon-2) r_{n-2} \} \quad (4.1.6)$$

for a choice of small  $\epsilon$ .

In general the series will have non physical singularities too; the ratio sequence will converge more rapidly when they are far from the circle of convergence.

For series of alternating sign the dominant singularity will be on the negative real axis and for this and for the general non positive series the ratio method will not yield the physical singularity. On the other hand a pair of singularities close to the real axis could show as a consistent limit while the series is well behaved on the real axis and has no physical singularity, but for three dimensional cases we expect a physical singularity so this problem occurs only in the two dimensional case. Transformations of variable, usually bilinear, have been used to bring the physical singularity in to be the

closest to the origin (Wortis (1969), Guttman, Thompson (1969)), with noticeable success.

(b) Pade approximants

The  $(N,M)$  Pade approximant to a power series  $F(x)$  is the ratio of two polynomials of degree  $N$  and  $M$ , whose  $N+M+1$  coefficients are determined uniquely by the requirement that the coefficients of the power expansion of the ratio be equal to those of  $F(x)$  up to the  $N+M$  order.

$$[N,M] = \frac{P(x)}{Q(x)} = \frac{p_0 + p_1 x + \dots + p_N x^N}{1 + q_1 x + \dots + q_M x^M} \quad (4.1.7)$$

First introduced to critical phenomena by Baker (1961) it has proved an invaluable tool for the analysis of series and especially for non positive series where the ratio method does not apply.

In a series of papers Baker has shown that for certain classes of functions the  $[M,M]$  and  $[M-1,M]$  approximants form upper and lower bounds to  $F(x)$  for real positive  $x$  and that subsequences of the diagonal approximants converge to  $F(z)$  everywhere in the complex plane as  $M \rightarrow \infty$ .

The zeroes of the denominator are calculated and the singularity of  $F(x)$  shows up consistently, usually as the smallest positive zero. Obviously the approximation is better if the function's singularity is a simple



pole; therefore it is customary to calculate Pade approximants to

$$(i) \quad \frac{\partial}{\partial z} \log F(z),$$

or if an estimate of  $\gamma$  is known to

$$(ii) \quad [F(z)]^{1/\gamma}, \quad \text{and}$$

$$(iii) \quad \left[ \frac{\partial}{\partial z} F(z) \right]^{1/\gamma+1}.$$

We have assumed

$$F(z) = (z_c - z)^{-\gamma} G(z) \tag{4.1.8}$$

with  $G(z)$  a non singular function at  $z_c$ . It follows immediately that

$$(i) \quad \frac{z}{dz} \log F(z) = -\frac{\gamma}{z-z_c} + \frac{d}{dz} \log G(z). \tag{4.1.9}$$

So if  $G(z)$  has no zeroes near  $z_c$  that pole should appear with good convergence in the Pade tables.

$$(ii) \quad (F(z))^{1/\gamma+\epsilon} = (z_c - z)^{-1-\epsilon} (G(z))^{1/\gamma+\epsilon}. \tag{4.1.10}$$

Here the convergence is better as the zeroes of  $G(z)$  will not interfere. (iii) with an approximate  $\gamma$  is:

$$\begin{aligned} \left( \frac{\partial F(z)}{\partial z} \right)^{1/\gamma+1+\epsilon} &= (-\gamma G(z))^{1/\gamma+1+\epsilon} (z_c - z)^{-1-\epsilon} + \\ &+ \left( \frac{\partial G}{\partial z} \right)^{1/\gamma+1+\epsilon} (z_c - z)^{-\gamma/\gamma+1}. \end{aligned} \tag{4.1.11}$$

Here the convergence will be slower than in (4.1.10) because of the second term but still better than (4.1.9). When the estimates for  $\gamma$  are not close to the real value one expects a shift in the estimate for  $z_c$  from Pade approximants to (4.1.10) and (4.1.11) since

$$(z_c - z)^{-1+\epsilon} g(z) = (z_c)^{-1+\epsilon} g(z) \left[ 1 + (\epsilon-1) \frac{z}{z_c} + O\left(\frac{z}{z_c}\right)^2 \right]. \quad (4.1.12)$$

So to a first approximation the pole of this junction is at

$$y_c \approx \frac{z_c}{1-\epsilon} \approx z_c (1 + \epsilon)$$

varying the value of  $\epsilon$  and plotting  $y_c$  against  $\epsilon$ . We have a straight line, for  $\epsilon$  small enough (in practice up to rather large values), whose intercept with the correct value of  $z_c$  will give a very good estimate of the exponent.

Another way of estimating the exponents is to calculate the Pade approximant at  $z_c$  to

$$(z-z_c) \frac{d}{dz} \ln F(z) = \gamma + O(z-z_c) \quad . \quad (4.1.13)$$

A method which is less sensitive to the choice of  $z_c$  was introduced by Baker, Eve, Gilbert and Rushbrooke (1968); the Pade approximant at  $z_c$  to

$$\frac{\frac{d}{dz} \ln \frac{dF(z)}{dz}}{\frac{d}{dz} \ln F(z)} \quad (4.1.14)$$

gives an estimate for  $\frac{\gamma+1}{\gamma}$ . Since (4.1.14) is  $\frac{\gamma+1}{\gamma}$  at all  $z$  not far from  $z_c$ , this is insensitive to the choice of  $z_c$ . A plot of the Pade approximants to (4.1.14) gives a straight line in a  $\gamma$  against  $z_c$  plot. Its intercept with the straight line obtained from (4.1.10) yields a simultaneous estimate of  $\gamma$  and  $z_c$ .

#### 4.2 The static series and their analysis

Using the graphical expansions outlined in Chapter III, we have obtained the initial parallel susceptibility and fourth order fluctuation high temperature series for the face-centered cubic and triangular lattices. This choice of lattices was made because the close packed lattices are known to yield better behaved high temperature series.

For the Heisenberg model it is also desirable to study the staggered susceptibility on loose packed lattices in order to locate the Néel point,  $T_N$ . However there is no reason to do these calculations on the loose packed lattices since for the XY model the staggered parallel susceptibility is equal to the parallel ferromagnetic susceptibility.

The series obtained are:

for the face centered cubic lattice,

$$\bar{\chi}_{\parallel}^0 = 1 + 6K + 32K^2 + 161.5K^3 + 792.3K^4 + 3823.924K^5 + \\ + 18262.124K^6 + 86567.462K^7 + 402842.0556K^8 + \dots$$

$$Y_2 = 1 + 24K + 339K^2 + 3656K^3 + 33176.25K^4 + 268835K^5 + \\ + 2010189.817K^6 + 13768318.21K^7 + \dots$$

for the triangular lattice,

$$\bar{\chi}_{\parallel}^0 = 1 + 3K + 7K^2 + 13.75K^3 + 25.25K^4 + 41.0125K^5 + \\ + 67.6702K^6 + 10950186K^7 + 170.5454K^8 + \dots$$

$$Y_2 = 1 + 12K + 79.5K^2 + 379K^3 + 1432.875K^4 + 4621.5K^5 + 13336.25K^6 + 35115.962K^7 + \dots$$

(a) Comparison of susceptibility and fluctuation

In view of the asymptotic equivalence of the fluctuation and reduced susceptibility series we wish to compare the ratios of the coefficients.

TABLE 4.1

Ratio of fluctuation over susceptibility coefficients

n	triangular lattice	f.c.c. lattice
1	1	1
2	1.071428571	1.03125
3	1.05454545	1.01541799
4	.965346534	1.00435441
5	.971959768	1.00149088
6	.985478098	1.00111803
7	1.011481242	1.00089795
8	1.026660712	1.01355544

In the case of the f.c.c. lattice the ratios are approaching unity ever more closely as n increases

(except for the last term). The last term breaks the trend both here and in the ratio plot and we suspect a numerical error in the susceptibility series might be the cause.

In the triangular lattice case the ratios of coefficients of susceptibility over fluctuation are more erratic. From the result of Falk and Bruch  $\chi \leq Y$  at all temperatures therefore the ratios should be greater or equal to unity as  $n$  increases and this seems to be the trend.

(b) Analysis of the f.c.c. susceptibility series

Figure 4.1 is the ratio plot for the f.c.c. susceptibility series. We see that the ratio plot is linear (except for the last term) and we can estimate

$$K_C^{-1} = 0.2206 \pm .001 \quad \gamma = 1.33 \pm 0.03 .$$

The above results agree well with the ratio analysis of the fluctuation (Betts, Elliott and Lee (1970)) who find  $K_C^{-1} = 0.2206 \pm .0010$  and  $\gamma = 1.335 \pm 0.02$ .

We apply the modified ratio method (Section 4.1) to the f.c.c. susceptibility series.

TABLE 4.2

Ratios of f.c.c. susceptibility with  $K'_c=0.24$ ,  $\gamma'=1.33$

n	$r_n$	$n(K'_c r_n - 1) + 1$	$n a_n / (n + \gamma' - 1) a_{n-1}$
1	6	1.32600	4.51128
2	5.33333	1.35733	4.57798
3	5.046875	1.36058	4.54673
4	4.905882	1.33680	4.56023
5	4.826358	1.33313	4.52754
6	4.775754	1.33265	4.52678
7	4.740273	1.33320	4.52686

Fig. 4.2 exhibits:

- (1) The physical pole of  $(\chi_{||}^o(K))^{1/\gamma}$  as a function of  $\gamma$ .
- (2) The estimate of  $\gamma$  from  $(K-K'_c) \frac{\partial}{\partial K} \log \chi_{||}^o(K) \Big|_{K=K'_c}$   
against  $K'_c$ .

This is given by the vertical bars. The bars shrink as approach  $K'_c$ .

- (3) The arrow at the left hand side shows the spread in  $\gamma$  calculated from Pade approximants to:

$$\frac{\partial}{\partial K} \log \frac{\partial}{\partial K} \chi_{||}^o(K) / \frac{\partial}{\partial K} \log \chi_{||}^o(K) .$$

The approximants to  $(\frac{\partial \chi}{\partial K})^{1/\gamma+1}$  gave a straight line when plotting the pole against  $\gamma$ . The line had the same slope as (1) only with larger spread. We also calculated Pade approximants to  $\frac{\partial}{\partial K} \log \chi(K)$  listed in Table 4.3, and to  $(\frac{\partial^2}{\partial K^2} \chi/\chi)^{1/2}$  listed in Table 4.8. The results are all consistent.

TABLE 4.3

Estimates of  $K_c$  for the f.c.c. lattice from Pade approximants to  $\frac{\partial}{\partial K} \log \chi_{11}(K)$ .

N	M = 2	M = 3	M = 4	M = 5	M = 6	M = 7
0	.2255	.2233	.2213	.2207	.2206	.2230± .005i
1	.2236	.2095	.2203	.2206	.2207	
2	.2283	.2105	.2208	.2203		
3	.2201	.2208	.2205			
4	.2201	.2201				
5	.2206					



TABLE 4.4

Estimates of  $K_c$  for the f.c.c. lattice  
from Pade approximants to  $(\chi_{||}(K))^{4/5}$

N	M = 2	M = 3	M = 4	M = 5	M = 6	M = 7
1	.20017	.21911	.21887	.21910	.21973	.21882
2	.21895	.21886	.21898	.21820	.21909	
3	.21886	.21892	.2147± 0.005i	.21897		
4	.21911	.21722	.21892			
5	.21955	.21911				
0	.21865					

TABLE 4.5

Estimates of  $K_c$  for the f.c.c. lattice  
from Pade approximants to  $(\chi_{||}(K))^{3/4}$

N	M = 2	M = 3	M = 4	M = 5	M = 6	M = 7	M = 8
0		.2206	.2212	.2212	.2211	.2210	.2271
1	.2196	.2216	.2212	.2212	.2208	.2211	
2	.2215	.2212	.2210	.2210	.2212		
3	.2212	.2210	.2210	.2210			
4	.2212	.2210	.2210				
5	.2207	.2212					
6	.2211						

TABLE 4.6

Estimates of  $K_c$  for the f.c.c. lattice  
from Pade approximants to  $(\chi_H(K))^{10/13}$

N	M = 2	M = 3	M = 4	M = 5	M = 6	M = 7
1				.22022	.22039	.22020
2	.22045	.22019	.22021	.22023	.22022	
3	.22021	.22021	.22018	.22021		
4	.22021	.22021	.22021			
5	.22033	.22021				
6	.22017					

TABLE 4.7

Estimates of  $\gamma$  for the f.c.c. lattice from  
Pade approximants to  $(K-K_c) \frac{\partial}{\partial K} \log \chi_H(K) \Big|_{K=K_c}$

Pade	$K_c=.2200$	$K_c=.2202$	$K_c=.2204$	$K_c=.2206$	$K_c=.2208$	$K_c=.221$	$K_c=.222$
(1,3)	1.293			1.31391		1.327	1.356
(2,2)	1.294	1.3014	1.30845	1.31535	1.32204	1.329	1.358
(2,3)	1.291	1.2995	1.30772	1.31579	1.32372	1.331	1.368
(3,2)	1.291	1.2994	1.30770	1.31579	1.32363	1.331	1.365
(1,4)	1.291	1.2994	1.30764	1.31521	1.32213	1.328	1.349
(2,4)	1.294	1.3001	1.30721	1.31507	1.32371	1.333	1.393
(4,2)	1.291	1.2998	1.30666	1.31497	1.32371	1.333	1.386
(3,3)	1.300	1.3037	1.30879	1.31547	1.32371	1.334	1.408
(1,5)	1.232	1.2706	1.29872	1.31495	1.31862	1.310	1.119
(3,4)	1.291	1.2995	1.30772	1.31580	1.32372	1.331	1.368
(4,3)	1.291	1.2994	1.30771	1.31579	1.32363	1.331	1.365
(2,5)	1.291	1.2995	1.30765	1.31521	1.32213	1.328	1.350
(5,2)	1.291	1.2993	1.30731	1.31474	1.32163	1.328	1.351
(1,6)	1.295	1.3014	1.30828	1.31525	1.32230	1.329	

TABLE 4.8

Estimates of  $K_C$  for the f.c.c. lattice from  
 Pade approximants to  $[\frac{\partial^2}{\partial K^2} \chi_{||}(K)/\chi_{||}(K)]^{\frac{1}{2}}$ .

N	M = 2	M = 3	M = 4	M = 5	M = 6
0		.2217	.2206	.2206	.2145±.06i
1		.2197	.2206	.2206	
2	.2193	.2207	.2197		
3	.2206	.2193			
4	.2206				

(c) Analysis of the fourth order fluctuation series  
 for the f.c.c. lattice

The ratio plot is given by the solid line in  
 Fig. 4.3. The modified ratios using the known value  
 of  $K_C$  are tabulated below and plotted in Fig. 4.3  
 (the dotted line).

TABLE 4.9

Ratios of  $Y_2(K)$  for f.c.c. lattice,  $K_C'=.221$

n	$r_n$	$(K_C' r_n - 1) n + 1$
2	14.125	5.243
3	10.785	5.150
4	9.074	5.022
5	8.103	4.954
6	7.477	4.915

We estimate then  $\gamma_2 = 4.64 \pm 0.10$  if we ignore the last  $K^7$  term.

The Pade approximants to the fourth order fluctuation are not well behaved. A few of the approximants are tabulated below. There was no point in plotting the equivalent of Fig. 4.1 as the spread in estimates from different Pades was large, and the  $K_c$  against  $\gamma$  plot from the estimates to  $[Y_2(K)]^{1/\gamma}$  almost vertical.

Tables 4.11 and 4.12 are Pade approximants to  $\frac{\partial}{\partial K^X} \log Y_2(K^X)$  and  $(K^X - K_c^X) \frac{\partial}{\partial K^X} \log Y_2(K^X)$  with  $K = \frac{0.5K^X}{1-0.5K^X}$  which seemed somewhat better behaved. All the above were considered with the estimate from the modified ratio method in table 4.9.

TABLE 4.10

Estimates of  $K_c$  for f.c.c. lattice from  
Pade approximants to  $[Y_2(K)]^{1/4.65}$

N	M = 1	M = 2	M = 3	M = 4	M = 5	M = 6
1	.2125	*	*	.2376	.2113	.1919
2	.2269	*	*	.2249	.2317	
3	.2423	.2302	.2231	.2387		
4	.1908	.2127	.2281			
5	.2318	.1853				
6	*					

\* The physical pole did not appear at all or was off the real axis.

TABLE 4.11

Estimates of  $K_c$  for the f.c.c. lattice from

Pade approximants to  $\frac{\partial}{\partial K^x} \log Y_2(K^x)$  where  $K = \frac{\frac{1}{2}K^x}{1 - \frac{1}{2}K^x}$

N	M = 2	M = 3	M = 4
2	.4011	.3634	.3702
3	.3159	.3697	
4	*		

TABLE 4.12

Estimates of  $\gamma_2$  for the f.c.c. lattice from

Pade approximants to  $[(K^x - K_c^x) \frac{\partial}{\partial K^x} \log Y_2(K^x)] \Big|_{K^x = .356}$   
 where  $K = \frac{\frac{1}{2}K^x}{1 - \frac{1}{2}K^x}$

N	M = 1	M = 2	M = 3	M = 4	M = 5
1	4.5188	6.5715	4.0173	4.6461	4.6300
2	5.2479	4.3449	4.2448	4.6307	
3	3.9788	4.2378	4.3037		
4	4.7663	4.7461			
5	4.7428				

TABLE 4.13

Estimates of  $K_c$  for the f.c.c. lattice  
from Pade approximants to  $\frac{\partial}{\partial K} \log Y_2(K)$

N	M = 2	M = 3	M = 4	M = 5
1	*	.2754	.1938	.2272
2	.2694	.2440	.2474	
3	.164	.2473		
4	*			

TABLE 4.14

Estimates of  $\gamma_2$  for the f.c.c. lattice from  
Pade approximants to  $(K-K_c) \frac{\partial}{\partial K} \log Y_2(K) \Big|_{K_c=.221}$

N	M = 2	M = 3	M = 4	M = 5
1	6.367	4.151	5.477	18.436
2	5.473	4.502	4.240	
3	4.437	2.969		
4	4.075			

Fig. 4.1

The ratio plot of the initial parallel  
susceptibility for the f.c.c. lattice

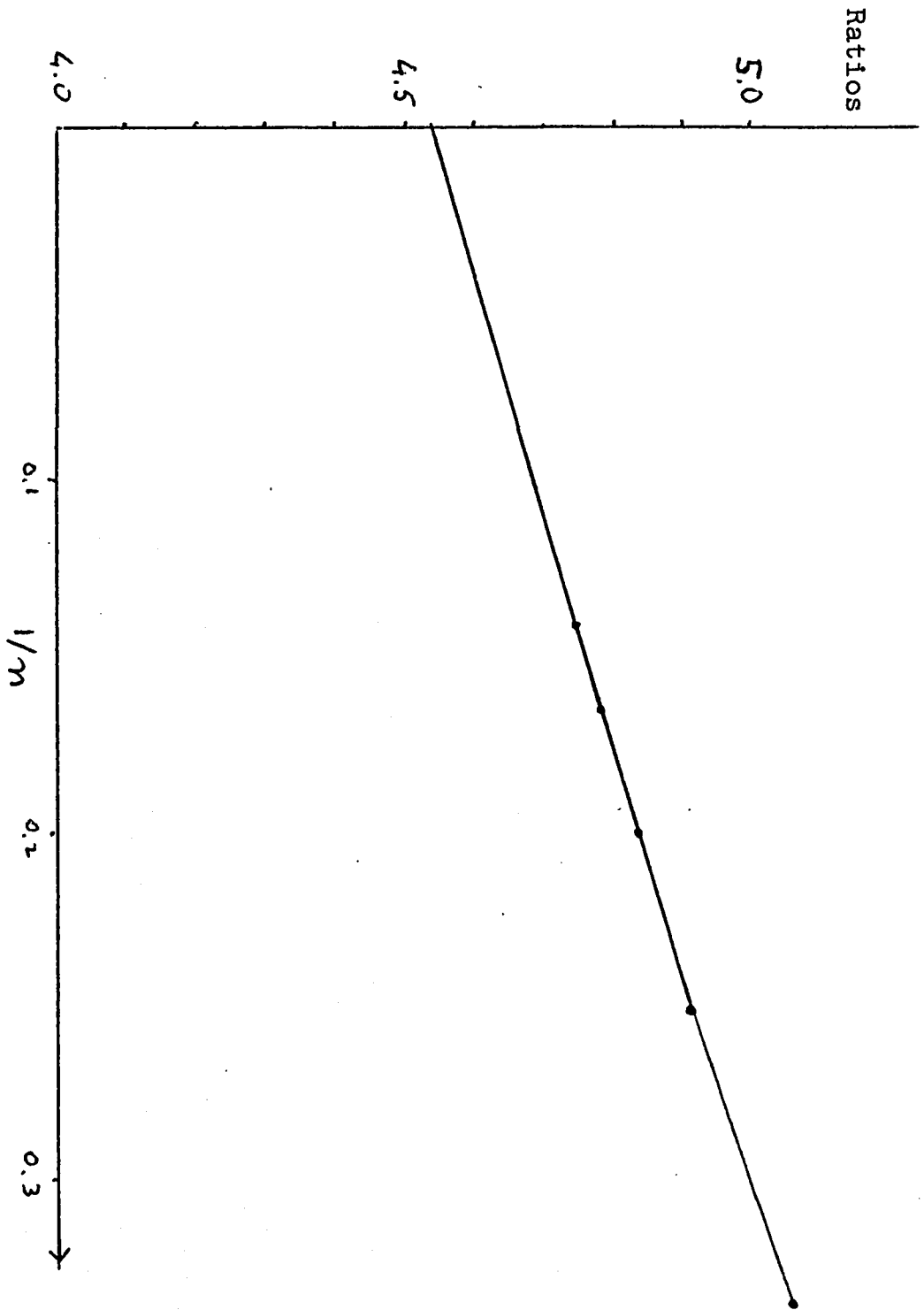




Fig. 4.2

Estimate of  $K_c$  and  $\gamma$  for the f.c.c. lattice.

The solid line is the estimate of  $K_c$  from approximants to  $[\chi(K)]^{1/\gamma}$ .

The vertical bars are estimate of  $\gamma$  from approximants to  $(K-K_c) \frac{\partial}{\partial K} \log \chi \Big|_{K=K_c}$ .

The arrow on the left is estimate of  $\gamma$  from  $\frac{\partial}{\partial K} \log \chi / \frac{\partial}{\partial K} \log \chi$  at various values of  $K$ .

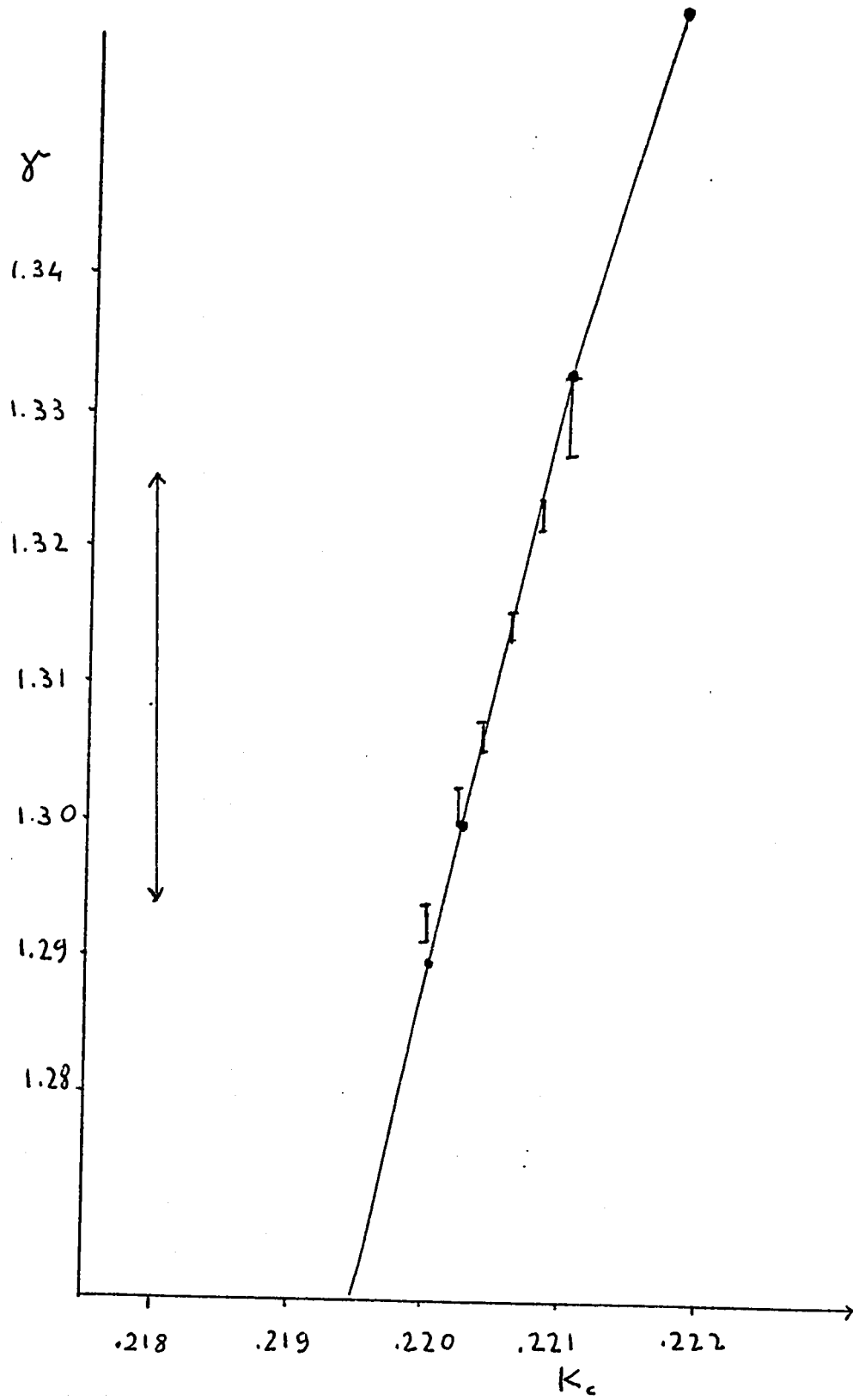


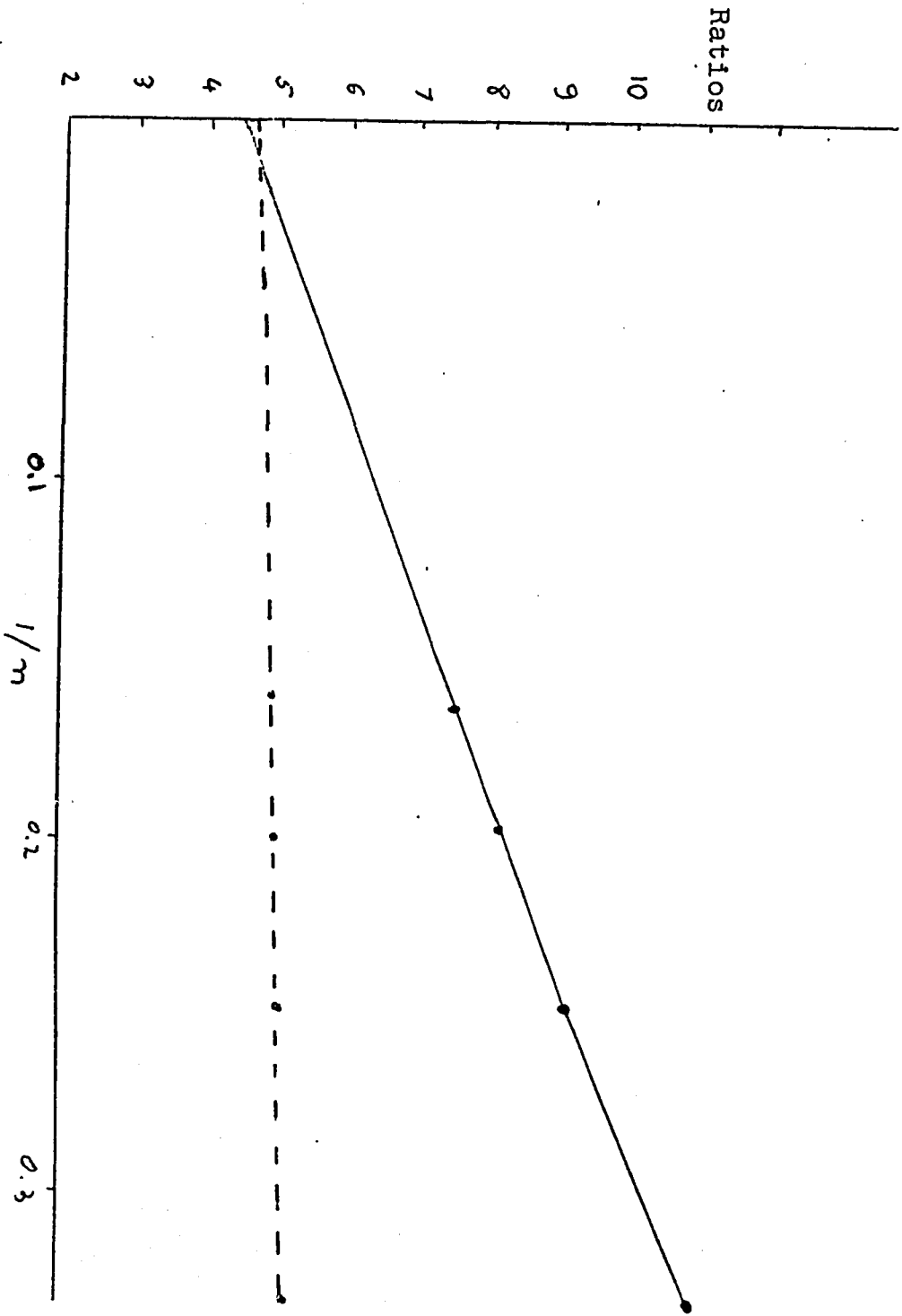
Fig. 4.3

The ratio plot for the fourth order fluctuation of the f.c.c. lattice.

The solid line is the ratio plot of the series.

The dotted line is the plot of the estimates of  $\gamma$

$$\gamma_n = (K_c r_n - 1) n - 1.$$



(d) The triangular lattice

The evidence for a phase transition in the XY model on the triangular lattice is not conclusive. We present our results below; a discussion is presented in the next section of conclusions.

In Fig. 4.4 the plot of the physical singularity from approximants to  $(\chi^0)^{1/\gamma}$  against  $\gamma$  is given. On the same Fig. 4.4 the estimate of  $\gamma$  from the approximants to  $\frac{\partial}{\partial K} \log \frac{\partial}{\partial K} \chi / \frac{\partial}{\partial K} \log \chi$  is shown.

From Fig. 4.4 we could say that if there is a phase transition it occurs at  $K_c = .65 \pm .07$ .

Fig. 4.5 is the ratio plot.

TABLE 4.15

Ratios of triangular susceptibility series  $K'_c = \frac{2}{3}$

$n$	$r_n$	$n(K'_c r_n - 1) + 1$
1	3	2
2	2.33333	2.1111
3	1.96429	1.9286
4	1.83636	1.8970
5	1.62426	1.4142
6	1.64929	1.0000
7	1.61817	1.5515

TABLE 4.16

Ratios of  $\frac{\partial}{\partial K} \chi_{11}(K)$  for the triangular lattice,  
 $K'_C = \frac{2}{3}$

n	$r_n$	$M (K'_C r_n - 1) + 1$
1	4.66667	3.1111
2	2.94642	2.9286
3	2.44847	2.8969
4	2.03032	2.4142
5	1.98000	2.600
6	1.88786	2.551

The Pade approximants to  $\frac{\partial}{\partial K} \log \chi(K)$  are not converged at all.

TABLE 4.17

Estimates of  $K_C$  for the triangular lattice  
 from Pade approximants to  $\frac{\partial}{\partial K} \ln \chi_{11}(K)$

N	M = 1	M = 2	M = 3	M = 4	M = 5	M = 6	M = 7
0		*	.5924	*	.4814	*	.5717
1	.9524	.7502	*	*	.5969	*	
2	.5833	.8552	*	*	.6552		
3	*	*	.8871	.7888			
4	*	.3557	.5988				
5	.9998	*					

TABLE 4.18

Estimates of  $\gamma$  for the triangular lattice from Pade approximants to  $[(K-K_c) \frac{\partial}{\partial K} \ln \chi(K)]|_{K_c=2/3}$

N	M = 2	M = 3	M = 4	M = 5
1	1.8219	1.6724	1.3187	1.6427
2	2.1888	6.2717	1.4412	
3	3.6626	2.0076		
4	1.2286			

The analysis of the fourth order fluctuation is not too conclusive. The series itself seems to diverge at  $K_c^{-1} = 1.2 \pm 0.2$  which could be interpreted both as  $K_c = 1$  which is just the mathematical radius of convergence for a positive series or as a physical singularity at the lower limit.

TABLE 4.19

Ratios of the fourth order fluctuation on the triangular lattice,  $K_c' = 2/3$

n	$r_n$	$n(K_c' r_n^{-1}) + 1$
1	12	6
2	6.625	7.8333
3	4.76730	7.53460
4	3.78067	7.08179
5	3.22533	6.75110
6	2.88570	6.54280

The ratio plots are given in Fig. 4.6.

TABLE 4.20

Estimates of  $\gamma_2$  for the triangular lattice from  
 Pade approximants to  $(K-K_c) \frac{\partial}{\partial K} \log Y_2(K) \Big|_{K_c=0.6667}$

N	M = 2	M = 3	M = 4
2	8.1894	5.0272	5.0512
3	4.1519	5.0500	
4	5.7267		

The value of  $K_c = 0.6667$  was obtained by a better analysis of the fluctuation series (Betts - private communication).



Fig. 4.4

Ratio plot for the parallel initial susceptibility  
on the triangular lattice

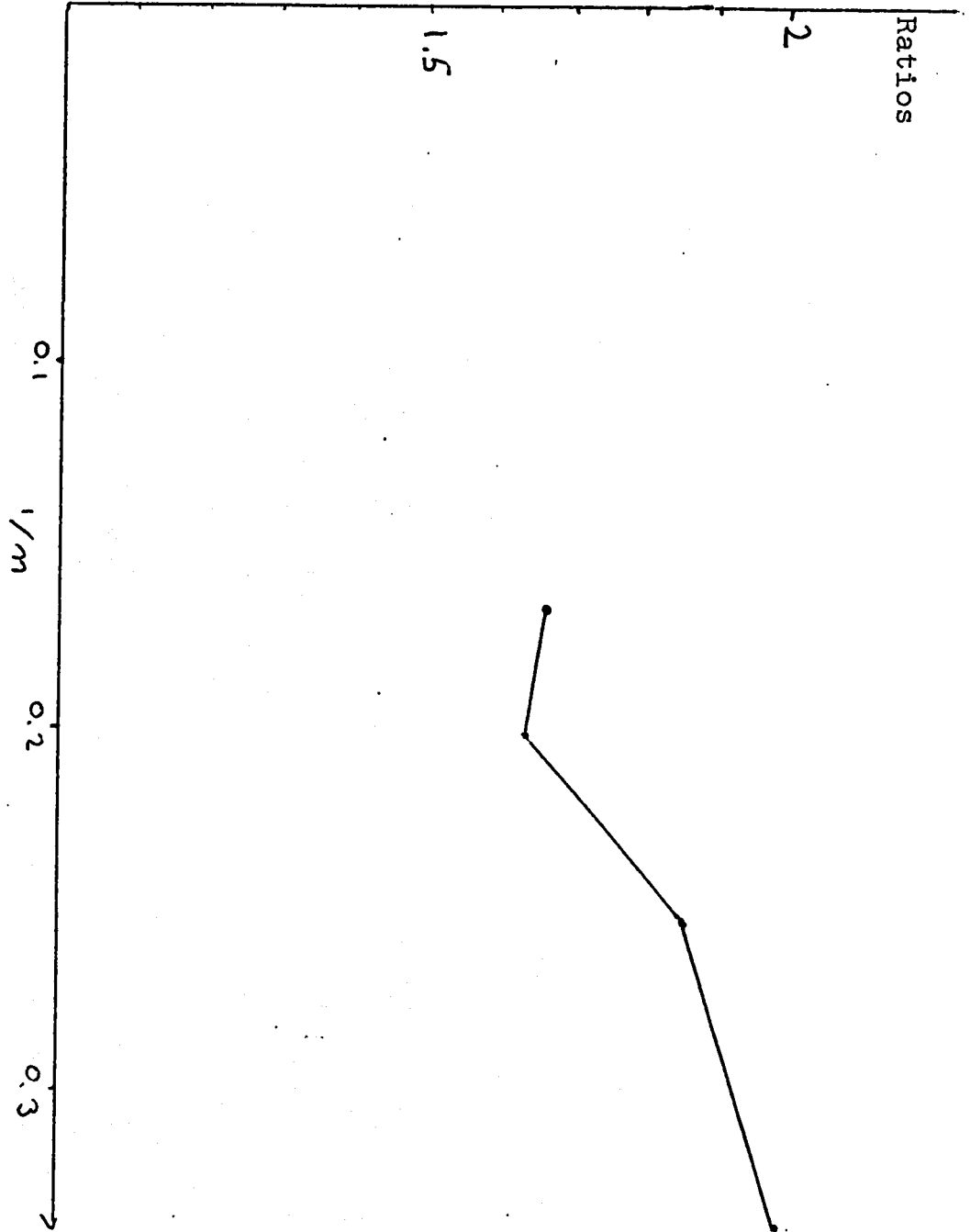


Fig. 4.5

Plot of  $\chi(K)$  against  $K_c$  for the triangular lattice.

The horizontal bars show the spread of Pade approximants to  $[\chi(K)]^{1/\nu}$ . The vertical bar is the spread in  $\chi$  as estimated from  $\frac{\partial}{\partial K} \log \chi \approx \left( \frac{\partial}{\partial K} \log \chi \right)$

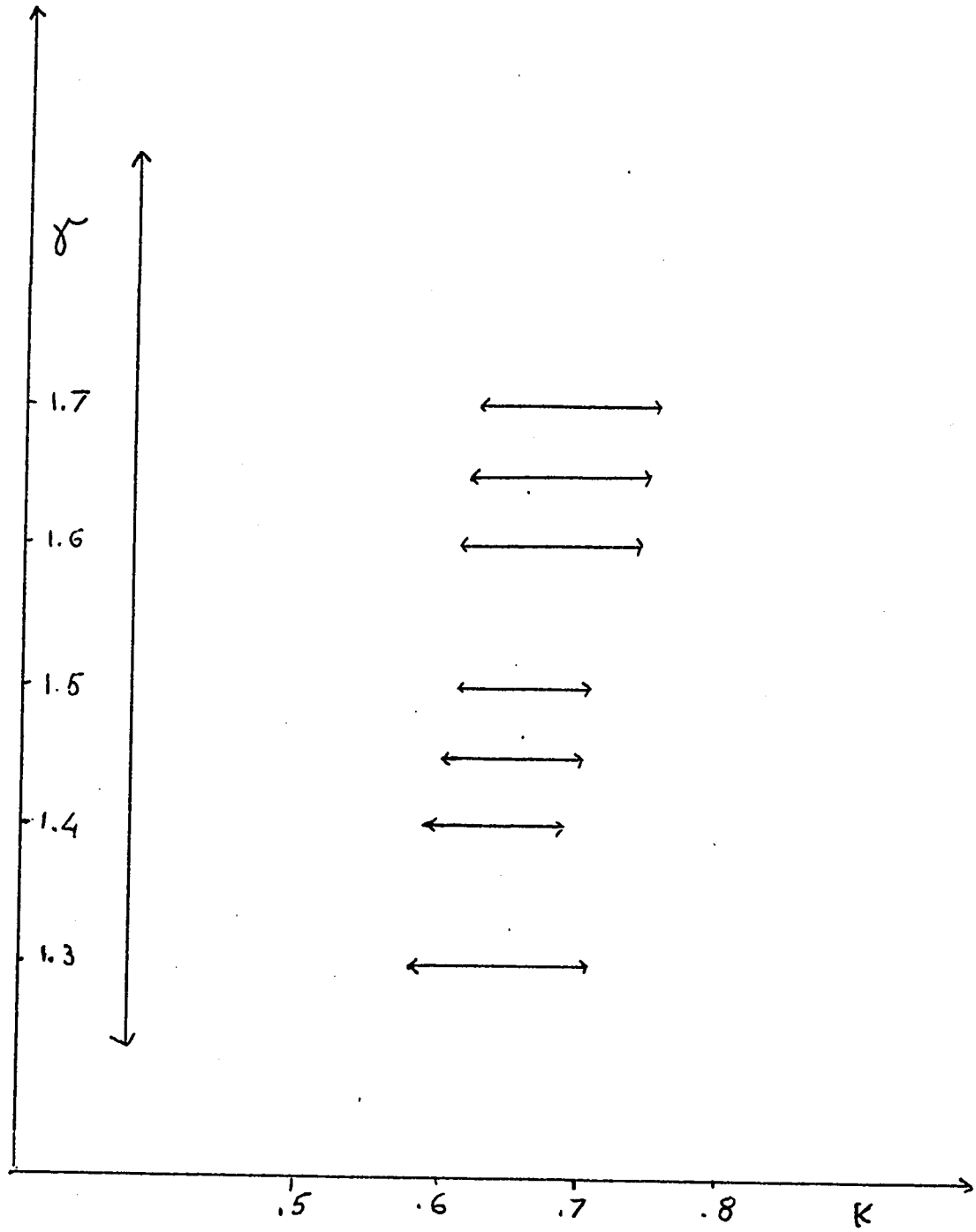
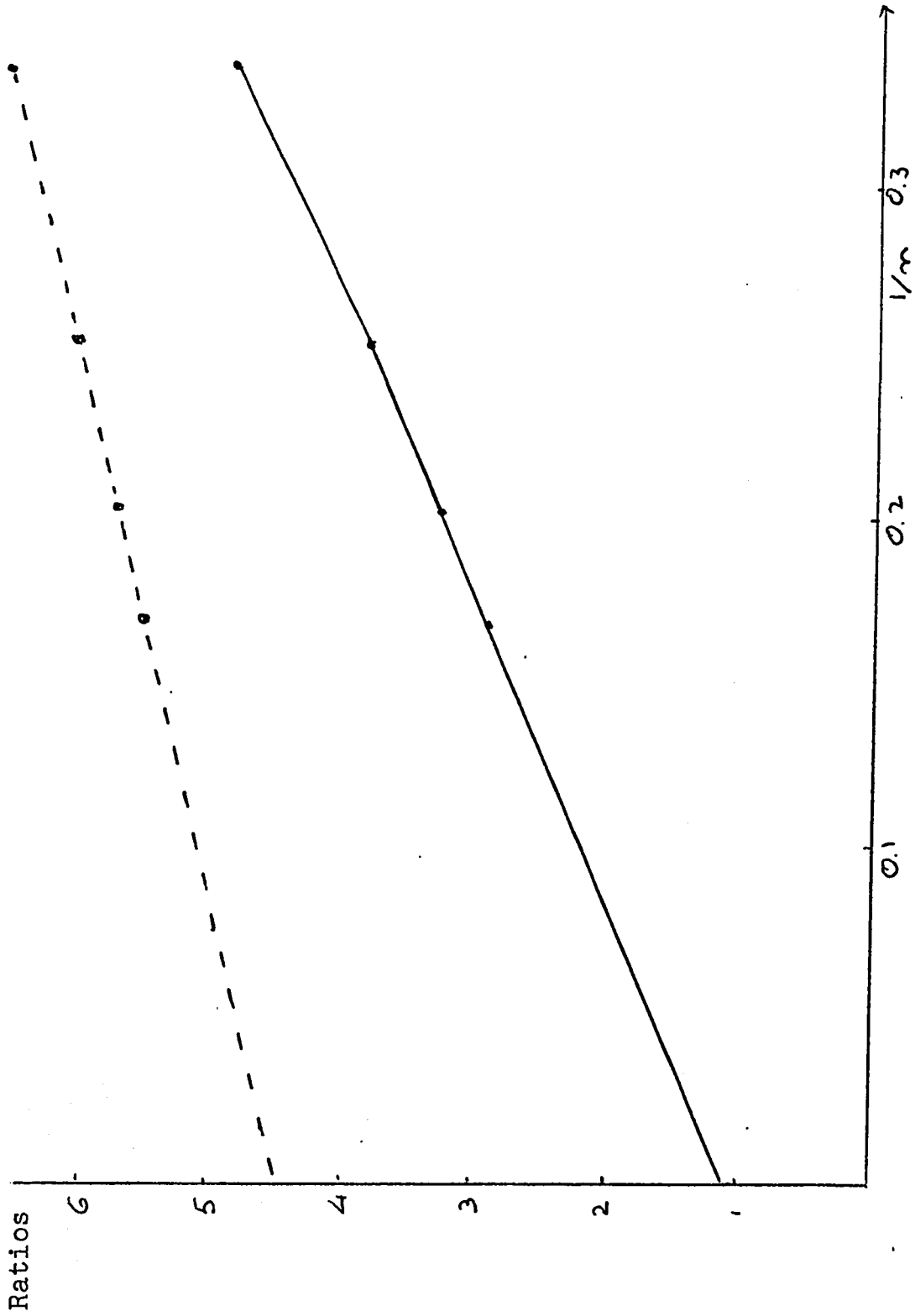


Fig. 4.6

Ratio plot of the fourth order fluctuation series  
on the triangular lattice.

The solid line is the regular  $a_n/a_{n-1}$  plot.

The dotted line is the plot of  $(\delta^{-1})_n = (K_c r_n - 1)n$  against  $1/n$ .



### 4.3 Conclusion

#### (a) Three dimensions

We obtain from the susceptibility series on the f.c.c. lattice that

$$K_C = 0.2206 \pm 0.001 \quad \gamma = 1.315 \pm 0.04 ,$$

which agrees with the results obtained from the fluctuation series by Betts, Elliott and Lee (1970)

$$K_C = 0.2210 \pm 0.0005 \quad \gamma = 1.35 \pm 0.03 .$$

The analysis of the fourth order fluctuation yields (Ditzian and Betts (1970))

$$\gamma_2 = 4.64 \pm 0.1 .$$

Possible simple fractions consistent with our estimates are :

$$\gamma = \frac{4}{3} \quad \gamma_2 = \frac{14}{3} .$$

Therefore the gap parameter  $\Delta$  is :

$$\Delta = \frac{5}{3}$$

Using scaling relations (Section 2.4) we obtain all other indices listed in Table 4.21.

TABLE 4.21

Index	Scaling relation	Prediction	Experiments for He
$\gamma$		4/3	
$\Delta$		5/3	
$\alpha$	$2 + \gamma - 2\Delta$	0	$0.000 \pm 0.003$
$\beta$	$\Delta - \gamma$	1/3	$0.333 \pm 0.010$
$\delta$	$\Delta / (\Delta - \gamma)$	5	
$\nu$	$(2\Delta - \gamma) / 3$	2/3	$0.67 \pm 0.04$
$\eta$	$(4\Delta - 5\gamma) / (2\Delta - \gamma)$	0	

The experimental results are taken from the following experiments:

The specific heat exponent  $\alpha$  has been measured by Ahlers (1967), who measured  $C_p$  to great accuracy taking into account gravitational field effects and vaporization. The temperature dependence of the superfluid density in  $\text{He}^4$  near  $T_\lambda$  has been measured by Clow and Reppy (1966). The quantity measured is the angular momentum caused by a persistent current. The result is a value for  $\beta$  the exponent of the order parameter.

The value of  $\nu$  has been measured by Henkel, Smith and Reppy (1969). The experiment consisted in measuring the angular momentum caused by a persistent current



in a film of known thickness  $D$ . The angular momentum is linear in  $D$  and becomes zero at  $D_0$ . The value of  $D_0 - D$  solid is the healing length  $\xi_s$  under the assumption that near the critical point only one coherence length exists

$$\xi_s \propto (T - T_c)^{-\nu} .$$

We see an excellent agreement of the XY model with experiments on  $\text{He}^4$ .

Domb (19 ) and Domb and Hunter (1965) advanced on Taylor series approach which predicted that the exponent  $\delta$  be an odd integer. Our result of  $\delta = 5$  agrees and also supports the conjecture that  $\delta = 5$  for all three dimensional models.

#### (b) Two dimensions

The Ising model in two dimensions has not only a phase transition but the only analytically demonstrated phase transition. The other models in two dimensions are in a much more dubious state.

Mermin and Wagner (1966) proved that spontaneous magnetization cannot occur in one and two dimensions for the isotropic Heisenberg model. They show, using the Bogoliubov inequality (1962), that in two dimensions

$$|M(H,T)| < B T^{-\frac{1}{2}} |\ln|H||^{\frac{1}{2}}$$

where B is a constant.

This proof, as we mentioned in 3.3B does not apply to the XY model.

Stanley and Kaplan (1966, 1967) have shown that zero magnetization at all  $T > 0$  does not imply to phase transition. The correlations can be of a qualitative longer range below some  $T_c$  and the susceptibility may diverge even if  $M = 0$ .

Stanley and Kaplan (1966, 1967), Moore (1969) show for the classical Heisenberg model and plane model clear evidence of phase transition. Stanley (1969) has evidence of phase transition in two dimensions for the quantum Heisenberg model.

The suggested behaviour, Dysis (unpublished), Stanley (1967, 1969), if

$$\langle S_0 S_R \rangle \propto R^{-\lambda T}$$

such that  $M = 0$  yet  $\chi = \infty$ .

Our evidence is not really conclusive. It seems to indicate a divergence in the susceptibility at  $K_c \sim 0.67 \pm 0.1$  with an exponent  $\gamma = 1.5 \pm 0.2$  which agree with more accurate results of the fluctuation

(Betts - private communication) which seems to diverge at  $K_c = .67 \pm .01$  with exponent  $\gamma = 1.5 \pm 0.02$ .

The fourth order fluctuation series by itself does not help in deciding whether this is a phase transition or not as its critical point is not well defined and it could be that the series converges up to  $K = 1$ . If there is a phase transition at  $K_c = 0.667$  then from the modified ratio method  $\gamma_2 = 5.4 \pm 0.5$ . Possible ratios within the error are

$$\gamma = \frac{12}{8} \quad \gamma_2 = \frac{42}{8}$$

$$\text{then } \Delta = \frac{15}{8} \quad , \quad \delta = 5 \quad , \quad \nu = \frac{9}{8}$$

$$\beta = \frac{3}{8} \quad , \quad \eta = \frac{2}{3} \quad , \quad \alpha = -\frac{2}{8} \quad .$$

## CHAPTER V

## DYNAMICAL CRITICAL PHENOMENA

5.1 Introduction

The critical region is usually characterized by long range and long time fluctuations. Reaching equilibrium therefore takes a long time and it is natural to extend critical phenomena theories to cover dynamic properties.

In order to measure dynamical properties of the system one has to use probes such as neutron scattering or frequency dependent magnetic fields. While neutron scattering experiments depend on both transfer of energy  $\hbar\omega$  and transfer of momentum  $\hbar\mathbf{k}$ , frequency dependent fields have infinite wavelength, ( $\mathbf{k}=0$ ). For this reason frequency dependent measurement yields only results that do not probe into the spatial dependence of the correlations. Since our calculation did not include neutron scattering we will not discuss it.

In the Ising model correlations of the z components of the spins can only have space dependence as each  $\sigma_i^z$  commutes with the Hamiltonian and therefore is constant in time. Fisher and Burford (1967) calculated the zz correlations, which give the elastic scattering of neutrons from an Ising model.

Allan and Betts (1968) using the Kubo linear response method calculated exactly the frequency dependent susceptibility  $\chi^{xx}(\omega)$  and inelastic neutron scattering from a spin  $\frac{1}{2}$  Ising model in 2 dimensions.

Essam and Garelick (1968) obtained the exact solution for all spins and in presence of parallel fields, their solution was based on solving the Green's function hierarchy of operations of motions without need for approximations other than linear response.

Allan and Betts (1968) noticed that the limit of  $\chi^{xx}(\omega)$  as  $\omega$  goes to zero was equal to  $\chi_T^{xx}(0)$  in the case of the honeycomb lattice but not the square lattice. The Kubo "adiabatic", or quasistatic susceptibility is not equal to the isothermal susceptibility on the square lattice because the system is not ergodic in the absence of a field in the x direction.

As shown by Essam and Garelick (1968)  $M = - \sum_r P_r E_r'(H)$  where  $E_r'(H)$  is the first derivative of the r'th energy level with respect to the field and  $P_r(T)$ , the probability of finding a number of the ensemble in state  $|r\rangle$

$$\begin{aligned} \chi_T^{xx} &= \left( \frac{\partial M^x}{\partial H^x} \right)_T = - \sum_r P_r E_r''(H^x) - \sum_r \left( \frac{\partial P_r}{\partial H} \right)_T E_r'(H^x) \\ &= \chi(\omega=0) - \sum_r \left( \frac{\partial P_r}{\partial H} \right)_T E_r'(H^x) \end{aligned} \quad (5.1.1)$$

and  $E'_r(H^X=0)$  is not zero when there is degeneracy, that is different spin configurations with same energy.

Allan and Betts (1968) pointed out that spins which have an equal number of neighbours pointing up as down, are essentially free. This causes the degeneracy mentioned above. We want to note here that for the XY model in any lattice even 1 dimensional there is no such degeneracy when we deal with the magnetization in the x direction, which is parallel to the interaction. As discussed in the next section the magnetization in the z direction is non-ergodic at least in the 1-dimensional case.

For the XY model we had to use series expansion methods for the time, or frequency, variable as well as for the temperature while the Ising model results mentioned above had closed formulae for the time variable. Series expansions were only needed for the static spin correlations of the spin at the origin with  $k$  of its nearest neighbours,  $k \leq q$ .

Another subject we want to mention is the critical slowing down for dynamical susceptibility. Suzuki (1969 a,b) calculated the dynamical susceptibility for the kinetic Ising model in two dimensions (and for the XY chain which we discuss in the next section). We quote

here some of his results as this was the only calculation of a dynamic susceptibility for a physically plausible model before our work, and we use his definitions and terminology.

The kinetic Ising model has transition probabilities defined by

$$\omega_j(\sigma_0) = \frac{1}{2\tau} (1 - \sigma_j \operatorname{tgh} \beta \sum_k J_{jk} \sigma_k) . \quad (5.1.2)$$

$\tau$  indicates the relaxation time of a free spin interacting with a heat bath. This system has a Louville operator

$$\mathcal{L} = \sum_k \omega_k(\sigma_k) (1 - P_k)$$

where  $P_k$  flips the  $k$ 'th spin. The dynamical susceptibility can be expanded in a moment series:

$$\chi(\omega) = N \mu m^2 \left\{ \frac{\mu_1}{i\omega\tau} + \frac{\mu_2}{(i\omega\tau)^2} + \dots \right\} \quad (5.1.3)$$

where

$$\mu_n = \frac{\tau^n}{Nm^2} \langle M \mathcal{L}^n M \rangle . \quad (5.1.4)$$

All moments  $\mu_n$  are positive and remain finite at the critical point. Suzuki proved

$$\frac{Nm^2\beta\mu_2}{(\omega\tau)^2 + \frac{\mu_4}{\mu_2}} \leq \text{Re } \chi(\omega) \leq \frac{Nm^2\beta\mu_2}{(\omega\tau)^2} \quad (5.1.5)$$

and therefore postulates that the susceptibility behaves like

$$\chi(\omega) \sim \frac{1}{i\omega + \epsilon^\gamma f\left(\frac{i\omega}{\epsilon^\gamma}, \epsilon\right)} \quad (5.1.6)$$

and  $f(0, \epsilon)$  can be singular at  $\epsilon=0$ . Expanding in powers of  $\omega$

$$\chi(\omega) = N\beta \sum (-i\omega\tau)^n a_n(\epsilon) \quad (5.1.7)$$

and calculation gave

$$a_n(\epsilon) \sim \epsilon^{-\alpha_n} \quad (5.1.8)$$

$$\alpha_n \geq \gamma + n \Delta_s$$

where

$$\Delta_s = \alpha_1 - \gamma \quad (5.1.9)$$

and  $\Delta_s \geq \gamma$  was proved by Abe and Hatano (1969). The index of critical slowing down  $\Delta_s$  is defined from

$$\tau_M = \int_0^\infty \frac{\langle M(t)M \rangle}{\langle M^2 \rangle} dt \sim \epsilon^{-\Delta_s} \quad (5.1.10)$$



and is found to be the same as in (5.1.9). Suzuki defines the index of critical slowing down of the self correlation (see 5.4)

$$\int_0^{\infty} \langle \sigma_1(t) \sigma_1 \rangle dt \sim \epsilon^{-\Delta_A} \quad (5.1.11)$$

Classical theories predict  $\Delta_s = \gamma$ . Suzuki defines  $R_M(\epsilon)$  by

$$\tau_M = \chi(0) R_M^{-1}(\epsilon) \quad (5.1.12)$$

and states a proposed law of similarity as follows. The relaxation time singularity consists of the direct or thermodynamic critical slowing down due to the susceptibility and the indirect, due to  $R(\epsilon)$ , called induced critical slow down (or speed up as the case may be). Relaxation times can be defined for various quantities not only the magnetization. The similarity law states that the indirect critical slow down is the same for some critical variables. Variables for which it holds are called similar variables.

For the kinetic Ising model in 2 dimensions Suzuki expects that the magnetization and the energy are similar variables.

$$\tau_E = \langle \delta E \frac{1}{\mathcal{L}} \delta E \rangle / \langle (\delta E)^2 \rangle \sim \epsilon^{-\Delta_E} \quad (5.1.13)$$

$$\tau_{EM} = \langle \delta E \frac{1}{\mathcal{L}} M \rangle / \langle M \delta E \rangle \sim |\epsilon|^{-\Delta_{ME}} \quad (5.1.14)$$

$$\tau_M = \langle M \frac{1}{\mathcal{L}} M \rangle / \langle M^2 \rangle \sim \epsilon^{-\Delta_M} \quad (5.1.15)$$

and we know  $\langle (\delta E)^2 \rangle \sim \epsilon^{-\alpha}$  and  $\langle M \delta E \rangle \sim |\epsilon|^{\beta-1}$ . Only  $\Delta_M$  is calculated directly but Suzuki using the relation

$$\langle (\lambda M + \delta E) \frac{1}{\mathcal{L}} (\lambda M + \delta E) \rangle \geq 0 \quad (5.1.16)$$

proves that

$$2\Delta_{ME} - (\Delta_M + \Delta_E) \leq \alpha + 2\beta + \gamma - 2 \quad (5.1.17)$$

for real  $\lambda$ . Similarity and (5.1.17) yield  $\alpha + 2\beta + \gamma \geq 2$  which is valid assuming scaling. Suzuki obtains that  $\Delta_M = 2.00 \pm 0.05$ . Similarity claims  $\Delta_E - \alpha = \Delta_M - \gamma$  and since  $\alpha = 0$   $\gamma = \frac{7}{4}$  this yields  $\Delta_E = \frac{1}{4}$ . This is consistent with computer simulations.

We calculated a series for  $\chi^{xx}(\omega)$  by methods explained in sections (5.4) and (5.5) and estimated the critical index of slowing down  $\Delta_s$  obtaining that in this case it is actually a speeding up,  $\Delta_s < \gamma$ .

## 5.2 Scaling of static and dynamic correlations

We shall describe in the following the Halperin-Hohenberg homogeneity arguments which are more general than the Kadanoff construction (Section 2.4). The correlation is defined by

$$\Gamma(\underline{r}, \epsilon) = \langle (S_i - \langle S \rangle) (S_j - \langle S \rangle) \rangle \quad (5.2.1)$$

where  $\epsilon = \frac{T - T_c}{T_c}$       $r = |\underline{r}_i - \underline{r}_j|$  .

The static scaling hypothesis for the correlations is

$$\Gamma(\underline{r}, \epsilon) = \begin{cases} r^x g^+(r/\xi) & \epsilon > 0 \\ r^{x'} g^-(r/\xi) & \epsilon < 0 \end{cases} \quad (5.2.2)$$

where  $\xi$  is the correlation length. Furthermore  $x' = x$ ,  $g^+ = g^-$  as there is no discontinuity at  $\epsilon = 0$  for finite  $r$ . The Fourier transform  $\Gamma(\underline{k}, \epsilon)$  is defined by

$$\Gamma(\underline{r}, \epsilon) = \int \frac{d^3 k}{(2\pi)^3} e^{i(\underline{k} \cdot \underline{r})} \Gamma(\underline{k}, \epsilon) \quad , \quad (5.2.3)$$

then

$$\Gamma(\underline{k}, \epsilon) = \begin{cases} k^y g^+(k\xi, \epsilon) & \epsilon > 0 \\ k^y g^-(k\xi, \epsilon) & \epsilon < 0 \end{cases} \quad (5.2.4)$$

and  $g^+(\infty, 0) = g^-(\infty, 0)$ .  $y = d+x$  where  $d$  is the dimensionality. The indices  $\eta$  and  $\nu$  were defined in (2.1.8) and (2.1.9) respectively. The Fourier transform of (2.1.9) is

$$\Gamma(\underline{k}, \epsilon=0) \propto k^{Y-2} \quad (5.2.5)$$

$$\Gamma(\underline{k}=0, \epsilon) \propto \epsilon^{-Y} \propto \xi^{Y/\nu} \quad (5.2.6)$$

as  $\xi \sim \epsilon^{-1/\nu}$ . From (5.2.4) we see

$$\Gamma(\underline{k}, \xi) \propto \xi^{-Y} [1 + \dots] \quad \text{for } k\xi \ll 1 \quad (5.2.7)$$

if  $\Gamma(\underline{k}=0, \epsilon)$  is finite for  $\frac{1}{\xi} \neq 0$ . Similarly if  $\Gamma(\underline{k}, \epsilon=0)$  is finite for  $k \neq 0$

$$\Gamma(\underline{k}, \xi) \propto k^Y [1 + \dots] \quad k\xi \gg 1. \quad (5.2.8)$$

Comparing (5.2.5), (5.2.6) with (5.2.7) and (5.2.8), the scaling law

$$y = -2 + \eta = -Y/\nu \quad (5.2.9)$$

results. Adding assumptions on the structure of  $\Gamma(\underline{k}, \xi, H)$ , all scaling laws (2.4.24) predicted by the Kadanoff construction are obtained. Returning to  $\Gamma(\underline{r}, \xi)$ , since

$$\mathbf{x} = \mathbf{y} - \mathbf{d}$$

$$\Gamma(\underline{\mathbf{r}}, \xi) = r^{\eta-2-d} g(r/\xi) \quad (5.2.10)$$

The dynamical scaling assumption is a generalization of (5.2.4) to the frequency dependent correlation.

$\Gamma_{\xi}(\underline{\mathbf{k}}, \omega)$  is defined by

$$\Gamma_{\xi}(\underline{\mathbf{r}}, t) = \int \frac{d^3 \underline{\mathbf{k}}}{(2\pi)^3} \int \frac{d\omega}{2\pi} e^{i(\underline{\mathbf{k}} \cdot \underline{\mathbf{r}} - \omega t)} \Gamma_{\xi}(\underline{\mathbf{k}}, \omega) \quad (5.2.11)$$

where

$$\Gamma_{\xi}(\underline{\mathbf{r}}, t) = \langle \{S(\underline{\mathbf{r}}, t) - \langle S(\underline{\mathbf{r}}, t) \rangle, S(0,0) - \langle S(0,0) \rangle\} \rangle \quad (5.2.12)$$

The curly brackets are anticommutator.  $\xi$ , the correlation length, gives the dependence on the temperature.

The scaling assumption is

$$\Gamma_{\xi}(\underline{\mathbf{k}}, \omega) = \frac{2\pi \Gamma_{\xi}(\underline{\mathbf{k}}) f_{k\xi} \left( \frac{\omega}{k^z \Omega(k\xi)} \right)}{k^z \Omega(k\xi)} \quad (5.2.13)$$

where

$$\Gamma_{\xi}(\underline{\mathbf{k}}) = \int_{-\infty}^{\infty} \frac{d\omega}{2\pi} \Gamma_{\xi}(\underline{\mathbf{k}}, \omega) \quad (5.2.14)$$

and (5.2.14) implies then

$$\int_{-\infty}^{\infty} f_{k\xi}(x) dx = 1 \quad (5.2.15)$$

$\Omega$  is determined from the constraint

$$\int_{-1}^1 f_{k\xi}(x) dx = \frac{1}{2} . \quad (5.2.16)$$

The function  $k^z \Omega(k\xi)$  is called the characteristic frequency  $\omega_{\xi}^M(\underline{k})$ . The time dependent correlation is scaled as

$$\Gamma_{\xi}(\underline{k}, t) \propto \frac{\Gamma_{\xi}(\underline{k}) \hat{f}(t.k^z \Omega(k\xi))}{k^z \Omega(k\xi)} . \quad (5.2.17)$$

For the isotropic Heisenberg model the Landau-Lifshitz (1935) formula gives

$$\omega_{\xi}^M(\underline{k}) = \lambda k^2$$

where

$$\lambda = \frac{\rho_s}{|\langle M \rangle|} ,$$

and  $\rho_s$  is a stiffness constant proportional to  $\xi^{-1}$ . From this Halperin and Hohenberg deduce to first order

$$z = 3 - \beta/\nu .$$

$z$  cannot be determined from thermodynamic considerations in the anisotropic case.

We calculated  $\langle \sigma_1(t) \sigma_1 \rangle$ , the self correlation.  
The NMR line width  $\Delta_{\text{NMR}}$  is given by (Heller (1966)):

$$\Delta_{\text{NMR}} \propto \int_0^{\infty} \langle \sigma_1(t) \sigma_1 \rangle dt \quad (5.2.18)$$

$$\propto \int_0^{\infty} \Gamma_{\xi}(r=0, t) dt$$

$$\propto \int_0^{\infty} d^3k \Gamma_{\xi}(\underline{k}, \omega=0)$$

$$\propto \int_0^{\infty} \frac{k^2 dk \Gamma_{\xi}(\underline{k}) f_{k\xi}(0)}{k^z \Omega(k\xi)}$$

$$\propto \int_0^{\infty} dk k^{2-z+\eta-2} \frac{g(k\xi) f_{k\xi}(0)}{\Omega(k\xi)}$$

$$\propto \xi^{z-\eta-1} \int_0^{\infty} dx F(x)$$

Since  $\xi \sim \epsilon^{-\nu}$

$$\Delta_{\text{NMR}} \propto \epsilon^{-\nu(z-\eta-1)} \quad (5.2.19)$$

The assumption that (5.1.13) holds for the order parameter is restricted scaling. Extended scaling is when (5.2.13) holds for other operators also.

Assuming that the frequency scales like  $\omega/\epsilon^{\Delta_s}$  yields, using (5.2.13), that

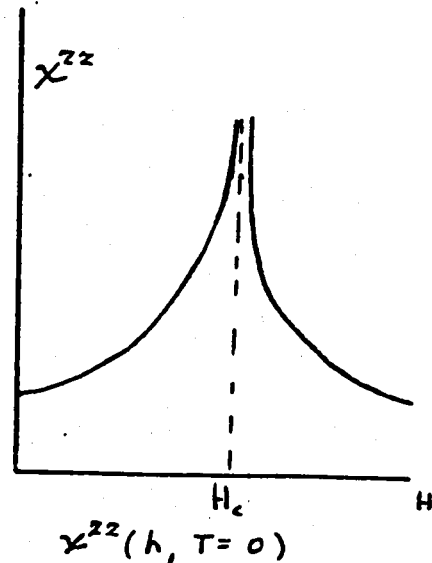
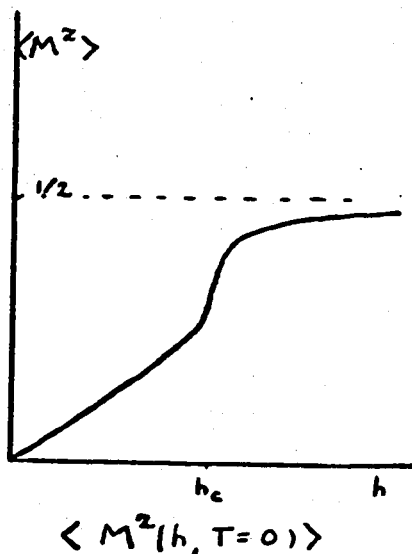
$$z = \nu^{-1} \Delta_s \quad (5.2.20)$$

### 5.3 Dynamical results for the one dimensional XY model

Many authors have studied the time dependent correlations in the one dimensional XY model. (a) Niemejer (1967, 1968), (b) Katsura, Horiguchi and Suzuki (1969), (c) Suzuki (1969), and (d) Barouch, McCoy and Dresden (1970).

(a) and (d) were concerned with the exact solution of the anisotropic XY model which can be obtained for arbitrary fields in the z direction. Of course specific cases and asymptotic limits had to be taken to see what those solutions mean. (b) obtained linear response for the isotropic XY model by the two time Green's function method. (c) discussed the results for the anisotropic XY model terms of critical slowing down.

In (a) the static result obtained was that the one dimensional XY model has a divergence at  $T=0, h=h_c$ ,





This makes the order in which limits are taken to obtain asymptotic behaviour crucial. The susceptibility behaves like

$$\chi_{T=0}(h) \approx \log(|h-1|), \quad (5.3.1)$$

where

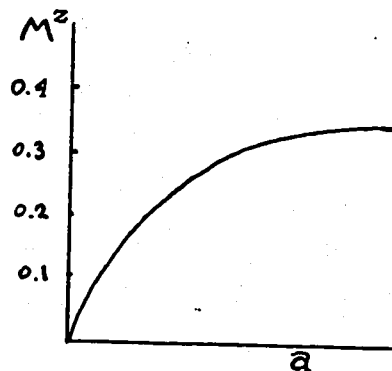
$$h = \frac{\mu(H-H_c)}{J\gamma}$$

$\gamma$  being the anisotropy parameter. The points of interest to us were in (d) and (c).

In (d) the authors found that the asymptotic behaviour of  $M(t)$  is the same for large times for all  $H$ , only the coefficients depending on the details. There is no approach to equilibrium no matter how slowly the field varies. The easiest example they provide is

$$H(t) = \begin{cases} a & t \leq 0 \\ 0 & t > 0 \end{cases}.$$

The plot of  $M_z(t=\infty, T=0)$  as a function of  $a$  looks like



with  $M_z$  definitely saturating at a value less than  $\frac{1}{2}$ ,

where  $\frac{1}{2}$  is the saturation value of the initial magnetization.

Suzuki obtains that the dynamical susceptibility behaves like

$$\text{Re } \chi(\omega, h_c, T=0) \sim -\log|\omega| \quad (5.3.2)$$

and despite lack of ergodicity

$$\lim_{t \rightarrow \infty} (M, M(t)) = \langle M \rangle^2$$

so he can define the relaxation time and obtains

$$\tau_M^2 = -\int_0^{\infty} \frac{(\delta M, \delta M(t))t}{(M, M)} dt \sim h^{-2\Delta_M} \quad (5.3.3)$$

where  $\Delta_M = 1$ .

For the partial energy defined by

$$E = 4 \sum_i S_i^x S_{i+1}^x \quad (5.3.4)$$

he obtains  $\Delta_E = 1$  and since  $\gamma_E = 0$  similarity holds for this partial energy and the susceptibility.

We note that here  $\Delta_M > \gamma$ , but here because of the singular character of the model the temperature was kept fixed at  $T=0$  and the magnetic field is the variable, which is quite different from our procedure. Also these results were obtained by Suzuki for the anisotropic XY model as  $\text{Re } \chi(k=0, \omega) = 0$ , according to his calculations, when the anisotropy vanishes.

#### 5.4 The Kubo linear response theory

The Kubo formalism (Kubo 1957) is a general approach to the problem of time dependent disturbances. The results are perturbation series in the disturbance. We shall, as most users of the formalism do, keep only the term linear in the disturbance.

The system is assumed to be in equilibrium without disturbances at  $t = -\infty$ . Its properties are then described by a density matrix  $\rho_0$ . For a canonical ensemble

$$\rho_0 = \frac{e^{-\beta \mathcal{H}_0}}{\text{Tr } e^{-\beta \mathcal{H}_0}} \quad (5.4.1)$$

A disturbance is introduced; the external force  $F(t)$  is conjugate to the observable  $A$ . The perturbed Hamiltonian is now

$$\mathcal{H} = \mathcal{H}_0 + \mathcal{H}' = \mathcal{H}_0 - \vec{A} \cdot \vec{F}(t) \quad (5.4.2)$$

The time evolution of the system is given by the equation of motion of the density matrix

$$\frac{d}{dt} \rho(t) = \frac{1}{i\hbar} [\mathcal{H}, \rho(t)] \quad (5.4.3)$$

The solution of (5.4.3) after linearization is:

$$\rho(t) = \rho_0 + \frac{1}{i\hbar} \int_{-\infty}^t e^{-\frac{i(t-t')\mathcal{H}_0}{\hbar}} [\mathcal{H}', \rho_0] e^{\frac{i(t-t')\mathcal{H}_0}{\hbar}} dt \quad (5.4.4)$$

The response of an observable B to the disturbance is

$$\Delta B = \text{Tr} (\rho(t) - \rho_0) B .$$

$\Delta B$  is the macroscopic difference of the average of B at time t from its equilibrium average. It follows that:

$$\Delta B = \frac{1}{i\hbar} \text{Tr} \int_{-\infty}^t [\rho_0, A] B(t-t') F(t') dt' \quad (5.4.5)$$

where

$$B(t) = e^{\frac{it}{\hbar} \mathcal{H}_0} B e^{-\frac{it}{\hbar} \mathcal{H}_0} .$$

The linear response function  $\phi_{BA}$ , which is the response of the observable B to a disturbance conjugate to A is defined by

$$\Delta B(t) = \int_{-\infty}^t \phi_{BA}(t-t') F(t') dt' . \quad (5.4.6)$$

It follows then, that

$$\phi_{BA}(t) = \frac{1}{i\hbar} \text{Tr} \rho_0 [A, B(t)] . \quad (5.4.7)$$

Many disturbances of interest can be expanded in Fourier series. We therefore seek the response to a harmonic force. It is convenient to take F as

$$F(t) = \text{Re} F_0 e^{i\omega t + \epsilon t} \quad (5.4.8)$$

where  $\epsilon$  is a small positive factor which ensures that  $F(-\infty)=0$  as an initial unperturbed condition. This is a slow quasistatic switching on of the force.

The frequency dependent susceptibility is defined by

$$\Delta B(t) = \text{Re } \chi_{BA}(\omega) F_0 e^{i\omega t} . \quad (5.4.9)$$

The result of combining (5.4.9) and (5.4.6) is:

$$\chi_{BA}(\omega) = \lim_{\delta \rightarrow 0^+} \int_0^{\infty} \phi_{BA}(t) e^{-i\omega t - \delta t} dt . \quad (5.4.10)$$

The response function is real and the susceptibility satisfies the following symmetry relations

- (1)  $\text{Re } \chi_{BA}(\omega) = \text{Re } \chi_{BA}(-\omega)$
- (2)  $\text{Im } \chi_{BA}(\omega) = -\text{Im } \chi_{BA}(-\omega)$
- (3)  $\chi_{BA}(\omega, -F) = \epsilon_A \epsilon_B \chi_{AB}(\omega, F) ,$

where  $\epsilon_A, \epsilon_B$  are +1 or -1 as A and B are respectively even or odd with respect to time reversal. Relation (3) is known as the Onsager relation (1931).

For short times the response function can be expanded in an asymptotic power series. Using (3.3.17)

$$\begin{aligned} \phi_{BA}(t) &= \frac{1}{i\hbar} \text{Tr} \rho_0 \left[ A, \left\{ B + \frac{1t}{\hbar} [\mathcal{H}, B] + \left(\frac{1t}{\hbar}\right)^2 [\mathcal{H}, [\mathcal{H}, B]] + \dots \right\} \right] \quad (5.4.11) \\ &= \sum f_n t^n \end{aligned}$$

This series is either odd or even in  $t$  and in our magnetic case  $\phi_{MM}$  is odd. Substituting (5.4.11) in (5.4.9) and using

$$\int_0^{\infty} x^m e^{-\epsilon x} e^{-i\omega x} dx = \pi i^m \delta^m(\omega - i\epsilon) + \frac{m!}{(i\omega + \epsilon)^{m+1}}. \quad (5.4.12)$$

we obtain, for  $\phi_{BA}$  odd in  $t$ ,

$$\text{Re } \chi_{BA}(\omega) = \sum \frac{m! (-1)^{\frac{m+1}{2}}}{\omega^{m+1}} f_m \quad (5.4.13)$$

$$\text{Im } \chi_{BA}(\omega) = \pi (i)^m \delta^m(\omega) f_m.$$

The initial values of the response function (since  $f_m = \frac{1}{m!} \phi^{(m)}(0)$ ) determine the coefficients of the power series in  $\frac{1}{\omega}$  for the susceptibility and the moments for the dissipative part. The quantity we are calculating here is  $\chi^{xx}(\omega)$ , that is the force we apply is  $H^x e^{i\omega t}$  and both operators A and B are  $M^x$ . The response function is:

$$\phi_{xx}(t) = \frac{i}{\hbar} \text{Tr } \rho_0 [M_x, M_x(t)] \quad (5.4.14)$$

and the susceptibility follows from (5.4.11) and (5.4.13). Obviously in this case  $\phi_{xx}(t) = -\phi_{xx}(-t)$ . It can be noted, that

$$\phi_{xx}(t) = \phi_{yy}(t)$$

and

$$\begin{aligned}\phi_{xy}(t) &= \phi_{yx}(t) = \phi_{xz}(t) = \phi_{yz}(t) \\ &= \phi_{zx}(t) = \phi_{zy}(t) = 0.\end{aligned}$$

But for neutron scattering where one needs the  $\chi(\underline{q}, \omega)$  the zz part does not vanish.

We want to obtain the zero frequency susceptibility. The identity

$$[A, e^{-\beta \mathcal{H}_0}] = \frac{\hbar}{i} e^{-\beta \mathcal{H}_0} \int_0^\beta \dot{A}(-i\hbar\lambda) d\lambda \quad (5.4.15)$$

was proved by Kubo (1957) and independently by Feynman (1948). Using (5.4.15) and integrating by parts we obtain the following expression in the zero frequency limit

$$\chi_{BA}(0) = \int_0^\beta \text{Tr } \rho_0 A(-i\hbar\lambda) B d\lambda - \beta \text{Tr } \rho_0 A^0 B^0. \quad (5.4.16)$$

$\chi_{BA}(0)$  is the quasistatic (also called adiabatic) susceptibility and

$$A^0 = \lim_{T \rightarrow \infty} \frac{1}{T} \int_0^T A(t) dt.$$

The isothermal susceptibility on the other hand is

$$\chi_{BA}^T(0) = \frac{\text{Tr } \rho B - \text{Tr } \rho_0 B}{F} \quad (5.4.17)$$

which can be shown (Kubo 1957) to be equal to

$$\chi_{BA}^T(0) = \int_0^\beta \text{Tr } \rho_0 A(-i\hbar\lambda) B \, d\lambda - B \langle A \rangle \langle B \rangle \quad (5.4.18)$$

in the linear approximation.

The second term in (5.4.16) was obtained from

$$\lim_{t \rightarrow \infty} \int_0^\beta \text{Tr } \rho_0 A(-i\hbar\lambda) B(t) \, d\lambda$$

by noting that if this limit exists it is equal to

$$\begin{aligned} \lim_{t \rightarrow \infty} \frac{1}{t} \int_0^t dt \int_0^\beta \text{Tr } \rho_0 A(-i\hbar\lambda) B(t) \, d\lambda &= \\ &= \int_0^\beta \text{Tr } \rho_0 A(-i\hbar\lambda) B_0 \, d\lambda . \end{aligned}$$

This limiting process picks up the zero frequency component of  $B, B_0$ , which is diagonal with respect to  $\mathcal{H}_0$ .

Now

$$\begin{aligned} \text{Tr } \rho_0 Q B_0 &= \sum_{i,j,k} \rho_0^{ij} Q^{jk} B_0^{ki} = \\ &= \sum_i \rho_0^{ii} Q^{ii} B_0^{ii} = \text{Tr } \rho_0 Q_0 B_0 \end{aligned}$$

and the diagonal part of  $A(-i\hbar\lambda)$  is just  $A^0$  since  $(e^{-\lambda\mathcal{H}} A e^{\lambda\mathcal{H}})_{ii} = A_{ii}$ .

For the isothermal and adiabatic susceptibility to be equal it is sufficient that

$$\lim_{t \rightarrow \infty} \langle AB(t) \rangle = \langle A \rangle \langle B \rangle \quad (5.4.19)$$

A system which satisfies (5.4.19) is called ergodic. For a discussion of the ergodicity of our system, see Section (5.1).



### 5.5 The high temperature series expansion for the frequency dependent susceptibility

As we saw in the previous section, the susceptibility can be expanded in an asymptotic series in powers of  $\omega^{-1}$ . The coefficients of this expansion are determined by the time derivatives of the response function at zero time.

Since

$$\langle M_x(t) \rangle = \int_0^t \phi_{xx}(t-t') H_x(t') dt' \quad (5.5.1)$$

we expect  $\phi_{xx}$  to be linear in  $N$ , the number of lattice sites. Therefore in the terminology of Sec. 3.2

$$\begin{aligned} \phi_{xx} &= \{ \text{linear part in } N \text{ of } -\frac{i}{\hbar} \langle [M_x, M_x(t)] \rangle \} \\ &= -\frac{i}{\hbar} \text{Tr} e^{KP} [M_x, M_x(t)] \quad . \end{aligned} \quad (5.5.2)$$

Defining  $\omega_0 = J/\hbar$  we have

$$\phi_{xx}(t) = -\frac{i}{\hbar} \text{Tr}^* e^{KP} [M_x, e^{-iP\omega_0 t} M_x e^{iP\omega_0 t}] \quad . \quad (5.5.3)$$

We expand all exponentials in (5.5.3) in power series of  $P$  and have a double series in  $K$  and  $t$

$$\begin{aligned} \phi_{xx} &= -\frac{im^2}{4\hbar} \text{Tr}^* \sum_{m,n,q=0}^{\infty} \frac{K^n (i\omega_0 t)^{m+q}}{n! m! q!} \times \\ &\times \sum_{i,j} (P^n \sigma_i^x (-P)^m \sigma_j^x P^q - P^n (-P)^m \sigma_i^x P^q \sigma_j^x) \quad , \end{aligned} \quad (5.5.4)$$

where  $m'$  is the magnetic moment of the atoms.

We rearrange the sum, use the cyclic property of the trace and interchange  $m$  and  $q$  in the first term of (5.5.4) to obtain:

$$\begin{aligned} \phi_{xx} = & -\frac{im'^2}{4\hbar} \text{Tr}^* \sum_{n,s} \frac{K^n}{n!} \frac{(i\omega_0 t)^s}{s!} \times \\ & \times \sum_{m=0}^s \binom{s}{m} \sum_{i,j} P^{n+m} \sigma_i^x P^{s-m} \sigma_j^x ((-1)^{s-m} - (-1)^m). \end{aligned} \quad (5.5.5)$$

For even  $s$   $[(-1)^{s-m} - (-1)^m]$  vanishes. Therefore,

$$\begin{aligned} \phi_{xx} = & \frac{im'^2}{2\hbar} \text{Tr}^* \sum_n \frac{K^n}{n!} \sum_s \text{odd} \frac{(i\omega_0 t)^s}{s!} \times \\ & \times \sum_{m=0}^s \binom{s}{m} (-1)^m \sum_{i,j} P^{n+m} \sigma_i^x P^{s-m} \sigma_j^x. \end{aligned} \quad (5.5.6)$$

Substituting  $\sigma_i^x = a_i^\dagger + a_i$

$$\begin{aligned} \phi_{xx}(t) = & \frac{im'^2}{2\hbar} \sum_{n=0}^{\infty} \frac{K^n}{n!} \sum_s \text{odd} \frac{(i\omega_0 t)^s}{s!} \times \\ & \times \sum_{m=0}^s \binom{s}{m} (-1)^m \text{Tr}^* \left[ \sum_{i,j} (P^{n+m} a_i^\dagger P^{s-m} a_j + P^{n+m} a_i P^{s-m} a_j^\dagger) \right]. \end{aligned} \quad (5.5.7)$$

We have in (5.5.7) an expression similar to the one we had for the static susceptibility (3.3.10) with an added complication. Now a different factor multiplies different

vertical orderings of the arrows.

Instead of one vertical weight we now calculate  $\ell+1$  weights, where  $\ell$  is the number of solid arrows in the graph. As before the tip of the dotted  $i \rightarrow j$  arrow is fixed - at the zero level. The tail is fixed in sequence at each of the levels  $k$  and the number of allowed orderings of the other arrows is  $v(k-2)$ . For a fixed  $n$  and  $s$

$$\begin{aligned} & \sum_{m=0}^s \binom{s}{m} (-1)^m \text{Tr}^* p^{n+m} a_i^\dagger p^{s-m} a_j = \\ & = \sum_{g_{s+n+1}} \sum_{m=0}^s \binom{s}{m} (-1)^m \frac{(g_{s+n}, L) h(g') v(s-m)}{2^v} \end{aligned} \quad (5.5.8)$$

where  $v$  is the number of vertices.

As in the susceptibility the graphs were either "bubbles" for  $i=j$ , or fluctuation type graphs with a dotted arrow  $i-j$  unrestricted in length. It can be noted though that when  $v(k)=v$  for all  $k$ , we have in (5.5.9)

$$\sum_{m=0}^s \binom{s}{m} (-1)^m v = 0$$

so graphs where the  $i-j$  arrow has a vertex of order 2 do not contribute, which reduces greatly the number of

fluctuation type graphs. There is no need to calculate all  $v(k)$ , since using the cyclic property of the trace we can obtain that

$$v(k) = v(\ell - k) \quad . \quad (5.5.9)$$

The equivalent of Theorem I is a bit more complicated here.

#### Theorem Ia

Let  $g$  be a disconnected graph of  $\ell$  solid arrows and one dotted arrow. There are two subgraphs,  $g_1$  and  $g_2$ .  $g_1$  has  $\ell_1$  solid arrows and a dotted one and  $g_2$  has  $\ell_2$  solid arrows. Then:

$$v(k) = v_2 \sum_{i=0}^{k-1} v_1(i) \binom{k-1}{i} \binom{\ell-k+1}{\ell_1-i} \quad (5.5.10)$$

where  $v_1(i)$  is the vertical weight of  $g_1$  with the dotted tail at the  $i$ th level.  $v(k)$  is the vertical weight for the whole graph  $g$  with tail of the dotted arrow at the  $k$ th level.  $v_2$  is the vertical weight of  $g_2$  as a partition function graph.

#### Proof

We keep the dotted tail fixed at the  $k$ th level. Among the  $k-1$  levels between the tip and tail of the dotted arrows  $i$  will be filled by arrows from  $g_1$ . The

number  $i$  can run from zero to  $k-1$  and

$$v(k) = v_2 \sum_{i=0}^{k-1} v_1(i+1) X_i$$

where  $X_i$  is the number of ways  $\ell$  arrows,  $\ell_1 \in g_1$  and  $\ell_2 \in g_2$ , can be assigned to  $\ell$  levels in such a way as to have  $i$  arrows belonging to  $g_1$  assigned to the first  $k-1$  levels.

The result (5.5.10) follows when we note

$$X_i = \frac{(k-1)!}{i!(k-1-i)} \frac{(\ell-k+1)}{(\ell_1-i)! (\ell_2-k+1-i)!} \cdot$$

The first factor is choosing  $i$  levels out of  $k-1$  to fill with  $g_1$ . The second factor is the number of ways of assigning  $\ell-k+1$  levels so that  $\ell_1-i$  are occupied by arrows of  $g_1$  and the rest by arrows of  $g_2$ ,

The equivalent of Theorem II holds too.

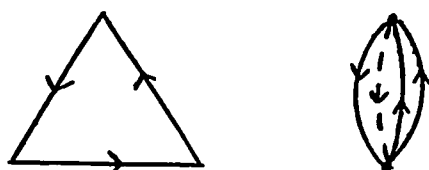
#### Theorem IIa

Let a connected graph  $g$  of  $\ell$  solid arrows and a dotted arrow be composed of two subgraphs,  $g_1$  of  $\ell_1$  solid arrows and the dotted arrow and  $g_2$  of  $\ell_2$  solid arrows such that  $g_1$  and  $g_2$  have  $m$  common vertices of order 2 in  $g$  and no other common vertices. Then the vertical weights  $v(k)$  of  $g$  are given by the same expression (5.5.10) as in Theorem Ia.

Proof

Exactly as the proof of Theorem II followed that of Theorem I. We have no restrictions on vertices of order 2, so they can be cut to give two separated graphs.

A numerical example to clarify the meaning of the theorem: The graph  $g$  is composed of  $g_1$  and  $g_2$



$l = 6$  ,  $l_1 = l_2 = 3$ .  $v_2$  , the vertical weight of  $g_2$  alone, is  $3! = 6$ .  $v_1(i)$  are the vertical weights for  $g_1$  where  $i-1$  levels separate head and tail of the dotted arrow. Obviously  $v_1(1) = v_1(4) = 1$  ,  $v_1(2) = v_1(3) = 0$ . Let us calculate  $v(3)$  , the vertical weight of  $g$  when 2 levels separate head and tail of dotted arrow.

Substituting in (5.5.10)

$$v(3) = 6 \cdot 1 \cdot \binom{2}{0} \binom{4}{3} = 24 .$$

With some labour the same result can be obtained directly.

Theorem IIIa

Let a connected graph  $g$  of  $l$  solid arrows and a dotted arrow be composed of two subgraphs  $g_1$  and  $g_2$  of

$\ell_1$  and  $\ell_2$  solid arrows respectively and a third subgraph consisting of the single dotted arrow. The subgraphs  $g_1$  and  $g_2$  have in common  $m$  vertices of order 2 in  $g$  and no other common vertices. Then the vertical weights are given by:

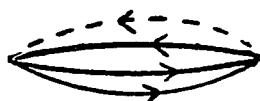
$$v(k) = \sum_{i=0}^k v_1(i+1)v_2(k-i) \binom{k-1}{i} \binom{\ell-k+1}{\ell_1-i} . \quad (5.5.11)$$

The dotted arrow belongs to both  $g_1$  and  $g_2$  for the purpose of calculating the  $v_1(i+1)$ ,  $v_2(k-i)$ . The proof follows exactly the proof of Ia. After assigning  $i$  levels from the first  $k-1$  levels to  $g_1$ , we assign the  $(k-1-i)$  levels left to  $g_2$ . The dotted arrow belongs to both, so the vertical weights of both are dependent on  $i$ .

In the actual calculation we did not go far enough to need the theorems, their only use was for checking the computer programs.

Using the fact that vertices of order 2 introduce no added restriction the dotted arrow was broken by adding a vertex of order 2 and the two new arrows were put at the head of the vector describing the graph.

In Appendix I the graph



is described by the vector 13 32 21 12 21 .

Thus the first arrow could be kept fixed at the zeroth level and the second at the  $k$ 'th with no difficulty.



### 5.6 The frequency dependent susceptibility series, analysis and conclusions

The series we obtained for the frequency dependent susceptibility on the f.c.c. lattice is:

$$\chi(\omega) = \frac{-m^2}{2\hbar} \sum_{s \text{ odd}} \left[ s! \left( \frac{\omega_0}{\omega} \right)^{s+1} \chi_{s+1}(K) \right]$$

$$\chi_2(K) = 3K + 9K^2 + 14.75K^3 + 22.0K^4 + 61.375K^5 + 237.8041667K^6 + \\ 880.980209K^7 + O(K^8)$$

$$\chi_4(K) = 20K + 6K^2 - 149.5K^3 - 575.291667K^4 - 1433.55K^5 + O(K^6)$$

$$\chi_6(K) = 91.5K + 83.825K^2 - 296.1208K^3 + O(K^4)$$

$$\chi_8(K) = 391.516667K + O(K^2)$$

As part of the calculation we had to calculate  $\langle [\sigma_1(t), \sigma_1] \rangle$ , the bubble graphs. As can be seen from (5.5.5) the odd powers of  $t$  for  $\langle [\sigma_1(t), \sigma_1] \rangle$  are just twice those of  $\langle \sigma_1(t) \sigma_1 \rangle$ , so we have the coefficients of the first, third, fifth and seventh powers of  $t$ .

We also calculate the coefficients of the second and fourth powers of  $t$  in order to see how the dependency on  $K$  changes with the powers of  $t$ , and estimate  $\int_0^{\infty} \langle \sigma_1(t) \sigma_1 \rangle dt$  (see (5.2.18)). The results are

$$\langle \sigma_1(t) \sigma_1 \rangle = 1 + \sum_{i=1}^{\infty} a_i(K) (-i\omega t)^i$$

$$a_1 = 3K + 6K^2 + 10.75K^3 + 22.5K^4 + 64.175K^5 + 218.691667K^6 + \\ + 780.8421131K^7 + O(K^8)$$

$$a_2 = 6 + 12K + 49.5K^2 + 142.0K^3 + 374.25K^4 + 1054.65K^5 + 3317.85625K^6 + O(K^7)$$

$$a_3 = 28K + 97K^2 + 298K^3 + 853.166667K^4 + 2453.48333K^5 + O(K^6)$$

$$a_4 = 336 + 1164K + 6702K^2 + 24392K^3 + O(K^4)$$

$$a_5 = 156.3K + 707.7K^2 + 2756.3125K^3 + O(K^4)$$

$$a_7 = 664.37857K + O(K^2)$$

We assumed that  $\langle \sigma_1(t) \sigma_1 \rangle$  is independent of  $N$  and therefore

$$\langle \sigma_1(t) \sigma_1 \rangle = \frac{\text{Tr } e^{-\beta \mathcal{H}} \sigma_1(t) \sigma_1}{\text{Tr } e^{-\beta \mathcal{H}}} = \frac{A(K,t) + NB(K,t) + \dots}{1 + a(K)N + \dots} \\ = A(K,t) .$$

#### A. Analysis of second and fourth moments of the susceptibility

We did the regular Pade approximant analysis and ratio analysis as seen in the following tables.

TABLE 5.1

Pade approximants to  $\frac{\partial}{\partial K} \log \chi_2(K)$

N	M = 1	M = 2	M = 3	M = 4
1	.1754	.1138	.2174	.2332
2	.1145	.1479	.2380	
3	.2292	.2547		
4	.2497			

TABLE 5.2

Pade approximants to  $(K-K_c) \frac{\partial}{\partial K} \log \chi_2(K) \Big|_{K=.221}$

N	M = 0	M = 1	M = 2	M = 3	M = 4
1	.0407	.0511	.0911	.0925	.0870
2	.0513	.0377	.0926	.0914	
3	.0987	.0957	.0874		
4	.0954	.1006			
5	.0845				

TABLE 5.3

Ratios of  $\chi_2(K)$ 

n	$r_n(\chi_2)$
1	
2	3
3	1.6389
4	1.4915
5	2.7898
6	3.8746
7	3.7046

TABLE 5.4

Pade approximants to  $\frac{\partial}{\partial K} \log [(\chi_4(K))^{-1}]$ 

N	M = 1	M = 2
1	.1891	.2221
2	.2169	

TABLE 5.5

Pade approximants to  $(K-K_c) \frac{\partial}{\partial K} \log \chi_4(K)^{-1} \Big|_{K=.221}$

N	M = 0	M = 1	M = 2
1	.735	.881	.877
2	.859	.877	
3	.875		

TABLE 5.6

Pade approximants to  $(\chi_4(K)^{-1})^{1/0.8}$

N	M = 1	M = 2	M = 3	M = 4
0	*	.3481	.2443	.2235
1	*	.1814	.2111	
2	.3199	.2236		
3	.2014			

TABLE 5.7

Pade approximants  $(\chi_4(K)^{-1})^{1/0.9}$

N	M = 1	M = 2	M = 3	M = 4
0		.3678	.2561	.2323
1	*	.1871	.2167	
2	.3154	.2282		
3	.2093			

B. Analysis of the coefficients of the first, second and third powers of t in  $\langle \sigma_1(t) \sigma_1 \rangle$

TABLE 5.8

Pade approximants to  $\frac{\partial}{\partial K} \log a_1(K)$

N	M = 1	M = 2	M = 3	M = 4	M = 5
0	.632	.414	.312	.276	.260
1	.352	.176	.232	.240	
2	.218	.225	.242		
3	.225	.211			
4	.239				
+					

TABLE 5.9

Pade approximants to  $(K-K_c) \frac{\partial}{\partial K} \log a_1(K) \Big|_{K=0.221}$

N	M = 0	M = 1	M = 2	M = 3	M = 4	M = 5
0	.4420	.2679	.2007	.1672	.1471	.1333
1	.1547	.0827	.1007	.0955	.0852	
2	.0971	.0983	.0968	.1075		
3	.0983	.0976	.0988			
4	.0966	.0989				
5	.0893					

TABLE 5.10

Pade approximants to  $\frac{\partial}{\partial K} \log a_2(K)$ 

N	M = 1	M = 2	M = 3	M = 4	M = 5
0			.2131	.2237 ±.1246i	.2401
1	.4237	*	.3333	.3061	
2	.7367	.5149	.2922		
3	.2970	.1277			
4	.1518				

TABLE 5.11

Pade approximants to  $(K-K_c) \frac{\partial}{\partial K} \log a_2(K) \Big|_{K=0.221}$ 

N	M = 2	M = 3	M = 4	M = 5
0	.3102	.3226	.2475	.2322
1	.3218	.3116	.2268	
2	.1629	.0888		
3	.1154			

TABLE 5.12

Pade approximants to  $(a_2(K))^{1/0.31}$ 

N	M = 1	M = 2	M = 3	M = 4	M = 5
1	.1575	.1548	.1894 $\pm .0735i$	.1979 $\pm .0724i$	.2054
2	.1984	.2736 $\pm .0495i$	.2612 $\pm .0601i$	.2803	
3	.2216	.2604 $\pm .0604i$	.2695 $\pm .0545i$		
4	.2389	.2929 $\pm .0346i$			
5	.2507				

TABLE 5.13

Pade approximants to  $(a_2(K))^{1/.25}$ 

N	M = 1	M = 2	M = 3	M = 4	M = 5
1	.140	*	.170 $\pm$ .068i		.192
2	.176	.224 $\pm$ .062i		.254	
3	.198	.224 $\pm$ .062i	.224 $\pm$ .062i		
4	.216	.250 $\pm$ .052i			
5	.230				



TABLE 5.14

Pade approximants to  $(a_2(K))^{1/.23}$ 

N	M = 1	M = 2	M = 3	M = 4	M = 5
1	.134	*	.163± .065i	*	.186
2	.167	.208± .062i	.212± .061i	.238	
3	.190	.212± .061i	.207± .063i		
4	.207	.237± .053i			
5	.222				

TABLE 5.15

Pade approximants to  $\frac{\partial}{\partial K} \log a_3(K)$ 

N	M = 1	M = 2	M = 3
0	.373	.421	.340
1	.415	.385	
2	.326		

TABLE 5.16

Pade approximants to  $(K-K_c) \frac{\partial}{\partial K} \log a_3(K) \Big|_{K=0.221}$

N	M = 0	M = 1	M = 2	M = 3
0	.766	.544	.414	.341
1	.454	.207	.139	
2	.242	.118		
3	.164			

TABLE 5.17

Pade approximants to  $(a_3(K))^{1/0.35}$

N	M = 1	M = 2	M = 3	M = 4
0	.101	.138± .094i	.221	.221
1	.159	.197± .088i	.221	
2	.198	.244± .075i		
3	.225			

TABLE 5.18

Pade approximants to  $(a_3(K))^{1/.38}$ 

N	M = 1	M = 2	M = 3	M = 4
0	.110	.155± .100i	.267	.232
1	.170	.213± .001i	.230	
2	.209	.262± .074i		
3	.235			

TABLE 5.19

Ratios of  $a_1(K)$ ,  $a_2(K)$  and  $a_3(K)$ 

n	$r_{a_1}$	$r_{a_2}$	$r_{a_3}$
1		2	
2	2	4.125	3.4643
3	1.7917	2.8687	3.0722
4	2.0930	2.6356	2.8630
5	2.8522	2.8180	2.8757
6	3.4077	3.1459	
7	3.5705		

TABLE 5.20

Pade approximants to  $[(K-K_c)^{0.1} a_1(K) K^{-1}]_{K=.221}$

N	M = 0	M = 1	M = 2	M = 3	M = 4	M = 5	M = 6
0		3.920	3.743	3.724	3.726	3.724	3.715
1	3.462	3.757	3.721	3.726	3.725	3.728	
2	3.683	3.730	3.727	3.725	3.727		
3	3.722	3.727	3.710	3.728			
4	3.727	3.726	3.729				
5	3.725	3.727					
6	3.720						

TABLE 5.21

Pade approximants to  $[(K-K_c)^{0.24} a_2(K)]_{K=.221}$

N	M = 0	M = 1	M = 2	M = 3	M = 4	M = 5	M = 6
0		5.223	6.596	6.495	5.984	6.022	6.134
1	5.020	*	6.500	6.619	6.019	5.964	
2	5.879	6.275	6.006	6.132	6.102		
3	6.150	6.114	6.110	6.109			
4	6.109	6.109	6.109				
5	6.109	*					
6	6.109						

TABLE 5.22

Pade approximants to  $[(K-K_c)^{0.35} a_3(K) K^{-1}]_{K=0.221}$

N	M = 0	M = 1	M = 2	M = 3	M = 4
0		28.25	26.67	24.83	23.77
1	23.37	26.78	34.69	22.03	
2	25.65	25.60	22.31		
3	25.60	25.65			
4	24.70				

The results for the self correlation indicate that

$$\begin{aligned} \langle \sigma_1(t) \sigma_1 \rangle = & 1 + \sum_{n=1}^{\infty} A_{2n} (K - K_c)^{-\gamma_{2n}^A} (-i\omega_0 t)^{2n} \\ & + \sum_{n=0}^{\infty} A_{2n+1} K(K - K_c)^{-\gamma_{2n+1}^A} (i\omega_0 t)^{2n+1} \end{aligned} \quad (5.6.1)$$

with

$$\begin{aligned} \gamma_1^A &= 0.099 \pm 0.005 & A_1 &= 0.82 \pm 0.1 \\ \gamma_2^A &= 0.24 \pm 0.03 & A_2 &= 6.1 \pm 0.5 \\ \gamma_3^A &= 0.35 \pm 0.03 & A_3 &= 5.3 \pm 2 \end{aligned}$$

where the  $A_n$  were obtained by taking Pade approximants of the function  $[(K-K_c)^{\gamma_n^A} a_n(K)]$  evaluated at  $K=K_c$  for  $n$  even and of  $[(K-K_c)^{\gamma_n^A} a_n(K)K^{-1}]$  evaluated at  $K=K_c$  for  $n$  odd.

The differences are  $\Delta_A = \gamma_n^A - \gamma_{n-1}^A \approx 0.10 \pm 0.05$

$$\begin{aligned} \langle \sigma_1(t) \sigma_1 \rangle &\approx 1 + \sum A_n (T-T_c)^{-n\Delta_A} (i\omega_0 t)^n \\ &\approx f\left(\frac{t}{\epsilon^{\Delta_A}}\right) \end{aligned} \quad (5.6.2)$$

Near  $T_c$ , if we can assume that  $\int_0^{\infty} f(x) dx$  converges, we find that the autocorrelation will vanish like  $\epsilon^{\Delta_A}$ .

$$\langle \sigma_1(t) \sigma_1 \rangle \approx \int_0^{\infty} f\left(\frac{t}{\epsilon^{\Delta_A}}\right) dt = \epsilon^{\Delta_A} \int f(x) dx \approx \epsilon^{\Delta_A} \quad (5.6.3)$$

$$\text{We saw that } \Delta_{\text{NMR}} \propto \int_0^{\infty} \langle \sigma_1(t) \sigma_1 \rangle dt \approx \epsilon^{\Delta_A} \quad (5.6.4)$$

and in (5.2.18) we obtained that  $\Delta_{\text{NMR}} \approx \epsilon^{\nu(\eta+1-z)}$ ,  
in our case  $\eta = 0$ ,  $\nu = \frac{2}{3}$ ,

therefore  $z = 0.85 \pm 0.10$ . As seen in (5.2.20),  $z = \frac{\Delta_S}{\nu}$ ; therefore  $\Delta_S = 0.57 \pm 0.10$ , where  $\Delta_S$  is the critical slowing down index.

The result for  $\Delta_A$  is corroborated by the calculation of  $\Delta_S$  from the frequency dependent susceptibility and then substituting in (5.2.18) to obtain  $\Delta_A$ .

As we know

$$\chi(\omega=0, \epsilon) \sim \epsilon^{-\gamma}.$$

The behaviour in  $\omega$  we shall assume to be

$$\chi(\omega, \epsilon=0) \sim \omega^{-\gamma/\Delta_S}, \quad (5.6.5)$$

where this defines  $\Delta_S$ .

A possible function with this behaviour and only even moments is

$$\chi(\omega) \sim \left[ -\omega^2 + \epsilon^{2\Delta_S} f(\omega, \epsilon) \right]^{-\gamma/2\Delta_S} \quad (5.6.6)$$

and  $f(\omega, \epsilon)$  regular at  $\omega=0, \epsilon=0$ .

The index of critical slowing down defined by Suzuki (1969) as mentioned in (5.1.10) is

$$\begin{aligned} \tau_2 &= \lim_{\omega \rightarrow 0} \left[ \frac{\chi(\omega) - \chi(0)}{\omega^2 \chi(0)} \right]^{\frac{1}{2}} \\ &= \lim_{\omega \rightarrow 0} \left[ \frac{(1-f^{-1} \frac{\omega^2}{\epsilon^{2\Delta_S}})^{-\gamma/2\Delta_S} - 1}{\omega^2} \right]^{\frac{1}{2}} = \epsilon^{-\Delta_S} \quad (5.6.7) \end{aligned}$$

Our assumption is that  $\chi(\omega)$  scales like  $f\left(\frac{\omega}{\Delta_S}\right)$ ,  
therefore the moments

$$\chi_2 \sim \varepsilon^{-\gamma_2} = \varepsilon^{-(\gamma-2\Delta_S)}$$

$$\chi_4 \sim \varepsilon^{-\gamma_4} = \varepsilon^{-(\gamma-4\Delta_S)} .$$

From our results

$$\gamma_2 = +.096 \pm .005 \rightarrow \Delta_S = .62 \pm .10$$

$$\gamma_4 = -.88 \pm .05 \rightarrow \Delta_S = .55 \pm .10 .$$

This agrees with our former estimate.

Clearly our estimates of  $\Delta_S$  however large the error margins yield

$$\Delta_S < \gamma$$

since

$$\Delta_S = 0.58 \pm 0.10 .$$

This agrees with Tomita (1968) for the isotropic Heisenberg model where kinetic speeding up occurs, while the kinetic Ising model had  $\Delta_S > \gamma$ , a kinetic slowing down.

## APPENDIX A

Graphs and Weights

In the following tables the graphs needed for the calculation of the static initial susceptibility, dynamical susceptibility and fourth order fluctuation are listed.

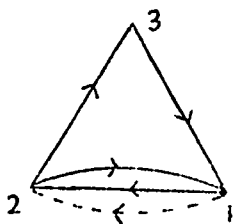
Table A.5 lists the fluctuation-like graphs used for the static susceptibility. The bubble graphs are not listed as they are identical to those of the dynamical susceptibility listed in Table A.7 apart from the vertical weight. The static weight is the sum of all dynamical weights. Table A.9 has the partition function graphs.

Table A.6 lists the fluctuation-like graphs generated for the dynamical susceptibility.

Table A.8 lists the fourth order fluctuation graphs.

The entries are in two lines for each graph. In the first line in order the entries are: the number of vertices, the number of solid arrows (except for Table A.8 which lists the number of all arrows, solid plus two dotted), lattice constant, horizontal weight, and vertical weight or weights. The lattice constants are the f.c.c. ones.

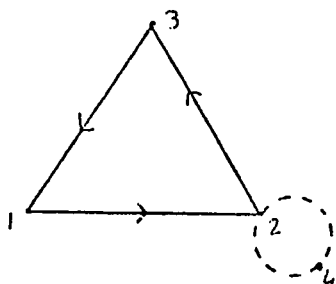
In the second line the graph itself is listed, for example



1 2 2 3 3 1 1 2 2 1 .



Dotted arrows come first in the listing. In Tables A.6, A.7 the spurious vertex is kept in the listing of the graph, for example



2 4 4 2 2 3 3 1 1 2 .

Since  $v(k) = v(\ell - k)$  we did not list all vertical weights, only 4 for  $\ell \leq 7$  and 5 for  $\ell = 8$ .

Below is the subdivision of graphs according to the number of solid arrow  $\ell$ .

TABLE A.1

Fluctuation-like static susceptibility graphs

$\ell$	No. of graphs
1	1
2	1
3	4
4	9
5	30
6	80
7	268
8	854
Total	1247

TABLE A.2

Fluctuation-like dynamic  
susceptibility graphs

$l$	No. of graphs
3	1
4	2
5	10
6	26
7	103
8	348
Total	490

TABLE A.3

Bubble graphs

$l$	No. of graphs
2	1
3	1
4	5
5	8
6	32
7	69
8	245
Total	361

TABLE A.4

Fourth order fluctuation graphs

$l$	No. of graphs
2	2
3	3
4	20
5	61
6	292
7	1117
Total	1495

TABLE A.5

2	1	0.6000000000000000	01	2	2						
1	2	2	1								
3	2	0.6600000000000000	02	2	6						
1	2	2	3	3	1						
2	3	0.6000000000000000	01	2	2						
1	2	2	1	1	2	2	1				
3	3	0.6600000000000000	02	4	8						
1	2	2	1	1	3	3	1				
4	3	0.7020000000000000	03	2	24						
1	2	2	3	3	4	4	1				
4	3	-0.6900000000000000	02	4	24						
1	2	2	1	3	4	4	3				
3	4	0.8000000000000000	01	6	14						
1	2	2	1	1	2	2	3	3	1		
3	4	0.8000000000000000	01	6	8						
2	1	1	2	2	3	3	1	1	2		
3	4	0.6600000000000000	02	4	10						
2	3	3	1	1	2	2	1	1	2		
4	4	0.2400000000000000	03	4	40						
1	2	2	1	1	3	3	4	4	1		
4	4	0.7020000000000000	03	4	40						
1	3	3	4	4	1	1	2	2	1		
4	4	0.2200000000000000	03	6	40						
3	4	4	1	1	2	2	1	1	3		
5	4	0.7350000000000000	04	2	120						
1	2	2	3	3	4	4	5	5	1		
5	4	-0.2640000000000000	03	4	120						
1	2	2	1	3	4	4	5	5	2		
5	4	-0.2220000000000000	04	2	120						
3	4	4	5	5	3	1	2	2	1		
2	5	0.6000000000000000	01	2	2						
1	2	2	1	1	2	2	1	1	2	2	1
3	5	0.8000000000000000	01	6	10						
1	2	2	3	3	1	1	2	2	3	3	1
3	5	0.8000000000000000	01	6	34						
1	2	2	1	1	3	3	2	2	3	3	1
3	5	0.6600000000000000	02	4	16						
1	2	2	1	1	2	2	1	1	3	3	1
3	5	0.6600000000000000	02	4	12						
1	3	3	1	1	2	2	1	1	2	2	1
4	5	0.3300000000000000	02	3	84						
1	2	2	1	1	2	2	3	3	4	4	1
4	5	0.3300000000000000	02	3	48						
2	1	1	2	2	3	3	4	4	1	1	2
4	5	0.7020000000000000	03	4	60						
2	3	3	4	4	1	1	2	2	1	1	2
4	5	0.7020000000000000	03	2	60						
3	4	4	1	1	2	2	1	1	2	2	3
4	5	0.7020000000000000	03	4	84						
1	2	2	1	1	3	3	4	4	3	3	1

4	5	0.7020000000000000	03	2	80								
1	3	3	4	4	3	3	1	1	2	2	1		
4	5	0.2200000000000000	03	6	72								
1	2	2	1	1	3	3	1	1	4	4	1		
4	5	0.3600000000000000	02	2	80								
1	2	2	3	3	1	1	2	2	4	4	1		
4	5	0.2400000000000000	03	4	48								
2	3	3	1	1	2	2	4	4	1	1	2		
4	5	0.3600000000000000	02	4	80								
1	2	2	1	1	3	3	2	2	4	4	1		
4	5	0.2400000000000000	03	4	84								
1	3	3	2	2	4	4	1	1	2	2	1		
4	5	-0.6000000000000000	02	4	60								
1	2	2	1	3	4	4	3	3	4	4	3		
4	5	-0.6000000000000000	02	4	60								
3	4	4	3	3	4	4	3	1	2	2	1		
5	5	0.1248000000000000	04	4	240								
1	2	2	1	1	3	3	4	4	5	5	1		
5	5	0.7350000000000000	04	4	240								
1	3	3	4	4	5	5	1	1	2	2	1		
5	5	0.6780000000000000	04	4	240								
3	4	4	5	5	1	1	2	2	1	1	3		
5	5	0.2496000000000000	04	4	240								
1	2	2	3	3	1	1	4	4	5	5	1		
5	5	0.1080000000000000	04	4	240								
2	3	3	1	1	4	4	5	5	1	1	2		
5	5	-0.2220000000000000	04	2	240								
1	2	2	1	3	4	4	3	3	5	5	3		
5	5	-0.2220000000000000	04	4	240								
3	4	4	3	3	5	5	3	1	2	2	1		
6	5	0.7626600000000000	05	2	720								
1	2	2	3	3	4	4	5	5	6	6	1		
6	5	0.1292000000000000	04	6	720								
1	2	2	1	3	4	4	3	5	6	6	5		
6	5	-0.1416000000000000	04	4	720								
1	2	2	1	3	4	4	5	5	6	6	3		
6	5	-0.3097800000000000	05	2	720								
3	4	4	5	5	6	6	3	1	2	2	1		
6	5	-0.4152000000000000	04	4	720								
1	2	2	3	3	1	4	5	5	6	6	4		
3	6	0.8000000000000000	01	12	24								
2	1	1	3	3	1	1	2	2	3	3	1	1	2
3	6	0.6600000000000000	02	2	28								
2	3	3	1	1	2	2	1	1	3	3	1	1	2
3	6	0.8000000000000000	01	6	22								
1	2	2	1	1	2	2	1	1	2	2	3	3	1
3	6	0.8000000000000000	01	6	16								
2	1	1	2	2	1	1	2	2	3	3	1	1	2
3	6	0.6600000000000000	02	4	14								
2	3	3	1	1	2	2	1	1	2	2	1	1	2

3	6	0.80000000000000	01	12	44
1	2	2	1 1 3 3 1 1 2 2 3 3 1		
4	6	0.24000000000000	03	2	206
1	2	2	1 1 2 2 3 3 4 4 3 3 1		
4	6	0.24000000000000	03	2	114
2	1	1	2 2 3 3 4 4 3 3 1 1 2		
4	6	0.70200000000000	03	4	140
2	3	3	4 4 3 3 1 1 2 2 1 1 2		
4	6	0.24000000000000	03	4	154
3	4	4	3 3 1 1 2 2 1 1 2 2 3		
4	6	0.24000000000000	03	4	176
1	2	2	1 1 3 3 1 1 2 2 4 4 1		
4	6	0.24000000000000	03	4	96
2	1	1	3 3 1 1 2 2 4 4 1 1 2		
4	6	0.24000000000000	03	4	112
1	3	3	1 1 2 2 4 4 1 1 2 2 1		
4	6	0.24000000000000	03	4	112
3	1	1	2 2 4 4 1 1 2 2 1 1 3		
4	6	0.22000000000000	03	12	112
2	4	4	1 1 2 2 1 1 3 3 1 1 2		
4	6	0.70200000000000	03	4	112
4	1	1	2 2 1 1 3 3 1 1 2 2 4		
4	6	0.24000000000000	03	4	112
1	2	2	1 1 2 2 1 1 3 3 4 4 1		
4	6	0.70200000000000	03	4	84
1	3	3	4 4 1 1 2 2 1 1 2 2 1		
4	6	0.22000000000000	03	6	84
3	4	4	1 1 2 2 1 1 2 2 1 1 3		
4	6	0.36000000000000	02	8	114
1	2	2	3 3 1 1 2 2 3 3 4 4 1		
4	6	0.33000000000000	02	3	68
3	1	1	2 2 3 3 4 4 1 1 2 2 3		
4	6	0.24000000000000	03	4	70
3	4	4	1 1 2 2 3 3 1 1 2 2 3		
4	6	0.36000000000000	02	8	206
1	2	2	1 1 3 3 2 2 3 3 4 4 1		
4	6	0.36000000000000	02	8	212
2	1	1	3 3 2 2 3 3 4 4 1 1 2		
4	6	0.33000000000000	02	8	204
1	3	3	2 2 3 3 4 4 1 1 2 2 1		
4	6	0.24000000000000	03	4	238
3	4	4	1 1 2 2 1 1 3 3 2 2 3		
5	6	0.10800000000000	04	8	504
1	2	2	1 1 3 3 1 1 4 4 5 5 1		
5	6	0.67800000000000	04	2	504
1	4	4	5 5 1 1 2 2 1 1 3 3 1		
5	6	0.49500000000000	03	12	504
4	5	5	1 1 2 2 1 1 3 3 1 1 4		
5	6	0.16800000000000	03	10	588
1	2	2	1 1 2 2 3 3 4 4 5 5 1		

5	6	0.16800000000000	03	10	336
2	1	1	2 2 3 3 4 4 5 5 1 1 2		
5	6	0.73500000000000	04	4	420
2	3	3	4 4 5 5 1 1 2 2 1 1 2		
5	6	0.73500000000000	04	4	420
3	4	4	5 5 1 1 2 2 1 1 2 2 3		
5	6	0.23280000000000	04	4	560
1	2	2	1 1 3 3 4 4 3 3 5 5 1		
5	6	0.23280000000000	04	4	560
2	1	1	3 3 4 4 3 3 5 5 1 1 2		
5	6	0.73500000000000	04	2	560
1	3	3	4 4 3 3 5 5 1 1 2 2 1		
5	6	0.67800000000000	04	4	560
3	5	5	1 1 2 2 1 1 2 3 4 4 3		
5	6	0.24960000000000	04	4	588
1	2	2	1 1 3 3 4 4 5 5 3 3 1		
5	6	0.24960000000000	04	4	560
1	3	3	4 4 5 5 3 3 1 1 2 2 1		
5	6	0.73500000000000	04	4	588
3	4	4	5 5 3 3 1 1 2 2 1 1 3		
5	6	0.67800000000000	04	2	588
4	5	5	3 3 1 1 2 2 1 1 3 3 4		
5	6	0.38400000000000	03	2	560
1	2	2	1 1 3 3 2 2 4 4 5 5 1		
5	6	0.38400000000000	03	2	560
2	1	1	3 3 2 2 4 4 5 5 1 1 2		
5	6	0.12480000000000	04	4	588
1	3	3	2 2 4 4 5 5 1 1 2 2 1		
5	6	0.24960000000000	04	4	588
2	4	4	5 5 1 1 2 2 1 1 3 3 2		
5	6	0.23280000000000	04	2	588
4	5	5	1 1 2 2 1 1 3 3 2 2 4		
5	6	0.38400000000000	03	2	560
1	2	2	3 3 1 1 2 2 4 4 5 5 1		
5	6	0.12480000000000	04	4	336
2	3	3	1 1 2 2 4 4 5 5 1 1 2		
5	6	0.24960000000000	04	4	336
2	4	4	5 5 1 1 2 2 3 3 1 1 2		
5	6	0.23280000000000	04	2	336
4	5	5	1 1 2 2 3 3 1 1 2 2 4		
5	6	0.36000000000000	02	6	560
1	2	2	3 3 1 1 4 4 2 2 5 5 1		
5	6	0.64800000000000	03	4	560
2	3	3	1 1 4 4 2 2 5 5 1 1 2		
5	6	0.64800000000000	03	2	560
1	4	4	2 2 5 5 1 1 2 2 3 3 1		
5	6	-0.22200000000000	04	2	420
1	2	2	3 3 1 4 5 5 4 4 5 5 4		
5	6	-0.26400000000000	03	4	420
4	5	5	4 4 5 5 4 1 2 2 3 3 1		

5	6	-0.26400000000000	03	12	420								
1	2	2	1	3	4	4	3	3	4	4	5	5	3
5	6	-0.26400000000000	03	6	588								
3	4	4	3	3	4	4	5	5	3	1	2	2	1
5	6	-0.26400000000000	03	6	336								
4	3	3	4	4	5	5	3	1	2	2	1	3	4
5	6	-0.22200000000000	04	4	420								
4	5	5	3	1	2	2	1	3	4	4	3	3	4
6	6	0.21648000000000	05	4	1680								
4	5	5	6	6	1	1	2	2	3	3	1	1	4
6	6	0.76320000000000	04	4	1680								
1	2	2	1	1	3	3	4	4	5	5	6	6	1
6	6	0.76266000000000	05	4	1680								
1	3	3	4	4	5	5	6	6	1	1	2	2	1
6	6	0.69924000000000	05	4	1680								
3	4	4	5	5	6	6	1	1	2	2	1	1	3
6	6	0.68508000000000	05	2	1680								
4	5	5	6	6	1	1	2	2	1	1	3	3	4
6	6	0.12744000000000	05	4	1680								
1	2	2	3	3	1	1	4	4	5	5	6	6	1
6	6	0.52220000000000	04	4	1680								
2	3	3	1	1	4	4	5	5	6	6	1	1	2
6	6	0.25872000000000	05	4	1680								
1	4	4	5	5	6	6	1	1	2	2	3	3	1
6	6	-0.30978000000000	05	4	1680								
3	5	5	6	6	3	1	2	2	1	3	4	4	3
6	6	-0.96600000000000	04	6	1680								
5	6	6	3	1	2	2	1	3	4	4	3	3	5
6	6	-0.17580000000000	05	4	1680								
1	2	2	3	3	1	4	5	5	4	4	6	6	4
6	6	-0.41520000000000	04	8	1680								
4	5	5	4	4	6	6	4	1	2	2	3	3	1
6	6	-0.10416000000000	05	4	1680								
1	2	2	1	3	4	4	3	3	5	5	6	6	3
6	6	-0.10416000000000	05	4	1680								
3	4	4	3	3	5	5	6	6	3	1	2	2	1
7	6	0.78685800000000	06	2	5040								
1	2	2	3	3	4	4	5	5	6	6	7	7	1
7	6	0.73614000000000	05	2	5040								
5	6	6	7	7	5	1	2	2	1	3	4	4	3
7	6	-0.88560000000000	04	4	5040								
1	2	2	1	3	4	4	5	5	6	6	7	7	3
7	6	-0.40094400000000	06	2	5040								
3	4	4	5	5	6	6	7	7	3	1	2	2	1
7	6	-0.21748000000000	05	4	5040								
1	2	2	3	3	1	4	5	5	6	6	7	7	4
7	6	-0.57144000000000	05	4	5040								
4	5	5	6	6	7	7	4	1	2	2	3	3	1
7	6	0.86400000000000	04	8	5040								
1	2	2	1	3	4	4	3	5	6	6	7	7	5

2	7	0.6000000000000000	01	2	2
1	2	2	1	1	2
2	2	1	1	2	2
1	1	2	2	1	1
2	2	1	1	2	2
3	7	0.8000000000000000	01	12	28
2	3	3	1	1	2
2	3	3	1	1	2
2	3	3	1	1	2
2	3	3	1	1	2
3	7	0.8000000000000000	01	6	116
1	2	2	1	1	2
2	2	1	1	2	2
1	1	2	2	1	1
3	3	2	2	3	3
3	7	0.8000000000000000	01	12	76
1	3	3	2	2	3
3	3	2	2	3	3
3	7	0.6600000000000000	02	4	24
1	2	2	1	1	2
1	2	2	1	1	2
1	2	2	1	1	2
3	7	0.6600000000000000	02	4	16
1	3	3	1	1	2
3	3	1	1	2	2
3	7	0.6600000000000000	02	4	36
1	2	2	1	1	2
1	2	2	1	1	2
1	2	2	1	1	2
3	7	0.8000000000000000	01	6	32
1	2	2	1	1	2
1	2	2	1	1	2
1	2	2	1	1	2
3	7	0.8000000000000000	01	6	12
2	1	1	2	2	3
2	1	1	2	2	3
2	1	1	2	2	3
4	7	0.7020000000000000	03	2	256
1	2	2	1	1	2
1	2	2	1	1	2
1	2	2	1	1	2
4	7	0.7020000000000000	03	4	224
1	3	3	4	4	3
3	3	4	4	3	3
3	3	4	4	3	3
4	7	0.7020000000000000	03	4	176
1	3	3	1	1	2
1	3	3	1	1	2
1	3	3	1	1	2
4	7	0.2200000000000000	03	6	240
1	2	2	1	1	2
1	2	2	1	1	2
1	2	2	1	1	2
4	7	0.2200000000000000	03	12	160
1	3	3	1	1	2
1	3	3	1	1	2
1	3	3	1	1	2
4	7	0.7020000000000000	03	4	256
3	4	4	3	3	1
3	4	4	3	3	1
3	4	4	3	3	1
4	7	0.7020000000000000	03	4	320
1	2	2	1	1	2
1	2	2	1	1	2
1	2	2	1	1	2
4	7	0.7020000000000000	03	2	112
3	4	4	1	1	2
3	4	4	1	1	2
3	4	4	1	1	2
4	7	0.2000000000000000	01	24	616
1	2	2	1	1	2
1	2	2	1	1	2
1	2	2	1	1	2
4	7	0.3600000000000000	02	4	616
1	3	3	2	2	4
1	3	3	2	2	4
1	3	3	2	2	4
4	7	0.3600000000000000	02	4	256
1	2	2	1	1	2
1	2	2	1	1	2
1	2	2	1	1	2
4	7	0.2400000000000000	03	4	176
1	3	3	2	2	4
1	3	3	2	2	4
1	3	3	2	2	4
4	7	0.3600000000000000	02	8	536
1	2	2	1	1	2
1	2	2	1	1	2
1	2	2	1	1	2
4	7	0.3600000000000000	02	8	283
2	1	1	3	3	1
2	1	1	3	3	1
2	1	1	3	3	1
4	7	0.2600000000000000	02	8	312
1	3	3	1	1	2
1	3	3	1	1	2
1	3	3	1	1	2
4	7	0.3600000000000000	02	8	320
3	1	1	2	2	3
3	1	1	2	2	3
3	1	1	2	2	3



4	7	0.2400000000000000	03	4	320										
2	3	3	4	4	1	1	2	2	1	1	3	3	1	1	2
4	7	0.2400000000000000	03	4	352										
3	4	4	1	1	2	2	1	1	3	3	1	1	2	2	3
4	7	0.2400000000000000	03	4	352.										
4	1	1	2	2	1	1	3	3	1	1	2	2	3	3	4
4	7	0.3600000000000000	02	8	288										
1	2	2	1	1	2	2	3	3	1	1	4	4	3	3	1
4	7	0.3600000000000000	02	8	152										
2	1	1	2	2	3	3	1	1	4	4	3	3	1	1	2
4	7	0.2400000000000000	03	4	176										
2	3	3	1	1	4	4	3	3	1	1	2	2	1	1	2
4	7	0.3600000000000000	02	8	312										
3	1	1	4	4	3	3	1	1	2	2	1	1	2	2	3
4	7	0.2400000000000000	03	4	192										
1	4	4	3	3	1	1	2	2	1	1	2	2	3	3	1
4	7	0.2400000000000000	03	4	192										
4	3	3	1	1	2	2	1	1	2	2	3	3	1	1	4
4	7	0.3600000000000000	02	2	256										
1	2	2	1	1	2	2	3	3	1	1	2	2	4	4	1
4	7	0.3600000000000000	02	2	96										
2	1	1	2	2	3	3	1	1	2	2	4	4	1	1	2
4	7	0.2400000000000000	03	4	128										
2	3	3	1	1	2	2	4	4	1	1	2	2	1	1	2
4	7	0.2400000000000000	03	4	96										
1	2	2	1	1	3	3	4	4	1	1	3	3	4	4	1
4	7	0.2400000000000000	03	4	160										
1	3	3	4	4	1	1	3	3	4	4	1	1	2	2	1
4	7	0.2400000000000000	03	2	152										
3	4	4	1	1	3	3	4	4	1	1	2	2	1	1	3
4	7	0.2400000000000000	03	4	544										
1	2	2	1	1	3	3	1	1	4	4	2	2	4	4	1
4	7	0.2400000000000000	03	2	608										
1	3	3	1	1	4	4	2	2	4	4	1	1	2	2	1
4	7	0.2400000000000000	03	2	536										
4	2	2	4	4	1	1	2	2	1	1	3	3	1	1	4
4	7	0.3300000000000000	02	16	320										
1	2	2	1	1	3	3	1	1	2	2	4	4	3	3	1
4	7	0.3300000000000000	02	16	176										
2	1	1	3	3	1	1	2	2	4	4	3	3	1	1	2
4	7	0.7020000000000000	03	4	224										
2	4	4	3	3	1	1	2	2	1	1	3	3	1	1	2
4	7	0.3300000000000000	02	8	176										
1	2	2	1	1	2	2	1	1	2	2	3	3	4	4	1
4	7	0.3300000000000000	02	3	128										
2	1	1	2	2	1	1	2	2	3	3	4	4	1	1	2
4	7	0.7020000000000000	03	4	112										
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4	7	0.2000000000000000	01	24	336										
1	2	2	1	1	3	3	4	4	2	2	3	3	4	4	1

4	7	0.36000000000000	02	8	352
1	3	3 4 4 2 2 3 3 4 4	1 1 2 2 1		
4	7	0.20000000000000	01	12	624
3	4	4 2 2 3 3 4 4	1 1 2 2 1 1 3		
4	7	0.33000000000000	02	8	112
1	2	2 3 3 4 4 1 1 2 2	3 3 4 4 1		
4	7	0.33000000000000	02	8	624
1	2	2 1 1 3 3 4 4 2 2	4 4 3 3 1		
4	7	0.33000000000000	02	8	432
1	2	2 1 1 2 2 3 3 4 4	3 3 4 4 1		
4	7	0.33000000000000	02	8	232
2	1	1 2 2 3 3 4 4 3 3	4 4 1 1 2		
4	7	0.70200000000000	03	2	280
2	3	3 4 4 3 3 4 4 1 1	2 2 1 1 2		
4	7	-0.69000000000000	02	4	112
3	4	4 3 3 4 4 3 3 4 4	3 1 2 2 1		
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1	2	2 1 3 4 4 3 3 4 4	3 3 4 4 3		
4	7	-0.69000000000000	02	4	280
1	2	2 1 1 2 2 1 3 4 4	3 3 4 4 3		
5	7	0.16800000000000	03	10	544
3	1	1 2 2 3 3 4 4 5 5	1 1 2 2 3		
5	7	0.38400000000000	03	4	912
1	2	2 3 3 1 1 2 2 3 3	4 4 5 5 1		
5	7	0.24960000000000	04	4	560
3	4	4 5 5 1 1 2 2 3 3	1 1 2 2 3		
5	7	0.64800000000000	03	4	912
2	4	4 3 3 5 5 1 1 2 2	3 3 1 1 2		
5	7	0.23280000000000	04	2	560
4	5	5 1 1 2 2 3 3 1 1	2 2 3 3 4		
5	7	0.36000000000000	02	12	896
1	2	2 3 3 4 4 1 1 2 2	3 3 5 5 1		
5	7	0.12480000000000	04	4	544
3	4	4 1 1 2 2 3 3 5 5	1 1 2 2 3		
5	7	0.49500000000000	03	8	1152
1	2	2 1 1 3 3 1 1 4 4	1 1 5 5 1		
5	7	0.38400000000000	03	4	896
2	3	3 1 1 2 2 4 4 3 3	5 5 1 1 2		
5	7	0.12480000000000	04	4	768
2	1	1 3 3 1 1 2 2 4 4	5 5 1 1 2		
5	7	0.67800000000000	04	4	1408
1	2	2 1 1 3 3 1 1 4 4	5 5 4 4 1		
5	7	0.67800000000000	04	4	896
2	4	4 5 5 1 1 2 2 1 1	3 3 1 1 2		
5	7	0.67800000000000	04	4	896
4	5	5 1 1 2 2 1 1 3 3	1 1 2 2 4		
5	7	0.73500000000000	04	4	896
5	1	1 2 2 1 1 3 3 1 1	2 2 4 4 5		
5	7	0.69600000000000	03	4	912
1	2	2 1 1 3 3 4 4 5 5	3 3 4 4 1		

5	7	0.24960000000000	04	4	396										
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5	7	0.69600000000000	03	2	1504										
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5	7	0.23280000000000	04	4	912										
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5	7	0.36000000000000	02	24	1568										
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5	7	0.12480000000000	04	4	1632										
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5	7	0.12480000000000	04	4	1568										
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5	7	0.12480000000000	04	4	396										
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5	7	0.73500000000000	04	4	1120										
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5	7	0.12480000000000	04	4	1120										
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5	7	0.12480000000000	04	4	1120										
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5	7	0.73500000000000	04	4	1120										
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5	7	0.67800000000000	04	4	1120										
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5	7	0.12480000000000	04	4	1408										
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5	7	0.24960000000000	04	4	896										
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5	7	0.10800000000000	04	8	896										
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5	7	0.67800000000000	04	2	1344										
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5	7	0.67800000000000	04	2	1403										
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5	7	0.73500000000000	04	4	1632										
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5	7	0.73500000000000	04	4	1568										
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5	7	0.12480000000000	04	4	396										
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5	7	0.73500000000000	04	4	672										
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5	7	0.67800000000000	04	4	672										
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5	7	0.19200000000000	03	4	1536										
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5	7	0.38400000000000	03	4	1568										
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5	7	0.69600000000000	03	4	1696										
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5	7	0.19200000000000	03	2	1504										
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5	7	0.38400000000000	03	4	1568										
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5	7	0.64800000000000	03	4	1648										
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5	7	0.69600000000000	03	4	1648										
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5	7	0.19200000000000	03	2	1504										
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5	7	0.69600000000000	03	2	1504										
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5	7	0.23280000000000	04	4	1648										
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5	7	0.24960000000000	04	4	1568										
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5	7	0.69600000000000	03	4	1648										
4	5	5	4	4	1	1	2	2	1	1	3	3	2	2	4
5	7	0.38400000000000	03	4	1648										
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5	7	0.38400000000000	03	4	1696										
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5	7	0.16800000000000	03	10	1632										
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5	7	0.24960000000000	04	4	1904										
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5	7	0.23280000000000	04	2	1904										
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5	7	0.20400000000000	03	8	1648										
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5	7	0.20400000000000	03	8	912										
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5	7	0.24960000000000	04	4	1120										
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5	7	0.24960000000000	04	4	1232										
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5	7	0.10800000000000	04	4	1232										
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5	7	0.64800000000000	03	2	768										
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5	7	0.64800000000000	03	2	768										
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5	7	0.64800000000000	03	2	1344										
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5	7	0.10800000000000	04	3	768										
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5	7	0.23280000000000	04	4	768
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5	7	0.20400000000000	03	16	1408
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5	7	0.20400000000000	03	16	768
2	1	1 2 2 3 3 1 1 4 4 5 5 1 1 2			
5	7	0.10800000000000	04	3	896
2	3	3 1 1 4 4 5 5 1 1 2 2 1 1 2			
5	7	0.24960000000000	04	4	396
3	1	1 4 4 5 5 1 1 2 2 1 1 2 2 3			
5	7	0.24960000000000	04	4	396
1	4	4 5 5 1 1 2 2 1 1 2 2 3 3 1			
5	7	0.69600000000000	03	2	1536
1	2	2 1 1 3 3 2 2 4 4 5 5 4 4 1			
5	7	0.64800000000000	03	4	1344
1	2	2 1 1 3 3 1 1 4 4 2 2 5 5 1			
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5	7	0.12480000000000	04	4	396
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3	1	1 2 2 4 4 5 5 1 1 2 2 1 1 3			
5	7	0.69600000000000	03	4	912
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5	7	-0.26400000000000	03	6	1904
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1	2	2 1 3 4 4 3 3 5 5 4 4 5 5 3			
5	7	-0.26400000000000	03	4	336
1	2	2 1 3 4 4 5 5 3 3 4 4 5 5 3			
5	7	-0.22200000000000	04	4	672
3	5	5 3 1 2 2 1 3 4 4 3 3 4 4 3			
5	7	-0.26400000000000	03	6	560
3	4	4 5 5 3 3 4 4 5 5 3 1 2 2 1			
5	7	-0.22200000000000	04	2	1120
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5	7	-0.22200000000000	04	4	1120
3	4	4 3 3 5 5 3 1 2 2 1 1 2 2 1			
5	7	-0.22200000000000	04	4	672
1	2	2 1 3 4 4 3 3 4 4 3 3 5 5 3			
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3	4	4 3 3 4 4 3 3 5 5 3 1 2 2 1			
6	7	0.25872000000000	05	4	4704
2	4	4 5 5 6 6 1 1 2 2 1 1 3 3 2			
6	7	0.21960000000000	04	3	4480
1	4	4 5 5 6 6 4 4 1 1 2 2 3 3 1			

6	7	0.11400000000000	05	4	4480
2	1	1 3 3 4 4 3 3 5 5 6 6	1 1 2		
6	7	0.76266000000000	05	2	4480
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6	7	0.62508000000000	05	4	4480
3	5	5 6 6 1 1 2 2 1 1	3 3 4 4 3		
6	7	0.21648000000000	05	4	4032
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6	7	0.63503000000000	05	4	4704
4	5	5 6 6 3 3 1 1 2 2	1 1 3 3 4		
6	7	0.26600000000000	03	2	4430
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6	7	0.47760000000000	05	2	4704
4	5	5 6 6 1 1 2 2 1 1	3 3 2 2 4		
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6	7	0.11400000000000	05	4	4480
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6	7	0.23800000000000	04	12	14032
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6	7	0.60000000000000	03	4	4480
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6	7	0.66000000000000	04	4	4480
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6	7	0.23440000000000	04	4	4480
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6	7	0.97000000000000	03	12	4704
1	2	2 1 1 2 2 3 3 4 4	5 5 6 6 1		
6	7	0.97000000000000	03	12	2688
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3	4	4 5 5 6 6 1 1 2 2	1 1 2 2 3		
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6	7	0.25872000000000	05	4	4480
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6	7	0.47760000000000	05	2	4480
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6	7	0.21648000000000	05	4	4480
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6	7	0.24000000000000	04	2	4480
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6	7	0.47760000000000	05	2	2688
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6	7	0.25872000000000	05	4	4704
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6	7	0.11784000000000	05	4	4704
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6	7	0.12744000000000	05	4	4480
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6	7	0.12744000000000	05	4	4704
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6	7	0.69924000000000	05	4	4480
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6	7	0.69924000000000	05	2	4032
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6	7	0.60000000000000	03	6	4480
1	2	2 3 3 4 4 1 1 5 5 3 3 6 6 1			
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4	5	5 2 2 6 6 1 1 2 2 3 3 1 1 4			

6	7	0.66000000000000	04	2	4480
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6	7	0.11400000000000	05	2	2688
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6	7	0.12744000000000	05	4	2688
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6	7	0.15786000000000	05	3	4480
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6	7	0.12920000000000	04	12	3360
1	2	2 1 3 4 4 3 5 6 6 5 5 6 6 5			
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6	7	-0.15260000000000	04	4	2688
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6	7	-0.15360000000000	04	2	4480
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6	7	-0.10416000000000	05	4	2688
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6	7	-0.41520000000000	04	12	3360
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6	7	-0.24400000000000	03	24	4704
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6	7	-0.24400000000000	03	24	2688
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6	7	-0.30978000000000	05	2	3360
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6	7	-0.14160000000000	04	15	3360
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3	4	4 3 3 4 4 5 5 6 6	3 1 2 2 1		
6	7	-0.14160000000000	04	8	2688
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7	7	0.76752000000000	05	4	13440
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5	8	0.16800000000000	03	10	5104
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5	8	0.12480000000000	04	2	1640
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5	8	0.24960000000000	04	4	1680
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5	8	0.69600000000000	03	4	2824
4	5	5 3 3 4 4 5 5 1 1 2 2	1 1 3 3 4		
5	8	0.69600000000000	03	4	1728
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5	8	0.24960000000000	04	4	864
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5	8	0.20400000000000	03	16	1440
3	1	1 2 2 3 3 1 1 4 4 5 5	1 1 2 2 3		
5	8	0.20400000000000	03	8	1368
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4	1	1 2 2 3 3 4 4 5 5 1 1	2 2 3 3 4		
5	8	0.38400000000000	03	4	1640
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5	8	0.64800000000000	03	2	864
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6	8	-0.1041600000000000	05	4	8064
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6	8	-0.1041600000000000	05	4	6912
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6	8	-0.1041600000000000	05	4	12672
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6	8	-0.3097800000000000	05	4	10080
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6	8	-0.1041600000000000	05	2	8208
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6	8	-0.41520000000000	04	8	6048
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6	8	0.69924000000000	05	4	8064
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6	8	0.76320000000000	04	4	12672
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6	8	0.15786000000000	05	3	12096
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6	8	0.20304000000000	05	2	12096
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6	8	0.19620000000000	05	6	12096
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6	8	0.20304000000000	05	2	12096
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6	8	0.76320000000000	04	4	3064
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6	8	0.66000000000000	04	4	8208
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6	8	0.36480000000000	04	4	8208
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6	8	0.71760000000000	04	4	8208
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6	8	0.24000000000000	04	4	8064
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6	8	0.65280000000000	04	2	8208
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6	8	0.71760000000000	04	4	8208
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6	8	0.69924000000000	05	4	6048
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6	8	0.25872000000000	05	4	14112
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6	8	0.71040000000000	04	2	13440
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6	8	0.11400000000000	05	4	14112
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6	8	0.12744000000000	05	4	14588
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7	8	0.86400000000000	04	8	30240												
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7	8	0.28663800000000	06	2	36288												
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7	8	0.22678000000000	06	6	42336												
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7	8	0.16392600000000	06	3	40320												
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7	8	0.22936800000000	06	2	42336												
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7	8	-0.34248000000000	05	2	40320
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7	8	-0.19032000000000	05	8	42336
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7	8	-0.27840000000000	04	8	40320
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7	8	0.86400000000000	04	8	30240
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TABLE A.6

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4	5	0.3600000000000000	02	4	14	14	12	0
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3	6	0.8000000000000000	01	6	4	1	2	2
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3	6	0.6600000000000000	02	2	4	4	4	4
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3	6	0.8000000000000000	01	12	8	7	4	6
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4	6	0.2400000000000000	03	2	44	36	16	14
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4	6	0.2400000000000000	03	2	22	14	14	14
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4	6	0.7020000000000000	03	4	22	22	18	16
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4	6	0.2400000000000000	03	4	32	28	16	24
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4	6	0.2400000000000000	03	4	16	12	16	8
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4	6	0.3300000000000000	02	8	34	34	26	16
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4	6	0.36000000000000	02	8																
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4	6	0.33000000000000	02	3												10	10	10	8	
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4	6	0.36000000000000	02	8												20	20	12	10	
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5	6	0.16800000000000	03	10												60	40	44	48	
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5	6	0.16800000000000	03	10												120	100	56	36	
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5	6	0.38400000000000	03	2												96	96	64	48	
2	6	6	1	1	4	4	3	3	2	2	1	1	5	5	2					
5	6	0.38400000000000	03	4												84	84	76	72	
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5	6	0.24960000000000	04	4												84	84	76	72	
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5	6	0.73500000000000	04	2												80	80	80	80	
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4	7	0.70200000000000	03	4												32	32	26	22	
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4	7	-0.6900000000000000	02	4	70	40	20	10
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4	7	0.3300000000000000	02	8	18	18	12	8
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4	7	0.3300000000000000	02	8	100	90	68	54
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4	7	0.3300000000000000	02	16	56	48	30	26
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4	7	0.7020000000000000	03	2	42	42	32	24
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4	7	0.3300000000000000	02	8	84	70	36	26
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4	7	0.3300000000000000	02	8	42	28	24	22
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4	7	0.3600000000000000	02	4	44	30	24	30
2	5	5	4 4 2 2 4 4 2 2	3 3 4 4 1 1 2				
4	7	0.3600000000000000	02	2	16	8	16	8
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4	7	0.2400000000000000	03	4	24	24	16	16
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4	7	0.2400000000000000	03	2	24	24	16	12
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4	7	0.2400000000000000	03	4	76	76	66	54
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4	7	0.3300000000000000	02	8	42	24	6	16
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4	7	0.3300000000000000	02	8	28	10	12	14
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4	7	0.3600000000000000	02	8	44	44	40	32
1	5	5	3 3 4 4 1 1 4 4	1 1 2 2 3 3 1				
4	7	0.3600000000000000	02	8	88	78	48	54
4	5	5	1 1 4 4 1 1 3 3	1 1 2 2 3 3 4				
4	7	0.3600000000000000	02	8	44	34	38	28
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4	7	0.2400000000000000	03	4	44	44	38	34
3	5	5	4 4 1 1 4 4 1 1	3 3 1 1 2 2 3				
4	7	0.3600000000000000	02	4	90	90	68	60
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4	7	0.2000000000000000	01	24	90	84	70	64
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4	7	0.3600000000000000	02	8	50	50	42	34
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4	7	0.2000000000000000	01	24	50	46	36	36
4	5	5	2 2 4 4 1 1 3 3	2 2 1 1 3 3 4				
4	7	0.2000000000000000	01	12	100	100	60	52
1	5	5	3 3 4 4 2 2 4 4	1 1 3 3 2 2 1				
4	7	0.3300000000000000	02	16	28	20	22	18
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4	7	-0.6900000000000000	02	4	42	12	2	0
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4	7	0.3600000000000000	02	2	48	40	8	32									
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4	7	0.3600000000000000	02	3	44	44	38	30									
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4	7	0.3600000000000000	02	8	48	48	30	30									
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4	7	0.3600000000000000	02	8	48	42	26	28									
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4	7	0.3600000000000000	02	8	24	18	20	14									
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4	7	0.2400000000000000	03	4	24	24	22	18									
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4	7	0.2200000000000000	03	6	40	28	28	24									
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4	7	0.2400000000000000	03	2	76	72	60	60									
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5	7	0.7350000000000000	04	4	204	204	192	184									
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5	7	0.6780000000000000	04	2	176	176	160	160									
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5	7	0.3840000000000000	03	4	238	226	194	190									
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5	7	0.6960000000000000	03	2	206	202	178	182									
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5	7	0.1680000000000000	03	10	238	238	198	142									
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5	7	0.3840000000000000	03	4	238	226	194	166									
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5	7	0.3600000000000000	02	24	204	204	192	184									
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5	7	0.3840000000000000	03	4	140	140	100	76									
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5	7	0.1680000000000000	03	10	70	70	70	62									
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5	7	0.3840000000000000	03	4	212	212	196	164									
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5	7	0.1920000000000000	03	4	212	204	180	172									
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5	7	0.3840000000000000	03	4	206	206	194	178									
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5	7	0.1920000000000000	03	2	206	202	182	162									
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5	7	0.1920000000000000	03	2	206	202	178	182									
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5	7	0.1920000000000000	03	2	228	228	168	128									
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5	7	0.3840000000000000	03	4	114	114	110	110									
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5	7	0.3600000000000000	02	12	136	136	104	72									
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5	7	-0.2640000000000000	03	6	84	84	64	48									
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5	7	0.6960000000000000	03	2	228	228	168	128									
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5	7	0.6480000000000000	03	2	192	192	144	144									
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5	7	0.2496000000000000	04	4	114	114	110	110									
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5	7	0.6960000000000000	03	2	206	202	182	162									
4	6	6	2	2	3	3	4	4	1	1	5	5	1	1	2	2	4
5	7	0.2496000000000000	04	4	206	206	194	178									
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5	7	0.6480000000000000	03	4	176	176	160	160									
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5	7	0.1248000000000000	04	4	224	200	136	144									
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5	7	0.1248000000000000	04	4	112	88	104	80									
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5	7	0.1248000000000000	04	4	280	240	160	104									
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5	7	0.1248000000000000	04	4	140	100	100	108									
1	6	6	2	2	1	1	4	4	5	5	4	4	3	3	2	2	1
5	7	0.7350000000000000	04	4	140	140	140	140									
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5	7	-0.2640000000000000	03	6	252	252	232	216									
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5	7	0.2040000000000000	03	8	308	260	152	104									
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5	7	0.2040000000000000	03	8	154	106	98	98									
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5	7	0.2496000000000000	04	4	154	154	134	118									
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5	7	0.2040000000000000	03	16	112	88	104	80									
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5	7	-0.2220000000000000	04	4	168	108	88	84									
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6	7	-0.1536000000000000	04	2	672	672	512	384									
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6	7	0.1292000000000000	04	6	840	480	240	120									
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6	7	-0.14160000000000	04	8	840	720	480	312
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6	7	-0.14160000000000	04	8	420	300	300	324
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6	7	-0.24400000000000	03	24	840	720	480	312
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6	7	-0.24400000000000	03	24	420	300	300	324
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6	7	-0.14160000000000	04	4	840	480	240	120
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6	7	0.76266000000000	05	2	560	560	560	560
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6	7	0.12744000000000	05	4	588	588	548	516
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6	7	0.25872000000000	05	4	560	560	560	560
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6	7	0.60000000000000	03	4	560	560	560	560
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3	8	0.8000000000000000	01	12	12	11	8	10	8
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3	8	0.6600000000000000	02	4	6	6	6	6	6
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3	8	0.8000000000000000	01	12	12	6	8	6	8
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3	8	0.8000000000000000	01	12	6	5	6	4	6
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3	8	0.8000000000000000	01	6	28	26	18	22	20
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3	8	0.8000000000000000	01	6	2	2	1	1	2
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4	8	0.2400000000000000	03	4	48	20	16	16	16
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4	8	0.2400000000000000	03	4	48	24	32	24	32
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4	8	0.2400000000000000	03	4	72	48	24	48	24
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4	8	0.2400000000000000	03	4	36	30	36	20	28
3	5	5	1 1 3 3 4 4 1 1	2 2 1 1 2 2	1 1 3				
4	8	0.2400000000000000	03	4	72	52	48	40	40
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4	8	0.2400000000000000	03	4	72	66	48	52	40
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4	8	0.2400000000000000	03	4	72	52	48	44	40
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4	8	0.2400000000000000	03	4	112	104	76	84	64
3	5	5	1 1 4 4 1 1 2 2	3 3 1 1 2 2	1 1 3				
4	8	0.2200000000000000	03	6	56	56	52	48	48
2	5	5	3 3 1 1 2 2 1 1	3 3 1 1 4 4	1 1 2				
4	8	0.2400000000000000	03	4	56	48	56	32	48
2	5	5	1 1 3 3 1 1 4 4	1 1 2 2 3 3	1 1 2				
4	8	0.7020000000000000	03	4	44	44	36	30	28
3	5	5	1 1 2 2 1 1 2 2	1 1 2 2 3 3	4 4 3				
4	8	0.2400000000000000	03	2	88	37	30	31	32
2	5	5	1 1 2 2 1 1 2 2	3 3 4 4 3 3	1 1 2				
4	8	0.2400000000000000	03	2	132	81	22	37	28
1	5	5	2 2 1 1 2 2 1 1	2 2 3 3 4 4	3 3 1				
4	8	0.2400000000000000	03	2	72	50	40	34	32
4	5	5	3 3 4 4 1 1 2 2	1 1 2 2 1 1	3 3 4				
4	8	0.7020000000000000	03	4	72	72	54	38	32
4	5	5	1 1 2 2 1 1 2 2	1 1 3 3 4 4	3 3 4				

4	8	0.24000000000000000000	03	2	144	122	70	48	40
3	5	5 4 4 3 3 4 4 1 1 2 2	1 1 2 2 1 1 2 2 1 1 3						
4	8	0.24000000000000000000	03	4	144	95	68	53	48
2	5	5 1 1 2 2 1 1 3 3 4 4	3 3 4 4 3 3 4 4 1 1 2						
4	8	0.24000000000000000000	03	4	136	120	80	78	64
3	5	5 1 1 2 2 4 4 2 2 3 3	1 1 2 2 1 1 2 2 1 1 3						
4	8	0.70200000000000000000	03	4	68	68	60	54	52
2	5	5 3 3 1 1 2 2 1 1 3 3	1 1 2 2 4 4 2						
4	8	0.24000000000000000000	03	4	68	57	67	35	52
2	5	5 1 1 3 3 1 1 2 2 4 4	2 2 3 3 1 1 2						
4	8	0.24000000000000000000	03	4	68	52	52	44	44
1	5	5 3 3 1 1 2 2 4 4 2 2	3 3 1 1 2 2 1						
4	8	0.24000000000000000000	03	4	136	125	78	93	72
1	5	5 2 2 1 1 3 3 1 1 2 2	4 4 2 2 3 3 1						
4	8	0.36000000000000000000	02	8	76	72	60	58	44
3	5	5 2 2 3 3 4 4 1 1 2 2	1 1 2 2 1 1 2 2 1 1 3						
4	8	0.36000000000000000000	02	8	76	72	60	52	52
2	5	5 3 3 4 4 1 1 2 2 1 1	2 2 1 1 3 3 2						
4	8	0.36000000000000000000	02	8	152	107	78	87	72
2	5	5 1 1 2 2 1 1 3 3 2 2	3 3 4 4 1 1 2						
4	8	0.33000000000000000000	02	16	76	76	60	46	52
1	5	5 3 3 2 2 3 3 4 4 1 1	2 2 1 1 2 2 1						
4	8	0.36000000000000000000	02	8	152	107	78	69	80
1	5	5 2 2 1 1 2 2 1 1 3 3	2 2 3 3 4 4 1						
4	8	0.36000000000000000000	02	8	116	112	94	82	84
3	5	5 2 2 4 4 1 1 2 2 1 1	3 3 1 1 2 2 3						
4	8	0.36000000000000000000	02	8	116	112	98	92	84
3	5	5 1 1 2 2 3 3 2 2 4 4	1 1 2 2 1 1 3						
4	8	0.36000000000000000000	02	4	116	99	108	67	84
2	5	5 1 1 3 3 1 1 2 2 3 3	2 2 4 4 1 1 2						
4	8	0.36000000000000000000	02	4	232	215	128	145	136
1	5	5 2 2 1 1 3 3 1 1 2 2	3 3 2 2 4 4 1						
4	8	0.36000000000000000000	02	8	152	140	112	96	96
4	5	5 3 3 4 4 1 1 2 2 1 1	3 3 1 1 2 2 4						
4	8	0.33000000000000000000	02	16	152	152	112	76	80
4	5	5 1 1 2 2 1 1 3 3 1 1	2 2 4 4 3 3 4						
4	8	0.36000000000000000000	02	8	152	140	114	104	96
3	5	5 4 4 1 1 2 2 1 1 3 3	1 1 2 2 4 4 3						
4	8	0.36000000000000000000	02	8	152	143	112	89	80
3	5	5 1 1 2 2 4 4 3 3 4 4	1 1 2 2 1 1 3						
4	8	0.24000000000000000000	03	4	152	152	126	104	96
2	5	5 4 4 3 3 4 4 1 1 2 2	1 1 3 3 1 1 2						
4	8	0.36000000000000000000	02	8	152	113	108	83	80
2	5	5 1 1 3 3 1 1 2 2 4 4	3 3 4 4 1 1 2						
4	8	0.36000000000000000000	02	8	152	143	114	97	80
1	5	5 3 3 1 1 2 2 4 4 3 3	4 4 1 1 2 2 1						
4	8	0.36000000000000000000	02	8	304	265	166	143	128
1	5	5 2 2 1 1 3 3 1 1 2 2	4 4 3 3 4 4 1						
4	8	0.33000000000000000000	02	16	28	28	28	22	20
3	5	5 1 1 2 2 3 3 4 4 1 1	2 2 1 1 2 2 3						

4	8	0.3600000000000000	02	8	56	56	40	34	32
2	5	5	3 3 1 1 2 2 3 3	4 4 1 1 2 2	1 1 2				
4	8	0.3600000000000000	02	8	28	15	22	17	12
2	5	5	1 1 2 2 3 3 1 1	2 2 3 3 4 4	1 1 2				
4	8	0.3600000000000000	02	8	84	71	22	39	44
1	5	5	2 2 1 1 2 2 3 3	1 1 2 2 3 3	4 4 1				
4	8	0.3600000000000000	02	8	64	64	46	44	40
3	5	5	1 1 4 4 2 2 3 3	1 1 2 2 1 1	2 2 3				
4	8	0.3600000000000000	02	4	32	27	30	17	24
2	5	5	1 1 2 2 3 3 1 1	4 4 2 2 3 3	1 1 2				
4	8	0.3600000000000000	02	4	64	59	40	41	48
1	5	5	2 2 1 1 2 2 3 3	1 1 4 4 2 2	3 3 1				
4	8	0.3600000000000000	02	8	88	88	58	48	40
4	5	5	1 1 2 2 3 3 4 4	1 1 2 2 1 1	3 3 4				
4	8	0.3600000000000000	02	8	88	88	58	44	40
3	5	5	4 4 1 1 2 2 3 3	4 4 1 1 2 2	1 1 3				
4	8	0.2400000000000000	03	4	44	44	36	30	28
2	5	5	3 3 4 4 1 1 2 2	1 1 3 3 4 4	1 1 2				
4	8	0.3600000000000000	02	8	44	33	32	29	20
2	5	5	1 1 3 3 4 4 1 1	2 2 3 3 4 4	1 1 2				
4	8	0.3300000000000000	02	16	44	44	38	26	28
1	5	5	3 3 4 4 1 1 2 2	3 3 4 4 1 1	2 2 1				
4	8	0.3600000000000000	02	8	88	77	48	43	48
1	5	5	2 2 1 1 3 3 4 4	1 1 2 2 3 3	4 4 1				
4	8	0.3600000000000000	02	8	24	24	18	14	16
3	5	5	1 1 2 2 3 3 1 1	2 2 4 4 1 1	2 2 3				
4	8	0.3600000000000000	02	4	36	36	14	18	28
1	5	5	2 2 3 3 1 1 2 2	3 3 1 1 2 2	4 4 1				
4	8	0.3600000000000000	02	4	244	244	202	174	172
4	5	5	2 2 3 3 4 4 1 1	2 2 1 1 3 3	1 1 4				
4	8	0.2000000000000000	01	48	244	233	190	161	148
4	5	5	1 1 2 2 1 1 3 3	1 1 4 4 2 2	3 3 4				
4	8	0.2000000000000000	01	48	136	136	86	80	80
4	5	5	1 1 3 3 2 2 4 4	1 1 2 2 1 1	3 3 4				
4	8	0.3600000000000000	02	4	68	68	62	50	52
3	5	5	4 4 1 1 3 3 2 2	4 4 1 1 2 2	1 1 3				
4	8	0.3600000000000000	02	3	68	68	56	50	44
3	5	5	2 2 4 4 1 1 2 2	1 1 3 3 4 4	1 1 3				
4	8	0.2000000000000000	01	48	68	65	56	45	44
2	5	5	1 1 3 3 4 4 1 1	3 3 2 2 4 4	1 1 2				
5	8	0.1920000000000000	03	4	536	528	480	460	440
3	6	6	1 1 4 4 2 2 3 3	5 5 1 1 2 2	1 1 3				
5	8	0.2040000000000000	03	8	536	536	492	432	440
2	6	6	3 3 5 5 1 1 2 2	1 1 3 3 1 1	4 4 2				
5	8	0.1920000000000000	03	4	536	528	476	432	408
2	6	6	1 1 3 3 1 1 4 4	2 2 3 3 5 5	1 1 2				
5	8	0.2400000000000000	02	6	256	216	240	168	256
2	6	6	1 1 2 2 3 3 1 1	4 4 2 2 5 5	1 1 2				
5	8	0.2400000000000000	02	6	512	472	320	408	384
1	6	6	2 2 1 1 2 2 3 3	1 1 4 4 2 2	5 5 1				

5	8	0.16800000000000	03	10	224	98	92	106	112										
2	6	6	1	1	2	2	1	1	2	2	3	3	4	4	5	5	1	1	2
5	8	0.16800000000000	03	10	336	210	84	98	128										
1	6	6	2	2	1	1	2	2	1	1	2	2	3	3	4	4	5	5	1
5	8	0.23280000000000	04	4	448	308	248	228	224										
2	6	6	1	1	2	2	1	1	3	3	4	4	3	3	5	5	1	1	2
5	8	0.73500000000000	04	4	224	224	224	224	224										
1	6	6	3	3	4	4	3	3	5	5	1	1	2	2	1	1	2	2	1
5	8	0.23280000000000	04	4	448	308	248	228	224										
1	6	6	2	2	1	1	2	2	1	1	3	3	4	4	3	3	5	5	1
5	8	0.24960000000000	04	4	256	256	220	188	176										
3	6	6	1	1	2	2	1	1	2	2	1	1	3	3	4	4	5	5	3
5	8	0.24960000000000	04	4	512	344	260	220	208										
2	6	6	1	1	2	2	1	1	3	3	4	4	5	5	3	3	1	1	2
5	8	0.23280000000000	04	2	256	216	240	168	256										
2	6	6	1	1	3	3	1	1	2	2	4	4	2	2	5	5	1	1	2
5	8	0.23280000000000	04	2	512	472	320	408	384										
1	6	6	2	2	1	1	3	3	1	1	2	2	4	4	2	2	5	5	1
5	8	0.24960000000000	04	4	352	254	204	222	240										
2	6	6	1	1	3	3	1	1	2	2	4	4	5	5	2	2	1	1	2
5	8	0.16800000000000	03	20	448	392	276	220	208										
3	6	6	1	1	2	2	4	4	5	5	3	3	1	1	2	2	1	1	3
5	8	0.16800000000000	03	20	224	168	172	156	144										
2	6	6	1	1	3	3	1	1	2	2	4	4	5	5	3	3	1	1	2
5	8	0.73500000000000	04	4	312	312	296	284	280										
4	6	6	1	1	2	2	1	1	3	3	1	1	2	2	4	4	5	5	4
5	8	0.67800000000000	04	4	312	312	296	284	280										
2	6	6	4	4	5	5	4	4	1	1	2	2	1	1	3	3	1	1	2
5	8	0.23280000000000	04	4	312	250	268	230	216										
2	6	6	1	1	3	3	1	1	2	2	4	4	5	5	4	4	1	1	2
5	8	0.23280000000000	04	4	624	562	404	402	368										
1	6	6	2	2	1	1	3	3	1	1	2	2	4	4	5	5	4	4	1
5	8	0.10800000000000	04	2	368	268	240	236	240										
5	6	6	4	4	5	5	1	1	2	2	1	1	3	3	1	1	4	4	5
5	8	0.67800000000000	04	2	368	368	320	304	304										
5	6	6	1	1	2	2	1	1	3	3	1	1	4	4	5	5	4	4	5
5	8	0.10800000000000	04	2	736	636	416	316	224										
4	6	6	5	5	4	4	5	5	1	1	2	2	1	1	3	3	1	1	4
5	8	0.24960000000000	04	4	320	320	292	276	272										
4	6	6	1	1	2	2	1	1	2	2	3	3	1	1	4	4	5	5	4
5	8	0.24960000000000	04	4	320	256	276	244	240										
2	6	6	1	1	2	2	3	3	1	1	4	4	5	5	4	4	1	1	2
5	8	0.24960000000000	04	4	320	320	292	276	272										
1	6	6	4	4	5	5	4	4	1	1	2	2	1	1	2	2	3	3	1
5	8	0.24960000000000	04	4	640	576	428	388	368										
1	6	6	2	2	1	1	2	2	3	3	1	1	4	4	5	5	4	4	1
5	8	0.16800000000000	03	20	280	210	200	210	216										
4	6	6	3	3	4	4	5	5	1	1	2	2	1	1	2	2	3	3	4
5	8	0.16800000000000	03	20	560	490	360	250	208										
3	6	6	4	4	3	3	4	4	5	5	1	1	2	2	1	1	2	2	3

5	8	0.73500000000000	04	2	280	280	280	280	280
2	6	6	3 3 4 4 3 3 4 4	5 5 1 1 2 2	1 1 2				
5	8	0.24960000000000	04	4	424	424	408	396	392
4	6	6	3 3 1 1 2 2 1 1	2 2 3 3 4 4	5 5 4				
5	8	0.73500000000000	04	4	424	424	388	356	344
3	6	6	1 1 2 2 1 1 2 2	3 3 4 4 5 5	4 4 3				
5	8	0.24960000000000	04	2	424	310	280	278	280
2	6	6	1 1 2 2 3 3 4 4	5 5 4 4 3 3	1 1 2				
5	8	0.24960000000000	04	2	848	734	500	346	288
1	6	6	2 2 1 1 2 2 3 3	4 4 5 5 4 4	3 3 1				
5	8	0.38400000000000	03	2	352	254	204	222	240
2	6	6	1 1 2 2 1 1 3 3	2 2 4 4 5 5	1 1 2				
5	8	0.38400000000000	03	2	352	254	204	222	240
1	6	6	2 2 1 1 2 2 1 1	3 3 2 2 4 4	5 5 1				
5	8	0.38400000000000	03	4	352	352	328	280	256
3	6	6	1 1 2 2 3 3 4 4	5 5 1 1 2 2	1 1 3				
5	8	0.12480000000000	04	4	352	352	316	284	272
2	6	6	3 3 4 4 5 5 1 1	2 2 1 1 3 3	1 1 2				
5	8	0.38400000000000	03	4	352	282	296	254	224
2	6	6	1 1 3 3 1 1 2 2	3 3 4 4 5 5	1 1 2				
5	8	0.38400000000000	03	4	352	352	316	264	240
1	6	6	3 3 1 1 2 2 3 3	4 4 5 5 1 1	2 2 1				
5	8	0.38400000000000	03	4	704	634	444	414	432
1	6	6	2 2 1 1 3 3 1 1	2 2 3 3 4 4	5 5 1				
5	8	0.38400000000000	03	4	320	320	292	276	272
3	6	6	1 1 2 2 4 4 3 3	5 5 1 1 2 2	1 1 3				
5	8	0.38400000000000	03	4	320	256	276	244	240
2	6	6	1 1 3 3 1 1 2 2	4 4 3 3 5 5	1 1 2				
5	8	0.38400000000000	03	4	320	320	292	276	272
1	6	6	3 3 1 1 2 2 4 4	3 3 5 5 1 1	2 2 1				
5	8	0.38400000000000	03	4	640	576	428	388	368
1	6	6	2 2 1 1 3 3 1 1	2 2 4 4 3 3	5 5 1				
5	8	0.64800000000000	03	4	544	524	464	468	448
4	6	6	2 2 4 4 5 5 1 1	2 2 1 1 3 3	1 1 4				
5	8	0.64800000000000	03	4	544	524	472	428	416
2	6	6	4 4 5 5 1 1 2 2	1 1 3 3 1 1	4 4 2				
5	8	0.64800000000000	03	4	544	532	472	476	416
2	6	6	1 1 3 3 1 1 4 4	2 2 4 4 5 5	1 1 2				
5	8	0.12480000000000	04	4	544	544	488	416	416
1	6	6	4 4 2 2 4 4 5 5	1 1 2 2 1 1	3 3 1				
5	8	0.64800000000000	03	4	544	532	480	436	448
1	6	6	2 2 1 1 3 3 1 1	4 4 2 2 4 4	5 5 1				
5	8	0.12480000000000	04	2	536	536	492	432	440
4	6	6	2 2 5 5 4 4 1 1	2 2 1 1 3 3	1 1 4				
5	8	0.69600000000000	03	4	536	528	476	432	408
4	6	6	1 1 2 2 1 1 3 3	1 1 4 4 2 2	5 5 4				
5	8	0.69600000000000	03	4	536	528	480	460	440
2	6	6	1 1 3 3 1 1 4 4	2 2 5 5 4 4	1 1 2				
5	8	0.38400000000000	03	2	128	72	112	88	64
2	6	6	1 1 2 2 3 3 1 1	2 2 4 4 5 5	1 1 2				



5	8	0.36000000000000	02	24	312	312	296	284	280										
3	6	6	1	1	4	4	3	3	5	5	1	1	2	2	1	1	2	2	3
5	8	0.64800000000000	03	4	312	312	296	284	280										
2	6	6	3	3	1	1	4	4	3	3	5	5	1	1	2	2	1	1	2
5	8	0.24000000000000	02	24	312	250	268	230	216										
2	6	6	1	1	2	2	3	3	1	1	4	4	3	3	5	5	1	1	2
5	8	0.24000000000000	02	24	624	562	404	402	368										
1	6	6	2	2	1	1	2	2	3	3	1	1	4	4	3	3	5	5	1
5	8	0.64800000000000	03	2	320	320	304	272	256										
2	6	6	3	3	5	5	1	1	2	2	1	1	3	3	4	4	1	1	2
5	8	0.24000000000000	02	12	320	256	272	256	192										
2	6	6	1	1	3	3	4	4	1	1	2	2	3	3	5	5	1	1	2
5	8	0.36000000000000	02	12	320	320	304	272	256										
1	6	6	3	3	4	4	1	1	2	2	3	3	5	5	1	1	2	2	1
5	8	0.24000000000000	02	12	640	576	416	368	448										
1	6	6	2	2	1	1	3	3	4	4	1	1	2	2	3	3	5	5	1
5	8	0.20400000000000	03	16	288	288	272	256	224										
3	6	6	2	2	5	5	1	1	2	2	1	1	3	3	4	4	1	1	3
5	8	0.19200000000000	03	4	288	284	256	244	256										
2	6	6	1	1	3	3	4	4	1	1	3	3	2	2	5	5	1	1	2
5	8	0.19200000000000	03	4	576	576	432	384	416										
1	6	6	3	3	4	4	1	1	3	3	2	2	5	5	1	1	2	2	1
5	8	0.19200000000000	03	4	288	284	256	228	224										
1	6	6	2	2	1	1	3	3	4	4	1	1	3	3	2	2	5	5	1
5	8	0.48000000000000	02	8	616	600	544	532	536										
4	6	6	3	3	4	4	5	5	1	1	2	2	1	1	3	3	2	2	4
5	8	0.48000000000000	02	8	616	600	552	508	488										
3	6	6	4	4	5	5	1	1	2	2	1	1	3	3	2	2	4	4	3
5	8	0.36000000000000	02	12	616	616	568	496	520										
3	6	6	2	2	4	4	3	3	4	4	5	5	1	1	2	2	1	1	3
5	8	0.38400000000000	03	4	616	616	576	520	488										
2	6	6	4	4	3	3	4	4	5	5	1	1	2	2	1	1	3	3	2
5	8	0.38400000000000	03	4	352	352	340	332	320										
4	6	6	2	2	3	3	4	4	5	5	1	1	2	2	1	1	3	3	4
5	8	0.48000000000000	02	8	704	704	556	424	384										
3	6	6	4	4	2	2	3	3	4	4	5	5	1	1	2	2	1	1	3
5	8	0.36000000000000	02	24	352	352	320	276	272										
2	6	6	3	3	4	4	5	5	1	1	2	2	1	1	3	3	4	4	2
5	8	0.48000000000000	02	8	352	338	300	290	288										
2	6	6	1	1	3	3	4	4	2	2	3	3	4	4	5	5	1	1	2
5	8	0.38400000000000	03	4	352	352	324	276	256										
1	6	6	3	3	4	4	2	2	3	3	4	4	5	5	1	1	2	2	1
5	8	0.48000000000000	02	8	352	338	304	282	272										
1	6	6	2	2	1	1	3	3	4	4	2	2	3	3	4	4	5	5	1
5	8	0.10800000000000	04	8	320	236	224	204	192										
2	6	6	1	1	2	2	1	1	3	3	1	1	4	4	5	5	1	1	2
5	8	0.10800000000000	04	4	240	204	240	156	240										
2	6	6	1	1	3	3	1	1	4	4	1	1	2	2	5	5	1	1	2
5	8	0.10800000000000	04	4	480	444	336	396	288										
1	6	6	2	2	1	1	3	3	1	1	4	4	1	1	2	2	5	5	1

5	8	0.3840000000000000	03	2	384	328	128	184	256
1	6	6	2 2 1 1 2 2 3 3	1 1 2 2 4 4 5 5	1				
5	8	0.3840000000000000	03	4	384	384	276	240	240
3	6	6	1 1 4 4 5 5 3 3	1 1 2 2 1 1 2 2 3					
5	8	0.1248000000000000	04	4	192	192	180	156	144
2	6	6	3 3 1 1 4 4 5 5	3 3 1 1 2 2 1 1 2					
5	8	0.3840000000000000	03	4	192	150	156	130	112
2	6	6	1 1 2 2 3 3 1 1	4 4 5 5 3 3 1 1 2					
5	8	0.3840000000000000	03	4	384	342	240	218	224
1	6	6	2 2 1 1 2 2 3 3	1 1 4 4 5 5 3 3 1					
5	8	0.3840000000000000	03	4	352	352	288	240	224
4	6	6	1 1 2 2 5 5 4 4	1 1 2 2 1 1 3 3 4					
5	8	0.3840000000000000	03	4	176	140	152	140	112
2	6	6	1 1 3 3 4 4 1 1	2 2 5 5 4 4 1 1 2					
5	8	0.3840000000000000	03	4	352	316	232	204	224
1	6	6	2 2 1 1 3 3 4 4	1 1 2 2 5 5 4 4 1					
5	8	0.2040000000000000	03	8	608	580	504	480	480
5	6	6	2 2 5 5 1 1 2 2	1 1 3 3 4 4 1 1 5					
5	8	0.2040000000000000	03	16	608	608	548	468	432
5	6	6	1 1 2 2 1 1 3 3	4 4 1 1 5 5 2 2 5					
5	8	0.1248000000000000	04	4	160	160	152	144	160
4	6	6	1 1 3 3 4 4 5 5	1 1 2 2 1 1 3 3 4					
5	8	0.6480000000000000	03	4	320	320	248	200	160
3	6	6	4 4 1 1 3 3 4 4	5 5 1 1 2 2 1 1 3					
5	8	-0.2640000000000000	03	6	224	98	92	106	112
4	6	6	3 3 4 4 3 3 4 4	5 5 3 1 2 2 1 3 4					
5	8	-0.2640000000000000	03	6	336	210	84	98	128
3	6	6	4 4 3 3 4 4 3 3	4 4 5 5 3 1 2 2 1					
5	8	-0.2640000000000000	03	12	448	406	304	282	288
5	6	6	3 3 4 4 5 5 3 1	2 2 1 3 4 4 3 3 5					
5	8	-0.2220000000000000	04	2	224	224	224	224	224
4	6	6	5 5 3 1 2 2 1 3	4 4 3 3 5 5 3 3 4					
5	8	-0.2640000000000000	03	12	224	182	200	178	160
4	6	6	3 3 5 5 3 3 4 4	5 5 3 1 2 2 1 3 4					
5	8	-0.2640000000000000	03	4	336	126	36	6	0
5	6	6	4 4 5 5 4 4 5 5	4 1 2 2 3 3 1 4 5					
5	8	-0.2640000000000000	03	6	280	210	200	210	216
4	6	6	3 3 4 4 5 5 3 1	2 2 1 1 2 2 1 3 4					
5	8	-0.2640000000000000	03	6	560	490	360	250	208
3	6	6	4 4 3 3 4 4 5 5	3 1 2 2 1 1 2 2 1					
5	8	-0.2640000000000000	03	12	560	350	200	110	80
2	6	6	1 1 2 2 1 3 4 4	3 3 4 4 5 5 3 1 2					
5	8	0.4800000000000000	02	4	616	616	592	540	504
4	6	6	3 3 5 5 4 4 1 1	2 2 1 1 3 3 2 2 4					
5	8	0.1920000000000000	03	4	616	616	560	492	472
4	6	6	1 1 2 2 1 1 3 3	2 2 4 4 3 3 5 5 4					
5	8	0.1920000000000000	03	4	616	616	552	524	504
3	6	6	2 2 4 4 3 3 5 5	4 4 1 1 2 2 1 1 3					
5	8	0.2400000000000000	02	8	616	590	516	478	472
2	6	6	1 1 3 3 2 2 4 4	3 3 5 5 4 4 1 1 2					

5	8	0.19200000000000	03	4	624	624	580	512	480
4	6	6	2 2 3 3 5 5 4 4	1 1 2 2 1 1 3 3 4					
5	8	0.48000000000000	02	2	624	624	568	592	592
3	6	6	4 4 2 2 3 3 5 5	4 4 1 1 2 2 1 1 3					
5	8	0.24000000000000	02	4	624	588	508	476	480
2	6	6	1 1 3 3 4 4 2 2	3 3 5 5 4 4 1 1 2					
5	8	0.48000000000000	02	4	336	336	316	284	272
4	6	6	3 3 5 5 4 4 1 1	2 2 3 3 1 1 2 2 4					
5	8	0.19200000000000	03	4	336	336	316	288	272
4	6	6	1 1 2 2 3 3 1 1	2 2 4 4 3 3 5 5 4					
5	8	0.19200000000000	03	4	336	336	312	296	288
3	6	6	1 1 2 2 4 4 3 3	5 5 4 4 1 1 2 2 3					
5	8	0.24000000000000	02	4	672	672	508	400	368
1	6	6	2 2 3 3 1 1 2 2	4 4 3 3 5 5 4 4 1					
5	8	0.64800000000000	03	4	320	320	248	232	224
1	6	6	3 3 4 4 1 1 3 3	4 4 5 5 1 1 2 2 1					
5	8	0.69600000000000	03	4	304	304	236	220	208
4	6	6	1 1 3 3 5 5 4 4	1 1 2 2 1 1 3 3 4					
5	8	0.12480000000000	04	2	152	152	148	136	152
3	6	6	4 4 1 1 3 3 5 5	4 4 1 1 2 2 1 1 3					
5	8	0.38400000000000	03	2	432	418	376	326	304
4	6	6	3 3 5 5 4 4 1 1	2 2 1 1 2 2 3 3 4					
5	8	0.24960000000000	04	4	432	432	396	344	320
4	6	6	1 1 2 2 1 1 2 2	3 3 4 4 3 3 5 5 4					
5	8	0.38400000000000	03	2	432	418	364	370	384
3	6	6	4 4 3 3 5 5 4 4	1 1 2 2 1 1 2 2 3					
5	8	0.38400000000000	03	2	432	314	280	274	272
2	6	6	1 1 2 2 3 3 4 4	3 3 5 5 4 4 1 1 2					
5	8	0.38400000000000	03	2	864	746	508	330	304
1	6	6	2 2 1 1 2 2 3 3	4 4 3 3 5 5 4 4 1					
5	8	0.24960000000000	04	4	232	232	220	216	216
4	6	6	1 1 2 2 1 1 2 2	3 3 4 4 5 5 3 3 4					
5	8	0.38400000000000	03	2	464	464	364	284	256
3	6	6	4 4 5 5 3 3 4 4	1 1 2 2 1 1 2 2 3					
5	8	0.38400000000000	03	2	232	172	160	164	168
2	6	6	1 1 2 2 3 3 4 4	5 5 3 3 4 4 1 1 2					
5	8	0.38400000000000	03	2	464	404	284	204	160
1	6	6	2 2 1 1 2 2 3 3	4 4 5 5 3 3 4 4 1					
5	8	0.24960000000000	04	4	640	640	636	628	624
4	6	6	1 1 2 2 1 1 3 3	2 2 3 3 4 4 5 5 4					
5	8	0.69600000000000	03	4	640	614	548	522	512
3	6	6	2 2 3 3 4 4 5 5	4 4 1 1 2 2 1 1 3					
5	8	0.69600000000000	03	4	640	614	548	486	464
2	6	6	3 3 4 4 5 5 4 4	1 1 2 2 1 1 3 3 2					
5	8	0.12480000000000	04	2	640	640	564	448	432
1	6	6	3 3 2 2 3 3 4 4	5 5 4 4 1 1 2 2 1					
5	8	0.38400000000000	03	4	624	606	552	494	464
4	6	6	3 3 5 5 1 1 2 2	1 1 3 3 4 4 2 2 4					
5	8	0.38400000000000	03	2	624	612	564	516	480
4	6	6	2 2 4 4 3 3 5 5	1 1 2 2 1 1 3 3 4					

5	8	0.3840000000000000	03	4	624	606	548	526	544										
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5	8	0.3840000000000000	03	2	624	612	568	532	528										
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5	8	0.1680000000000000	03	10	624	624	580	500	448										
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5	8	0.1248000000000000	04	2	192	192	188	168	160										
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5	8	0.2496000000000000	04	4	192	192	188	180	176										
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5	8	0.6960000000000000	03	4	384	384	304	236	208										
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5	8	0.2040000000000000	03	16	192	192	144	128	128										
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5	8	0.2040000000000000	03	8	192	192	144	108	96										
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5	8	0.1680000000000000	03	10	112	112	108	108	112										
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5	8	0.3840000000000000	03	4	224	224	180	136	112										
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5	8	0.3840000000000000	03	2	224	224	180	128	112										
2	6	6	3	3	4	4	1	1	2	2	3	3	4	4	5	5	1	1	2
5	8	0.2400000000000000	02	2	288	288	144	144	288										
1	6	6	2	2	3	3	1	1	2	2	4	4	1	1	2	2	5	5	1
5	8	0.1920000000000000	03	4	304	304	236	220	208										
3	6	6	1	1	2	2	4	4	1	1	5	5	3	3	1	1	2	2	3
5	8	0.2040000000000000	03	8	152	152	148	136	152										
2	6	6	3	3	1	1	2	2	4	4	1	1	5	5	3	3	1	1	2
6	8	0.7632000000000000	04	4	1344	924	744	684	672										
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6	8	0.7632000000000000	04	4	896	728	800	712	640										
2	7	7	1	1	3	3	1	1	2	2	4	4	5	5	6	6	1	1	2
6	8	0.7632000000000000	04	4	1792	1624	1216	1128	1152										
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6	8	0.6992400000000000	05	2	1344	1344	1344	1344	1344										
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6	8	0.1178400000000000	05	4	1408	1408	1312	1280	1280										
4	7	7	1	1	2	2	1	1	3	3	1	1	4	4	5	5	6	6	4
6	8	0.2164800000000000	05	4	1408	1408	1312	1280	1280										
5	7	7	1	1	2	2	1	1	3	3	4	4	1	1	5	5	6	6	5
6	8	0.7626600000000000	05	4	1120	1120	1120	1120	1120										
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6	8	0.7632000000000000	04	4	1120	840	800	840	864										
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6	8	0.7632000000000000	04	4	2240	1960	1440	1000	832										
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6	8	0.7632000000000000	04	2	1120	840	800	840	864										
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6	8	0.7632000000000000	04	2	2240	1960	1440	1000	832										
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6	8	0.68508000000000	05	2	1504	1504	1496	1480	1472
5	7	7 1 1 2 2 1 1 3 3	4 4 3 3 5 5 6 6 5						
6	8	0.47760000000000	05	2	1568	1568	1488	1408	1376
4	7	7 3 3 6 6 1 1 2 2	1 1 3 3 4 4 5 5 4						
6	8	0.47760000000000	05	2	1568	1568	1488	1408	1376
3	7	7 4 4 5 5 4 4 3 3	6 6 1 1 2 2 1 1 3						
6	8	0.76266000000000	05	4	1568	1568	1568	1568	1568
1	7	7 3 3 4 4 5 5 4 4	3 3 6 6 1 1 2 2 1						
6	8	0.25872000000000	05	4	1632	1632	1560	1496	1472
4	7	7 3 3 1 1 2 2 1 1	3 3 4 4 5 5 6 6 4						
6	8	0.25872000000000	05	4	1632	1632	1560	1496	1472
3	7	7 1 1 2 2 1 1 3 3	4 4 5 5 6 6 4 4 3						
6	8	0.10560000000000	04	2	1504	1504	1496	1480	1472
3	7	7 1 1 4 4 2 2 5 5	3 3 6 6 1 1 2 2 3						
6	8	0.10560000000000	04	4	1536	1536	1504	1440	1408
4	7	7 2 2 5 5 4 4 6 6	1 1 2 2 3 3 1 1 4						
6	8	0.10560000000000	04	2	1536	1536	1504	1440	1408
1	7	7 2 2 3 3 1 1 4 4	2 2 5 5 4 4 6 6 1						
6	8	0.10560000000000	04	2	1504	1504	1496	1480	1472
3	7	7 1 1 4 4 3 3 5 5	2 2 6 6 1 1 2 2 3						
6	8	0.65280000000000	04	2	1408	1408	1312	1280	1280
2	7	7 1 1 3 3 1 1 4 4	2 2 5 5 6 6 1 1 2						
6	8	0.65280000000000	04	2	1408	1408	1312	1280	1280
1	7	7 2 2 1 1 3 3 1 1	4 4 2 2 5 5 6 6 1						
6	8	0.20400000000000	04	8	896	728	800	712	640
2	7	7 1 1 2 2 3 3 1 1	4 4 5 5 6 6 1 1 2						
6	8	0.20400000000000	04	8	1792	1624	1216	1128	1152
1	7	7 2 2 1 1 2 2 3 3	1 1 4 4 5 5 6 6 1						
6	8	0.20400000000000	04	8	896	728	800	712	640
2	7	7 1 1 3 3 4 4 1 1	2 2 5 5 6 6 1 1 2						
6	8	0.20400000000000	04	8	1792	1624	1216	1128	1152
1	7	7 2 2 1 1 3 3 4 4	1 1 2 2 5 5 6 6 1						
6	8	0.65280000000000	04	2	1536	1536	1248	1152	1152
1	7	7 3 3 4 4 1 1 3 3	5 5 6 6 1 1 2 2 1						
6	8	0.25872000000000	05	4	1120	1120	1120	1120	1120
2	7	7 3 3 4 4 5 5 3 3	6 6 1 1 2 2 1 1 2						
6	8	0.20400000000000	04	8	1120	840	800	840	864
2	7	7 1 1 2 2 3 3 4 4	5 5 3 3 6 6 1 1 2						
6	8	0.20400000000000	04	8	2240	1960	1440	1000	832
1	7	7 2 2 1 1 2 2 3 3	4 4 5 5 3 3 6 6 1						
6	8	0.12744000000000	05	4	1232	1232	1112	992	944
3	7	7 1 1 2 2 1 1 2 2	3 3 4 4 5 5 6 6 3						
6	8	0.20400000000000	04	4	1232	896	800	784	784
2	7	7 1 1 2 2 3 3 4 4	5 5 6 6 3 3 1 1 2						
6	8	0.20400000000000	04	4	2464	2128	1432	976	832
1	7	7 2 2 1 1 2 2 3 3	4 4 5 5 6 6 3 3 1						
6	8	0.24000000000000	04	4	1904	1820	1616	1532	1520
3	7	7 2 2 3 3 4 4 5 5	6 6 1 1 2 2 1 1 3						
6	8	0.24000000000000	04	4	1904	1820	1616	1412	1328
2	7	7 3 3 4 4 5 5 6 6	1 1 2 2 1 1 3 3 2						

6	8	0.9700000000000000	03	12	1904	1904	1664	1304	1136										
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6	8	0.2587200000000000	05	4	1568	1568	1568	1568	1568										
2	7	7	4	4	5	5	4	4	6	6	1	1	2	2	1	1	3	3	2
6	8	0.7104000000000000	04	2	1568	1568	1488	1408	1376										
2	7	7	1	1	3	3	2	2	4	4	5	5	4	4	6	6	1	1	2
6	8	0.7104000000000000	04	2	1568	1568	1488	1408	1376										
1	7	7	2	2	1	1	3	3	2	2	4	4	5	5	4	4	6	6	1
6	8	0.6000000000000000	03	8	1632	1632	1560	1496	1472										
3	7	7	1	1	2	2	1	1	3	3	4	4	2	2	5	5	6	6	3
6	8	0.6000000000000000	03	8	1632	1632	1560	1496	1472										
2	7	7	1	1	3	3	4	4	2	2	5	5	6	6	3	3	1	1	2
6	8	0.1274400000000000	05	4	1648	1648	1576	1472	1424										
5	7	7	1	1	2	2	1	1	3	3	4	4	2	2	5	5	6	6	5
6	8	0.3648000000000000	04	2	1648	1620	1496	1356	1296										
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6	8	0.3648000000000000	04	2	1648	1620	1472	1444	1456										
1	7	7	2	2	1	1	3	3	4	4	2	2	5	5	6	6	5	5	1
6	8	0.7104000000000000	04	2	1792	1792	1472	1152	1024										
3	7	7	4	4	5	5	3	3	4	4	6	6	1	1	2	2	1	1	3
6	8	0.2587200000000000	05	4	896	896	896	896	896										
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6	8	0.1274400000000000	05	4	912	912	888	880	880										
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6	8	0.3648000000000000	04	2	1824	1824	1464	1144	1024										
3	7	7	4	4	5	5	6	6	3	3	4	4	1	1	2	2	1	1	3
6	8	0.9700000000000000	03	12	560	560	560	520	496										
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6	8	0.2400000000000000	04	4	1120	1120	880	680	608										
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6	8	0.6000000000000000	03	8	1088	1088	896	672	576										
2	7	7	3	3	4	4	1	1	2	2	3	3	5	5	6	6	1	1	2
6	8	0.1032000000000000	04	8	1408	1408	1312	1280	1280										
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6	8	0.6000000000000000	03	6	1344	1344	1344	1344	1344										
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6	8	0.9660000000000000	03	8	1648	1648	1576	1472	1424										
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6	8	0.2016000000000000	04	2	1648	1620	1472	1444	1456										
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6	8	0.2400000000000000	04	4	1648	1648	1576	1472	1424										
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6	8	0.2016000000000000	04	2	1648	1620	1496	1356	1296										
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6	8	0.2196000000000000	04	16	1648	1648	1576	1472	1424										
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6	8	0.1176000000000000	04	4	1648	1620	1496	1356	1296										
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6	8	0.1176000000000000	04	4	1648	1620	1472	1444	1456										
1	7	7	2	2	1	1	3	3	2	2	4	4	5	5	6	6	4	4	1

6	8	0.9660000000000000	03	8	1696	1696	1600	1408	1312
2	7	7	3 3 5 5 6 6 1 1 2 2 1 1 3 3 4 4 2						
6	8	0.2016000000000000	04	2	1696	1640	1488	1400	1376
2	7	7	1 1 3 3 4 4 2 2 3 3 5 5 6 6 1 1 2						
6	8	0.2400000000000000	04	4	1696	1696	1600	1408	1312
1	7	7	3 3 4 4 2 2 3 3 5 5 6 6 1 1 2 2 1						
6	8	0.2016000000000000	04	2	1696	1640	1488	1400	1376
1	7	7	2 2 1 1 3 3 4 4 2 2 3 3 5 5 6 6 1						
6	8	0.5280000000000000	03	4	1568	1568	1488	1408	1376
2	7	7	1 1 3 3 4 4 2 2 5 5 3 3 6 6 1 1 2						
6	8	0.6000000000000000	03	8	1568	1568	1568	1568	1568
1	7	7	3 3 4 4 2 2 5 5 3 3 6 6 1 1 2 2 1						
6	8	0.5280000000000000	03	4	1568	1568	1488	1408	1376
1	7	7	2 2 1 1 3 3 4 4 2 2 5 5 3 3 6 6 1						
6	8	0.6600000000000000	04	4	1504	1504	1496	1480	1472
4	7	7	1 1 2 2 1 1 3 3 4 4 5 5 3 3 6 6 4						
6	8	0.9840000000000000	03	4	1504	1504	1496	1480	1472
3	7	7	4 4 5 5 3 3 6 6 4 4 1 1 2 2 1 1 3						
6	8	0.9840000000000000	03	2	1536	1536	1504	1440	1408
5	7	7	3 3 6 6 5 5 1 1 2 2 1 1 3 3 4 4 5						
6	8	0.6600000000000000	04	2	1536	1536	1504	1440	1408
5	7	7	1 1 2 2 1 1 3 3 4 4 5 5 3 3 6 6 5						
6	8	0.1032000000000000	04	4	1536	1536	1248	1152	1152
1	7	7	2 2 3 3 1 1 2 2 4 4 1 1 5 5 6 6 1						
6	8	0.2400000000000000	04	4	912	912	888	880	880
3	7	7	1 1 2 2 4 4 3 3 5 5 6 6 1 1 2 2 3						
6	8	0.9660000000000000	03	8	912	912	888	880	880
2	7	7	3 3 1 1 2 2 4 4 3 3 5 5 6 6 1 1 2						
6	8	0.2016000000000000	04	2	1824	1824	1464	1144	1024
1	7	7	2 2 3 3 1 1 2 2 4 4 3 3 5 5 6 6 1						
6	8	0.2196000000000000	04	16	912	912	888	880	880
4	7	7	1 1 2 2 3 3 1 1 2 2 4 4 5 5 6 6 4						
6	8	0.1176000000000000	04	4	1824	1824	1464	1144	1024
1	7	7	2 2 3 3 1 1 2 2 4 4 5 5 6 6 4 4 1						
6	8	0.6000000000000000	03	4	896	896	896	896	896
2	7	7	3 3 4 4 1 1 2 2 5 5 3 3 6 6 1 1 2						
6	8	0.5280000000000000	03	2	1792	1792	1472	1152	1024
1	7	7	2 2 3 3 4 4 1 1 2 2 5 5 3 3 6 6 1						
6	8	-0.1041600000000000	05	4	1344	924	744	684	672
4	7	7	3 3 4 4 3 3 5 5 6 6 3 1 2 2 1 3 4						
6	8	-0.1041600000000000	05	4	896	728	800	712	640
4	7	7	3 3 5 5 3 3 4 4 6 6 3 1 2 2 1 3 4						
6	8	-0.1041600000000000	05	4	1792	1624	1216	1128	1152
3	7	7	4 4 3 3 5 5 3 3 4 4 6 6 3 1 2 2 1						
6	8	-0.3097800000000000	05	4	1232	1232	1112	992	944
5	7	7	3 1 2 2 1 3 4 4 3 3 4 4 5 5 6 6 5						
6	8	-0.1041600000000000	05	2	1232	896	800	784	784
4	7	7	3 3 4 4 5 5 6 6 5 5 3 1 2 2 1 3 4						
6	8	-0.1041600000000000	05	2	2464	2128	1432	976	832
3	7	7	4 4 3 3 4 4 5 5 6 6 5 5 3 1 2 2 1						

6	8	-0.41520000000000	04	8	1344	924	744	684	672
5	7	7 4 4 5 5 4 4 6 6	4 1 2 2 3 3	1 4 5					
6	8	-0.10416000000000	05	4	2240	1400	800	440	320
2	7	7 1 1 2 2 1 3 4 4	3 3 5 5 6 6	3 1 2					
6	8	-0.41520000000000	04	6	1120	840	800	840	864
5	7	7 4 4 5 5 6 6 4 1	2 2 1 1 3 3	1 4 5					
6	8	-0.41520000000000	04	6	2240	1960	1440	1000	832
4	7	7 5 5 4 4 5 5 6 6	4 1 2 2 1 1	3 3 1					
6	8	-0.15360000000000	04	8	1904	1820	1616	1532	1520
5	7	7 4 4 5 5 6 6 3 1	2 2 1 3 4 4	3 3 5					
6	8	-0.15360000000000	04	8	1904	1820	1616	1412	1328
4	7	7 5 5 6 6 3 1 2 2	1 3 4 4 3 3	5 5 4					
6	8	-0.14160000000000	04	8	1904	1904	1664	1304	1136
3	7	7 5 5 4 4 5 5 6 6	3 1 2 2 1 3	4 4 3					
6	8	-0.14160000000000	04	8	560	560	560	520	496
5	7	7 3 3 4 4 5 5 6 6	3 1 2 2 1 3	4 4 5					
6	8	-0.15360000000000	04	8	1120	1120	880	680	608
4	7	7 5 5 3 3 4 4 5 5	6 6 3 1 2 2	1 3 4					
6	8	-0.24400000000000	03	24	2016	2016	1896	1776	1728
6	7	7 5 5 6 6 4 1 2 2	3 3 1 4 5 5	4 4 6					
6	8	-0.24400000000000	03	24	672	672	552	432	384
6	7	7 4 4 5 5 6 6 4 1	2 2 3 3 1 4	5 5 6					
7	8	0.61680000000000	04	14	3360	2520	2400	2520	2592
2	8	8 1 1 2 2 3 3 4 4	5 5 6 6 7 7	1 1 2					
7	8	0.61680000000000	04	14	6720	5880	4320	3000	2496
1	8	8 2 2 1 1 2 2 3 3	4 4 5 5 6 6	7 7 1					
7	8	0.78685800000000	06	2	4480	4480	4480	4480	4480
1	8	8 3 3 4 4 3 3 5 5	6 6 7 7 1 1	2 2 1					
7	8	0.76752000000000	05	4	4704	4704	4464	4224	4128
3	8	8 1 1 2 2 1 1 3 3	4 4 5 5 6 6	7 7 3					
7	8	0.38880000000000	04	4	4480	4480	4480	4480	4480
1	8	8 2 2 3 3 1 1 4 4	2 2 5 5 6 6	7 7 1					
7	8	0.16464000000000	05	2	4704	4704	4464	4224	4128
2	8	8 1 1 3 3 2 2 4 4	5 5 6 6 7 7	1 1 2					
7	8	0.16464000000000	05	2	4704	4704	4464	4224	4128
1	8	8 2 2 1 1 3 3 2 2	4 4 5 5 6 6	7 7 1					
7	8	0.11616000000000	05	2	4704	4704	4464	4224	4128
2	8	8 1 1 3 3 4 4 2 2	5 5 6 6 7 7	1 1 2					
7	8	0.11616000000000	05	2	4704	4704	4464	4224	4128
1	8	8 2 2 1 1 3 3 4 4	2 2 5 5 6 6	7 7 1					
7	8	0.26692800000000	06	4	4480	4480	4480	4480	4480
1	8	8 3 3 4 4 5 5 3 3	6 6 7 7 1 1	2 2 1					
7	8	0.13104000000000	06	4	4480	4480	4480	4480	4480
1	8	8 3 3 4 4 5 5 6 6	3 3 7 7 1 1	2 2 1					
7	8	0.16464000000000	05	2	5376	5376	4416	3456	3072
1	8	8 2 2 3 3 1 1 2 2	4 4 5 5 6 6	7 7 1					
7	8	0.22176000000000	05	8	4704	4704	4464	4224	4128
4	8	8 1 1 2 2 3 3 1 1	4 4 5 5 6 6	7 7 4					
7	8	0.11616000000000	05	2	5376	5376	4416	3456	3072
1	8	8 2 2 3 3 4 4 1 1	2 2 5 5 6 6	7 7 1					



7	8	0.31320000000000	04	4	4480	4480	4480	4480	4480
1	8	8 2 2 3 3 1 1 4 4	5 5 2 2 6 6 7 7 1						
7	8	0.39880000000000	04	2	4480	4480	4480	4480	4480
1	8	8 2 2 3 3 1 1 4 4	5 5 6 6 2 2 7 7 1						
7	8	0.22632000000000	05	8	4480	4480	4480	4480	4480
1	8	8 4 4 5 5 6 6 4 4	7 7 1 1 2 2 3 3 1						
7	8	0.31320000000000	04	2	4480	4480	4480	4480	4480
1	8	8 2 2 3 3 4 4 1 1	5 5 2 2 6 6 7 7 1						
7	8	-0.88560000000000	04	10	3360	2520	2400	2520	2592
4	8	8 3 3 4 4 5 5 6 6	7 7 3 1 2 2 1 3 4						
7	8	-0.88560000000000	04	10	6720	5880	4320	3000	2496
3	8	8 4 4 3 3 4 4 5 5	6 6 7 7 3 1 2 2 1						
7	8	-0.40094400000000	06	2	4480	4480	4480	4480	4480
3	8	8 5 5 6 6 5 5 7 7	3 1 2 2 1 3 4 4 3						
7	8	-0.13430400000000	06	4	4704	4704	4464	4224	4128
5	8	8 3 1 2 2 1 3 4 4	3 3 5 5 6 6 7 7 5						
7	8	-0.57144000000000	05	4	4704	4704	4464	4224	4128
6	8	8 4 1 2 2 3 3 1 4	5 5 4 4 6 6 7 7 6						
7	8	-0.88560000000000	04	4	6720	4200	2400	1320	960
2	8	8 1 1 2 2 1 3 4 4	5 5 6 6 7 7 3 1 2						
7	8	-0.20160000000000	05	2	4704	4704	4464	4224	4128
4	8	8 3 3 5 5 4 4 6 6	7 7 3 1 2 2 1 3 4						
7	8	-0.20160000000000	05	2	4704	4704	4464	4224	4128
3	8	8 4 4 3 3 5 5 4 4	6 6 7 7 3 1 2 2 1						
7	8	-0.20160000000000	05	2	5376	5376	4416	3456	3072
3	8	8 4 4 5 5 3 3 4 4	6 6 7 7 3 1 2 2 1						
7	8	-0.25680000000000	04	16	3360	2520	2400	2520	2592
5	8	8 4 4 5 5 6 6 7 7	4 1 2 2 3 3 1 4 5						
7	8	-0.25680000000000	04	16	6720	5880	4320	3000	2496
4	8	8 5 5 4 4 5 5 6 6	7 7 4 1 2 2 3 3 1						
7	8	0.86400000000000	04	6	3360	2520	2400	2520	2592
6	8	8 5 5 6 6 7 7 5 1	2 2 1 3 4 4 3 5 6						
7	8	0.86400000000000	04	6	6720	5880	4320	3000	2496
5	8	8 6 6 5 5 6 6 7 7	5 1 2 2 1 3 4 4 3						
7	8	0.86400000000000	04	8	6720	4200	2400	1320	960
7	8	8 6 6 7 7 6 1 2 2	1 3 4 4 5 5 3 6 7						
7	8	-0.25680000000000	04	12	3360	2520	2400	2520	2592
6	8	8 5 5 6 6 7 7 5 1	2 2 3 3 4 4 1 5 6						
7	8	-0.25680000000000	04	12	6720	5880	4320	3000	2496
5	8	8 6 6 5 5 6 6 7 7	5 1 2 2 3 3 4 4 1						
7	8	-0.27840000000000	04	4	5376	5376	4416	3456	3072
4	8	8 5 5 6 6 4 4 5 5	7 7 4 1 2 2 3 3 1						
7	8	-0.18720000000000	04	6	4480	4480	4480	4480	4480
3	8	8 4 4 5 5 3 3 6 6	4 4 7 7 3 1 2 2 1						
7	8	-0.27840000000000	04	8	4704	4704	4464	4224	4128
5	8	8 4 4 6 6 5 5 7 7	4 1 2 2 3 3 1 4 5						

TABLE A.7

2	2	0.6000000000000000	01	2	1	0	0	0
1	3	3	1 1 2 2 1					
3	3	0.8000000000000000	01	6	3	1	0	0
1	4	4	1 1 2 2 3 3 1					
2	4	0.6000000000000000	01	2	1	0	0	0
1	3	3	1 1 2 2 1 1 2 2 1					
3	4	0.6600000000000000	02	1	4	0	4	0
1	4	4	1 1 2 2 1 1 3 3 1					
3	4	0.6600000000000000	02	2	4	2	2	0
2	4	4	2 1 2 2 1 1 3 3 1					
4	4	0.3300000000000000	02	8	12	6	4	0
1	5	5	1 1 2 2 3 3 4 4 1					
4	4	-0.6900000000000000	02	4	12	6	4	0
1	5	5	1 1 2 2 1 3 4 4 3					
3	5	0.8000000000000000	01	12	5	1	2	0
1	4	4	1 1 2 2 1 1 2 2 3 3 1					
3	5	0.8000000000000000	01	6	5	3	3	0
3	4	4	3 1 2 2 1 1 2 2 3 3 1					
4	5	0.2400000000000000	03	2	20	4	12	0
1	5	5	1 1 2 2 1 1 3 3 4 4 1					
4	5	0.2400000000000000	03	2	20	12	10	0
2	5	5	2 1 2 2 1 1 3 3 4 4 1					
4	5	0.2400000000000000	03	4	20	12	8	0
3	5	5	3 1 2 2 1 1 3 3 4 4 1					
5	5	-0.2640000000000000	03	4	60	36	24	0
1	6	6	1 1 2 2 1 3 4 4 5 5 3					
5	5	-0.2640000000000000	03	6	60	36	24	0
3	6	6	3 1 2 2 1 3 4 4 5 5 3					
5	5	0.1680000000000000	03	10	60	36	24	0
1	6	6	1 1 2 2 3 3 4 4 5 5 1					
2	6	0.6000000000000000	01	2	1	0	0	0
1	3	3	1 1 2 2 1 1 2 2 1 1 2 2 1					
3	6	0.6600000000000000	02	2	6	0	4	0
1	4	4	1 1 2 2 1 1 2 2 1 1 3 3 1					
3	6	0.6600000000000000	02	2	6	2	2	2
2	4	4	2 1 2 2 1 1 2 2 1 1 3 3 1					
3	6	0.6600000000000000	02	2	6	4	4	4
3	4	4	3 1 2 2 1 1 2 2 1 1 3 3 1					
3	6	0.8000000000000000	01	6	3	1	1	2
1	4	4	1 1 2 2 3 3 1 1 2 2 3 3 1					
3	6	0.8000000000000000	01	3	18	6	10	8
1	4	4	1 1 2 2 1 1 3 3 2 2 3 3 1					
4	6	0.3300000000000000	02	16	30	10	10	12
1	5	5	1 1 2 2 1 1 2 2 3 3 4 4 1					
4	6	0.3300000000000000	02	16	30	20	14	12
3	5	5	3 1 2 2 1 1 2 2 3 3 4 4 1					
4	6	0.7020000000000000	03	2	42	28	22	20
2	5	5	2 1 2 2 1 1 3 3 4 4 3 3 1					
4	6	0.2200000000000000	03	1	36	0	36	0
1	5	5	1 1 2 2 1 1 3 3 1 1 4 4 1					

4	6	0.2200000000000000	03	3	36	24	20	16									
2	5	5	2	1	2	2	1	1	3	3	1	1	4	4	1		
4	6	0.3600000000000000	02	4	24	8	8	16									
1	5	5	1	1	2	2	3	3	1	1	2	2	4	4	1		
4	6	0.3600000000000000	02	4	24	16	12	10									
3	5	5	3	1	2	2	3	3	1	1	2	2	4	4	1		
4	6	0.3600000000000000	02	4	42	14	22	20									
1	5	5	1	1	2	2	1	1	3	3	2	2	4	4	1		
4	6	0.3600000000000000	02	4	42	28	22	22									
3	5	5	3	1	2	2	1	1	3	3	2	2	4	4	1		
4	6	0.7020000000000000	03	2	42	14	22	20									
1	5	5	1	1	2	2	1	1	3	3	4	4	3	3	1		
4	6	-0.6900000000000000	02	4	30	20	14	12									
1	5	5	1	1	2	2	1	3	4	4	3	3	4	4	3		
4	6	-0.6900000000000000	02	4	30	10	2	0									
3	5	5	3	1	2	2	1	3	4	4	3	3	4	4	3		
5	6	0.1248000000000000	04	2	120	40	56	72									
1	6	6	1	1	2	2	1	1	3	3	4	4	5	5	1		
5	6	0.1248000000000000	04	2	120	80	64	60									
2	6	6	2	1	2	2	1	1	3	3	4	4	5	5	1		
5	6	0.1248000000000000	04	4	120	80	56	48									
3	6	6	3	1	2	2	1	1	3	3	4	4	5	5	1		
5	6	0.1248000000000000	04	2	120	80	56	48									
4	6	6	4	1	2	2	1	1	3	3	4	4	5	5	1		
5	6	0.2040000000000000	03	16	120	80	56	48									
2	6	6	2	1	2	2	3	3	1	1	4	4	5	5	1		
5	6	0.2040000000000000	03	4	120	40	56	72									
1	6	6	1	1	2	2	3	3	1	1	4	4	5	5	1		
5	6	-0.2220000000000000	04	1	120	40	56	72									
3	6	6	3	1	2	2	1	3	4	4	3	3	5	5	3		
5	6	-0.2220000000000000	04	2	120	80	56	48									
1	6	6	1	1	2	2	1	3	4	4	3	3	5	5	3		
5	6	-0.2220000000000000	04	2	120	80	64	60									
4	6	6	4	1	2	2	1	3	4	4	3	3	5	5	3		
6	6	-0.1416000000000000	04	8	360	240	168	144									
3	7	7	3	1	2	2	1	3	4	4	5	5	6	6	3		
6	6	-0.2440000000000000	03	24	360	240	168	144									
1	7	7	1	1	2	2	3	3	1	4	5	5	6	6	4		
6	6	-0.1416000000000000	04	4	360	240	168	144									
1	7	7	1	1	2	2	1	3	4	4	5	5	6	6	3		
6	6	0.1292000000000000	04	6	360	240	168	144									
1	7	7	1	1	2	2	1	3	4	4	3	5	6	6	5		
6	6	0.9700000000000000	03	12	360	240	168	144									
1	7	7	1	1	2	2	3	3	4	4	5	5	6	6	1		
3	7	0.8000000000000000	01	12	7	1	2	2									
1	4	4	1	1	2	2	1	1	2	2	1	1	2	3	3	1	
3	7	0.8000000000000000	01	6	7	5	5	5									
3	4	4	3	1	2	2	1	1	2	2	1	1	2	3	3	1	
3	7	0.8000000000000000	01	6	14	2	8	4									
1	4	4	1	1	2	2	1	1	3	3	1	1	2	2	3	3	1

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4	7	0.2400000000000000	03	4	77	33	23	23													
1	5	5	1	1	2	2	1	1	2	2	3	3	4	4	3	3	1	77	33	39	35
4	7	0.2400000000000000	03	2	77	33	39	35													
3	5	5	3	1	2	2	1	1	2	2	3	3	4	4	3	3	1	77	55	43	37
4	7	0.2400000000000000	03	2	77	55	43	37													
4	5	5	4	1	2	2	1	1	2	2	3	3	4	4	3	3	1	56	8	36	20
4	7	0.2400000000000000	03	4	56	8	36	20													
1	5	5	1	1	2	2	1	1	3	3	1	1	2	2	4	4	1	56	24	24	24
4	7	0.2400000000000000	03	4	56	24	24	24													
2	5	5	2	1	2	2	1	1	3	3	1	1	2	2	4	4	1	56	40	34	30
4	7	0.2400000000000000	03	4	56	40	34	30													
3	5	5	3	1	2	2	1	1	3	3	1	1	2	2	4	4	1	56	40	32	28
4	7	0.2400000000000000	03	4	56	40	32	28													
4	5	5	4	1	2	2	1	1	3	3	1	1	2	2	4	4	1	42	6	20	12
4	7	0.2400000000000000	03	2	42	6	20	12													
1	5	5	1	1	2	2	1	1	2	2	1	1	3	3	4	4	1	42	18	14	14
4	7	0.2400000000000000	03	2	42	18	14	14													
2	5	5	2	1	2	2	1	1	2	2	1	1	3	3	4	4	1	42	30	22	18
4	7	0.2400000000000000	03	4	42	30	22	18													
3	5	5	3	1	2	2	1	1	2	2	1	1	3	3	4	4	1	119	51	51	51
4	7	0.3600000000000000	02	8	119	51	51	51													
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4	7	0.3600000000000000	02	4	119	51	53	45													
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4	7	0.3600000000000000	02	4	119	85	63	53													
4	5	5	4	1	2	2	1	1	3	3	2	2	3	3	4	4	1	35	15	13	17
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4	7	0.3600000000000000	02	4	35	15	9	17													
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4	7	0.3600000000000000	02	4	35	25	19	17													
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5	7	0.1080000000000000	04	2	252	36	180	108													
1	6	6	1	1	2	2	1	1	3	3	1	1	4	4	5	5	1	252	180	148	124
5	7	0.1080000000000000	04	4	252	180	148	124													
2	6	6	2	1	2	2	1	1	3	3	1	1	4	4	5	5	1	252	180	132	108
5	7	0.1080000000000000	04	4	252	180	132	108													
4	6	6	4	1	2	2	1	1	3	3	1	1	4	4	5	5	1	210	90	70	78
5	7	0.1680000000000000	03	20	210	90	70	78													
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5	7	0.1680000000000000	03	20	210	150	110	90													
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5	7	0.1680000000000000	03	10	210	150	110	90													
4	6	6	4	1	2	2	1	1	2	2	3	3	4	4	5	5	1	280	120	120	152
5	7	0.2328000000000000	04	4	280	120	120	152													
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5	7	0.2328000000000000	04	4	280	200	160	144													
2	6	6	2	1	2	2	1	1	3	3	4	4	3	3	5	5	1				

5	7	0.23280000000000	04	2	280	200	148	124									
5	6	6	5	1	2	2	1	1	3	3	4	4	3	3	5	5	1
5	7	0.24960000000000	04	2	294	126	138	146									
1	6	6	1	1	2	2	1	1	3	3	4	4	5	5	3	3	1
5	7	0.24960000000000	04	2	294	210	166	146									
2	6	6	2	1	2	2	1	1	3	3	4	4	5	5	3	3	1
5	7	0.24960000000000	04	2	294	126	138	146									
3	6	6	3	1	2	2	1	1	3	3	4	4	5	5	3	3	1
5	7	0.24960000000000	04	4	294	210	154	126									
4	6	6	4	1	2	2	1	1	3	3	4	4	5	5	3	3	1
5	7	0.38400000000000	03	2	294	210	166	154									
3	6	6	3	1	2	2	1	1	3	3	2	2	4	4	5	5	1
5	7	0.38400000000000	03	4	294	210	154	126									
4	6	6	4	1	2	2	1	1	3	3	2	2	4	4	5	5	1
5	7	0.38400000000000	03	4	168	72	56	88									
1	6	6	1	1	2	2	3	3	1	1	2	2	4	4	5	5	1
5	7	0.38400000000000	03	2	168	120	92	76									
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5	7	0.38400000000000	03	4	168	120	88	72									
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5	7	0.24000000000000	02	12	280	120	120	152									
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5	7	0.24000000000000	02	12	280	200	148	124									
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5	7	0.38400000000000	03	4	294	126	138	146									
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5	7	-0.26400000000000	03	6	210	150	110	90									
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6	7	0.76320000000000	04	4	840	600	440	360									
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6	7	-0.10416000000000	05	4	840	600	440	360									
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4	8	0.200000000000000000	01	24	360	180	154	136	128
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4	8	0.360000000000000000	02	4	88	22	42	32	40
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5	8	-0.2220000000000000	04	1	560	280	240	280	304
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5	8	0.6480000000000000	03	2	384	288	240	208	192
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5	8	0.2040000000000000	03	16	448	112	232	208	160
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5	8	0.36000000000000	02	12	272	204	156	128	120										
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5	8	0.49500000000000	03	1	576	0	576	0	576										
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5	8	0.49500000000000	03	4	576	432	360	288	288										
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5	8	0.67800000000000	04	1	704	176	424	320	352										
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5	8	0.67800000000000	04	2	704	528	436	372	352										
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5	8	0.67800000000000	04	1	704	352	336	320	384										
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5	8	0.67800000000000	04	1	704	528	424	368	352										
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5	8	0.73500000000000	04	2	816	408	372	396	416										
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5	8	0.73500000000000	04	2	816	612	492	428	408										
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5	8	0.73500000000000	04	1	816	408	400	392	400										
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5	8	0.12480000000000	04	2	336	84	132	120	96										
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5	8	0.12480000000000	04	2	336	168	120	112	112										
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5	8	0.12480000000000	04	4	336	252	192	156	144										
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5	8	0.12480000000000	04	2	336	252	192	156	144										
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5	8	0.19200000000000	03	4	848	424	376	392	368										
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5	8	0.19200000000000	03	2	848	424	336	392	464										
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5	8	0.19200000000000	03	4	456	228	164	208	224
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5	8	0.19200000000000	03	2	456	228	204	220	248
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5	8	0.19200000000000	03	4	456	342	268	234	224
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6	8	-0.24400000000000	03	24	1680	1260	1080	1020	1008
6	7	7 6 1 2 2 3 3 1 4	5 5 4 4 5 5 6 6 4						
6	8	-0.24400000000000	03	48	1680	840	600	600	624
4	7	7 4 1 2 2 3 3 1 4	5 5 4 4 5 5 6 6 4						
6	8	-0.24400000000000	03	72	1680	1260	960	780	720
1	7	7 1 1 2 2 3 3 1 4	5 5 4 4 5 5 6 6 4						
6	8	-0.15360000000000	04	4	1344	1008	792	656	608
5	7	7 5 1 2 2 1 3 4 4	5 5 3 3 4 4 6 6 3						
6	8	-0.15360000000000	04	4	1344	672	480	608	704
3	7	7 3 1 2 2 1 3 4 4	5 5 3 3 4 4 6 6 3						
6	8	-0.15360000000000	04	4	1344	1008	768	624	576
1	7	7 1 1 2 2 1 3 4 4	5 5 3 3 4 4 6 6 3						
6	8	-0.96600000000000	04	3	2016	1512	1248	1064	992
4	7	7 4 1 2 2 1 3 4 4	3 3 5 5 3 3 6 6 3						
6	8	-0.96600000000000	04	1	2016	504	1152	1080	864
3	7	7 3 1 2 2 1 3 4 4	3 3 5 5 3 3 6 6 3						
6	8	-0.96600000000000	04	2	2016	1512	1152	936	864
1	7	7 1 1 2 2 1 3 4 4	3 3 5 5 3 3 6 6 3						
6	8	-0.17580000000000	05	4	2240	1680	1360	1200	1152
2	7	7 2 1 2 2 1 1 3 3	1 4 5 5 4 4 6 6 4						
6	8	-0.17580000000000	05	2	2240	1120	960	1120	1216
1	7	7 1 1 2 2 1 1 3 3	1 4 5 5 4 4 6 6 4						
6	8	-0.14160000000000	04	16	1680	1260	960	780	720
5	7	7 5 1 2 2 1 3 4 4	3 3 4 4 5 5 6 6 3						
6	8	-0.14160000000000	04	16	1680	840	600	600	624
3	7	7 3 1 2 2 1 3 4 4	3 3 4 4 5 5 6 6 3						
6	8	-0.14160000000000	04	16	1680	1260	960	780	720
1	7	7 1 1 2 2 1 3 4 4	3 3 4 4 5 5 6 6 3						
6	8	-0.14160000000000	04	8	1680	1260	960	780	720
3	7	7 3 1 2 2 1 1 2 2	1 3 4 4 5 5 6 6 3						
6	8	-0.14160000000000	04	4	1680	840	360	120	48
1	7	7 1 1 2 2 1 1 2 2	1 3 4 4 5 5 6 6 3						
6	8	-0.15360000000000	04	4	2352	1764	1416	1268	1232
5	7	7 5 1 2 2 1 3 4 4	3 3 5 5 4 4 6 6 3						
6	8	-0.15360000000000	04	4	2352	1176	1080	1144	1168
3	7	7 3 1 2 2 1 3 4 4	3 3 5 5 4 4 6 6 3						
6	8	-0.15360000000000	04	4	2352	1764	1344	1092	1008
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6	8	-0.30978000000000	05	2	2352	1764	1416	1228	1168
4	7	7 4 1 2 2 1 3 4 4	3 3 5 5 6 6 5 5 3						

6	8	-0.30978000000000	05	2	2352	1176	1080	1144	1168										
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6	8	-0.30978000000000	05	2	2352	1764	1344	1092	1008										
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6	8	0.52920000000000	04	2	2016	504	1152	1080	864										
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6	8	0.52920000000000	04	4	2016	1512	1248	1064	992										
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6	8	0.52920000000000	04	4	2016	1512	1152	936	864										
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6	8	0.52920000000000	04	2	2016	1512	1152	936	864										
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6	8	0.58080000000000	04	4	2240	1120	960	1120	1216										
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6	8	0.58080000000000	04	4	2240	1680	1360	1200	1152										
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6	8	0.58080000000000	04	4	2240	1680	1280	1040	960										
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6	8	0.12744000000000	05	2	2352	1176	1080	1144	1168										
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6	8	0.12744000000000	05	2	2352	1764	1416	1228	1168										
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6	8	0.12744000000000	05	2	2352	1176	1080	1144	1168										
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6	8	0.12744000000000	05	4	2352	1764	1344	1092	1008										
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6	8	0.12744000000000	05	2	2352	1764	1344	1092	1008										
5	7	7	5	1	2	2	1	1	3	3	4	4	5	5	6	6	3	3	1
6	8	0.11400000000000	05	4	2240	1120	960	1120	1216										
1	7	7	1	1	2	2	1	1	3	3	4	4	3	3	5	5	6	6	1
6	8	0.11400000000000	05	4	2240	1680	1360	1200	1152										
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6	8	0.11400000000000	05	4	2240	1680	1280	1040	960										
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6	8	0.90000000000000	01	12	2240	1120	960	1120	1216										
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6	8	0.90000000000000	01	24	2240	1680	1280	1040	960										
2	7	7	2	1	2	2	3	3	4	4	1	1	5	5	3	3	6	6	1
6	8	0.38400000000000	03	4	2240	1120	960	1120	1216										
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6	8	0.38400000000000	03	4	2240	1680	1288	1064	992										
3	7	7	3	1	2	2	3	3	1	1	4	4	5	5	2	2	6	6	1
6	8	0.38400000000000	03	4	2240	1680	1280	1040	960										
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6	8	0.38400000000000	03	8	2240	1120	960	1120	1216										
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6	8	0.38400000000000	03	4	2240	1680	1288	1064	992										
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6	8	0.38400000000000	03	4	2240	1680	1312	1136	1088										
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6	8	0.3840000000000000	03	8	2240	1680	1280	1040	960										
5	7	7	5	1	2	2	3	3	1	1	4	4	2	2	5	5	6	6	1
6	8	0.9660000000000000	03	4	1344	672	480	608	704										
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6	8	0.9660000000000000	03	8	1344	1008	768	624	576										
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6	8	0.7776000000000000	04	4	2240	1120	960	1120	1216										
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6	8	0.7776000000000000	04	4	2240	1680	1360	1200	1152										
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6	8	0.7776000000000000	04	4	2240	1120	960	1120	1216										
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6	8	0.7776000000000000	04	4	2240	1680	1280	1040	960										
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6	8	0.7776000000000000	04	4	2240	1680	1288	1064	992										
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6	8	0.2400000000000000	04	4	1344	672	480	608	704										
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6	8	0.2400000000000000	04	2	1344	1008	792	656	608										
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6	8	0.2400000000000000	04	4	1344	1008	768	624	576										
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6	8	0.2196000000000000	04	8	2352	1176	1080	1144	1168										
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6	8	0.2196000000000000	04	16	2352	1764	1344	1092	1008										
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6	8	0.9660000000000000	03	4	2352	1176	1080	1144	1168										
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6	8	0.9660000000000000	03	8	2352	1764	1344	1092	1008										
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6	8	0.2400000000000000	04	4	2352	1176	1080	1144	1168										
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6	8	0.2400000000000000	04	2	2352	1764	1416	1268	1232										
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6	8	0.2400000000000000	04	4	2352	1764	1344	1092	1008										
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6	8	0.1632000000000000	04	4	2016	504	1152	1080	864										
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6	8	0.1632000000000000	04	4	2016	1512	1248	1064	992										
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6	8	0.1632000000000000	04	16	2016	1512	1152	936	864										
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6	8	0.1292000000000000	04	12	1680	1260	960	780	720										
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6	8	0.97000000000000	03	24	1680	840	600	600	624
1	7	7 1 1 2 2 1 1 2 2	3 3 4 4 5 5 6 6 1						
6	8	0.97000000000000	03	24	1680	1260	960	780	720
3	7	7 3 1 2 2 1 1 2 2	3 3 4 4 5 5 6 6 1						
6	8	0.97000000000000	03	24	1680	1260	960	780	720
4	7	7 4 1 2 2 1 1 2 2	3 3 4 4 5 5 6 6 1						
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1	8	8 1 1 2 2 3 3 1 1	4 4 5 5 6 6 7 7 1						
7	8	0.12096000000000	05	8	6720	5040	3840	3120	2880
2	8	8 2 1 2 2 3 3 1 1	4 4 5 5 6 6 7 7 1						
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7	8	0.12096000000000	05	8	6720	5040	3840	3120	2880
5	8	8 5 1 2 2 3 3 1 1	4 4 5 5 6 6 7 7 1						
7	8	0.73614000000000	05	2	6720	5040	4080	3600	3456
6	8	8 6 1 2 2 1 3 4 4	3 5 6 6 5 5 7 7 5						
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4	8	8 4 1 2 2 1 3 4 4	3 3 5 5 6 6 7 7 3						
7	8	-0.66312000000000	05	2	6720	3360	2880	3360	3648
3	8	8 3 1 2 2 1 3 4 4	3 3 5 5 6 6 7 7 3						
7	8	-0.66312000000000	05	4	6720	5040	3840	3120	2880
1	8	8 1 1 2 2 1 3 4 4	3 3 5 5 6 6 7 7 3						
7	8	-0.21948000000000	05	8	6720	5040	3840	3120	2880
4	8	8 4 1 2 2 1 1 3 3	1 4 5 5 6 6 7 7 4						
7	8	-0.21948000000000	05	4	6720	5040	4080	3600	3456
2	8	8 2 1 2 2 1 1 3 3	1 4 5 5 6 6 7 7 4						
7	8	-0.21948000000000	05	2	6720	3360	2880	3360	3648
1	8	8 1 1 2 2 1 1 3 3	1 4 5 5 6 6 7 7 4						
7	8	-0.19032000000000	05	8	6720	5040	3840	3120	2880
6	8	8 6 1 2 2 3 3 1 4	5 5 4 4 6 6 7 7 4						
7	8	-0.19032000000000	05	4	6720	5040	4080	3600	3456
5	8	8 5 1 2 2 3 3 1 4	5 5 4 4 6 6 7 7 4						
7	8	-0.19032000000000	05	4	6720	3360	2880	3360	3648
4	8	8 4 1 2 2 3 3 1 4	5 5 4 4 6 6 7 7 4						
7	8	-0.19032000000000	05	12	6720	5040	3840	3120	2880
1	8	8 1 1 2 2 3 3 1 4	5 5 4 4 6 6 7 7 4						
7	8	-0.10824000000000	05	16	6720	5040	3840	3120	2880
4	8	8 4 1 2 2 1 3 4 4	5 5 3 3 6 6 7 7 3						
7	8	-0.66312000000000	05	4	6720	5040	3840	3120	2880
5	8	8 5 1 2 2 1 3 4 4	3 3 5 5 6 6 7 7 3						
7	8	-0.66312000000000	05	2	6720	5040	3840	3120	2880
6	8	8 6 1 2 2 1 3 4 4	3 3 5 5 6 6 7 7 3						
7	8	-0.10824000000000	05	4	6720	3360	2880	3360	3648
3	8	8 3 1 2 2 1 3 4 4	5 5 3 3 6 6 7 7 3						
7	8	-0.10824000000000	05	8	6720	5040	3840	3120	2880
1	8	8 1 1 2 2 1 3 4 4	5 5 3 3 6 6 7 7 3						
7	8	0.49680000000000	04	4	6720	3360	2880	3360	3648
1	8	8 1 1 2 2 3 3 4 4	1 1 5 5 6 6 7 7 1						

7	8	0.49680000000000	04	16	6720	5040	3840	3120	2880
2	8	8 2 1 2 2 3 3 4 4	1 1 5 5 6 6 7 7 1						
7	8	0.49680000000000	04	8	6720	5040	3840	3120	2880
3	8	8 3 1 2 2 3 3 4 4	1 1 5 5 6 6 7 7 1						
7	8	0.51468000000000	05	2	6720	3360	2880	3360	3648
1	8	8 1 1 2 2 1 1 3 3	4 4 5 5 6 6 7 7 1						
7	8	0.51468000000000	05	2	6720	5040	4080	3600	3456
2	8	8 2 1 2 2 1 1 3 3	4 4 5 5 6 6 7 7 1						
7	8	0.51468000000000	05	4	6720	5040	3840	3120	2880
3	8	8 3 1 2 2 1 1 3 3	4 4 5 5 6 6 7 7 1						
7	8	0.51468000000000	05	4	6720	5040	3840	3120	2880
4	8	8 4 1 2 2 1 1 3 3	4 4 5 5 6 6 7 7 1						
7	8	0.51468000000000	05	2	6720	5040	3840	3120	2880
5	8	8 5 1 2 2 1 1 3 3	4 4 5 5 6 6 7 7 1						
7	8	0.73614000000000	05	4	6720	5040	3840	3120	2880
1	8	8 1 1 2 2 1 3 4 4	3 5 6 6 5 5 7 7 5						
7	8	0.73614000000000	05	1	6720	3360	2880	3360	3648
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8	8	0.18300000000000	05	24	20160	15120	11520	9360	8640
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1	2	5	3 3 1 2 1 1 3 3 4 4 2 2 5		
5	8	0.73500000000000	04	2	24
3	4	2	5 5 3 3 1 1 2 2 1 1 3 4 2		
5	8	0.69600000000000	03	4	32
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5	8	0.23280000000000	04	4	14
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5	8	0.24960000000000	04	4	24										
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5	8	-0.26400000000000	03	12	12										
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5	8	0.12480000000000	04	4	24										
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5	8	0.73500000000000	04	2	10										
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5	8	-0.22200000000000	04	8	40										
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5	8	0.67800000000000	04	4	16										
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5	8	0.67800000000000	04	4	16										
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5	8	0.10800000000000	04	8	32										
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5	8	0.10800000000000	04	8	16										
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5	8	0.49500000000000	03	48	16										
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5	8	0.67800000000000	04	4	16										
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5	8	0.10800000000000	04	4	44										
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5	8	0.10800000000000	04	4	22										
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5	8	0.67800000000000	04	4	22										
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5	8	0.23280000000000	04	4	34										
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5	8	0.23280000000000	04	4	34										
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5	8	0.73500000000000	04	2	10										
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5	8	-0.22200000000000	04	8	24										
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5	8	-0.22200000000000	04	8	12										
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5	8	-0.26400000000000	03	12	12										
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6	8	0.76266000000000	05	4	60										
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6	8	-0.41520000000000	04	12	120										
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6	8	-0.14160000000000	04	16	120										
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6	8	0.76266000000000	05	2	60										
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6	8	0.47760000000000	05	2	72										
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6	8	0.47760000000000	05	2	96										
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6	8	0.11784000000000	05	8	72										
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6	8	0.47760000000000	05	2	84										
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6	8	0.47760000000000	05	2	72										
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6	8	0.68508000000000	05	4	72										
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6	8	0.76266000000000	05	2	60										
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6	8	0.11400000000000	05	4	72										
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6	8	0.47760000000000	05	2	84										
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6	8	0.47760000000000	05	2	72										
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6	8	-0.15360000000000	04	8	84										
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6 8	0.4776000000000000	05	2	72
2 3 1 4 4 5 5 2 2 6 6	1 1 2 3 1			
6 8	0.1140000000000000	05	2	84
2 3 6 1 1 2 3 1 1 4 4	5 5 2 2 6			
6 8	-0.1536000000000000	04	4	96
1 4 5 2 2 6 6 1 1 2 2	3 3 1 4 5			
6 8	0.5808000000000000	04	4	80
1 2 3 4 4 1 1 5 5 3 3	6 6 1 2 3			
6 8	0.5808000000000000	04	2	80
1 2 5 3 3 6 6 1 2 3 3	4 4 1 1 5			
6 8	-0.3097800000000000	05	4	120
2 3 6 1 1 2 2 1 1 2 3	4 4 5 5 6			
6 8	0.1140000000000000	05	4	72
1 2 3 4 4 3 3 5 5 6 6	1 2 1 1 3			
6 8	0.1140000000000000	05	2	96
1 2 4 3 3 5 5 6 6 1 2	1 1 3 3 4			
6 8	0.6850800000000000	05	4	72
1 2 3 5 5 6 6 1 2 1 1	3 3 4 4 3			
6 8	0.1140000000000000	05	2	84
2 1 3 4 4 3 3 5 5 6 6	1 1 2 1 3			
6 8	0.6850800000000000	05	4	84
2 1 3 5 5 6 6 1 1 2 1	3 3 4 4 3			
6 8	-0.3097800000000000	05	4	84
3 5 6 1 1 2 2 1 1 3 3	4 4 3 5 6			
6 8	0.7626600000000000	05	4	60
1 2 3 4 4 5 5 6 6 3 3	1 2 1 1 3			
6 8	0.7626600000000000	05	4	120
1 2 6 3 3 1 2 1 1 3 3	4 4 5 5 6			
6 8	0.6992400000000000	05	4	80
1 2 3 4 4 5 5 4 4 6 6	1 2 1 1 3			
6 8	0.5808000000000000	04	4	80
1 2 4 5 5 4 4 6 6 1 2	1 1 3 3 4			
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1 2 5 4 4 6 6 1 2 1 1	3 3 4 4 5			
6 8	0.6992400000000000	05	4	80
1 2 4 6 6 1 2 1 1 3 3	4 4 5 5 4			
6 8	-0.1758000000000000	05	8	80
1 3 4 6 6 1 1 2 2 1 3	4 4 5 5 4			
6 8	-0.3097800000000000	05	2	60
3 4 5 6 6 5 5 3 1 2 2	1 4 3 3 5			
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6 8	0.1292000000000000	04	24	120
4 5 6 3 1 2 2 1 3 4 4	3 3 4 5 6			
6 8	-0.3097800000000000	05	2	60
3 5 4 6 6 3 1 2 2 1 3	4 4 3 5 4			

6	8	-0.3097800000000	05	2	60
4	5	6 3 1 2 2 1 3 4 5	3 3 4 4 6		
6	8	0.2880000000000	04	24	72
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6	8	0.1962000000000	05	12	72
1	3	5 6 6 1 1 2 2 1 3	4 4 1 1 5		
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3	4	5 6 6 1 1 2 2 1 1	3 4 2 2 5		
6	8	0.2030400000000	05	4	80
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1	2	5 6 6 4 4 1 2 3 3	1 1 4 4 5		
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2	3	1 4 4 5 5 6 6 4 4	1 1 2 3 1		
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6	8	0.11400000000000	05	2	96										
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6	8	0.58080000000000	04	4	80										
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7	8	0.14003280000000	07	2	240										
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7 8	0.1994760000000 06	12	240
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7 8	-0.6631200000000 05	8	240
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7 8	-0.4009440000000 06	8	240
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7 8	-0.3678720000000 06	8	240
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1	3	2 5 5 1 1 2 2 1 3 1 1 2 2 4 4 2			
5	9	0.23280000000000	04	2	44
3	1	2 4 4 2 2 5 5 1 1 2 2 1 1 3 1 2			
5	9	0.67800000000000	04	4	44
3	1	2 5 5 1 1 2 2 1 1 3 1 2 2 4 4 2			
5	9	0.73500000000000	04	4	14
1	3	2 4 4 5 5 2 2 1 1 2 2 1 3 1 1 2			
5	9	0.73500000000000	04	4	42
1	3	5 2 2 1 1 2 2 1 3 1 1 2 2 4 4 5			
5	9	0.73500000000000	04	4	84
1	2	5 3 3 1 2 1 1 3 3 1 1 2 2 4 4 5			
5	9	0.73500000000000	04	4	28
2	1	5 3 3 1 1 2 1 3 3 1 1 2 2 4 4 5			
5	9	-0.22200000000000	04	4	28
2	4	5 3 3 1 1 2 2 1 1 3 3 1 1 2 4 5			
5	9	0.23280000000000	04	4	80
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5	9	0.23280000000000	04	4	80
1	2	5 4 4 1 2 1 1 3 3 1 1 2 2 4 4 5			
5	9	0.23280000000000	04	4	40
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5	9	0.23280000000000	04	4	44
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5	9	0.67800000000000	04	4	32
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5	9	0.49500000000000	03	48	40												
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5	9	-0.22200000000000	04	8	14												
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5	9	0.1248000000000000	04	4	78												
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5	9	0.3840000000000000	03	2	120												
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5	9	0.1248000000000000	04	4	112												
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5	9	0.7496000000000000	04	4	58												
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5	9	0.2496000000000000	04	4	28												
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5	9	0.3840000000000000	03	2	72												
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5	9	0.1248000000000000	04	4	26												
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5	9	0.6780000000000000	04	4	24
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5	9	0.6480000000000000	03	4	40
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5	9	0.1080000000000000	04	8	16
1	2	4 5 5 1 2 1 1 3 3 4 4 1 1 3 3 4			
5	9	0.6480000000000000	03	4	44
2	1	3 4 4 1 1 3 3 4 4 5 5 1 1 2 1 3			
5	9	0.1080000000000000	04	8	24
2	1	4 5 5 1 1 2 1 3 3 4 4 1 1 3 3 4			
5	9	0.1080000000000000	04	8	48
1	3	4 5 5 1 1 2 2 1 3 4 4 1 1 3 3 4			
5	9	0.2328000000000000	04	4	44
3	4	5 1 1 2 2 1 1 3 4 1 1 3 3 4 4 5			
5	9	0.1248000000000000	04	4	20
1	2	3 4 4 1 1 3 3 5 5 4 4 1 2 1 1 3			
5	9	0.2328000000000000	04	4	16
1	2	3 5 5 4 4 1 2 1 1 3 3 4 4 1 1 3			
5	9	0.2328000000000000	04	4	24
1	2	5 4 4 1 2 1 1 3 3 4 4 1 1 3 3 5			
5	9	0.2328000000000000	04	4	40
1	3	5 4 4 1 1 2 2 1 3 4 4 1 1 3 3 5			
5	9	0.3840000000000000	03	2	120
1	2	3 4 4 3 3 5 5 4 4 1 2 1 1 2 2 3			
5	9	0.3840000000000000	03	2	108
1	2	4 3 3 5 5 4 4 1 2 1 1 2 2 3 3 4			
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1	2	3 5 5 4 4 1 2 1 1 2 2 3 3 4 4 3			
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2	1	3 4 4 3 3 5 5 4 4 1 1 2 1 2 2 3			
5	9	0.3840000000000000	03	2	72
2	1	4 3 3 5 5 4 4 1 1 2 1 2 2 3 3 4			
5	9	0.1248000000000000	04	4	54
2	1	3 5 5 4 4 1 1 2 1 2 2 3 3 4 4 3			
5	9	0.7350000000000000	04	4	42
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5	9	-0.2640000000000000	03	12	140
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5	9	0.3840000000000000	03	2	120
1	2	3 4 4 5 5 3 3 4 4 1 2 1 1 2 2 3			
5	9	0.1248000000000000	04	4	59
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5	9	0.3840000000000000	03	2	50
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5	9	0.1248000000000000	04	4	34
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5	9	0.6480000000000000	03	4	80												
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5	9	0.6480000000000000	03	4	64												
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5	9	0.1080000000000000	04	8	56												
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5	9	0.6480000000000000	03	4	64												
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5	9	0.6480000000000000	03	4	80												
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5	9	0.1080000000000000	04	8	76												
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5	9	0.2328000000000000	04	4	52												
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5	9	0.2328000000000000	04	4	88												
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5	9	0.7350000000000000	04	4	28												
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5	9	-0.2640000000000000	03	12	28												
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5	9	0.7350000000000000	04	4	28												
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5	9	-0.2640000000000000	03	24	28												
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5	9	0.1248000000000000	04	4	48												
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5	9	0.1248000000000000	04	4	20												
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5	9	0.6780000000000000	04	4	16												
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5	9	0.7350000000000000	04	4	28												
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4	3	5	1 1 2 2 1 1 2 2 3 3 1 1 4 3 5		
5	9	0.64800000000000	03	4	80
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3	4	5	1 1 2 2 1 1 3 4 1 1 2 2 3 3 5		
5	9	0.23280000000000	04	4	56
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3	2	5	1 1 2 2 1 1 3 3 4 4 1 1 3 2 5		
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5	9	0.4950000000000000	03	48	24												
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5	9	-0.2220000000000000	04	4	42												
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5	9	0.2328000000000000	04	4	52												
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5	9	0.2328000000000000	04	4	64												
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5	9	0.6780000000000000	04	4	52												
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5	9	0.2328000000000000	04	4	56												
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5	9	0.6780000000000000	04	4	32												
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5	9	0.7350000000000000	04	4	56												
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5	9	0.2328000000000000	04	2	48												
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6	9	0.5808000000000000	04	8	204												
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6	9	0.5808000000000000	04	8	204												
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6	9	0.69924000000000	05	4	204												
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6	9	0.72960000000000	04	6	206												
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6	9	0.72960000000000	04	6	206												
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6	9	0.68508000000000	05	4	206												
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6	9	0.72960000000000	04	12	206												
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6	9	0.21648000000000	05	4	112												
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6	9	0.21648000000000	05	4	112												
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6	9	0.19620000000000	05	12	112												
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6	9	0.19620000000000	05	12	112												
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6	9	0.68508000000000	05	4	112												
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6	9	0.68508000000000	05	4	112												
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6	9	-0.10416000000000	05	8	112												
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6	9	0.52920000000000	04	8	224												
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6	9	0.21648000000000	05	4	224												
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6	9	0.52920000000000	04	8	112												
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6	9	0.21648000000000	05	4	112												
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6	9	0.68508000000000	05	4	112												
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6	9	0.19620000000000	05	12	112												
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6	9	0.19620000000000	05	12	112												
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6	9	0.69924000000000	05	4	112												
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6	9	0.68508000000000	05	4	112												
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6	9	0.20304000000000	05	4	96												
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6	9	0.20304000000000	05	4	96												
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6	9	0.20304000000000	05	4	192												
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6	9	0.19620000000000	05	12	96
3	4	5 6 6 1 1 2 2 1 1	3 4 1 1 3 3 5		
6	9	0.15786000000000	05	16	96
4	1	5 6 6 1 1 2 2 1 1	3 3 4 1 3 3 5		
6	9	0.52920000000000	04	8	280
1	2	4 5 5 3 3 6 6 1 2	1 1 2 2 3 3 4		
6	9	0.52920000000000	04	8	140
2	1	4 5 5 3 3 6 6 1 1	2 1 2 2 3 3 4		
6	9	0.69924000000000	05	4	140
2	3	4 5 5 3 3 6 6 1 1	2 2 1 1 2 3 4		
6	9	0.69924000000000	05	4	140
4	5	3 6 6 1 1 2 2 1 1	2 2 3 3 4 5 3		
6	9	0.19620000000000	05	12	140
4	5	6 1 1 2 2 1 1 2 2	3 3 4 5 3 3 6		
6	9	0.21648000000000	05	4	308
1	2	4 5 5 6 6 3 3 1 2	1 1 2 2 3 3 4		
6	9	0.21648000000000	05	4	154
2	1	4 5 5 6 6 3 3 1 1	2 1 2 2 3 3 4		
6	9	0.68508000000000	05	4	154
2	3	4 5 5 6 6 3 3 1 1	2 2 1 1 2 3 4		
6	9	0.68508000000000	05	4	154
2	3	5 6 6 3 3 1 1 2 2	1 1 2 3 4 4 5		
6	9	-0.10416000000000	05	3	154
3	4	5 6 6 3 3 1 1 2 2	1 1 2 2 3 4 5		
6	9	0.47760000000000	05	2	238
1	2	4 5 5 6 6 1 2 1 1	3 3 2 2 3 3 4		
6	9	0.47760000000000	05	2	238
1	2	5 6 6 1 2 1 1 3 3	2 2 3 3 4 4 5		
6	9	0.47760000000000	05	2	238
2	1	4 5 5 6 6 1 1 2 1	3 3 2 2 3 3 4		
6	9	0.47760000000000	05	2	238
2	1	5 6 6 1 1 2 1 3 3	2 2 3 3 4 4 5		
6	9	0.76266000000000	05	4	238
1	3	4 5 5 6 6 1 1 2 2	1 3 2 2 3 3 4		
6	9	-0.10416000000000	05	8	238
3	4	5 6 6 1 1 2 2 1 1	3 3 2 2 3 4 5		
6	9	0.30240000000000	04	4	228
1	4	5 2 2 6 6 1 1 2 2	3 3 1 4 3 3 5		
6	9	0.12144000000000	05	2	206
1	2	5 6 6 1 2 1 1 3 3	2 2 4 4 3 3 5		
6	9	0.12144000000000	05	2	206
2	1	5 6 6 1 1 2 1 3 3	2 2 4 4 3 3 5		
6	9	0.47760000000000	05	2	206
1	3	5 6 6 1 1 2 2 1 3	2 2 4 4 3 3 5		
6	9	0.11400000000000	05	4	206
3	2	5 6 6 1 1 2 2 1 1	3 2 4 4 3 3 5		
6	9	0.20304000000000	05	4	206
2	4	5 6 6 1 1 2 2 1 1	3 3 2 4 3 3 5		
6	9	0.72960000000000	04	12	206
4	3	5 6 6 1 1 2 2 1 1	3 3 2 2 4 3 5		

6	9	0.3024000000000	04	4	206												
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6	9	0.3024000000000	04	4	206												
2	1	5	6	6	4	4	1	1	2	1	3	3	2	2	4	4	5
6	9	0.2030400000000	05	4	206												
1	3	5	6	6	4	4	1	1	2	2	1	3	2	2	4	4	5
6	9	0.1178400000000	05	8	206												
2	4	5	6	6	4	4	1	1	2	2	1	1	3	3	2	4	5
6	9	0.1214400000000	05	2	212												
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6	9	0.1214400000000	05	2	212												
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6	9	0.4776000000000	05	2	212												
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6	9	0.7296000000000	04	12	212												
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6	9	0.2030400000000	05	4	212												
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6	9	0.1140000000000	05	4	212												
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6	9	0.2592000000000	04	4	192												
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6	9	0.7380000000000	04	24	96												
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6	9	0.2030400000000	05	4	96												
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6	9	0.1214400000000	05	2	228												
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6	9	0.1140000000000	05	4	114												
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6	9	0.4776000000000	05	2	114												
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6	9	0.2030400000000	05	4	114												
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6	9	0.7296000000000	04	12	114												
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6	9	0.2030400000000	05	4	176												
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6	9	0.2030400000000	05	4	176												
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6	9	0.2030400000000	05	4	176												
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6	9	0.2030400000000	05	4	176												
3	1	5	6	6	1	1	2	2	1	1	3	1	4	4	2	2	5
6	9	0.1578600000000	05	16	176												
1	4	5	6	6	1	1	2	2	1	1	3	3	1	4	2	2	5
6	9	0.1962000000000	05	12	176												
4	2	5	6	6	1	1	2	2	1	1	3	3	1	1	4	2	5
6	9	0.2164800000000	05	4	224												
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6	9	0.21648000000000	05	4	224
1	2	5 6 6 1 2 1 1 2 2	3 3 1 1 4 4 5		
6	9	0.72960000000000	04	12	114
1	2	5 6 6 3 3 4 4 1 2	1 1 3 3 4 4 5		
6	9	0.68508000000000	05	4	114
1	3	5 6 6 3 3 4 4 1 1	2 2 1 3 4 4 5		
6	9	0.72960000000000	04	6	228
3	4	5 6 6 3 3 4 4 1 1	2 2 1 1 3 4 5		
6	9	0.47760000000000	05	2	140
1	2	4 5 5 6 6 1 2 3 3	1 1 2 2 3 3 4		
6	9	0.47760000000000	05	2	140
1	2	5 6 6 1 2 3 3 1 1	2 2 3 3 4 4 5		
6	9	0.76266000000000	05	4	70
3	1	4 5 5 6 6 1 1 2 2	3 1 2 2 3 3 4		
6	9	-0.10416000000000	05	8	70
3	4	5 6 6 1 1 2 2 3 3	1 1 2 2 3 4 5		
6	9	0.58080000000000	04	8	136
1	2	5 6 6 1 2 3 3 4 4	1 1 2 2 3 3 5		
6	9	0.69924000000000	05	4	68
3	4	5 6 6 1 1 2 2 3 4	1 1 2 2 3 3 5		
6	9	0.25920000000000	04	8	176
1	2	3 4 4 1 1 5 5 2 2	6 6 1 2 1 1 3		
6	9	0.20304000000000	05	4	176
3	4	1 5 5 2 2 6 6 1 1	2 2 1 1 3 4 1		
6	9	0.23800000000000	04	24	176
3	4	5 2 2 6 6 1 1 2 2	1 1 3 4 1 1 5		
6	9	0.30240000000000	04	4	228
1	2	5 6 6 4 4 1 2 3 3	1 1 2 2 4 4 5		
6	9	0.20304000000000	05	4	114
2	3	5 6 6 4 4 1 1 2 3	1 1 2 2 4 4 5		
6	9	0.11784000000000	05	8	114
2	4	5 6 6 4 4 1 1 2 2	3 3 1 1 2 4 5		
6	9	0.79200000000000	03	120	144
1	2	5 6 6 1 2 1 1 3 3	1 1 4 4 1 1 5		
6	9	0.69924000000000	05	4	168
1	2	3 4 4 5 5 6 6 1 2	1 1 2 2 1 1 3		
6	9	-0.10416000000000	05	8	168
1	2	3 4 4 3 3 4 4 3 3	5 5 6 6 3 2 1		
6	9	-0.30978000000000	05	8	84
1	2	3 5 5 6 6 3 2 1 3	4 4 3 3 4 4 3		
6	9	-0.96600000000000	04	12	84
1	2	5 6 6 3 2 1 3 4 4	3 3 4 4 3 3 5		
6	9	-0.96600000000000	04	12	168
3	4	5 6 6 3 1 2 2 1 4	3 3 4 4 3 3 5		
6	9	-0.10416000000000	05	8	224
1	2	3 4 4 3 3 5 5 3 3	4 4 6 6 3 2 1		
6	9	-0.10416000000000	05	8	112
1	2	4 3 3 5 5 3 3 4 4	6 6 3 2 1 3 4		
6	9	-0.10416000000000	05	8	112
1	2	3 5 5 3 3 4 4 6 6	3 2 1 3 4 4 3		

6	9	-0.10416000000000	05	8	112												
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6	9	-0.96600000000000	04	24	112												
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6	9	-0.30978000000000	05	8	112												
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6	9	-0.10416000000000	05	4	308												
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6	9	-0.10416000000000	05	4	154												
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6	9	-0.30978000000000	05	8	154												
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6	9	-0.10416000000000	05	8	154												
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6	9	-0.17580000000000	05	16	168												
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6	9	-0.17580000000000	05	16	84												
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6	9	-0.96600000000000	04	12	280												
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6	9	-0.96600000000000	04	12	140												
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6	9	-0.15360000000000	04	16	238												
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6	9	-0.15360000000000	04	16	238												
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6	9	-0.14160000000000	04	16	238												
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6	9	-0.10416000000000	05	8	238												
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6	9	-0.15360000000000	04	16	140												
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6	9	-0.14160000000000	04	16	70												
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6	9	-0.10416000000000	05	8	70												
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6	9	-0.41520000000000	04	12	252												
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6	9	-0.41520000000000	04	12	84												
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6	9	0.68508000000000	05	4	168												
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6	9	0.69924000000000	05	4	168												
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6	9	-0.30978000000000	05	8	84												
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6	9	-0.17580000000000	05	16	84												
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6	9	-0.96600000000000	04	12	84												
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6	9	0.68508000000000	05	4	224												
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6	9	0.69974000000000	05	4	224												
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6	9	0.68503000000000	05	4	112												
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6	9	0.69974000000000	05	4	112												
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6	9	0.68508000000000	05	4	112												
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6	9	0.69924000000000	05	4	112												
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6	9	0.68508000000000	05	4	112												
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6	9	0.69924000000000	05	4	112												
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6	9	-0.96600000000000	04	24	112												
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6	9	-0.30978000000000	05	8	112												
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6	9	0.15786000000000	05	16	176												
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6	9	0.15786000000000	05	8	176												
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6	9	0.19670000000000	05	12	176												
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6	9	0.19620000000000	05	12	176												
3	4	1	5	5	6	6	5	5	1	1	2	2	1	1	3	4	1
6	9	0.19620000000000	05	12	176												
3	4	5	6	6	5	5	1	1	2	2	1	1	3	4	1	1	5
6	9	0.69974000000000	05	4	280												
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6	9	0.69924000000000	05	4	140												
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6	9	-0.17580000000000	05	16	140												
2	3	5	6	6	1	1	2	2	1	1	2	3	4	4	3	3	5
6	9	0.69924000000000	05	4	140												
3	4	5	6	6	1	1	2	2	1	1	2	2	3	4	3	3	5
6	9	0.69924000000000	05	4	140												
4	3	5	6	6	1	1	2	2	1	1	2	2	3	3	4	3	5
6	9	0.69924000000000	05	4	204												
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6	9	0.69924000000000	05	4	204												
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6	9	0.69924000000000	05	4	204												
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6	9	0.69924000000000	05	4	84												
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6	9	0.69924000000000	05	4	168												
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6	9	-0.17580000000000	05	16	168
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6	9	0.20304000000000	05	4	156
1	2	4	5 5 4 4 6 6 1 2 1 1 3 3 1 1 4		
6	9	0.20304000000000	05	4	192
1	2	5	4 4 6 6 1 2 1 1 3 3 1 1 4 4 5		
6	9	0.19620000000000	05	12	156
1	2	4	6 6 1 2 1 1 3 3 1 1 4 4 5 5 4		
6	9	0.20304000000000	05	4	176
2	1	4	5 5 4 4 6 6 1 1 2 1 3 3 1 1 4		
6	9	0.20304000000000	05	4	152
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6	9	0.19620000000000	05	12	176
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6	9	0.15786000000000	05	8	176
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6	9	0.15786000000000	05	8	152
5	4	6	1 1 2 2 1 1 3 3 1 1 4 4 5 4 6		
6	9	0.69924000000000	05	4	140
1	2	4	5 5 6 6 4 4 1 2 1 1 3 3 1 1 4		
6	9	0.69924000000000	05	4	224
1	2	6	4 4 1 2 1 1 3 3 1 1 4 4 5 5 6		
6	9	0.21648000000000	05	4	140
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6	9	0.21648000000000	05	4	224
1	2	6	5 5 1 2 1 1 3 3 4 4 1 1 5 5 6		
6	9	0.68508000000000	05	4	140
1	3	5	6 6 5 5 1 1 2 2 1 3 4 4 1 1 5		
6	9	0.68508000000000	05	4	224
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6	9	0.76320000000000	04	4	280
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6	9	0.76266000000000	05	4	280
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6	9	0.76320000000000	04	4	126
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6	9	0.76320000000000	04	4	168
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6	9	0.76266000000000	05	4	126
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6	9	-0.30978000000000	05	8	280
2	3	6	1 1 2 2 1 1 2 3 4 4 3 3 5 5 6		
6	9	0.68508000000000	05	4	154
3	4	6	1 1 2 2 1 1 2 2 3 4 3 3 5 5 6		
6	9	0.68508000000000	05	4	112
4	3	6	1 1 2 2 1 1 2 2 3 3 4 3 5 5 6		
6	9	-0.30978000000000	05	8	154
3	5	6	1 1 2 2 1 1 2 2 3 3 4 4 3 5 6		

6	9	0.7626600000000D	05	4	280												
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6	9	0.7632000000000D	04	4	280												
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6	9	0.7626600000000D	05	4	140												
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6	9	0.7632000000000D	04	4	140												
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6	9	0.7296000000000D	04	12	166												
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6	9	0.7296000000000D	04	6	228												
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6	9	0.6850800000000D	05	4	178												
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6	9	0.7296000000000D	04	6	206												
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6	9	0.4776000000000D	05	2	180												
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6	9	0.4776000000000D	05	2	176												
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6	9	0.4776000000000D	05	2	212												
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6	9	0.4776000000000D	05	2	232												
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6	9	0.6992400000000D	05	4	180												
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6	9	0.4776000000000D	05	2	204												
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6	9	0.4776000000000D	05	2	206												
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6	9	0.4776000000000D	05	2	188												
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6	9	0.4776000000000D	05	2	178												
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6	9	0.6992400000000D	05	4	204												
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6	9	0.7626600000000D	05	4	280												
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6	9	0.3024000000000D	04	8	172												
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6	9	0.1214400000000D	05	2	206												
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6	9	0.71040000000000	04	2	180
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6	9	0.12144000000000	05	2	172
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6	9	0.30240000000000	04	4	206
2	5	6 1 1 2 2 3 3 1 1 4 4 2 5 4 4 6			
6	9	0.71040000000000	04	2	173
1	2	4 3 3 5 5 2 2 6 6 1 2 3 3 1 1 4			
6	9	0.12144000000000	05	2	166
1	4	3 5 5 2 2 6 6 1 1 2 2 3 3 1 4 3			
6	9	-0.96600000000000	04	12	84
3	5	4 6 6 3 1 2 2 1 3 4 4 3 5 3 3 4			
6	9	0.76266000000000	05	4	140
1	3	5 4 4 3 3 6 6 1 1 2 2 1 3 4 4 5			
6	9	0.68508000000000	05	4	204
3	4	6 1 1 2 2 1 1 3 4 5 5 4 4 3 3 6			
6	9	0.69924000000000	05	4	140
4	5	3 6 6 1 1 2 2 1 1 3 3 4 5 4 4 3			
6	9	0.68508000000000	05	4	206
4	5	6 1 1 2 2 1 1 3 3 4 5 4 4 3 3 6			
6	9	0.69924000000000	05	4	280
5	4	3 6 6 1 1 2 2 1 1 3 3 4 4 5 4 3			
6	9	0.68508000000000	05	4	188
5	4	6 1 1 2 2 1 1 3 3 4 4 5 4 3 3 6			
6	9	0.68508000000000	05	4	178
4	3	6 1 1 2 2 1 1 3 3 4 4 5 5 4 3 6			
6	9	0.25872000000000	05	4	154
1	2	3 4 4 5 5 6 6 4 4 3 3 1 2 1 1 3			
6	9	0.76266000000000	05	4	168
1	2	4 5 5 6 6 4 4 3 3 1 2 1 1 3 3 4			
6	9	0.76266000000000	05	4	238
1	2	6 4 4 3 3 1 2 1 1 3 3 4 4 5 5 6			
6	9	0.25872000000000	05	4	280
1	2	4 3 3 1 2 1 1 3 3 4 4 5 5 6 6 4			
6	9	0.76266000000000	05	4	280
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6	9	0.76266000000000	05	4	154
1	3	6 4 4 3 3 1 1 2 2 1 3 4 4 5 5 6			
6	9	0.71040000000000	04	2	178
1	2	5 3 3 6 6 1 2 3 3 1 1 4 4 2 2 5			
6	9	0.12144000000000	05	2	166
1	4	2 5 5 3 3 6 6 1 1 2 2 3 3 1 4 2			
6	9	0.30240000000000	04	4	206
1	4	5 3 3 6 6 1 1 2 2 3 3 1 4 2 2 5			
6	9	0.71040000000000	04	2	208
1	2	5 4 4 6 6 1 2 3 3 1 1 4 4 2 2 5			
6	9	0.71040000000000	04	2	180
2	3	1 4 4 2 2 5 5 4 4 6 6 1 1 2 3 1			
6	9	0.12144000000000	05	2	212
2	3	5 4 4 6 6 1 1 2 3 1 1 4 4 2 2 5			

6	9	-0.96600000000000	04	12	168												
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6	9	-0.10416000000000	05	4	336												
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6	9	-0.10416000000000	05	4	168												
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6	9	-0.10416000000000	05	8	280												
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6	9	-0.30978000000000	05	8	280												
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6	9	-0.41520000000000	04	24	280												
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6	9	-0.41520000000000	04	24	140												
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6	9	-0.17580000000000	05	16	140												
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6	9	-0.17580000000000	05	16	140												
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6	9	-0.10416000000000	05	4	252												
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6	9	-0.10416000000000	05	4	168												
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6	9	0.52920000000000	04	8	224												
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6	9	0.21648000000000	05	4	140												
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6	9	0.52920000000000	04	3	140												
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6	9	0.21648000000000	05	4	224												
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6	9	0.68508000000000	05	4	140												
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6	9	0.69924000000000	05	4	140												
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6	9	-0.10416000000000	05	8	224												
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6	9	0.69924000000000	05	4	84												
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6	9	0.69924000000000	05	4	168												
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6	9	0.68508000000000	05	4	84												
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6	9	0.68508000000000	05	4	168												
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6	9	-0.10416000000000	05	8	168												
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6	9	0.52920000000000	04	8	112												
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6	9	0.21648000000000	05	4	112												
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6	9	0.69924000000000	05	4	112												
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6	9	0.12744000000000	05	4	280												
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6	9	0.25872000000000	05	4	280												
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6	9	0.12744000000000	05	4	126												
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6	9	0.12744000000000	05	4	168												
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6	9	0.25872000000000	05	4	126												
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6	9	0.68508000000000	05	4	154												
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6	9	0.68508000000000	05	4	112												
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6	9	0.25872000000000	05	4	252												
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6	9	-0.41520000000000	04	12	252												
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6	9	0.71040000000000	04	2	204												
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6	9	0.71040000000000	04	2	180												
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6	9	0.47760000000000	05	2	204												
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6	9	0.71040000000000	04	2	178												
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6	9	0.71040000000000	04	2	232												
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6	9	0.47760000000000	05	2	178												
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6	9	0.76266000000000	05	4	140												
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6	9	0.11400000000000	05	4	188												
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6	9	0.11400000000000	05	4	212												
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6	9	0.68508000000000	05	4	188												
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6	9	0.58080000000000	04	8	204												
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6	9	0.58080000000000	04	8	180												
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6	9	0.69924000000000	05	4	204												
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6	9	0.69924000000000	05	4	140												
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6	9	-0.41520000000000	04	24	280												
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6	9	0.11784000000000	05	8	206												
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6	9	0.11784000000000	05	8	176												
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6	9	0.76320000000000	04	4	154												
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6	9	0.12744000000000	05	4	280												
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6	9	0.76320000000000	04	4	280												
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6	9	0.12744000000000	05	4	154												
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6	9	0.76266000000000	05	4	168												
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6	9	-0.14160000000000	04	16	238												
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6	9	0.36480000000000	04	4	210												
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6	9	0.36480000000000	04	4	224												
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6	9	-0.10416000000000	05	4	308												
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6	9	0.76266000000000	05	4	154												
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6	9	0.47760000000000	05	2	182												
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6	9	0.47760000000000	05	2	238												
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6	9	0.71040000000000	04	2	208												
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6	9	0.11400000000000	05	4	108												
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6	9	0.58080000000000	04	8	136												
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6	9	0.11784000000000	05	8	108												
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6	9	0.71040000000000	04	2	232												
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6	9	0.11400000000000	05	4	114												
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6	9	0.76266000000000	05	4	140												
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6	9	0.68508000000000	05	4	114												
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6	9	0.69924000000000	05	4	140												
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6	9	0.36480000000000	04	4	224												
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6	9	0.47760000000000	05	2	98												
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6	9	0.47760000000000	05	2	140												
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6	9	0.76266000000000	05	4	126												
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6	9	-0.10416000000000	05	4	154												
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6	9	0.25872000000000	05	4	168												
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6	9	-0.41520000000000	04	12	84												
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6	9	0.76320000000000	04	4	168												
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6	9	0.12744000000000	05	4	168												
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6	9	0.21648000000000	05	4	224												
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6	9	0.21648000000000	05	4	140												
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6	9	0.25920000000000	04	8	156												
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6	9	0.25920000000000	04	4	192												
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6	9	-0.15360000000000	04	16	238												
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6	9	0.71040000000000	04	2	180												
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6	9	0.98400000000000	03	8	204												
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6	9	0.76320000000000	04	4	140												
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6	9	0.47760000000000	05	2	188												
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6	9	0.72960000000000	04	12	166												
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6	9	0.12144000000000	05	2	172												
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6	9	0.12144000000000	05	2	212												
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6	9	0.98400000000000	03	4	208												
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6	9	0.47760000000000	05	2	180												
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6	9	0.72960000000000	04	6	206												
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6	9	0.2587200000000000	05	4	126												
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6	9	0.7104000000000000	04	2	232												
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6	9	0.9840000000000000	03	4	208												
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6	9	0.7632000000000000	04	4	140												
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6	9	0.4776000000000000	05	2	114												
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6	9	0.5292000000000000	04	8	140												
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 3 5 7 8 8 3 1 2 2 1 3 4 4 3 5 6 6 7  
 8 9 0.368004000000D 06 24 1680  
 5 6 7 8 8 3 1 2 2 1 3 4 4 3 3 5 6 7  
 8 9 -0.623757600000D 07 8 1680  
 1 2 4 5 5 6 6 7 7 8 8 4 2 1 1 3 3 1  
 8 9 0.134496000000D 07 9 1680  
 4 5 6 7 7 8 8 4 1 2 2 1 1 3 3 1 5 6  
 8 9 -0.808920000000D 06 8 1680  
 1 2 3 4 4 5 5 3 3 6 6 7 7 8 8 3 2 1  
 8 9 -0.333288000000D 06 8 1680  
 1 2 4 5 5 3 3 6 6 7 7 8 8 3 2 1 3 4  
 8 9 -0.166065600000D 07 8 1680  
 1 2 3 6 6 7 7 8 8 3 2 1 3 4 4 5 5 3  
 8 9 -0.137851200000D 07 8 1680  
 1 2 6 7 7 8 8 3 2 1 3 4 4 5 5 3 3 6  
 8 9 -0.442117200000D 07 4 1680  
 3 4 6 7 7 8 8 3 1 2 2 1 4 5 5 3 3 6  
 8 9 -0.442117200000D 07 4 1680  
 3 4 7 8 8 3 1 2 2 1 4 5 5 3 3 6 6 7  
 8 9 -0.451832400000D 07 4 1680  
 4 5 3 6 6 7 7 8 8 3 1 2 2 1 3 4 5 3  
 8 9 -0.125624400000D 07 12 1680  
 4 5 6 7 7 8 8 3 1 2 2 1 3 4 5 3 3 6  
 8 9 0.393504000000D 06 16 1680  
 3 6 7 8 8 3 1 2 2 1 3 4 4 5 5 3 6 7

8	9	-0.102048000000D	07	8	1680												
1	2	4	5	5	4	4	6	6	7	7	8	8	4	2	3	3	1
8	9	-0.623757600000D	07	8	1680												
1	2	4	6	6	7	7	8	8	4	2	3	3	1	4	5	5	4
8	9	-0.570722400000D	07	8	1680												
1	2	6	7	7	8	8	4	2	3	3	1	4	5	5	4	4	6
8	9	-0.670200000000D	06	8	1680												
4	5	6	7	7	8	8	4	1	2	2	3	3	1	5	4	4	6
8	9	-0.670200000000D	06	8	1680												
4	5	7	8	8	4	1	2	2	3	3	1	5	4	4	6	6	7
8	9	0.314376000000D	06	16	1680												
4	6	7	8	8	4	1	2	2	3	3	1	4	5	5	4	6	7
8	9	0.393504000000D	06	8	1680												
1	2	3	4	4	1	5	6	6	5	5	7	7	8	8	5	2	3
8	9	-0.221683200000D	07	8	1680												
1	2	5	6	6	5	5	7	7	8	8	5	2	3	3	4	4	1
8	9	-0.332822100000D	07	16	1680												
1	2	5	7	7	8	8	5	2	3	3	4	4	1	5	6	6	5
8	9	-0.206766000000D	07	12	1680												
1	2	7	8	8	5	2	3	3	4	4	1	5	6	6	5	5	7
8	9	-0.928560000000D	05	24	1680												
5	6	7	8	8	5	1	2	2	3	3	4	4	1	6	5	5	7
8	9	-0.207808800000D	07	8	1680												
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8	9	-0.889608000000D	06	8	1680												
1	2	5	6	6	4	4	7	7	8	8	4	2	3	3	1	4	5
8	9	-0.670200000000D	06	8	1680												
4	5	7	8	8	4	1	2	2	3	3	1	5	6	6	4	4	7
8	9	-0.483120000000D	05	24	1680												
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8	9	0.393504000000D	06	8	1680												
1	2	3	4	4	3	5	6	6	5	5	7	7	8	8	5	2	1
8	9	0.393504000000D	06	16	1680												
1	2	5	6	6	5	5	7	7	8	8	5	2	1	3	4	4	3
8	9	0.118477800000D	07	16	1680												
1	2	5	7	7	8	8	5	2	1	3	4	4	3	5	6	6	5
8	9	0.368004000000D	06	24	1680												
1	2	7	8	8	5	2	1	3	4	4	3	5	6	6	5	5	7
8	9	0.368004000000D	06	12	1680												
5	6	7	8	8	5	1	2	2	1	3	4	4	3	6	5	5	7
8	9	0.134496000000D	07	8	1680												
1	2	3	4	4	5	5	3	6	7	7	6	6	8	8	6	2	1
8	9	0.314376000000D	06	16	1680												
1	2	6	7	7	6	6	8	8	6	2	1	3	4	4	5	5	3
8	9	0.134496000000D	07	16	1680												
3	4	6	7	7	6	6	8	8	6	1	2	2	1	4	5	5	3
9	9	-0.850603920000D	08	4	5040												
1	2	5	6	6	7	7	8	8	9	9	5	2	3	3	4	4	1
9	9	-0.850603920000D	08	4	5040												
1	2	5	6	6	7	7	8	8	9	9	1	2	3	3	4	4	5

9	9	-0.2913360000000	06	24	5040												
1	2	3	4	4	3	5	6	6	5	7	8	8	9	9	7	2	1
9	9	-0.2506164000000	07	12	5040												
1	2	7	8	8	9	9	7	2	1	3	4	4	3	5	6	6	5
9	9	0.3736800000000	06	8	5040												
1	2	3	4	4	3	5	6	6	7	7	8	8	9	9	5	2	1
9	9	0.1737924000000	08	8	5040												
1	2	5	6	6	7	7	8	8	9	9	5	2	1	3	4	4	3
9	9	-0.2506164000000	07	12	5040												
5	6	7	8	8	9	9	5	1	2	2	1	3	4	4	3	6	7
9	9	0.1870584000000	07	8	5040												
1	2	3	4	4	5	5	3	6	7	7	8	8	9	9	6	2	1
9	9	0.4911408000000	07	8	5040												
1	2	6	7	7	8	8	9	9	6	2	1	3	4	4	5	5	3
9	9	0.4209507600000	08	4	5040												
3	4	6	7	7	8	8	9	9	6	1	2	2	1	4	5	5	3
9	9	-0.2913360000000	06	24	5040												
6	7	8	9	9	6	1	2	2	1	3	4	4	5	5	3	7	8
9	9	0.2782512000000	07	8	5040												
1	2	4	5	5	6	6	4	7	8	8	9	9	7	2	3	3	1
9	9	-0.5924914800000	08	4	5040												
1	2	3	4	4	5	5	6	6	7	7	8	8	9	9	3	2	1
9	9	0.1737924000000	08	8	5040												
3	4	5	6	6	7	7	8	8	9	9	3	1	2	2	1	4	5
9	9	0.4209507600000	08	4	5040												
3	4	6	7	7	8	8	9	9	3	1	2	2	1	4	5	5	6
9	9	-0.7661694000000	08	4	5040												
1	2	4	5	5	6	6	7	7	8	8	9	9	4	2	3	3	1
9	9	0.4911408000000	07	8	5040												
4	5	6	7	7	8	8	9	9	4	1	2	2	3	3	1	5	6
9	9	0.2782512000000	07	8	5040												
4	5	7	8	8	9	9	4	1	2	2	3	3	1	5	6	6	7
9	9	0.3736800000000	06	8	5040												
1	2	3	4	4	1	5	6	6	7	7	8	8	9	9	5	2	3
9	9	0.1870584000000	07	8	5040												
5	6	7	8	8	9	9	5	1	2	2	3	3	4	4	1	6	7
9	9	-0.5924914800000	08	4	5040												
1	2	3	4	4	5	5	6	6	7	7	8	8	9	9	1	2	3
9	9	-0.7661694000000	08	4	5040												
1	2	4	5	5	6	6	7	7	8	8	9	9	1	2	3	3	4

Table A9

2	2	0.600000000000000D	01	1	2
1	2	2	1		
3	3	0.800000000000000D	01	2	6
1	2	2	3	3	1
2	4	0.600000000000000D	01	1	2
1	2	2	1	1	2
3	4	0.660000000000000D	02	1	8
1	2	2	1	1	3
4	4	0.330000000000000D	02	2	24
1	2	2	3	3	4
4	4	-0.690000000000000D	02	1	24
1	2	2	1	3	4
4	5	0.240000000000000D	03	2	40
1	2	2	1	1	3
3	5	0.800000000000000D	01	6	10
1	2	2	1	1	2
5	5	0.168000000000000D	03	2	120
1	2	2	3	3	4
5	5	-0.264000000000000D	03	2	120
1	2	2	1	3	4
2	6	0.600000000000000D	01	1	2
1	2	2	1	1	2
3	6	0.660000000000000D	02	2	12
1	2	2	1	1	2
3	6	0.800000000000000D	01	2	6
1	2	2	3	3	1
3	6	0.800000000000000D	01	1	36
1	2	2	1	1	3
4	6	0.702000000000000D	03	1	84
1	2	2	1	1	3
4	6	0.220000000000000D	03	1	72
1	2	2	1	1	3
4	6	0.360000000000000D	02	2	48
1	2	2	3	3	1
4	6	-0.690000000000000D	02	2	60
1	2	2	1	3	4
4	6	0.360000000000000D	02	2	84
1	2	2	1	1	3
4	6	0.330000000000000D	02	8	60
1	2	2	1	1	2
5	6	0.204000000000000D	03	4	240
1	2	2	3	3	1
5	6	-0.222000000000000D	04	1	240
1	2	2	1	3	4
5	6	0.124800000000000D	04	2	240
1	2	2	1	1	3
6	6	0.970000000000000D	03	2	720
1	2	2	3	3	4
6	6	-0.244000000000000D	03	4	720
1	2	2	3	3	1

6	6	-0.141600000000D	04	2	720
1	2	2 1 3 4 4 5 5 6 6 3			
6	6	0.129200000000D	04	1	720
1	2	2 1 3 4 4 3 5 6 6 5			
3	7	0.800000000000D	01	6	14
1	2	2 1 1 2 2 1 1 2 2 3 3 1			
3	7	0.800000000000D	01	6	28
1	2	2 1 1 3 3 1 1 2 2 3 3 1			
4	7	0.240000000000D	03	2	154
1	2	2 1 1 2 2 3 3 4 4 3 3 1			
4	7	0.240000000000D	03	4	112
1	2	2 1 1 3 3 1 1 2 2 4 4 1			
4	7	0.240000000000D	03	2	84
1	2	2 1 1 2 2 1 1 3 3 4 4 1			
4	7	0.360000000000D	02	4	70
1	2	2 3 3 1 1 2 2 3 3 4 4 1			
4	7	0.360000000000D	02	4	238
1	2	2 1 1 3 3 2 2 3 3 4 4 1			
5	7	0.240000000000D	02	6	560
1	2	2 3 3 1 1 4 4 2 2 5 5 1			
5	7	0.108000000000D	04	2	504
1	2	2 1 1 3 3 1 1 4 4 5 5 1			
5	7	0.168000000000D	03	10	420
1	2	2 1 1 2 2 3 3 4 4 5 5 1			
5	7	0.232800000000D	04	2	560
1	2	2 1 1 3 3 4 4 3 3 5 5 1			
5	7	0.249600000000D	04	2	588
1	2	2 1 1 3 3 4 4 5 5 3 3 1			
5	7	0.384000000000D	03	2	336
1	2	2 3 3 1 1 2 2 4 4 5 5 1			
5	7	0.384000000000D	03	2	588
1	2	2 1 1 3 3 2 2 4 4 5 5 1			
5	7	-0.264000000000D	03	2	420
1	2	2 3 3 1 4 5 5 4 4 5 5 4			
5	7	-0.264000000000D	03	6	420
1	2	2 1 3 4 4 3 3 4 4 5 5 3			
6	7	0.204000000000D	04	4	1680
1	2	2 3 3 1 1 4 4 5 5 6 6 1			
6	7	0.763200000000D	04	2	1680
1	2	2 1 1 3 3 4 4 5 5 6 6 1			
6	7	-0.104160000000D	05	2	1680
1	2	2 1 3 4 4 3 3 5 5 6 6 3			
6	7	-0.415200000000D	04	2	1680
1	2	2 3 3 1 4 5 5 4 4 6 6 4			
7	7	0.616800000000D	04	2	5040
1	2	2 3 3 4 4 5 5 6 6 7 7 1			
7	7	-0.256800000000D	04	4	5040
1	2	2 3 3 1 4 5 5 6 6 7 7 4			
7	7	-0.885600000000D	04	2	5040
1	2	2 1 3 4 4 5 5 6 6 7 7 3			

7	7	0.864000000000D	04	2	5040
1	2	2 1 3 4 4 3 5 6 6 7 7 5			
2	8	0.600000000000D	01	1	2
1	2	2 1 1 2 2 1 1 2 2 1 1 2 2 1			
3	8	0.800000000000D	01	3	80
1	2	2 1 1 2 2 1 1 3 3 2 2 3 3 1			
3	8	0.660000000000D	02	2	16
1	2	2 1 1 2 2 1 1 2 2 1 1 3 3 1			
3	8	0.660000000000D	02	1	24
1	2	2 1 1 2 2 1 1 3 3 1 1 3 3 1			
3	8	0.800000000000D	01	6	16
1	2	2 1 1 2 2 3 3 1 1 2 2 3 3 1			
4	8	-0.690000000000D	02	1	280
1	2	2 1 1 2 2 1 3 4 4 3 3 4 4 3			
4	8	0.702000000000D	03	1	176
1	2	2 1 1 3 3 1 1 2 2 4 4 2 2 1			
4	8	-0.690000000000D	02	2	112
1	2	2 1 3 4 4 3 3 4 4 3 3 4 4 3			
4	8	0.200000000000D	01	12	400
1	2	2 1 1 3 3 4 4 2 2 3 3 4 4 1			
4	8	0.330000000000D	02	2	72
1	2	2 3 3 4 4 1 1 2 2 3 3 4 4 1			
4	8	0.330000000000D	02	1	800
1	2	2 1 1 3 3 4 4 2 2 4 4 3 3 1			
4	8	0.330000000000D	02	4	336
1	2	2 1 1 2 2 3 3 4 4 3 3 4 4 1			
4	8	0.702000000000D	03	2	256
1	2	2 1 1 2 2 1 1 3 3 4 4 3 3 1			
4	8	0.220000000000D	03	3	160
1	2	2 1 1 2 2 1 1 3 3 1 1 4 4 1			
4	8	0.360000000000D	02	8	192
1	2	2 1 1 2 2 3 3 1 1 4 4 3 3 1			
4	8	0.360000000000D	02	2	128
1	2	2 1 1 2 2 3 3 1 1 2 2 4 4 1			
4	8	0.240000000000D	03	2	96
1	2	2 1 1 3 3 4 4 1 1 3 3 4 4 1			
4	8	0.240000000000D	03	1	608
1	2	2 1 1 3 3 1 1 4 4 2 2 4 4 1			
4	8	0.330000000000D	02	8	224
1	2	2 1 1 3 3 1 1 2 2 4 4 3 3 1			
4	8	0.330000000000D	02	8	112
1	2	2 1 1 2 2 1 1 2 2 3 3 4 4 1			
4	8	0.200000000000D	01	6	720
1	2	2 1 1 3 3 2 2 4 4 3 3 4 4 1			
4	8	0.360000000000D	02	2	176
1	2	2 1 1 2 2 1 1 3 3 2 2 4 4 1			
4	8	0.360000000000D	02	8	352
1	2	2 1 1 3 3 1 1 2 2 3 3 4 4 1			
5	8	0.696000000000D	03	2	912
1	2	2 1 1 3 3 4 4 5 5 3 3 4 4 1			

5	8	0.360000000000D	02	6	1632										
1	2	2	1	1	3	3	4	4	2	2	5	5	3	3	1
5	8	0.124800000000D	04	4	1120										
1	2	2	1	1	2	2	3	3	4	4	3	3	5	5	1
5	8	0.124800000000D	04	4	896										
1	2	2	1	1	3	3	1	1	2	2	4	4	5	5	1
5	8	-0.264000000000D	03	2	336										
1	2	2	1	3	4	4	5	5	3	3	4	4	5	5	3
5	8	-0.222000000000D	04	1	1120										
1	2	2	1	1	2	2	1	3	4	4	3	3	5	5	3
5	8	-0.222000000000D	04	2	672										
1	2	2	1	3	4	4	3	3	4	4	3	3	5	5	3
5	8	0.648000000000D	03	2	1408										
1	2	2	1	1	3	3	1	1	4	4	2	2	5	5	1
5	8	-0.264000000000D	03	1	2016										
1	2	2	1	3	4	4	3	3	5	5	4	4	5	5	3
5	8	0.696000000000D	03	2	1648										
1	2	2	1	1	3	3	2	2	4	4	5	5	4	4	1
5	8	0.384000000000D	03	2	1904										
1	2	2	1	1	3	3	2	2	3	3	4	4	5	5	1
5	8	0.204000000000D	03	8	1232										
1	2	2	1	1	2	2	3	3	4	4	5	5	3	3	1
5	8	0.648000000000D	03	2	768										
1	2	2	1	1	3	3	4	4	1	1	3	3	5	5	1
5	8	0.204000000000D	03	16	896										
1	2	2	1	1	2	2	3	3	1	1	4	4	5	5	1
5	8	0.384000000000D	03	2	560										
1	2	2	3	3	1	1	2	2	3	3	4	4	5	5	1
5	8	0.360000000000D	02	6	544										
1	2	2	3	3	4	4	1	1	2	2	3	3	5	5	1
5	8	0.495000000000D	03	1	1152										
1	2	2	1	1	3	3	1	1	4	4	1	1	5	5	1
5	8	0.678000000000D	04	1	1408										
1	2	2	1	1	3	3	1	1	4	4	5	5	4	4	1
5	8	0.735000000000D	04	1	1632										
1	2	2	1	1	3	3	4	4	5	5	4	4	3	3	1
5	8	0.124800000000D	04	2	672										
1	2	2	1	1	2	2	1	1	3	3	4	4	5	5	1
5	8	0.192000000000D	03	2	1696										
1	2	2	1	1	3	3	4	4	2	2	3	3	5	5	1
5	8	0.192000000000D	03	2	1648										
1	2	2	1	1	3	3	2	2	4	4	3	3	5	5	1
5	8	0.192000000000D	03	2	912										
1	2	2	3	3	1	1	2	2	4	4	3	3	5	5	1
6	8	0.384000000000D	03	4	4480										
1	2	2	3	3	1	1	4	4	2	2	5	5	6	6	1
6	8	0.384000000000D	03	2	4480										
1	2	2	3	3	1	1	4	4	5	5	2	2	6	6	1
6	8	0.900000000000D	01	6	4480										
1	2	2	3	3	4	4	1	1	5	5	3	3	6	6	1



6	8	0.52920000000000	04	2	4032
1	2	2	1 1 3 3 1 1 4 4 5 5 6 6 1		
6	8	0.58080000000000	04	2	4480
1	2	2	1 1 3 3 4 4 5 5 4 4 6 6 1		
6	8	0.12744000000000	05	2	4704
1	2	2	1 1 3 3 4 4 5 5 6 6 3 3 1		
6	8	0.11400000000000	05	2	4480
1	2	2	1 1 3 3 4 4 3 3 5 5 6 6 1		
6	8	-0.30978000000000	05	1	4704
1	2	2	1 3 4 4 3 3 5 5 6 6 5 5 3		
6	8	-0.15360000000000	04	2	4704
1	2	2	1 3 4 4 3 3 5 5 4 4 6 6 3		
6	8	-0.14160000000000	04	2	3360
1	2	2	1 1 2 2 1 3 4 4 5 5 6 6 3		
6	8	-0.14160000000000	04	8	3360
1	2	2	1 3 4 4 3 3 4 4 5 5 6 6 3		
6	8	-0.17580000000000	05	1	4480
1	2	2	1 1 3 3 1 4 5 5 4 4 6 6 4		
6	8	0.96600000000000	03	2	2688
1	2	2	3 3 4 4 1 1 2 2 5 5 6 6 1		
6	8	-0.96600000000000	04	1	4032
1	2	2	1 3 4 4 3 3 5 5 3 3 6 6 3		
6	8	0.77760000000000	04	4	4480
1	2	2	1 1 3 3 4 4 5 5 3 3 6 6 1		
6	8	0.24000000000000	04	2	2688
1	2	2	3 3 1 1 2 2 4 4 5 5 6 6 1		
6	8	0.21960000000000	04	4	4704
1	2	2	3 3 1 1 4 4 5 5 6 6 4 4 1		
6	8	0.96600000000000	03	2	4704
1	2	2	1 1 3 3 4 4 2 2 5 5 6 6 1		
6	8	0.24000000000000	04	2	4704
1	2	2	1 1 3 3 2 2 4 4 5 5 6 6 1		
6	8	-0.15360000000000	04	2	2688
1	2	2	1 3 4 4 5 5 3 3 4 4 6 6 3		
6	8	-0.24400000000000	03	24	3360
1	2	2	3 3 1 4 5 5 4 4 5 5 6 6 4		
6	8	0.16320000000000	04	4	4032
1	2	2	1 1 3 3 4 4 1 1 5 5 6 6 1		
6	8	0.12920000000000	04	3	3360
1	2	2	1 3 4 4 3 5 6 6 5 5 6 6 5		
6	8	0.97000000000000	03	12	3360
1	2	2	1 1 2 2 3 3 4 4 5 5 6 6 1		
7	8	0.12096000000000	05	4	13440
1	2	2	3 3 1 1 4 4 5 5 6 6 7 7 1		
7	8	0.49680000000000	04	4	13440
1	2	2	3 3 4 4 1 1 5 5 6 6 7 7 1		
7	8	-0.10824000000000	05	4	13440
1	2	2	1 3 4 4 5 5 3 3 6 6 7 7 3		
7	8	0.51468000000000	05	2	13440
1	2	2	1 1 3 3 4 4 5 5 6 6 7 7 1		

7	8	-0.1903200000000	05	4	13440
1	2	2 3 3 1 4 5 5 4 4	6 6 7 7 4		
7	8	-0.2194800000000	05	2	13440
1	2	2 1 1 3 3 1 4 5 5	6 6 7 7 4		
7	8	-0.6631200000000	05	2	13440
1	2	2 1 3 4 4 3 3 5 5	6 6 7 7 3		
7	8	0.7361400000000	05	1	13440
1	2	2 1 3 4 4 3 5 6 6	5 5 7 7 5		
8	8	0.5304000000000	05	2	40320
1	2	2 1 3 4 4 3 5 6 6	7 7 8 8 5		
8	8	-0.1584000000000	05	4	40320
1	2	2 3 3 1 4 5 5 6 6	7 7 8 8 4		
8	8	0.4206900000000	05	2	40320
1	2	2 3 3 4 4 5 5 6 6	7 7 8 8 1		
8	8	-0.6065400000000	05	2	40320
1	2	2 1 3 4 4 5 5 6 6	7 7 8 8 3		
8	8	-0.3003150000000	05	1	40320
1	2	2 1 3 4 4 3 5 6 6	5 7 8 8 7		
8	8	0.1830000000000	05	4	40320
1	2	2 1 3 4 4 5 5 3 6	7 7 8 8 6		
8	8	-0.6667500000000	04	4	40320
1	2	2 3 3 4 4 1 5 6 6	7 7 8 8 5		

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